

1  
2  
3  
4  
5  
6  
7  
8  
9  
10  
11  
12  
13  
14  
15  
16  
17  
18  
19  
20  
21  
22  
23  
24  
25  
26  
27  
28  
29  
30  
31  
32  
33

## How do normal faults grow?

Atle Rotevatn<sup>a</sup>, Christopher A.-L. Jackson<sup>b</sup>, Anette B.M. Tvedt<sup>c</sup>, Rebecca E. Bell<sup>b</sup>,  
Ingvild Blækkan<sup>a</sup>

<sup>a</sup> *Department of Earth Science, University of Bergen, PO Box 7800, 5020 Bergen,  
Norway*

<sup>b</sup> *Basins Research Group (BRG), Department of Earth Science & Engineering,  
Imperial College, Prince Consort Road, London, SW7 2BP, UK*

<sup>c</sup> *Petrolia NOCO AS, Espehaugen 32, 5258 Blomsterdalen, Norway*

\*corresponding author: [atle.rotevatn@uib.no](mailto:atle.rotevatn@uib.no) (A. Rotevatn), phone: +47 48109959.

Keywords: normal fault; fault growth; isolated fault model; propagating fault model;  
coherent fault model; constant-length fault model; fault scaling

### Abstract

Normal faults grow via synchronous increase in displacement and length ('propagating fault model', also known as the 'isolated fault model'), or by rapid length establishment and subsequent displacement accrual (constant-length fault model). We here use time-series displacement (D) and length (L) data from natural and experimental faults to elucidate growth styles and D-L trajectories throughout fault life, and to assess the applicability of the two fault models. We show that the growth of most faults is characterized by two stages, with the first defined by fault lengthening (20-30% of fault lifespan) and the second by displacement accrual (70-80% of fault lifespan). Although broadly adhering to the constant-length model, fault growth throughout the lengthening stage, during which significant displacement (10-60% of the total end-of-life fault displacement) may also accumulate, is achieved through rapid tip propagation, relay breaching, and segment linkage, characteristics perhaps most intuitively thought to reflect growth in accordance with the propagating model. The subsequent growth stage is dominated by displacement accrual with limited lateral tip propagation, a phenomenon best described by the constant-length model. We also show that, despite being used primarily in support of the propagating

34 model, global displacement-length (D-L) datasets are equally compatible with the  
35 constant-length model.

36

37

### 38 1. Introduction

39 There are currently two often-used models describing the growth of normal faults,  
40 herein termed the ‘propagating’ and ‘constant-length’ fault models (e.g., Walsh et al.,  
41 2002; Walsh et al., 2003; Nicol et al., 2005; Jackson and Rotevatn 2013; Henstra et  
42 al., 2015; Fossen and Rotevatn 2016; Hemelsdaël and Ford 2016; Nicol et al., 2016;  
43 Tvedt et al., 2016; Childs et al., 2017; Jackson et al., 2017) (Fig. 1). The propagating  
44 model (also referred to as the ‘isolated fault model’; see e.g. Jackson & Rotevatn  
45 2013; Childs et al., 2017) suggests fault growth occurs via a synchronous increase in  
46 fault length and displacement (e.g., Walsh and Watterson 1988; Dawers et al., 1993;  
47 Cartwright et al., 1995; Walsh et al., 2003), whereas the constant-length model  
48 suggests faults establish their near-final lengths early in their slip history, after which  
49 they grow mainly by displacement accrual (e.g., Walsh et al. 2003; Nicol et al., 2005;  
50 Jackson and Rotevatn 2013). To our knowledge, structural geology textbooks do not  
51 consider the constant-length model in their treatment of normal fault growth; instead,  
52 they focus entirely on propagation models (e.g., Davis et al., 2011; Fossen 2016). In  
53 the authors’ opinion, it is therefore fair to say that the constant-length model is less  
54 well-known to the general structural community, outside of those specialising in fault  
55 growth. Because of this, we suggest there is a bias in favour of the propagating model  
56 in the earth science community overall, despite the mounting body of evidence to  
57 support the constant-length fault model (e.g., Nicol et al., 2010; Giba et al., 2012;  
58 Jackson et al., 2017; Rotevatn et al., 2018).

59 Understanding how normal faults grow is important for a range of earth science  
60 disciplines, with the styles and rate of tip propagation controlling, for example, the  
61 tectono-stratigraphic development of sedimentary basins (e.g., Gawthorpe and Leeder  
62 2000; Ge et al., 2017; Henstra et al., 2017; Jackson et al., 2017), and the location,  
63 magnitude, and recurrence interval of potentially hazardous earthquakes (Walsh et al.,  
64 2003; Nicol et al., 2005; Soliva et al., 2008; Nicol et al., 2010). Despite mounting  
65 evidence in support of the constant-length model, the character of the initial  
66 lengthening stage remains unclear, including its duration (relative to the total lifespan  
67 of the fault) and its structural evolution (including growth pattern of faults), since few

68 studies have been able to provide insight to the details of this early, relatively short-  
69 lived stage of fault growth (Schlagenhauf et al., 2008; Nixon et al., 2016).

70 Motivated by this, we here review the wealth of data published on fault length and  
71 displacement over the last 40 years and interpret new data from natural and  
72 experimental fault systems to investigate how a fault migrates through displacement-  
73 length (D-L) space as it grows. Using this data compilation we compare and contrast  
74 how these real and simulated faults behave in comparison to the often-used normal  
75 fault growth models described above. Using time-series fault displacement and length  
76 (D-L) data, we demonstrate that both models are applicable to the growth of normal  
77 faults, with each describing temporally distinct aspects of fault behaviours observed in  
78 nature and experiments. We conclude that most ancient normal faults, for which  
79 appropriate kinematic constraints are available, are characterized by: (i) an initial  
80 stage of length establishment (occurring over a time period of 20-30% of the total  
81 fault lifespan), characterized by rapid tip propagation, relay formation, -breaching and  
82 segment linkage, best described by the propagating model; this stage typically also  
83 involves accumulation of 10-60% of the final fault displacement; (ii) a subsequent  
84 stage of displacement accrual without significant further fault lengthening, best  
85 described by the constant-length model (occurring over a time period of ~70-80% of  
86 the total fault lifespan). We also show that, despite being implicitly or explicitly used  
87 in support of the propagating fault model, in the scientific literature (e.g., Cartwright  
88 et al., 1995; Dawers and Anders 1995) and structural geology textbooks alike (e.g.,  
89 Fossen 2016), global displacement-length (D-L) datasets (e.g., Marrett and  
90 Allmendinger 1991; Cowie and Scholz 1992b; Cowie and Scholz 1992a) are equally  
91 compatible with the constant-length fault model.

92 Using natural examples to document the structural and kinematic characteristics of  
93 the initial stage of fault propagation and lengthening may achieve significant future  
94 advances in our understanding of how normal faults grow. This stage is presently  
95 poorly documented and thus insufficiently understood due to: (i) a lack of reliable,  
96 preserved constraints from syn-kinematic growth strata; and/or (ii) the fact that any  
97 growth strata deposited during the initial, relatively short-lived state of fault growth  
98 may simply be too thin to detect using all but the highest-resolution geophysical  
99 methods (Jackson et al., 2017).

100

## 101 **2. The propagating fault model**

102 The term ‘propagating fault model’ (Fig. 1A) describes the conventional model by  
103 which faults grow via a synchronous increase in their displacement and length (Fig.  
104 1C), i.e. the view that when faults accrue displacement they also lengthen by tip  
105 propagation and linkage via relay formation and breaching (e.g., Cartwright et al.,  
106 1995; Cowie et al., 2000; Kim and Sanderson 2005; Bergen and Shaw 2010). The  
107 propagating model is preferred, explicitly or implicitly, by numerous studies using  
108 observations from natural fault systems (e.g., Peacock and Sanderson 1991, 1994;  
109 Trudgill and Cartwright 1994; Wojtal 1996; Marchal et al., 1998; Morewood and  
110 Roberts 1999; Dawers and Underhill 2000; Gawthorpe and Leeder 2000; McGill et  
111 al., 2000; McLeod et al., 2000; Young et al., 2003; Soliva and Benedicto 2004;  
112 Commins et al., 2005; Hus et al., 2006; Bastesen and Rotevatn 2012), numerical  
113 modelling (e.g. Crider and Pollard 1998; Gupta et al., 1998; Cowie et al., 2000) and  
114 analogue models (e.g., McClay 1990; McClay and White 1995; Ackermann et al.,  
115 2001; Clifton and Schlische 2001; Mansfield and Cartwright 2001; Acocella et al.,  
116 2005; Bellahsen and Daniel 2005). What we herein refer to as ‘the propagating  
117 model’ is also sometimes referred to as the ‘isolated model’ (e.g., Jackson & Rotevatn  
118 2013; Childs et al. 2017), despite this term originally being used by Walsh et al.  
119 (2003) to describe the degree of kinematic and geometric coherency within a fault  
120 system, and *not* the presence or absence of tip propagation.

121 The propagating model is largely based on the observation that, when plotted in  
122 log-log space, fault displacement and length data appear strongly positively correlated  
123 across several orders of magnitude. This empirical relationship is described as  $D=cL^n$   
124 , where  $D$  is maximum fault displacement,  $L$  fault-trace length,  $c$  a constant, and  $n$   
125 falls between 1 and 1.5 (e.g., Walsh and Watterson 1988; Marrett and Allmendinger  
126 1990; Marrett and Allmendinger 1991; Cowie and Scholz 1992b; Marrett and  
127 Allmendinger 1992; Dawers et al., 1993; Schlische et al., 1996; Schultz et al., 2008;  
128 Torabi and Berg 2011; Rotevatn and Fossen 2012). Regardless of the exact value of  $n$ ,  
129 the empirical relationship between  $D$  and  $L$  has historically been assumed to suggest  
130 that an increase in fault displacement ( $D$ ) is associated with a corresponding increase  
131 in fault length ( $L$ ) (Watterson 1986; Morley et al., 1990; Peacock and Sanderson  
132 1991; Cowie and Scholz 1992b; Cowie and Scholz 1992a; Cartwright et al., 1995;  
133 Dawers and Anders 1995; Huggins et al., 1995; Peacock and Sanderson 1996;  
134 McLeod et al., 2000; Mansfield and Cartwright 2001; Rykkelid and Fossen 2002;  
135 Kim and Sanderson 2005; Baudon and Cartwright 2008). In addition to fault

136 displacement and length being positively correlated, support for the propagating fault  
137 model includes: (i) the occurrence of breached relays and multiple displacement  
138 minima along strike of normal faults (e.g., Gawthorpe and Leeder 2000); and (ii)  
139 theoretical fracture mechanics, which predicts that for a given rock shear strength,  
140 displacement and length must increase linearly (e.g., Cowie and Scholz 1992b). The  
141 view that fault growth is achieved chiefly by lengthening and amalgamation of  
142 individual segments means the propagating model is also commonly referred to as  
143 ‘fault growth by segment linkage’, or derivations thereof (e.g., Cartwright et al., 1995;  
144 Cartwright et al., 1996; McGill et al., 2000; Jackson et al., 2002). It would be fair to  
145 say that the propagating model has dominated the structural geology and tectonics  
146 literature for decades, providing the basis for descriptions of normal fault growth in  
147 textbooks (e.g., Davis et al., 2011; Fossen 2016).

148 Despite the fact it offers a relatively simple and thus appealing explanation of  
149 global D-L scaling relationships, there are a number of challenges to the propagating  
150 model. First, we know of no examples of presently active or extinct (i.e. ancient)  
151 natural fault system, for which robust kinematic constraints have been presented (e.g.  
152 growth strata or geomorphic evidence documenting tip propagation and fault  
153 lengthening), that present compelling evidence faults are growing or grew in  
154 accordance with the propagating fault model over geological timespans (i.e.  $10^4$ - $10^6$   
155 years; Jackson et al., 2017). Second, the propagating model appears incompatible with  
156 the (generally much lower) displacement-length ratios of individual earthquakes (e.g.,  
157 Wells and Coppersmith 1994; Walsh et al., 2002; Nicol et al., 2005).

158

### 159 **3. The constant-length fault model**

160 The notion that major, through-going normal faults can ‘rapidly’ form was first  
161 fully discussed in the seminal paper by Cowie (1998). A similar, rapid-establishment  
162 theme is characteristic of the ‘constant-length fault model’ (Fig. 1B), which was  
163 conceived and developed in a series of papers published from 2002 onwards. At least  
164 partly motivated by the incompatibility between fault and earthquake D-L scaling  
165 properties, Walsh et al. (2002) presented what was initially termed an “alternative  
166 model” for the growth of normal faults. They argued that, contrary to the propagating  
167 model, in which displacement and length increase in concert, “(...) *fault lengths are*  
168 *near constant from an early stage and growth is achieved mainly by increase in*  
169 *cumulative displacement*” (Fig. 2D). The term ‘constant fault-length model’ was

170 subsequently coined by Nicol et al. (2005), to explicitly capture the fact that, for much  
171 of their life, the studied faults experienced displacement accumulation rather than  
172 lengthening (Walsh et al., 2002).

173 Most early work on the constant-length model was based on the analysis of  
174 growth strata preserved next to relatively large (e.g. several kilometres in length,  
175 several hundreds of metres of displacement), ancient faults imaged in 3D seismic  
176 reflection data (Meyer et al., 2002; Walsh et al., 2002). Mounting support for the  
177 constant-length fault model came from similar, seismic reflection-based studies (e.g.,  
178 Giba et al., 2012; Jackson and Rotevatn 2013; Tvedt et al., 2016; Jackson et al.,  
179 2017), as well as from numerical models (e.g., Finch and Gawthorpe 2017) and  
180 analogue models (e.g., Schlagenhauf et al., 2008). Recent work has also used damage  
181 zone geometry, and the scaling properties of exposed, relatively small-scale (i.e. up to  
182 several metres of displacement) faults, to provide additional support for the constant-  
183 length model (Nicol et al., 2016).

184 The constant-length model is attractive in that it offers a more dynamic view of D-  
185 L scaling relationships (i.e. D-L scaling may change over time as a fault grows; see  
186 Cladouhos and Marrett 1996; Rotevatn and Fossen 2012; Nicol et al., 2016), as well  
187 as offering an explanation for the apparent mismatch between fault and earthquake-  
188 rupture scaling relationships (Nicol et al., 2005). However, the constant-length model  
189 initially appears at odds with the observation that relatively few ancient faults plot  
190 *below* the regression trendline plotted in global D-L compilations; such faults should  
191 at least theoretically occur if we assume some ancient faults became inactive early in  
192 their development, shortly after the initial stage of lengthening, or, in the case of still-  
193 active faults that are relatively immature.

194 Summarized, the constant-length model is built on the main premise that faults  
195 propagate to their near-full lengths relatively rapidly (Walsh et al., 2002; Nicol et al.,  
196 2016), after which further lengthening is typically retarded due to mechanical fault  
197 interactions between adjacent faults and an associated reduction of tip stresses (see  
198 also Cowie 1998; Gupta and Scholz 2000). It remains unclear, however, how D and L  
199 accumulation during fault growth is partitioned in time. Furthermore, existing work  
200 on the constant-length model has focused predominantly structural characteristics and  
201 timescales associated with the near-vertical D-L growth paths defining the  
202 displacement accrual stage once the (near-)final fault length is established (e.g.,

203 Meyer et al., 2002; Walsh et al., 2002), but has shed limited light on initial fault  
204 lengthening stage.

205

206 Motivated by the above review, and the fact the two models have co-existed for  
207 ~15 years, we find it timely to critically assess their applicability to describe the  
208 growth of normal faults. We therefore address the following key questions: i) how is  
209 fault lengthening partitioned in time?; ii) how is displacement accrual partitioned in  
210 time?; iii) what is the role of tip propagation and fault linkage throughout fault life?  
211 Essentially, these questions all revolve around understanding fault behaviour in D-L  
212 space through their lifespans. To address this, we study seismically imaged natural  
213 normal faults, in addition to faults generated in analogue models, to extract D-L data  
214 through time. D-L data for individual faults *through time* is key to understanding fault  
215 growth, since the global D-L database really only shows a static view, where each  
216 data point represents the final stage of what is essentially a fault's unknown journey  
217 through D-L space (Nicol et al., 2010; Rotevatn and Fossen 2012; Nicol et al., 2016).  
218 With these data, and by addressing the above questions, we specifically aim to: (i)  
219 elucidate the poorly-documented early lengthening stage of faults exhibiting a broadly  
220 constant-length model-type behaviour; (ii) reassess the propagating and constant-  
221 length models in an attempt to clarify their applicability to the growth of faults in  
222 nature and experiments; and (iii) to suggest some key questions to be addressed in  
223 future research.

224

#### 225 **4. Fault behaviour in D-L space through time**

226 To reveal how faults grow in space and time, we present D-L data extracted at  
227 several points in the growth history of natural and experimentally reproduced faults  
228 (Fig. 2). Data from natural faults are derived from throw backstripping of, and  
229 analysis of growth strata from, syn-sedimentary growth faults from the Egersund  
230 Basin, offshore Norway (Tvedt et al., 2013; Tvedt et al., 2016) and the Santos Basin,  
231 offshore Brazil (Tvedt 2016) (see cited papers and Jackson et al. 2017 for  
232 backstripping method used and justification). Additional D-L data from natural faults  
233 were extracted from Meyer et al. (2002), and experimental fault data from published  
234 sandbox models (Schlagenhauf et al., 2008) and new plaster models (Blækkan 2016).

235 The plots of D-L evolution through time (Fig. 2) clearly show that only few  
236 natural and experimental faults behave according to the predictions of the propagating

237 model, i.e. exhibiting a corresponding increase in length as displacement is accrued  
238 (see inset *i* in Fig. 2A). This observation, in concert with those from previous studies  
239 (e.g., Cartwright et al., 1996; McLeod et al., 2000; Commins et al., 2005; Hemelsdaël  
240 and Ford 2016), suggests that fault growth according to the propagating fault model  
241 does occur, but is an end-member behaviour rather than the norm.

242 Much more commonly, faults exhibit two-part growth trajectories in D-L space  
243 that can be split into an early, relatively low-gradient part, and a subsequent, relatively  
244 high-gradient part, separated by a moderately well-defined, fairly abrupt inflection  
245 point (see inset *ii* in Fig. 2A). The high-gradient part is typical of fault behaviour  
246 according to the constant-length fault model, with the near-vertical growth trends in  
247 D-L space representing displacement accrual without significant fault lengthening  
248 (Meyer et al., 2002; Walsh et al., 2002). However, the initial, relatively low-gradient  
249 parts of the D-L graphs (Fig. 2A) exhibit great variability. For example, the D-L plots  
250 in Figure 2 show that the initial lengthening stage often involves not only lengthening,  
251 but may also involve (periods of) significant displacement accrual (up to 40-60% of  
252 the total end-of-life displacement). The amount of displacement accrual varies, and  
253 the gradients in D-L space during this early stage of growth therefore also vary  
254 greatly, from relatively gentle, near-flat, constant-length-like gradients to steeper,  
255 propagating-like gradients (Fig. 2). These data thus document that, for faults that  
256 otherwise behave broadly in accordance with the constant-length model, a wide  
257 spread of D-L trajectories is seen during the initial lengthening stage. Such variability  
258 and complexity of the initial lengthening stage has, to our knowledge, not previously  
259 been demonstrated in other studies advocating the constant-length model (e.g., Walsh  
260 et al., 2002). This leads to the question “what style of growth (i.e. instantaneous  
261 length establishment vs. lengthening by tip propagation and linkage) characterizes the  
262 relatively low-gradient stage seen in the D-L paths, and is this ‘lengthening’ stage  
263 adequately captured and understood in the present models for normal fault growth?”.

264 As discussed by Childs et al. (2017) and Jackson et al. (2017), seismic reflection-  
265 based studies may show that faults establish their lengths within the first resolvable  
266 time increment but that, because this first resolvable time increment may be longer  
267 than the lengthening stage, the lengthening goes undetected. To investigate the  
268 lengthening stage further we therefore return to analogue models, in which this early  
269 stage of fault growth may be closely monitored and captured. In the following we  
270 discuss a plaster experiment (Figs. 3 and 4) of Blækkan (2016), first showing images



271 of the experiment at relatively long (5-second) time-steps (Fig. 3), before showing the  
 272 early stages of the experiment at much shorter (0.5-second) time-steps (Fig. 4). We do  
 273 this to mimic having different temporal resolutions of data (i.e. low-resolution data at  
 274 5 sec time-steps vs. high-resolution data at 0.5 sec time-steps), which may impact our  
 275 understanding of fault growth. For information about the experimental setup, see  
 276 Blækkan (2016).

277 Consider Figure 3, where we show a map-view image showing the evolution of a  
 278 large (relative to the scale of the experiment) normal fault (F1) at 5 second intervals  
 279 (timesteps T1-T4). Even after the first timestep (T2), F1 has grown across the width  
 280 of the model. The faults tips are pinned laterally at the experiment boundary, thus  
 281 emulating natural reasons for lateral fault tip pinning, such as the interaction with  
 282 other faults (e.g., Nicol et al., 2010). Further timesteps (T3 and T4) are characterised  
 283 by displacement accrual, accompanied by relay breaching. Based on viewing the  
 284 experiment at a relatively low temporal resolution (i.e. 5 sec timesteps), which we  
 285 compare to the limitations of the lowest resolvable time increment from growth strata  
 286 when analysing fault growth in the subsurface using reflection seismic and well data,  
 287 F1 thus appears to grow in accordance with the constant-length model.

288 By making the observational increments shorter (i.e. 0.5 secs) we can now  
 289 investigate the geometric and kinematic characteristics of the lengthening stage  
 290 between timesteps T1 and T2 (i.e. T1a-d; Fig. 4). A fault segment (termed main  
 291 segment S1; Fig. 4) that nucleates or at least breaches the surface in the western part  
 292 of the model during timestep T1a, propagates eastward and lengthens during  
 293 timesteps T1b and T1c. Fault lengthening during this stage is largely achieved by the  
 294 nucleation, propagation, and linkage of new, smaller segments ahead of the  
 295 propagating eastern tip of segment S1. In timestep T1c, a second segment (termed  
 296 main segment S2; Fig. 4) nucleates in the eastern part of the model, clearly separate  
 297 from the main S1 structure in the west. From timestep T1c to T1d, both tips of S2  
 298 propagate. Eastward propagation of S2 is arrested at the model boundary; the western  
 299 tip approaches the oncoming and now-rapidly eastward-propagating tip of S1. At  
 300 timestep T1d, the two main segments (S1 and S2) remain unlinked, but are  
 301 underlapping and *approaching* one another (*sensu* Peacock et al., 2017). The final, 0.5  
 302 second-long timestep between T1d and T2 sees hard-linkage of smaller S2 segments,  
 303 which were soft-linked during T1d, but hard-linked by T2. By T2, S1 and S2 have  
 304 overlapped and soft-linked, bounding a relay zone that is eventually breached by T3.

305 The style of fault growth documented in time steps T1a through T1d (Fig. 4) is  
306 similar to that observed in some natural fault systems (e.g., Jackson et al., 2002;  
307 Gawthorpe et al., 2003; Young et al., 2003), typified by tip-propagation and segment  
308 linkage. These observations demonstrate that for a fault appearing to broadly behave  
309 according to the constant-length fault model, tip propagation and segment linkage  
310 govern the early, transient, relatively rapid lengthening stage of the fault (cf. Peacock  
311 and Sanderson 1991; Cartwright et al., 1995; Walsh et al., 2003). This offers insights  
312 into the structural characteristics of the early length-establishment stage, which has  
313 rarely or never been fully captured in natural fault systems (see Hemelsdaël and Ford  
314 2016; Nixon et al., 2016).

315 The example above also highlights that for a given fault, D-L ratios may change  
316 abruptly as the fault lengthens by linkage of precursor segments. More specifically, in  
317 our case an abrupt increase occurs between T1d (D-L ratio = c. 1.1) and T2 (D-L ratio  
318 = c. 1.35) (Fig. 4 and Fig 3) (cf. Cowie 1998). As such, the kinematic significance of  
319 D-L ratios recorded on active and inactive faults should be treated with care since  
320 they: (i) may change with time on a single structure; and (ii) vary depending on the  
321 length-scale considered (i.e. individual segment length immediately before, vs. full  
322 fault length immediately after, linkage and establishment of the full fault length)  
323 (Rotevatn and Fossen 2012; Nicol et al., 2016).

324 We now return to the D-L plots discussed initially in this section and shown in  
325 Figure 2. The complex D-L paths observed in the lengthening stage may seem very  
326 different to the well-known, sub-vertical D-L growth trends presented by Meyer et al.  
327 (2002), which were used by Walsh et al. (2002) in support of the constant-length  
328 model. However, the extracted D-L paths from Meyer et al. (2002) show that,  
329 although sub-vertical growth trends are seen in the right hand part of the curves (Fig.  
330 2D), there is an unresolved precursor stage that involves (i) not only lengthening, but  
331 a variable amount of displacement accrual (10-60% of total end-of-life displacement;  
332 Fig. 2D) and (ii) overall lower-gradient (compared to the subsequent displacement  
333 accrual stage), but somewhat variable trajectories through D-L space (Fig. 2D). This  
334 important element of the early-stage growth of normal faults may previously have  
335 been gone unnoticed, since D-L data from Walsh et al. (2002) and Meyer et al. (2002)  
336 were presented only in log-log space. Plotting such data in log-log space is inherently  
337 problematic, as it may unintentionally mask variability and statistical spread.  
338 Interestingly, although the D-L paths presented in our study vary greatly, most of the

339 D-L paths shown in Figure 5 fall within the cloud of the global D-L dataset when  
340 plotted in log-log space. This highlights the danger of plotting data on logarithmic  
341 scales, and demonstrates how radically different D-L trajectories of faults may  
342 effectively ‘hide’ in log-log space. It also shows that one cannot infer ‘typical’ fault  
343 growth trajectories in D-L space based on the often-cited correlation of fault  
344 displacement and -length over several orders of magnitude. This is so because each  
345 fault in the global data base is represented by a single, static, present-day D-L data  
346 point, which contains no dynamic information whatsoever about the D-L trajectory  
347 throughout the active life of each particular fault (cf. Cladouhos and Marrett 1996).

348

## 349 **5. Conclusions and future research challenges**

350

351 By using D-L data from a range of natural and experimentally reproduced faults, we  
352 have demonstrated that propagating (synchronous D-L growth) and constant-length  
353 (L-dominated followed by D-dominated growth) fault behaviours occur in nature. The  
354 critical point is that the different models appear to describe kinematic behaviours  
355 associated with specific times in the evolution of a fault; i.e. the propagating model,  
356 defined by tip propagation and segment linkage, characterises the initial, rapid and  
357 transient part of the lifespan of most faults, when its growth is dominated by  
358 lengthening, whereas the constant-length model characterises the latter part of the  
359 faults’ evolution, when growth is dominated by displacement accrual (also see Nicol  
360 et al., 2016; Nixon et al., 2016; Finch and Gawthorpe 2017; Jackson et al., 2017;  
361 Rotevatn et al., 2018). Importantly, the constant-length model appears to be overall  
362 most applicable in the sense that a stage length of establishment is followed by a stage  
363 of displacement accrual without further fault lengthening. Our data uncover great  
364 variability in the fault D-L gradient paths during the initial lengthening stage; such  
365 variability has previously not been shown as previous studies have plotted D-L data in  
366 only log-log space.

367 We thus conclude that normal faults are generally characterized by hybrid growth  
368 behaviours whereby a rapid stage of fault propagation, linkage, and lengthening  
369 (Stage 1; lengthening stage) is followed by a stage of constant-length displacement  
370 accrual (Stage 2; displacement accrual stage); the two stages are generally separated  
371 by a relatively abrupt inflection on the D-L curve (Fig. 6). Importantly, the  
372 lengthening stage may also involve displacement accrual, and the gradient of the

373 growth path during this stage may range from sub-vertical ('constant-length'-type  
374 gradient; trajectory 'a' in Fig. 6) to sub-horizontal ('propagating'-type gradient;  
375 trajectory 'e' in Fig. 6). The detailed growth behaviours seen in the first stage is most  
376 adequately captured by the propagating model, in that it involves tip propagation,  
377 segment linkage, overall fault lengthening and a variable amount of displacement  
378 accrual. The second stage is characterized by displacement accrual and limited fault  
379 lengthening. The D-L trajectory during this growth stage is typically sub-vertical,  
380 which is characteristic of growth according to the constant-length model (Meyer et al.,  
381 2002; Walsh et al., 2002). Fault behaviours demonstrated herein, whereby  
382 propagating and constant-length fault growth characterize successive stages of fault  
383 evolution, are identified in previous studies (Cowie 1998; Walsh et al., 2002; Jackson  
384 and Rotevatn 2013; Horne 2016; Nicol et al., 2016; Finch and Gawthorpe 2017;  
385 Rotevatn et al., 2018), although the lengthening stage remains to be more widely  
386 elucidated from natural examples.

387 The duration of each stage presented above remains uncertain. Normal faults  
388 analysed by Walsh et al. (2002) and Jackson et al. (2017) established their near-final  
389 lengths within 20-33% of their slip history; similarly, the majority of experimental  
390 faults in Schlagenhauf et al. (2008) grew to near-final lengths within c. 30% of their  
391 model durations. We therefore tentatively conclude that, irrespective of their final  
392 size, faults typically spend 20-30% of their lifespan in the lengthening stage (Stage 1),  
393 before accruing displacement for the remainder of their slip histories (Stage 2).  
394 Similar behaviours are seen in experimental strike-slip fault systems, where  
395 establishment of distributed faulting along the full final-length of the slip zone is near-  
396 instant, whereas the formation and slip localization onto a fully through-going fault  
397 occurs at c. 30-35% of total fault duration (Hatem et al., 2017).

398 A critical research task to deepen our understanding of normal fault growth lies in  
399 undertaking more displacement backstripping studies of seismically imaged growth  
400 faults in order to investigate faults' D-L trajectories through time. Furthermore, new  
401 insight may be gained from reassessing the global D-L dataset to sort, examine, and  
402 analyse these data based on variables such as tectonic setting, strain rate, and host  
403 lithology; this may help us further elucidate setting-specific factors controlling fault  
404 behaviour.

405 A key future research challenge related to the growth of normal faults is to better  
406 document the initial lengthening stage described above. Insights may be gained by

407 integrating high-resolution geophysical imaging techniques (e.g. reflection, sparker,  
408 pinger, boomer, and chirp profiling), which allow mapping of fault structure and  
409 associated growth strata, and borehole data, which may constrain the age of the  
410 growth strata and thus the timescale of fault development (e.g., Taylor et al., 2004;  
411 Nicol et al., 2005). Note that, in some active rifts, such as the Gulf of Corinth, Greece  
412 (e.g., Nixon et al., 2016; Bell et al., 2017; Gawthorpe et al., 2017), basin underfilling  
413 represents a drawback to the investigation of normal fault growth based on the  
414 analysis of growth strata (see discussion by Jackson et al. 2017).

415 Despite our tentative conclusion that the lengthening stage typically endures for  
416 20-30% of fault lifespan, the duration remains uncertain, and more research is needed  
417 to fully understand what the notion of ‘rapid’ lengthening (e.g., Walsh et al., 2002)  
418 really entails. We speculate that the significant variability of D-L trajectories  
419 demonstrated for the lengthening stage (Stage 1) may translate to a similar variability  
420 in its duration. We further suggest that investigations into the (relative) duration of the  
421 lengthening stage should encompass the full spectrum of fault sizes in nature and  
422 experiments, to rigorously test whether duration is linked to fault size, despite the fact  
423 that we herein have tentatively concluded that it is not.

424

#### 425 **Acknowledgements**

426 The geology department at the University of Otago, New Zealand, is thanked for  
427 hosting the first author for a research sabbatical, during which time this paper was  
428 written. We are grateful for well-considered, constructive, and elaborate comments  
429 from journal reviewers Nancye Dawers and Tom Manzocchi, which helped clarify  
430 and improve the final version of this paper. The authors would also like to thank  
431 colleagues who commented on a preprint version of this paper. We are particularly  
432 grateful to Michele Cooke for her insightful review of the preprint, and for  
433 enlightening Twitter discussions on fault growth.

434

435

#### 436 **FIGURE TEXT CAPTIONS:**

437

438 **Figure 1.** Conceptual models for the development of surface-breaching, syn-  
439 sedimentary normal fault systems: (a) the propagating fault model (Walsh and  
440 Watterson 1988; Cartwright et al., 1995; Dawers and Anders 1995; Huggins et al.,

441 1995); and (b) the constant-length fault model (Childs et al., 1995; Walsh et al., 2002;  
 442 Walsh et al., 2003; Giba et al., 2012). The (i) plan-view, (ii) strike-projection and (iii)  
 443 displacement–length (D–L) plots are shown to illustrate the key geometrical and  
 444 evolutionary aspects of each model. The black arrows in (ii) show the fault level of  
 445 the map shown in (i). F1-3, faults 1–3; T1-3, time-steps 1–3. Note that, based on the  
 446 final fault length (i.e. T3 in i), shape (i.e. T3 in ii) and throw distribution (i.e. T3 in  
 447 iii), it is difficult to determine which growth model best describes its evolution. (c)  
 448 Schematic D-L plots through fault life according to the propagating fault model; time  
 449 steps correspond to those shown in (a). (c) Schematic D-L plots through fault life  
 450 according to the constant-length fault model; time steps correspond to those shown in  
 451 (b). (a) and (b) are from Jackson et al. (2017); (c) and (d) are modified from Nicol et  
 452 al. (2016).

453

454 **Figure 2.** Normalized maximum displacement (D) versus normalized fault length (L)  
 455 plots through fault life for a series of faults. (A) shows data from all faults studied  
 456 herein, whereas (B), (C), and (D) show selections of the data. The data includes  
 457 natural faults from Tvedt et al. (2013, 2016), Tvedt (2016), Meyer et al. (2002), faults  
 458 from plaster experiments by Blækkan (2016) and faults from sandbox experiments by  
 459 Schlagenhauf et al. (2008). Note that the data from Meyer et al. (2002) carries some  
 460 uncertainty as the data were manually extracted from the log-log D-L plots in that  
 461 paper. Inset (i) shows D-L graphs for select faults that exhibit sympathetic D-L  
 462 growth, i.e. propagating fault growth. Inset (ii) shows D-L graphs from select faults  
 463 that show clearly separate low-gradient and high-gradient parts, separated by clear  
 464 inflection points. (B) shows data from natural faults extracted from Tvedt (2016) and  
 465 Tvedt et al. (2013, 2016). (C) shows data from faults produced in physical analogue  
 466 models from Schlagenhauf et al. (2008) and Blækkan (2016). (D) shows the data  
 467 extracted from Meyer et al. (2002); note however that we have added  $(x, y) = (0, 0)$  to  
 468 all the D-L curves, in order to illustrate that each of the vertical D-L graphs in Meyer  
 469 et al. (2002) have an additional unrecorded and unknown growth stage that is  
 470 illustrated by dashed lines. See text for full discussion.

471

472 **Figure 3.** Plaster experiment of normal fault evolution. Four timesteps, T1 through T4  
 473 at 5-second intervals, are shown. Timestep T1 is the experiment at the onset of  
 474 extension. To the right, displacement-length plots for the fault evolving in the

475 experiment are shown for timesteps T2 (green), T3 (blue) and T4 (red). Note that the  
 476 fault seen in T2 already at that stage has established itself across the extent of the  
 477 model. See Figure 4 for four additional, shorter, 0.5-second timesteps immediately  
 478 prior to timestep T2, which show the lengthening stage of the fault.

479

480 **Figure 4.** Plaster experiment of normal fault evolution; 4 timesteps are shown at 0.5  
 481 second intervals; T1a through T1d. These timesteps cover the 2 seconds leading up to  
 482 timestep T2 in Figure 3; see Figure 3 caption for further explanation.

483

484 **Figure 5.** Global D-L dataset (grey data points) for faults plotted in log-log space (D-  
 485 L data extracted from Krantz 1988; Gudmundsson and Bäckström 1991; Cowie and  
 486 Scholz 1992a, and references therein; Dawers et al., 1993; Cartwright et al., 1995;  
 487 Schlische et al., 1996; Schultz and Fossen 2002). The D-L paths shown in Figure 2 of  
 488 this study are also shown. Note most of the different D-L paths from this study plot  
 489 within the global dataset, despite that these growth paths show a wide range of  
 490 behaviours (see text for full discussion). This demonstrates that the global correlation  
 491 of D and L cannot be invoked to support ‘propagating’ fault growth, since ‘constant-  
 492 length’ and hybrid growth patterns are all fully consistent with, and may hide within,  
 493 the global D-L database as shown here.

494

495 **Figure 6.** Schematic illustration showing idealized D-L growth trajectories of the end  
 496 member ‘propagating’ (green) and ‘constant-length’ (blue) fault models, as well as a  
 497 series of hybrid fault growth trajectories (black). As shown in this paper, few faults  
 498 follow the propagating or constant-length trajectories; most faults follow D-L growth  
 499 paths that fall between the end-member models and are characterized by two stages.  
 500 The first stage is characterized by rapid fault lengthening and a variable amount of  
 501 displacement accrual, and is best described by the propagating model since it is  
 502 associated with lengthening achieved by tip propagation, relay formation and  
 503 breakdown, segment linkage and amalgamation to ultimately establish near-full fault  
 504 lengths at the end of Stage 1. The second stage (Stage 2), is best described as  
 505 ‘constant-length’ fault behaviour, i.e. displacement accrual without significant tip  
 506 propagation or further fault lengthening. The fault growth trajectory in D-L space  
 507 during Stage 1 of the fault growth varies significantly, from sub-horizontal coherent-  
 508 like trajectories with limited displacement accrual (graph a), to steep and propagating-

509 like trajectories with significant displacement accrual during Stage 1 (graph e). See  
510 text for full discussion.

511

512

513 **REFERENCES**

514

515 Ackermann, R. V., Schlische, R. W. & Withjack, M. O. 2001. The geometric and  
516 statistical evolution of normal fault systems: an experimental study of the effects of  
517 mechanical layer thickness on scaling laws. *Journal of Structural Geology* **23**(11),  
518 1803-1819.

519 Acocella, V., Morvillo, P. & Funicello, R. 2005. What controls relay ramps and  
520 transfer faults within rift zones? Insights from analogue models. *Journal of Structural*  
521 *Geology* **27**(3), 397-408.

522 Bastesen, E. & Rotevatn, A. 2012. Evolution and structural style of relay zones in  
523 layered limestone–shale sequences: insights from the Hammam Faraun Fault Block,  
524 Suez rift, Egypt. *Journal of the Geological Society* **169**(4), 477-488.

525 Baudon, C. & Cartwright, J. A. 2008. 3D seismic characterisation of an array of blind  
526 normal faults in the Levant Basin, Eastern Mediterranean. *Journal of Structural*  
527 *Geology* **30**(6), 746-760.

528 Bell, R. E., Duclaux, G., Nixon, C. W., Gawthorpe, R. L. & McNeill, L. C. 2017.  
529 High-angle, not low-angle, normal faults dominate early rift extension in the Corinth  
530 Rift, central Greece. *Geology*.

531 Bellahsen, N. & Daniel, J. M. 2005. Fault reactivation control on normal fault growth:  
532 an experimental study. *Journal of Structural Geology* **27**(4), 769-780.

533 Bergen, K. J. & Shaw, J. H. 2010. Displacement profiles and displacement-length  
534 scaling relationships of thrust faults constrained by seismic-reflection data.  
535 *Geological Society of America Bulletin* **122**(7-8), 1209-1219.

536 Blækkan, I. 2016. Evolution of normal faults and fault-related damage: insights from  
537 physical experiments. Unpublished MSc thesis, University of Bergen, Norway,  
538 <http://hdl.handle.net/1956/12671>.

539 Cartwright, J. A., Mansfield, C. S. & Trudgill, B. D. 1996. Fault growth by segment  
540 linkage. In: *Modern developments in structural interpretations* (edited by Buchanan,  
541 P. C. & Nieuwland, D. A.). *Geological Society, London, Special Publications* **99**,  
542 163-177.

543 Cartwright, J. A., Trudgill, B. D. & Mansfield, C. S. 1995. Fault growth by segment  
544 linkage: an explanation for scatter in maximum displacement and trace length data  
545 from the Canyonlands Grabens of SE Utah. *Journal of Structural Geology* **17**, 1319-  
546 1326.



- 547 Childs, C., Holdsworth, R. E., Jackson, C. A. L., Manzocchi, T., Walsh, J. J. &  
548 Yielding, G. 2017. Introduction to the geometry and growth of normal faults.  
549 *Geological Society, London, Special Publications*, SP439.23.
- 550 Childs, C., Watterson, J. & Walsh, J. J. 1995. Fault overlap zones within developing  
551 normal fault systems. *Journal of the Geological Society, London* **152**, 535-549.
- 552 Cladouhos, T. T. & Marrett, R. 1996. Are fault growth and linkage models consistent  
553 with power-law distributions of fault lengths? *Journal of Structural Geology* **18**(2-3),  
554 281-293.
- 555 Clifton, A. E. & Schlische, R. W. 2001. Nucleation, growth, and linkage of faults in  
556 oblique rift zones: Results from experimental clay models and implications for  
557 maximum fault size. *Geology* **29**(5), 455-458.
- 558 Commins, D., Gupta, S. & Cartwright, J. 2005. Deformed streams reveal growth and  
559 linkage of a normal fault array in the Canyonlands graben, Utah. *Geology* **33**(8), 645-  
560 648.
- 561 Cowie, P. 1998. A healing–reloading feedback control on the growth rate of  
562 seismogenic faults. *Journal of Structural Geology* **20**(8), 1075-1087.
- 563 Cowie, P. A., Gupta, S. & Dawers, N. H. 2000. Implications of fault array evolution  
564 for synrift depocentre development: insights from a numerical fault growth model.  
565 *Basin Research* **12**(3-4), 241-261.
- 566 Cowie, P. A. & Scholz, C. H. 1992a. Displacement-length scaling relationship for  
567 faults: data synthesis and discussion. *Journal of Structural Geology* **14**(10), 1149-  
568 1156.
- 569 Cowie, P. A. & Scholz, C. H. 1992b. Physical explanation for the displacement-length  
570 relationship of faults, using a post-yield fracture mechanics model. *Journal of*  
571 *Structural Geology* **14**, 1133-1148.
- 572 Crider, J. G. & Pollard, D. D. 1998. Fault linkage: Three-dimensional mechanical  
573 interaction between echelon normal faults. *J. Geophys. Res.* **103**(B10), 24373-24391.
- 574 Davis, G. H., Reynolds, S. J. & Kluth, C. F. 2011. *Structural geology of rocks and*  
575 *regions*. John Wiley & Sons.
- 576 Dawers, N. H. & Anders, M. H. 1995. Displacement-length scaling and fault linkage.  
577 *Journal of Structural Geology* **17**(5), 607-614.
- 578 Dawers, N. H., Anders, M. H. & Scholz, C. H. 1993. Growth of normal faults:  
579 Displacement-length scaling. *Geology* **21**(12), 1107-1110.
- 580 Dawers, N. H. & Underhill, J. R. 2000. The role of fault interaction and linkage in  
581 controlling synrift stratigraphic sequences: late Jurassic, Statfjord East Area, northern  
582 North Sea. *AAPG Bulletin* **84**, 45-64.

- 583 Finch, E. & Gawthorpe, R. 2017. Growth and interaction of normal faults and fault  
 584 network evolution in rifts: insights from three-dimensional discrete element  
 585 modelling. *Geological Society, London, Special Publications* **439**(1), 219-248.
- 586 Fossen, H. 2016. *Structural geology*. Cambridge University Press.
- 587 Fossen, H. & Rotevatn, A. 2016. Fault linkage and relay structures in extensional  
 588 settings—A review. *Earth-Science Reviews* **154**, 14-28.
- 589 Gawthorpe, R., Leeder, M., Kranis, H., Skourtsos, E., Andrews, J., Henstra, G., Mack,  
 590 G., Muravchik, M., Turner, J. & Stamatakis, M. 2017. Tectono-sedimentary evolution  
 591 of the Plio-Pleistocene Corinth rift, Greece. *Basin Research*.
- 592 Gawthorpe, R. L., Jackson, C. A. L., Young, M. J., Sharp, I. R., Moustafa, A. R. &  
 593 Leppard, C. W. 2003. Normal fault growth, displacement localisation and the  
 594 evolution of normal fault populations: the Hammam Faraun fault block, Suez rift,  
 595 Egypt. *Journal of Structural Geology* **25**(6), 883-895.
- 596 Gawthorpe, R. L. & Leeder, M. R. 2000. Tectono-sedimentary evolution of active  
 597 extensional basins. *Basin Research* **12**, 195-218.
- 598 Ge, Z., Nemeč, W., Gawthorpe, R. L., Rotevatn, A. & Hansen, E. W. M. 2017.  
 599 Response of unconfined turbidity current to relay-ramp topography: insights from  
 600 process-based numerical modelling. *Basin Research*, n/a-n/a.
- 601 Giba, M., Walsh, J. & Nicol, A. 2012. Segmentation and growth of an obliquely  
 602 reactivated normal fault. *Journal of Structural Geology* **39**, 253-267.
- 603 Gudmundsson, A. & Bäckström, K. 1991. Structure and development of the Sveinagja  
 604 graben, northeast Iceland. *Tectonophysics* **200**(1-3), 111-125.
- 605 Gupta, A. & Scholz, C. H. 2000. A model of normal fault interaction based on  
 606 observations and theory. *Journal of Structural Geology* **22**(7), 865-879.
- 607 Gupta, S., Cowie, P. A., Dawers, N. H. & Underhill, J. R. 1998. A mechanism to  
 608 explain rift-basin subsidence and stratigraphic patterns through fault-array evolution.  
 609 *Geology* **26**(7), 595-598.
- 610 Hatem, A. E., Cooke, M. L. & Toeneboehn, K. 2017. Strain localization and evolving  
 611 kinematic efficiency of initiating strike-slip faults within wet kaolin experiments.  
 612 *Journal of Structural Geology* **101**, 96-108.
- 613 Hemelsdaël, R. & Ford, M. 2016. Relay zone evolution: a history of repeated fault  
 614 propagation and linkage, central Corinth rift, Greece. *Basin Research* **28**(1), 34-56.
- 615 Henstra, G. A., Gawthorpe, R. L., Helland-Hansen, W., Ravnås, R. & Rotevatn, A.  
 616 2017. Depositional systems in multiphase rifts: seismic case study from the Lofoten  
 617 margin, Norway. *Basin Research* **29**(4), 447-469.
- 618 Henstra, G. A., Rotevatn, A., Gawthorpe, R. L. & Ravnås, R. 2015. Evolution of a  
 619 major segmented normal fault during multiphase rifting: The origin of plan-view  
 620 zigzag geometry. *Journal of Structural Geology* **74**, 45-63.

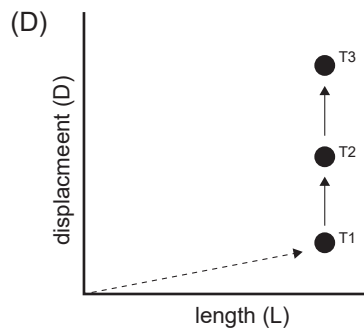
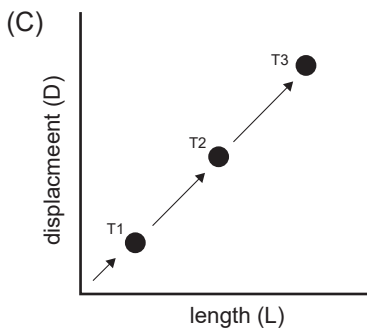
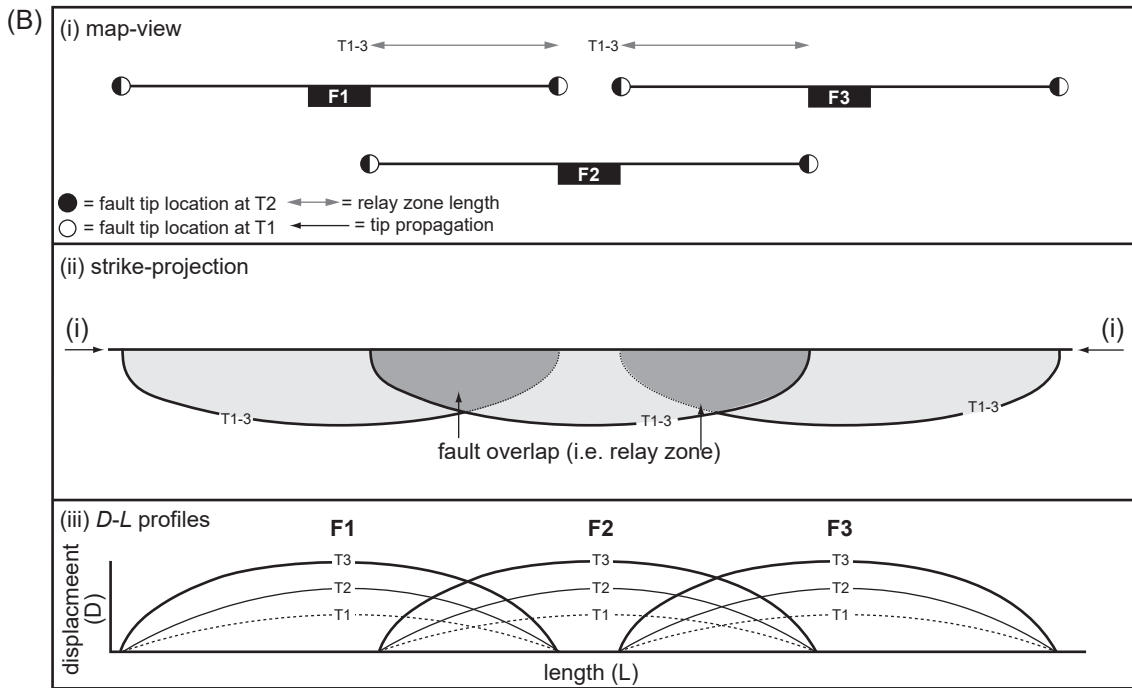
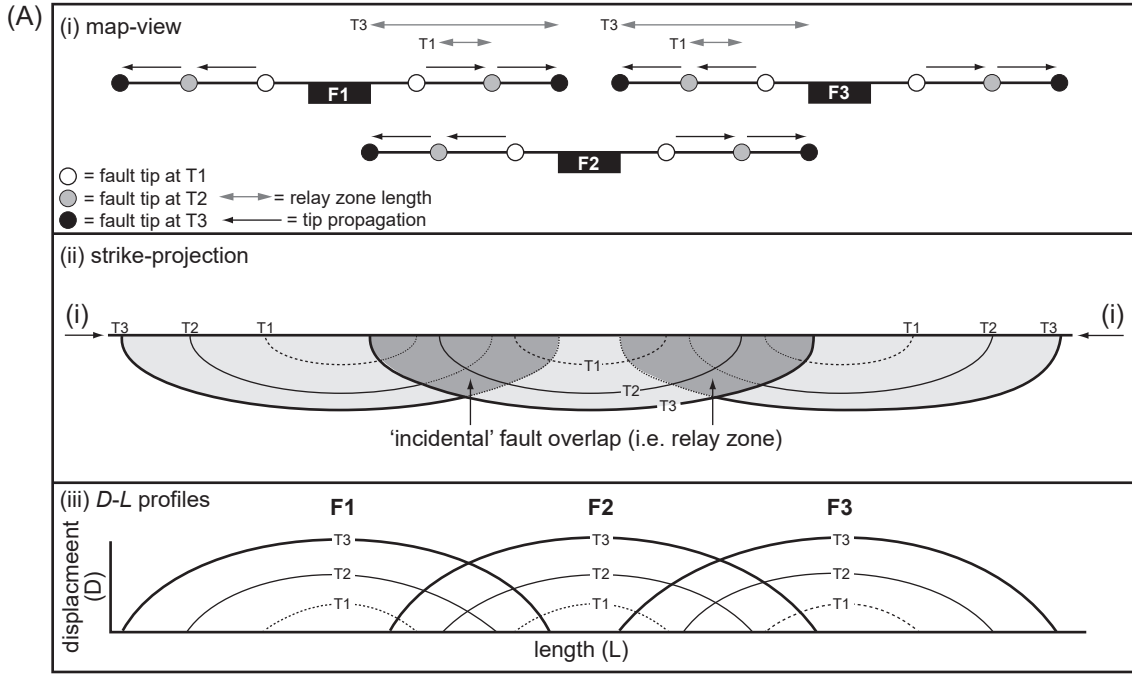
- 621 Horne, E. 2016. Kinematics and growth of supra-salt fault systems: A field and  
 622 subsurface analysis, Salt Valley Salt Wall, Paradox Basin, Utah. Unpublished MSc  
 623 thesis, Colorado School of Mines.
- 624 Huggins, P., Watterson, J., Walsh, J. & Childs, C. 1995. Relay zone geometry and  
 625 displacement transfer between normal faults recorded in coal-mine plans. *Journal of*  
 626 *Structural Geology* **17**(12), 1741-1755.
- 627 Hus, R., De Batist, M., Klerkx, J. & Matton, C. 2006. Fault linkage in continental  
 628 rifts: structure and evolution of a large relay ramp in Zavarotny; Lake Baikal (Russia).  
 629 *Journal of Structural Geology* **28**, 1338-1351.
- 630 Jackson, C. A.-L., Bell, R. E., Rotevatn, A. & Tvedt, A. B. M. 2017. Techniques to  
 631 determine the kinematics of synsedimentary normal faults and implications for fault  
 632 growth models. *Geological Society, London, Special Publications* **439**.
- 633 Jackson, C. A.-L., Gawthorpe, R. L. & Sharp, I. R. 2002. Growth and linkage of the  
 634 East Tanka fault zone, Suez rift: structural style and syn-rift stratigraphic response.  
 635 *Journal of the Geological Society* **159**(2), 175-187.
- 636 Jackson, C. A. L. & Rotevatn, A. 2013. 3D seismic analysis of the structure and  
 637 evolution of a salt-influenced normal fault zone: A test of competing fault growth  
 638 models. *Journal of Structural Geology* **54**, 215-234.
- 639 Kim, Y.-S. & Sanderson, D. J. 2005. The relationship between displacement and  
 640 length of faults: a review. *Earth-Science Reviews* **68**(3-4), 317-334.
- 641 Krantz, R. W. 1988. The odd-axis model: orthorombic fault patterns and three-  
 642 dimensional strain fields. Unpublished PhD thesis, University of Arizona.
- 643 Mansfield, C. S. & Cartwright, J. A. 2001. Fault growth by linkage: observations and  
 644 implications from analogue models. *Journal of Structural Geology* **23**, 745-763.
- 645 Marchal, D., Guiraud, M., Rives, T. & van den Driessche, J. 1998. Space and time  
 646 propagation processes of normal faults. *Geological Society, London, Special*  
 647 *Publications* **147**(1), 51-70.
- 648 Marrett, R. & Allmendinger, R. W. 1990. Kinematic analysis of fault-slip data.  
 649 *Journal of structural geology* **12**(8), 973-986.
- 650 Marrett, R. & Allmendinger, R. W. 1991. Estimates of strain due to brittle faulting:  
 651 sampling of fault populations. *Journal of Structural Geology* **13**(6), 735-738.
- 652 Marrett, R. & Allmendinger, R. W. 1992. Amount of extension on "small" faults: An  
 653 example from the Viking graben. *Geology* **20**(1), 47-50.
- 654 McClay, K. & White, M. 1995. Analogue modelling of orthogonal and oblique rifting.  
 655 *Marine and Petroleum Geology* **12**(2), 137-151.
- 656 McClay, K. R. 1990. Extensional fault systems in sedimentary basins: a review of  
 657 analogue model studies. *Marine and Petroleum Geology* **7**(3), 206-233.

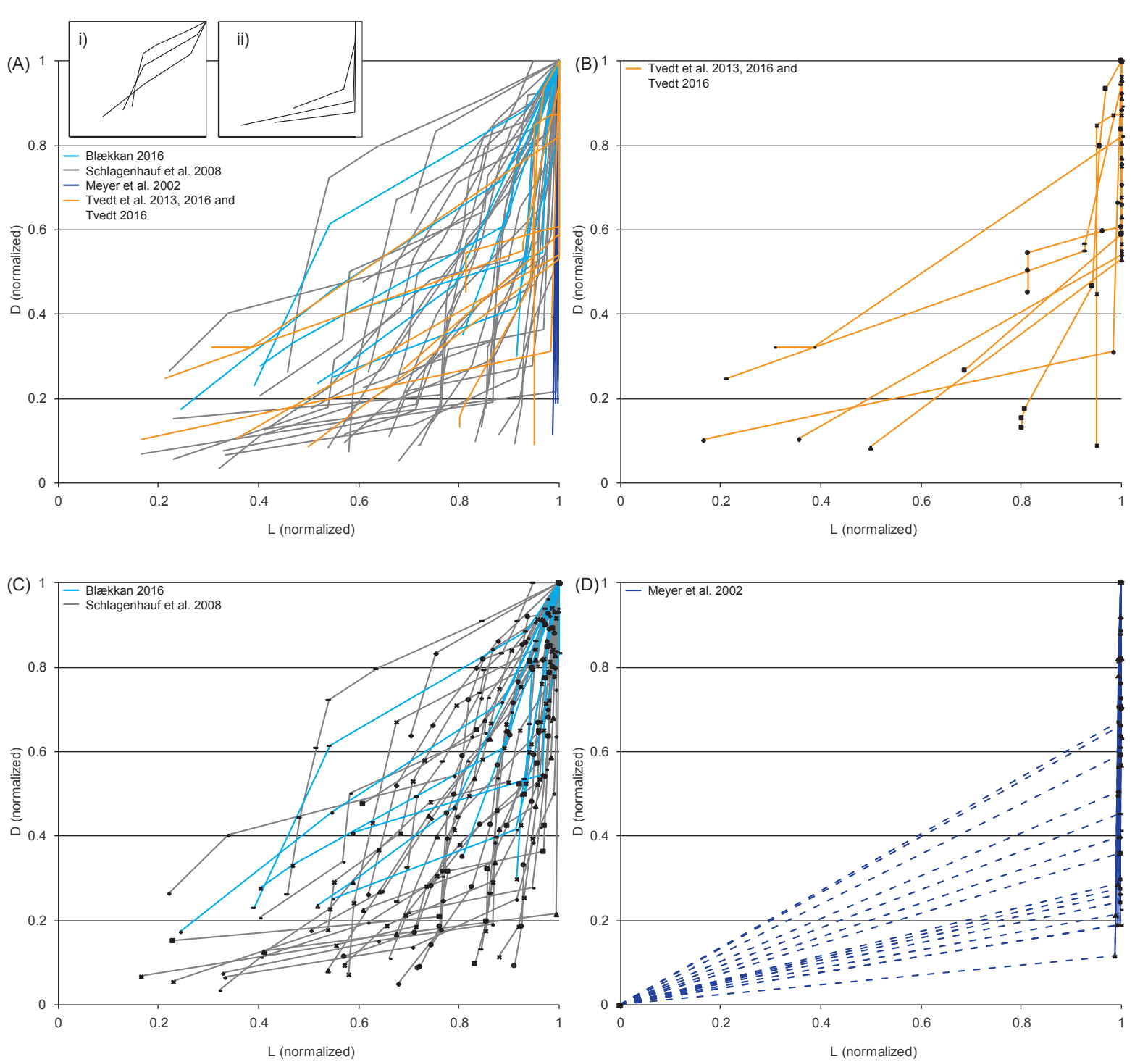
- 658 McGill, G. E., Schultz, R. A. & Moore, J. M. 2000. Fault growth by segment linkage:  
 659 an explanation for scatter in maximum displacement and trace length data from the  
 660 Canyonlands grabens of SE Utah: Discussion. *Journal of Structural Geology* **22**, 135-  
 661 140.
- 662 McLeod, A. E., Dawers, N. H. & Underhill, J. R. 2000. The propagation and linkage  
 663 of normal faults: insights from the Strathspey-Brent-Statfjord fault array, northern  
 664 North Sea. *Basin Research* **12**, 263-284.
- 665 Meyer, V., Nicol, A., Childs, C., Walsh, J. & Watterson, J. 2002. Progressive  
 666 localisation of strain during the evolution of a normal fault population. *Journal of*  
 667 *Structural Geology* **24**(8), 1215-1231.
- 668 Morewood, N. C. & Roberts, G. P. 1999. Lateral propagation of the surface trace of  
 669 the South Alkyonides normal fault segment, central Greece: its impact on models of  
 670 fault growth and displacement–length relationships. *Journal of Structural Geology*  
 671 **21**(6), 635-652.
- 672 Morley, C., Nelson, R., Patton, T. & Munn, S. 1990. Transfer zones in the East  
 673 African rift system and their relevance to hydrocarbon exploration in rifts (1). *AAPG*  
 674 *Bulletin* **74**(8), 1234-1253.
- 675 Nicol, A., Childs, C., Walsh, J. J., Manzocchi, T. & Schöpfer, M. P. J. 2016.  
 676 Interactions and growth of faults in an outcrop-scale system. *Geological Society,*  
 677 *London, Special Publications* **439**.
- 678 Nicol, A., Walsh, J., Berryman, K. & Nodder, S. 2005. Growth of a normal fault by  
 679 the accumulation of slip over millions of years. *Journal of Structural Geology* **27**(2),  
 680 327-342.
- 681 Nicol, A., Walsh, J. J., Villamor, P., Seebeck, H. & Berryman, K. R. 2010. Normal  
 682 fault interactions, paleoearthquakes and growth in an active rift. *Journal of Structural*  
 683 *Geology* **32**(8), 1101-1113.
- 684 Nixon, C. W., McNeill, L. C., Bull, J. M., Bell, R. E., Gawthorpe, R. L., Henstock, T.  
 685 J., Christodoulou, D., Ford, M., Taylor, B. & Sakellariou, D. 2016. Rapid  
 686 spatiotemporal variations in rift structure during development of the Corinth Rift,  
 687 central Greece. *Tectonics* **35**(5), 1225-1248.
- 688 Peacock, D., Nixon, C., Rotevatn, A., Sanderson, D. & Zuluaga, L. 2017. Interacting  
 689 faults. *Journal of Structural Geology* **97**, 1-22.
- 690 Peacock, D. & Sanderson, D. 1996. Effects of propagation rate on displacement  
 691 variations along faults. *Journal of Structural Geology* **18**(2-3), 311-320.
- 692 Peacock, D. C. P. & Sanderson, D. J. 1991. Displacements, segment linkage and relay  
 693 ramps in normal fault zones. *Journal of Structural Geology* **13**, 721-733.
- 694 Peacock, D. C. P. & Sanderson, D. J. 1994. Geometry and development of relay  
 695 ramps in normal fault systems. *AAPG Bulletin* **78**, 147-165.

- 696 Rotevatn, A. & Fossen, H. 2012. Soft faults with hard tips: magnitude-order  
697 displacement gradient variations controlled by strain softening versus hardening;  
698 implications for fault scaling. *Journal of the Geological Society* **169**(2), 123-126.
- 699 Rotevatn, A., Kristensen, T. B., Ksienzyk, A. K., Wemmer, K., Henstra, G. A.,  
700 Midtkandal, I., Grundvåg, S. A. & Andresen, A. 2018. Structural Inheritance and  
701 Rapid Rift-Length Establishment in a Multiphase Rift: The East Greenland Rift  
702 System and its Caledonian Orogenic Ancestry. *Tectonics* **37**.
- 703 Rykkelid, E. & Fossen, H. 2002. Layer rotation around vertical fault overlap zones:  
704 observations from seismic data, field examples and physical experiment. *Marine and*  
705 *Petroleum Geology* **19**, 181-192.
- 706 Schlagenhauf, A., Manighetti, I., Malavieille, J. & Dominguez, S. 2008. Incremental  
707 growth of normal faults: Insights from a laser-equipped analog experiment. *Earth and*  
708 *Planetary Science Letters* **273**(3), 299-311.
- 709 Schlische, R. W., Young, S. S., Ackermann, R. V. & Gupta, A. 1996. Geometry and  
710 scaling relations of a population of very small rift-related normal faults. *Geology*  
711 **24**(8), 683-686.
- 712 Schultz, R. A. & Fossen, H. 2002. Displacement-length scaling in three dimensions:  
713 the importance of aspect ratio and application to deformation bands. *Journal of*  
714 *Structural Geology* **24**, 1389-1411.
- 715 Schultz, R. A., Soliva, R., Fossen, H., Okubo, C. H. & Reeves, D. M. 2008.  
716 Dependence of displacement-length scaling relations for fractures and deformation  
717 bands on the volumetric changes across them. *Journal of Structural Geology* **30**(11),  
718 1405-1411.
- 719 Soliva, R. & Benedicto, A. 2004. A linkage criterion for segmented normal faults.  
720 *Journal of Structural Geology* **26**(12), 2251-2267.
- 721 Soliva, R., Benedicto, A., Schultz, R. A., Maerten, L. & Micarelli, L. 2008.  
722 Displacement and interaction of normal fault segments branched at depth:  
723 Implications for fault growth and potential earthquake rupture size. *Journal of*  
724 *Structural Geology* **30**(10), 1288-1299.
- 725 Taylor, S. K., Bull, J. M., Lamarche, G. & Barnes, P. M. 2004. Normal fault growth  
726 and linkage in the Whakatane Graben, New Zealand, during the last 1.3 Myr. *Journal*  
727 *of Geophysical Research: Solid Earth* **109**(B2).
- 728 Torabi, A. & Berg, S. S. 2011. Scaling of fault attributes: A review. *Marine and*  
729 *Petroleum Geology* **28**(8), 1444-1460.
- 730 Trudgill, B. D. & Cartwright, J. A. 1994. Relay ramp forms and normal fault linkages,  
731 Canyonlands National Park, Utah. *GSA Bulletin* **106**, 1143-1157.
- 732 Tvedt, A. B. M. 2016. The geometry and evolution of supra-salt normal fault arrays.  
733 Unpublished PhD thesis thesis, University of Bergen, Norway.

- 734 Tvedt, A. B. M., Rotevatn, A. & Jackson, C. A. L. 2016. Supra-salt normal fault  
735 growth during the rise and fall of a diapir: Perspectives from 3D seismic reflection  
736 data, Norwegian North Sea. *Journal of Structural Geology* **91**, 1-26.
- 737 Tvedt, A. B. M., Rotevatn, A., Jackson, C. A. L., Fossen, H. & Gawthorpe, R. L.  
738 2013. Growth of normal faults in multilayer sequences: A 3D seismic case study from  
739 the Egersund Basin, Norwegian North Sea. *Journal of Structural Geology* **55**, 1-20.
- 740 Walsh, J. J., Bailey, W. R., Childs, C., Nicol, A. & Bonson, C. G. 2003. Formation of  
741 segmented normal faults: a 3-D perspective. *Journal of Structural Geology* **25**(8),  
742 1251-1262.
- 743 Walsh, J. J., Nicol, A. & Childs, C. 2002. An alternative model for the growth of  
744 faults. *Journal of Structural Geology* **24**(11), 1669-1675.
- 745 Walsh, J. J. & Watterson, J. 1988. Analysis of the relationship between displacements  
746 and dimensions of faults. *Journal of Structural Geology* **10**(3), 239-247.
- 747 Watterson, J. 1986. Fault dimensions, displacements and growth. *Pure and Applied*  
748 *Geophysics* **124**(1-2), 365-373.
- 749 Wells, D. L. & Coppersmith, K. J. 1994. New empirical relationships among  
750 magnitude, rupture length, rupture width, rupture area, and surface displacement.  
751 *Bulletin of the seismological Society of America* **84**(4), 974-1002.
- 752 Wojtal, S. F. 1996. Changes in fault displacement populations correlated to linkage  
753 between faults. *Journal of Structural Geology* **18**(2-3), 265-279.
- 754 Young, M. J., Gawthorpe, R. L. & Sharp, I. R. 2003. Normal fault growth and early  
755 syn-rift sedimentology and sequence stratigraphy: Thal Fault, Suez Rift, Egypt. *Basin*  
756 *Research* **15**(4), 479-502.
- 757

Fig. 1



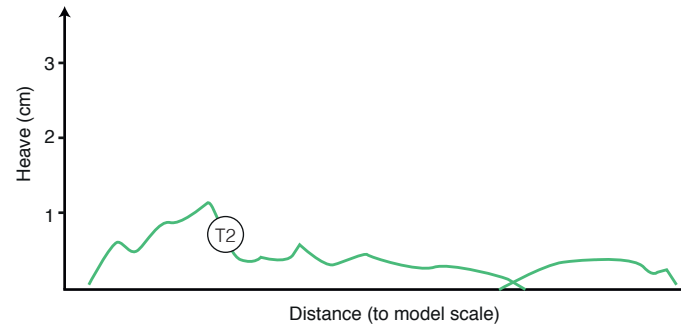
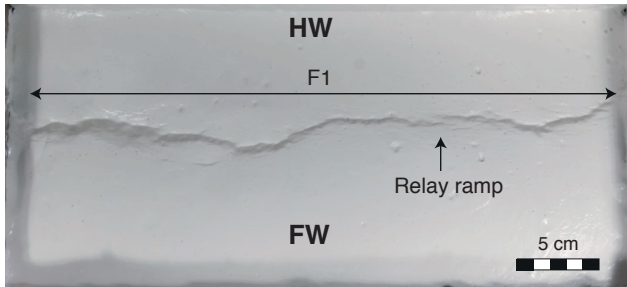




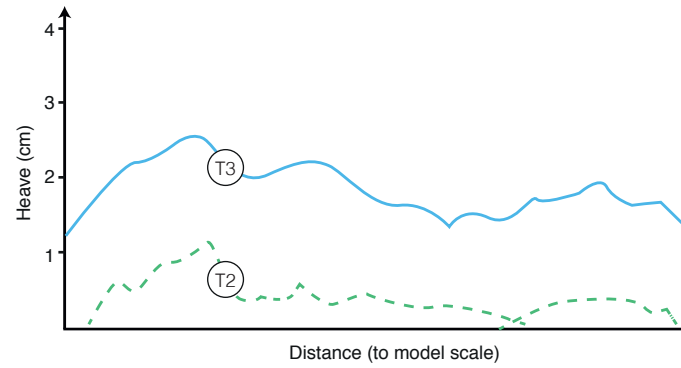
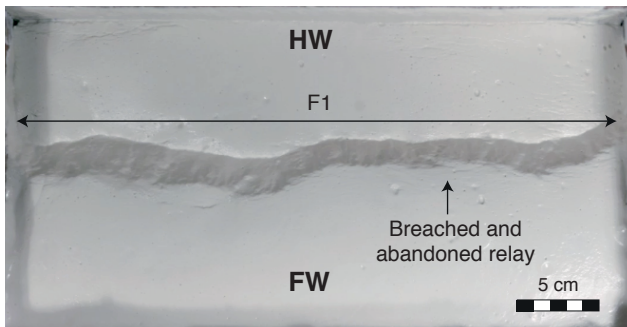
Timestep T1: T=0 sec



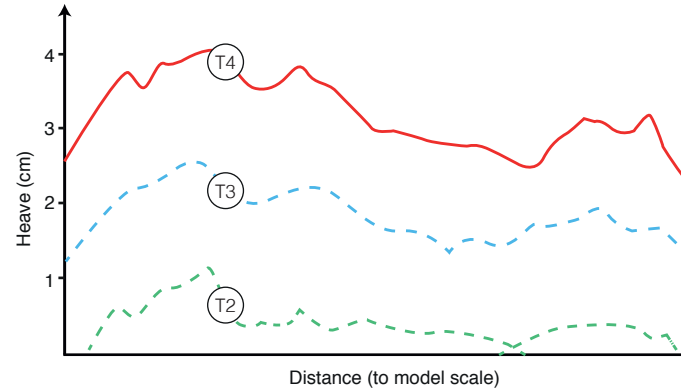
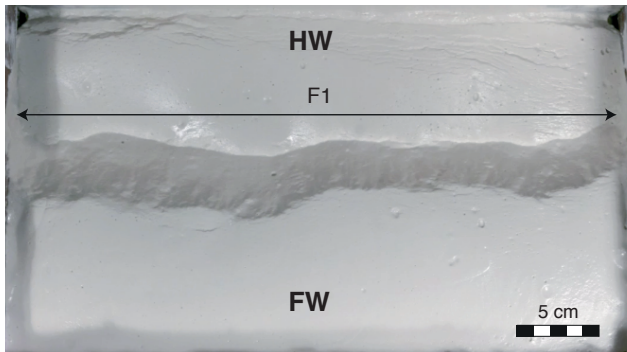
Timestep T2: T=5.0 sec



Timestep T3: T=10.0 sec



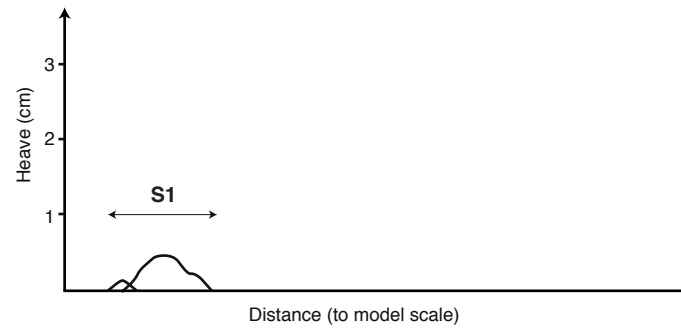
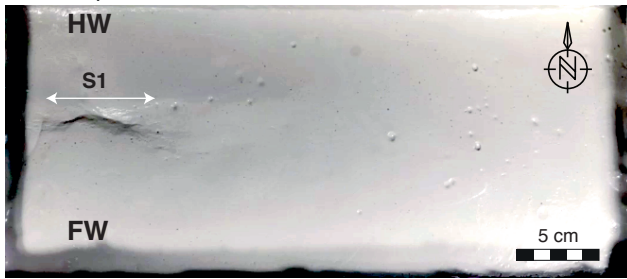
Timestep T4: T=15.0 sec



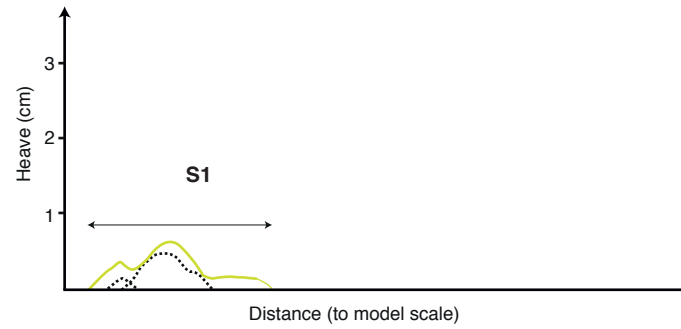
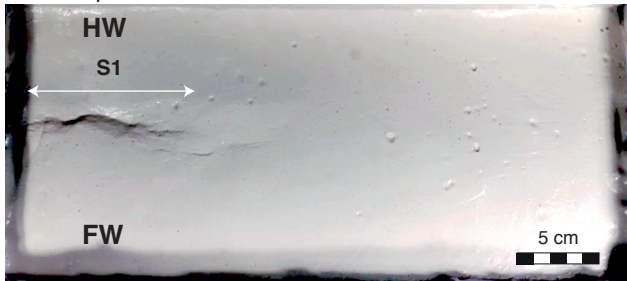
5 second intervals

0.5 second intervals

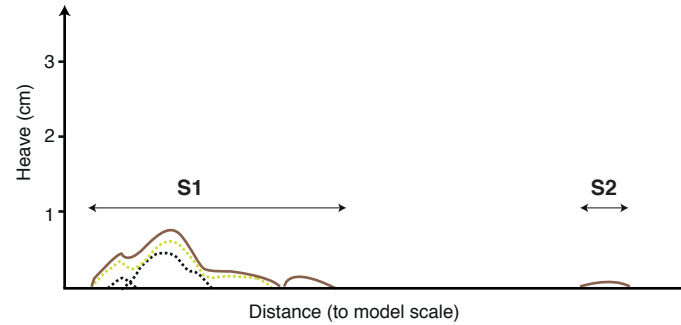
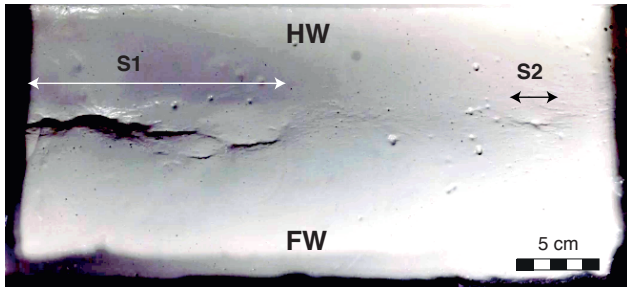
Timestep T1a: T=5.5 sec



Timestep T1b: T=6.0 sec



Timestep T1c: T=6.5 sec



Timestep T1d: T=7.0 sec

