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The importance of ice shelf melt rate distributions in modelling of Antarctic ice loss

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Abstract:	Ocean-induced basal melting of ice shelves is a major cause of Antarctic ice loss. It is well known that the magnitude of this melt is an important factor to consider when modelling the future evolution of the ice sheet, and values of total melt volume or mean melt rates are often quoted for ice shelves. The finer detail of the distribution of this melt is usually given less attention. Here we make the argument for using coupled modelling frameworks such as Úa-FESOM, which employs unstructured triangular meshes in both the ice sheet and ocean components, providing added flexibility in resolving critical areas of ocean circulation and ice flow. We validate our model outputs by assessing correlation with Antarctic-wide observationally derived ice shelf basal melt rates, and a simple depth-based parameterisation of the type used in standalone ice sheet modelling. We show that the distribution of melt - independently of total melt volume - can significantly affect modelled ice flow, and we investigate the role of mesh resolutions in both components. Our results demonstrate the need for setups like Úa-FESOM, showing differences of 10% in the first year of ice sheet responses due to differing melt distributions and model resolutions.



The importance of ice shelf melt rate distributions in modelling of Antarctic ice loss

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ABSTRACT. Ocean-induced basal melting of ice shelves is a major cause of Antarctic ice loss. It is well known that the magnitude of this melt is an important factor to consider when modelling the future evolution of the ice sheet, and values of total melt volume or mean melt rates are often quoted for ice shelves. The finer detail of the distribution of this melt is usually given less attention. Here we make the argument for using coupled modelling frameworks such as Úa-FESOM, which employs unstructured triangular meshes in both the ice sheet and ocean components, providing added flexibility in resolving critical areas of ocean circulation and ice flow. We validate our model outputs by assessing correlation with Antarctic-wide observationally derived ice shelf basal melt rates, and a simple depth-based parameterisation of the type used in standalone ice sheet modelling. We show that the distribution of melt – independently of total melt volume – can significantly affect modelled ice flow, and we investigate the role of mesh resolutions in both components. Our results demonstrate the need for setups like Úa-FESOM, showing differences of 10% in the first year of ice sheet responses due to differing melt distributions and model resolutions.

INTRODUCTION

Basal melting driven by interaction with the ocean is the primary cause of mass loss on two thirds of Antarctica’s ice shelves (Davison and others, 2023), which are sensitive to changing ocean temperatures (Shepherd and others, 2004). It has been argued in certain situations that only the total melt volume is important when calculating sea level contribution (e.g. Joughin and others, 2024), but this is certainly not a general rule. The distribution of melting under ice shelves can have a large impact on the dynamical changes upstream, and thus on the rates at which glaciers contribute to sea level (Walker and others, 2008). It has been shown that melt rate patterns can be as important as the magnitude in determining the modelled response of grounded ice (Gagliardini and others, 2010), and that certain locations around grounding lines and shear margins can be particularly sensitive to basal melt (Goldberg and others, 2019). Therefore, often-quoted mean melt rates over ice shelves do not sufficiently describe the forcing.

The most thorough way to represent basal melt patterns in future projections, and to ensure full interactivity between the ocean and ice sheet in predictive simulations, is by using coupled ice sheet and ocean models. However, the detail these can provide is limited by the resolution at which ocean models – usually running on a uniform rectangular grid – are able to simulate the system while remaining within reasonable limits of computational efficiency. Ice shelf basal melt rates near grounding lines require higher resolution than many ocean models can feasibly provide (McCormack and others, 2023), especially when considering anything larger than a regional-scale study, because melt rates derived from observations can vary at kilometre scales (Dutrieux and others, 2013). In many cases where interactive ice sheets have been coupled to the ocean at a circum-Antarctic or global scale, either the ocean model grid is not sufficiently fine to resolve small outlet glaciers and processes which affect the basal melting of ice shelves (e.g. Smith and others, 2021; Siahaan and others, 2022), or the ice sheet resolution is too coarse to track grounding line movement effectively (e.g. Ackermann and others, 2020; Pelletier and others, 2022).

To address this recognised capability gap in ice sheet-ocean modelling, the ice sheet model *Úa* (Gudmundsson and others, 2012) was paired with the ocean model FESOM (Wang and others, 2014) in a recently developed coupled framework (Richter and others, 2025). In *Úa*-FESOM both the ice sheet and ocean components run on finite-element unstructured meshes, allowing resolution in the ocean to be refined

in areas of interest without having to compute solutions at the same fine resolution across the entire domain. This combination is the first of its kind among current coupled modelling frameworks, and overcomes the resolution limitations of existing setups to simulate a fully interactive global ice sheet-ocean system with sufficient spatial detail in regions of interest.

Here we follow on from the work of Richter and others (2025), in which the coupling process is described and verification carried out with forward simulations on both idealised and circum-Antarctic domains. Using the outputs from the first year of FESOM simulations alongside existing melt rate datasets derived from observations, we validate the melt rates produced by the ocean model for Antarctica. We run further ice sheet model simulations in order to show the importance of melt rate distribution and mesh resolutions, demonstrating why such a coupled setup is advantageous for modelling global systems.

MODELS AND DATASETS

Ocean model – FESOM

We use version 1.4 of the Finite Element Sea ice-Ocean Model (FESOM, Wang and others, 2014). This is a hydrostatic ocean model solving the primitive equations using a finite element method on a triangular mesh, and includes a sea ice component (Danilov and others, 2015). Thermodynamic interaction with the base of ice shelves is included via the three-equation melt parameterisation (Holland and Jenkins, 1999) as in Timmermann and others (2012). It has a history of use in stand-alone and coupled setups (e.g. Timmermann and Goeller, 2017; Naughten and others, 2018; Schourup-Kristensen and others, 2018), and participated in the Coupled Model Intercomparison Project 6 as a component of the Alfred Wegener Institute Climate Model (Semmler and others, 2020).

Ice sheet model – Úa

We use version 2024b of Úa (Gudmundsson, 2024), a finite-element ice sheet model which solves the shallow shelf approximation (MacAyeal, 1989). The model solves the momentum and mass conservation equations in a coupled framework, i.e. by simultaneously solving for changes in velocity and ice thickness. It has been applied to numerous idealised and realistic use cases (e.g. De Rydt and others, 2021; Barnes and Gudmundsson, 2022; Morlighem and others, 2024), is well established in the cryospheric modelling community, and results based on the model have been submitted to various intercomparison projects (e.g.

Cornford and others, 2020; Seroussi and others, 2024).

Melt rates derived from observations

To validate the basal melt rates from the Úa-FESOM coupled model, we have chosen three circum-Antarctic datasets to compare our outputs to.

Adusumilli and others (2020) estimated average basal melt rates for the period 2010-2018 based on satellite radar altimetry from the European Space Agency (ESA) mission CryoSat-2, ice velocities from Gardner and others (2018) and their novel model of variations in surface mass balance and firn density. Melt rates are provided on a regular grid with 500 m resolution.

Davison and others (2023) also use Cryosat-2 data, and estimate basal mass fluxes from 2010-2021 using ITS_LIVE (Gardner and others, 2019) for velocities and RACMO2.3p2 (Van Wessem and others, 2018) for firn density and surface mass balance. Melt rates are provided on a regular grid with 1 km resolution.

Paolo and others (2023) provide melt rates generated from the four ESA satellite radar altimetry missions ERS-1, ERS-2, Envisat, and CryoSat-2, using a novel data fusion approach and the Glacier Energy and Mass Balance model (GEMB, Gardner and others, 2023). We use the mean melt rates provided at a resolution of 1920 m.

These observationally-derived melt rates differ from each other due to varying input data and methodology. They are not a perfect picture of true melt rates, as assumptions have necessarily had to be used in their calculations of melt rate from observed surface properties. There are also gaps in their coverage, for which interpolation and extrapolation must be used in order to provide complete melt rates over ice shelves. Despite this, they are very useful products based on real data and are the best available estimates for the large-scale distribution of melt rates around Antarctica. Throughout the text, we refer to these three datasets by the first author names Adusumilli, Davison and Paolo.

EXPERIMENTS

Model setup

We use the exact coupling procedure and ocean model setup described in Richter and others (2025). The horizontal mesh resolution in FESOM ranges from 340 km in the middle of the oceans far away from Antarctica to 2 km underneath ice shelves. There are 100 levels in the vertical, with a resolution of 10–30 m under ice shelves. The geometry for FESOM was taken from RTopo-2 global bathymetry data (Schaffer and others, 2016), with ice shelves based on BedMachine Antarctica (Morlighem and others, 2020). The simulations were started from the Antarctic spin-up state described in Richter and others (2025), in which the ocean begun at rest with hydrography from the World Ocean Atlas (WOA18) extrapolated into ice shelf cavities, and was forced by daily ERA-Interim atmospheric reanalysis (Dee and others, 2011) for 1979–2018. This initial adjustment phase was included to mitigate issues caused by instabilities reported in previous coupled modelling work. The same reanalysis cycle was then used to force the forward simulation, of which we use only the outputs after the first year. Simulations were performed using two different values for the drag coefficient at the ice shelf base (C_d), of 1.25×10^{-2} and 2.5×10^{-2} . This coefficient is used in calculating momentum and turbulent exchange through the ice-ocean boundary layer, and thus impacts the magnitude of melt rates calculated. Such parameters are commonly used to tune melt rates within coupled model setups, but its effect on melt rate distribution is largely untested, which is why we include it as a variable quantity here.

The coupler transfers the outputs from FESOM and converts the thermal forcing into a basal melt rate for the ice shelves, which is then interpolated onto $\dot{U}_a$'s mesh. Here is where our experiments diverge from those of Richter and others (2025). We have generated new Antarctic meshes for $\dot{U}_a$, with a resolution of 20 km at the centre of the continent and refining down to 1.5 km around the grounding lines and areas of high observed ice velocities. We use two meshes which differ in their resolution on the ice shelves themselves. Ice Mesh 1 is generated using the same conditions everywhere, resulting in the largest elements in the middle of the Ross Ice Shelf – far from the grounding line – having element edges around 15 km in length. Ice Mesh 2 is generated with exactly the same conditions for grounded ice, but a smaller target element size on the ice shelves, where the edge lengths of the largest elements are now only 3–4 km. A comparison of these meshes on selected ice shelves of varying sizes is shown in Fig. 1. For our purposes simulations

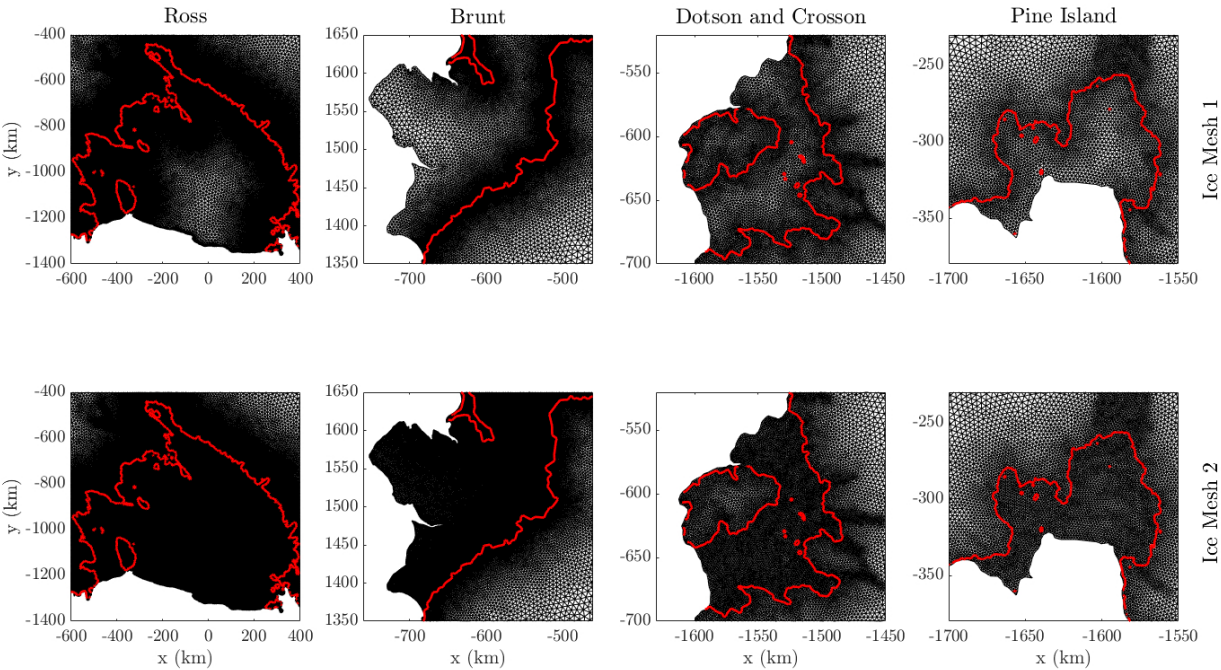


Fig. 1. A comparison of the two ice sheet model meshes used in Úa, zoomed into selected ice shelves of varying scales. Ice Mesh 1 on the top row uses the same criteria everywhere, while Ice Mesh 2 on the bottom row uses smaller target element sizes on ice shelves.

were run on a single computational core, but these meshes are very large and it would be impractical to run long-term simulations (decade to century scale) on them without some parallelisation of the ice sheet model. A model inversion was carried out in order to infer values for the flow rate factor A of Glen’s law and basal sliding parameter C of Weertman’s law, which are used in the forward simulations. Details on this process in Úa can be found in previously published work (e.g. Barnes and others, 2021).

Simulations

We run simulations in Úa for one year. For the purposes of this work, we then stop the coupling procedure before any data is transferred back to FESOM. The focus of this work is melt rates provided by the ocean model and other sources for the present day, rather than the effects on and of future evolution of the geometry. In addition to those using our two FESOM outputs, further simulations are run in Úa forced by

the three observationally-derived melt rates, and also by depth-dependent melt rates defined by

$$M = \begin{cases} 0 & \text{if } z \geq 0 \\ -\frac{M_{\max}}{500}z & \text{if } 0 > z > -500 \\ M_{\max} & \text{if } z \leq -500, \end{cases} \quad (1)$$

where $M_{\max}$ is a maximum melt rate for which we use value of 50 ma^{-1} . We also use $M_{\max} = 0 \text{ ma}^{-1}$ as a control to account for model drift, and in parts of our analysis consider outputs from all other simulations in terms of how they differ from the control.

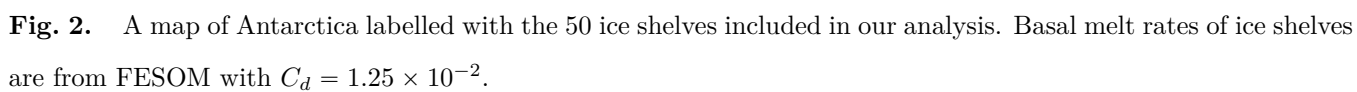
To fairly assess the impact of melt distribution, we run sets of simulations on Ice Mesh 1 in which the melt forcings are normalised to produce the same total melt volume across four ice shelf regions; Vi-grid/Nivl, Amery, Ross and Dotson/Crosson. In this way, we directly address the importance of melt rate distributions on these ice shelves without the influence of a differing overall melt magnitude. We choose to match the total melt volume of the Adusumilli data, which produces close to the median total melt among our melt rate products on three of our four chosen regions.

In order to assess potential impacts of ocean model resolution, we also regrid the FESOM outputs by interpolating them onto two regular grids of 20 km and 5 km, hereafter referred to as Grid20 and Grid5. These roughly correspond to common ocean model resolutions of 1-degree and $\frac{1}{4}$ -degree around Antarctica, respectively. The gridded melt rates are then used in the same way as the original model output – interpolated onto the ice model mesh to force the simulation.

Analysis methods

As ice shelves around Antarctica are not all the same, we evaluate the similarity of spatial patterns on 50 individual ice shelves, with Ross Ice Shelf split into East and West sections. The ice shelf boundaries are from the MEaSUREs dataset (Mouginot and others, 2017), and a labelled map showing the locations of the ice shelves we look at is displayed in Fig. 2.

To investigate the similarity between our modelled melt rates and those derived from observations, we



choose to calculate Pearson's Correlation Coefficient r (PCC, Pearson, 1895), a commonly used measure of linear association between two variables (Swinscow and others, 2002), given by

$$r = \frac{\Sigma(x_i - \bar{x})(y_i - \bar{y})}{\sqrt{\Sigma(x_i - \bar{x})^2 \Sigma(y_i - \bar{y})^2}}, \quad (2)$$

where x_i and y_i are the individual values of two variables, $\bar{x}$ and $\bar{y}$ are the mean values of each variable. We interpolate all melt rate datasets and FESOM outputs onto the ice model meshes for comparison. Since our values are taken from an unstructured mesh, we use a modified correlation which weights the calculation based on the mesh element areas. Classifying correlation values is not a precise exercise, and labels given to indicate the strength of correlation vary between studies. We use the labels of Swinscow and others (2002), which suggests $|r| \geq 0.6$ as a “strong” correlation and $0.4 \leq |r| < 0.6$ as “moderate”. The PCC is not a perfect measure and can be greatly affected by outliers, especially if the sample size is small (Armstrong, 2019). For this reason we do not rely on it entirely, and we also visually inspect the outputs.

RESULTS

Correlation with observationally-derived basal melt

Table 4 shows the correlation between each of the model melt rates (from FESOM and the depth-dependent parameterisation) and the three observationally-derived melt rates on Ice Mesh 1, for our chosen ice shelves. The colours display the strength of correlations, with red being positive and blue negative, and paler shades indicating lower correlation. The number of elements used to calculate the correlation in each case are also displayed, to demonstrate that these are not small sample sizes.

The melt rates under ice shelves show a range of responses to varying C_d . On several ice shelves – such as Filchner, Ronne, Fimbul, Amery, Sulzberger, Crosson, Pine Island and Stange – FESOM shows fairly high positive correlation with all three observationally-derived datasets using both C_d values. Conversely, on the small ice shelves Vigrid and Nivl on the Dronning Maud Land coast a negative correlation is seen when using $C_d = 1.25 \times 10^{-2}$, but becomes positive when using $C_d = 2.5 \times 10^{-2}$. This demonstrates that in addition to the effects on the magnitude of melt, there is in some locations a sensitivity of melt rate distribution to the parameter used to tune the ocean model outputs. Table 5 shows correlation coefficients

between the two FESOM outputs, and also between each pair of observationally-derived datasets. On many ice shelves, there is a high level of agreement between the different datasets, but this is not the case everywhere. Further examples can be seen here of ice shelves where different values of C_d in FESOM lead to uncorrelated distributions of melt, and in one case a moderate negative correlation on Atka.

Overall, 12 of the ice shelves have a strong positive correlation between at least one pair of modelled and observationally-derived melt rates, and a further 16 have a moderate correlation. This means that overall more than half of the ice shelves in our analysis (55%) have a modelled melt rate from FESOM with at least moderate positive correlation to an observationally-derived melt rate, indicating a significant level of agreement. The FESOM melt rates do not always correlate well with those from the observationally-derived datasets, however. For example, almost no correlation is seen between FESOM and any of the observationally-derived datasets on Larsen D, Borchgrevink, Rennick, Lillie, Drygalski or Wilkins. In a few cases negative correlation is seen – notably on Nansen with the Paolo dataset where this is classed as moderate for both choices of C_d – indicating that the model output is directly contradictory to the data in these cases. Where the three observationally-derived datasets disagree, our modelled melt rates from FESOM do not favour any particular one. On Larsen B, for example, the FESOM melt rates correlate with those of Paolo but not with the other datasets. Meanwhile, on Dotson the strongest correlation is with the Davison melt rates and on Mertz we find a high correlation with both Adusumilli and Davison, but not with Paolo.

The FESOM outputs display much higher agreement to observationally-derived datasets than the depth-dependent melt rate. Looking at the outputs of the simple parameterisation, we find only ten ice shelves – 20% of the total – to have at least moderate positive correlation with any of the observational datasets, and only one instance of a strong positive correlation with the Paolo melt rates on Crosson.

Table 6 shows the same information as Table 4, but for Ice Mesh 2, which has a higher resolution on the ice shelves. There are no major differences between the correlation results on the two meshes, although only 49% of the ice shelves have at least moderate positive correlation between a FESOM output and an observational dataset using this mesh, which is slightly lower than on Ice Mesh 1. This could indicate that some processes affecting melt rate distributions at length scales below the element sizes on Ice Mesh 1 are

not being represented in the model.

Table 7 shows correlation coefficients between the observationally-derived datasets and the regridded FESOM melt rates, on Ice Mesh 2. Patterns in these results vary between ice shelves; for example there is stronger correlation with observationally-derived melt rates on Stange using Grid5, but stronger correlation on Thwaites using Grid20. In general we see slightly stronger correlation using Grid5 than Grid20 with Adusumilli and Davison, but weaker correlation with Paolo. This may be connected to the fact that the Paolo data is provided on a coarser grid than the other datasets, although it is still at a higher resolution than Grid5.

Visual inspection of melt rate distributions

In several instances the modelled melt rates from FESOM have a higher magnitude than any observed values. This is seen for George VI and Bach in the Antarctic Peninsula, along with Abbot, Venable and Cosgrove. It is also the case along sections of the coast around Dronning Maud Land and on Getz, Nicker-son and Sulzberger. However, we know that magnitudes can be tuned by use of ocean model parameters such as C_d , and in this work we are focused on the spatial distributions of the melt.

We present in detail the melt rate distributions from all observationally-derived datasets and modelled/parameterised melt on four regions, chosen to represent areas with different correlation behaviour as well as a variety of ice shelf sizes and locations around the Antarctic coastline. Vigrid and Nivl ice shelves (Fig. 3) on the Dronning Maud Land coast stand out in the correlation tables due to the FESOM outputs having completely opposite correlations – positive or negative – depending on the choice of C_d . Amery (Fig. 4), in East Antarctica, is a large confined ice shelf which displays high correlation between FESOM and observationally-derived datasets in all cases, but no correlation with a depth-dependent melt rate. Ross Ice Shelf (Fig. 5) is the largest in the world by surface area. Correlation values here are low in most cases. Crosson Ice Shelf (Fig. 6) uniquely has moderate or strong positive correlation between every pair of modelled and observed melt rates, including the depth-dependent parameterisation. Its neighbour Dotson also displays universally positive correlation, although not as strong. This small sample of ice shelves serve as examples to demonstrate several wider observations without the impracticality of plotting every single ice shelf around Antarctica. Our melt rate fields for the entirety of Antarctica are available to be examined

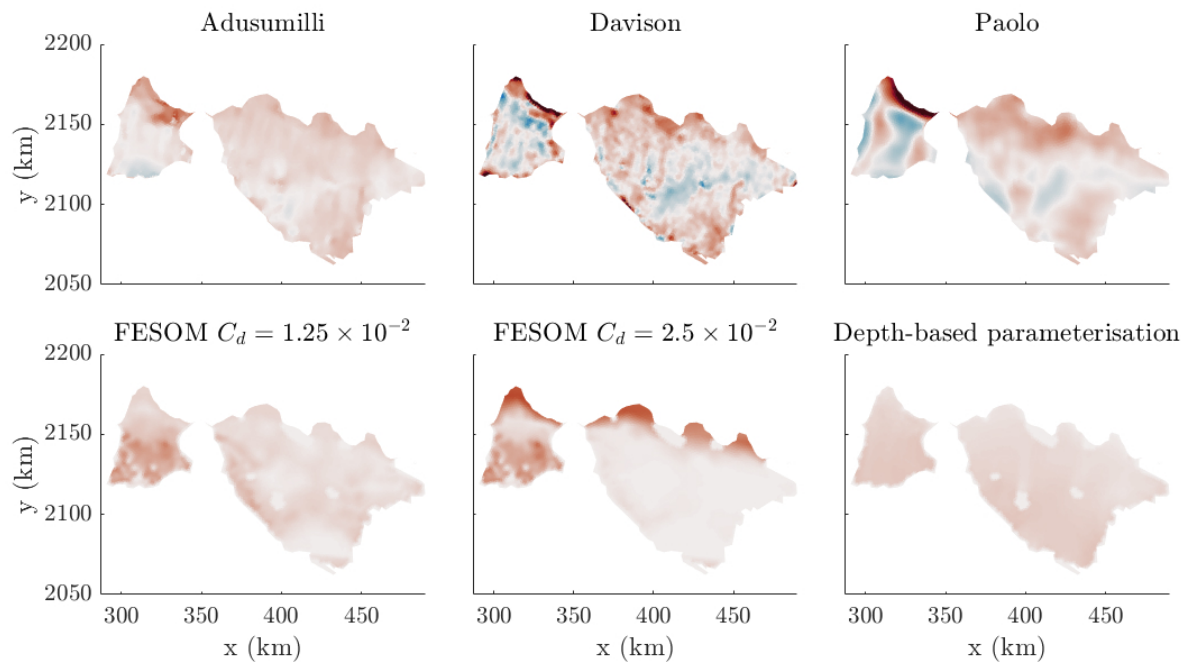


Fig. 3. Melt rate distributions on Vigrid and Nivl ice shelves, for the three observationally-derived datasets, the two FESOM outputs and the depth-dependent melt parameterisation. Red represents melting and blue refreezing, with darker shades of either colour being higher in magnitude. Colourbars are not included in the figure, as the values have been normalised to represent the same total melt across the ice shelf, and are therefore not intended for comparison of the magnitude of the outputs.

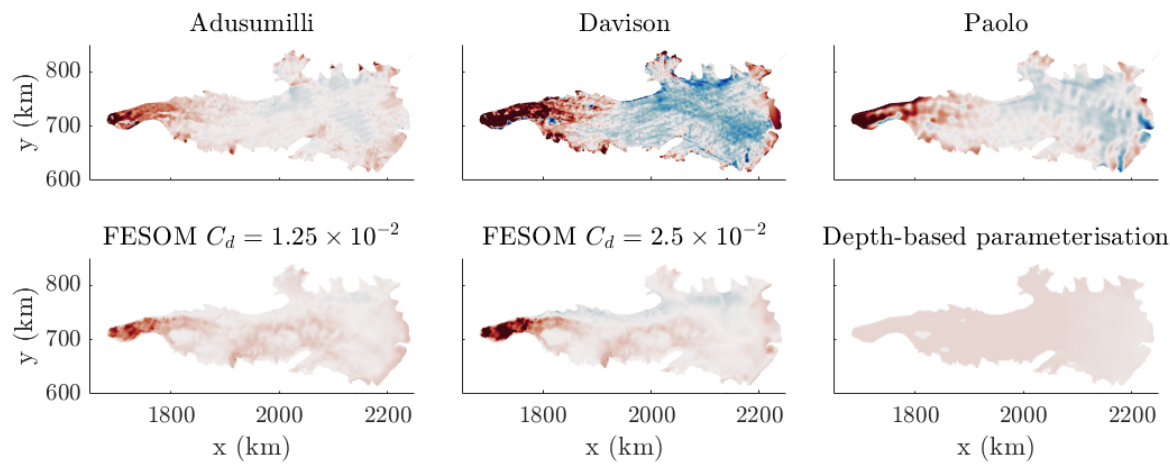


Fig. 4. As in Fig. 3, for Amery Ice Shelf.

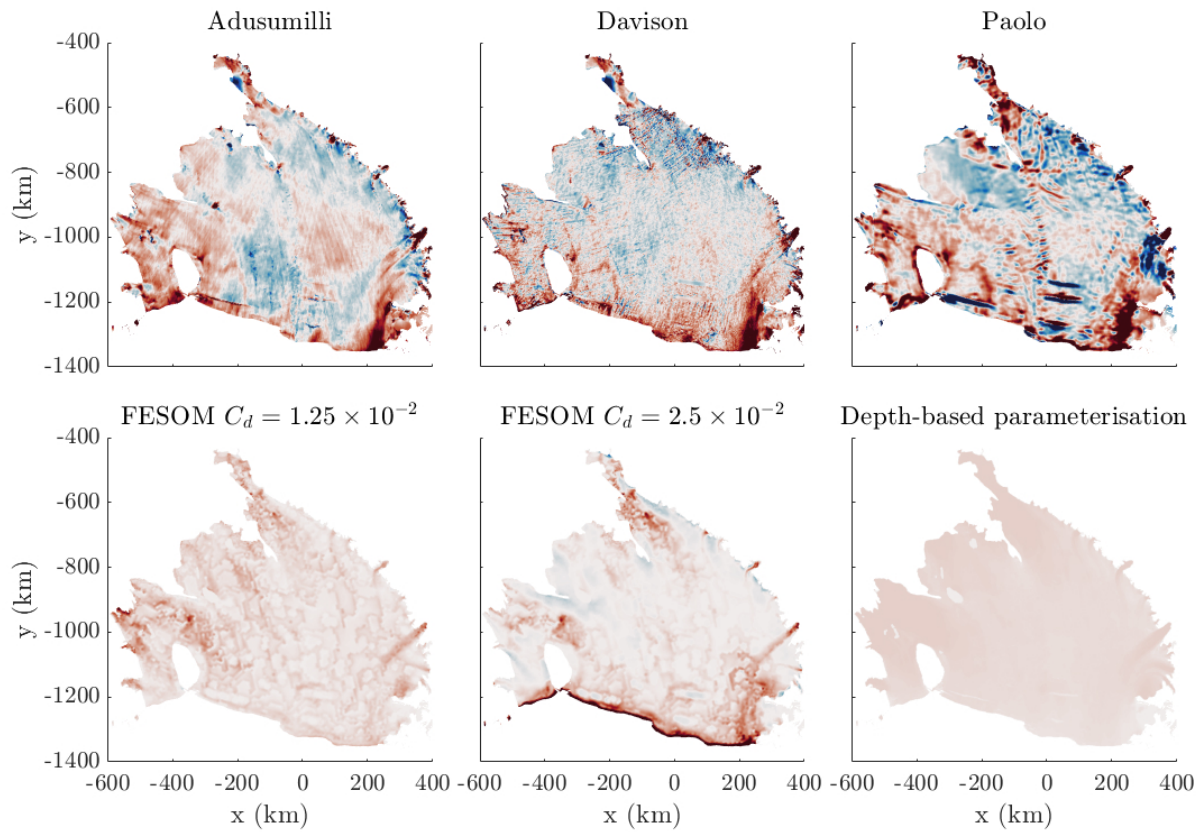


Fig. 5. As in Fig. 3, for Ross Ice Shelf.

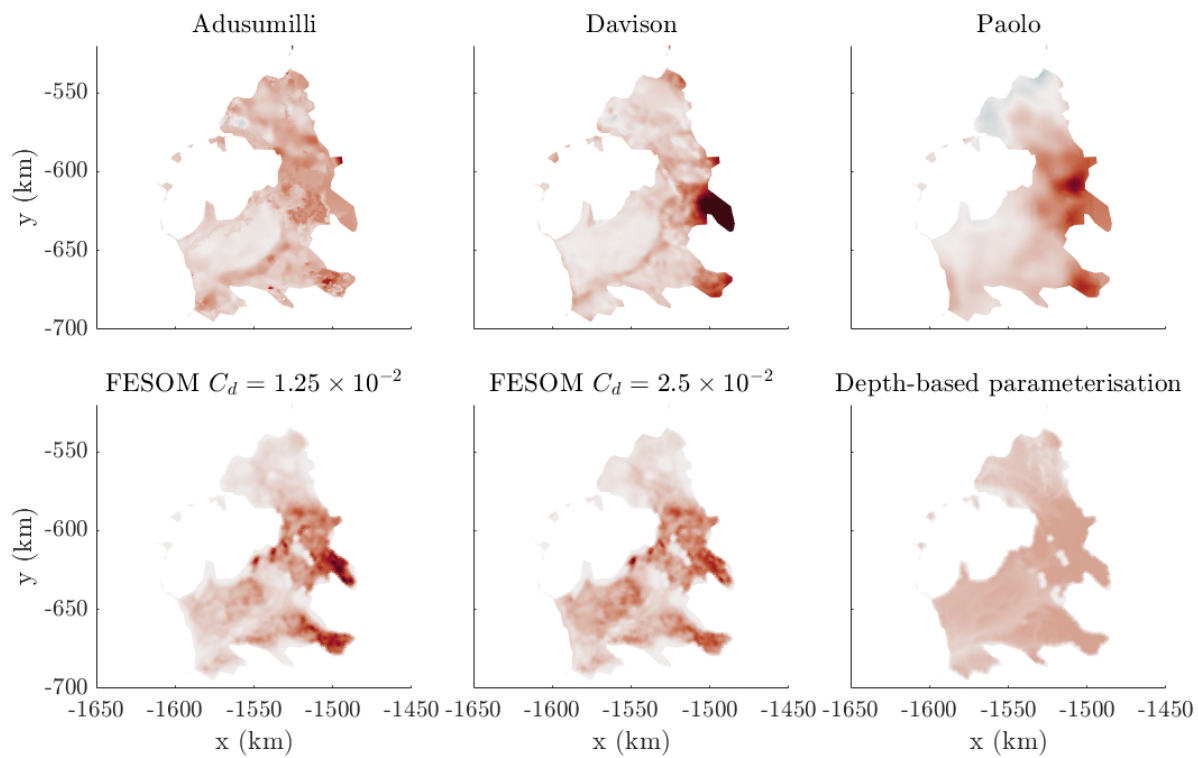


Fig. 6. As in Fig. 3, for Dotson and Crosson ice shelves.

at the reader's leisure (Barnes, 2026).

Important features of patterns in the melt rates are similar across several large ice shelves. For example, all modelled and observed melt rates have high melting in the narrow region of Amery (Fig. 4) near the grounding line, and refreezing occurring down the Eastern side. The refreezing is better reproduced by FESOM using the higher value of C_d , although still not as pronounced as in the observationally-derived datasets. Similarly, areas of refreezing on Ross (Fig. 5) and Filchner-Ronne are better represented when using the higher C_d , but not to the full extent seen in observations. The depth-dependent parameterisation does not produce any refreezing, having a minimum melt rate of 0 ma^{-1} .

High melt rates are often seen in narrow outlets with deep ice-shelf draft, where glaciers and ice streams feed larger ice shelves. In addition to the examples in our figures of Amery (Fig. 4), Ross (Fig. 5), Dotson and Crosson (Fig. 6), this can also be seen in all modelled and observed datasets for glaciers flowing into Filchner-Ronne as well as Brunt, Jelbart and Fimbul along the Dronning Maud Land coast. The depth-dependent melt rate does not include this fine detail, simply displaying a gradual gradient from higher melt near the grounding line to lower melt near the ice front without much variability.

Use of the higher value of C_d in FESOM often results in a narrow band of higher melting at the ice front, as can be seen on Ross (Fig. 5), Vigrid and Nivl (Fig. 3). Conversely, on Amery (Fig. 4) a band of higher melt is more evident at the ice front when using the lower value of C_d . This is a major difference on the ice shelves where the two FESOM outputs do not display strong or moderate positive correlation. In some cases, notably on Ross and Filchner-Ronne, such a band of high melt rates can be seen in the observationally-derived melt rates. In other cases there is no match with the observations, or at least not with all datasets. The Davison melt rates include bands of higher melt rates at the fronts of several glaciers which the other datasets do not, as can be seen on Amery. A reason for this difference between the observationally-derived and modelled outputs could be that warm surface water penetrates into the cavities under ice shelves in the summer months. We are looking at model results from the end of the year, in December, and so this summer signal would be seen. It may however show up to different extents on different ice shelves in the annual mean observations.

Variable for which difference calculated	$C_d = 1.25 \times 10^{-2}$			$C_d = 2.5 \times 10^{-2}$		
	FESOM mesh	Grid5	Grid20	FESOM mesh	Grid5	Grid20
VAF change	4.5 %	3.8 %	0.4 %	3.5 %	1.8 %	1.4 %
Grounded area change	10.4 %	11.3 %	8.3 %	7.4 %	7.5 %	1.9 %

Table 1. Percentage difference of VAF and grounded area changes after one year of simulation when using Ice Mesh 2 compared to Ice Mesh 1, for the full range of melt rate data gridding options.

Effects of resolution in a forward simulation

After our year of forward simulation, we look at additional changes in volume above flotation (VAF) and grounded area across the entire domain using different mesh and data resolutions, compared to the control simulation. In general, using a higher mesh resolution either for the ice model or for the input melt rate data leads to faster changes in the ice sheet.

With the same input melt rates from FESOM, simulations in Úa run on Ice Mesh 2 experience up to 4.5% more VAF loss and up to 11.3% more change in grounded area across the domain over the initial year than the simulations on Ice Mesh 1. This difference is greatest when the input melt rates are either the original FESOM outputs or the Grid5 data. The results of this comparison when using the Grid20 melt rates are generally more similar. It is also notable that larger differences are generally seen when FESOM uses $C_d = 1.25 \times 10^{-2}$. Grounded area changes are consistently more sensitive to the ice model resolution than VAF changes in the first year, but changes to the grounding line could lead to additional melting and more ice loss as the ice sheet evolves further. These results are summarised in Table 1.

Regridding the FESOM melt rates is a proxy for ocean model resolution. Grid20 represents a 1-degree ocean grid, while Grid5 represents a $\frac{1}{4}$ -degree grid. Compared to using FESOM's original output, using Grid20 results in up to 8.5% less VAF loss and up to 8.3% less grounded area change. Results are generally more similar when using Grid5, which is closer in resolution to the original FESOM mesh, and when using Ice Mesh 1, which is coarser over the ice shelves. These results are summarised in Table 2.

The importance of mesh resolution in ocean and ice sheet models is well known, with a recent example showing instances of grounding line migration in Úa only captured with resolutions less than 2 km (Sun

Variable for which difference calculated	$C_d = 1.25 \times 10^{-2}$				$C_d = 2.5 \times 10^{-2}$			
	Ice Mesh 1		Ice Mesh 2		Ice Mesh 1		Ice Mesh 2	
	Grid5	Grid20	Grid5	Grid20	Grid5	Grid20	Grid5	Grid20
VAF change	0.6 %	-4.8 %	-0.1 %	-8.5 %	3.5 %	-1 %	1.9 %	-5.6 %
Grounded area change	0.2 %	-6.4 %	1 %	-8.2 %	2 %	-3.4 %	2.1 %	-8.3 %

Table 2. Percentage difference of VAF and grounded area changes after one year of simulation when using regridded FESOM outputs compared to outputs on the original mesh, for both ice sheet model meshes.

and Gudmundsson, 2026). Of course, in all modelling work a balance must be found between resolution and computational efficiency. This is where Úa-FESOM is a very promising setup for future predictive studies. The triangular mesh structure shared by both components of the coupled model allows for much finer detail to be modelled than when using regular grids for a similar computational cost, whether on regional or continental-scale domains.

Effects of melt distribution in a forward simulation

After one year of simulation, we inspect the results of a set of experiments using melt rate distributions normalised such that they provide the same total melt volume over certain ice shelves. For each of our four chosen regions detailed previously, we choose the Adusumilli data as our reference and multiply each of the other forcing products by a factor which causes the same total melt volume. The distributions are those displayed in Figs. 3-6, and the total annual melt volumes are 10.42 km³ for Vigrid and Nivl, 53.84 km³ for Amery, 64.15 km³ for Ross, and 54.47 km³ for Dotson and Crosson. In all, 24 simulations were run for the analysis in this section; one for each of the six melt distributions on each of the four ice shelf regions. These simulations used Ice Mesh 1 and the FESOM outputs on their original mesh. We calculate the additional changes to VAF and grounded area in the relevant catchment basins of the ice shelves in question (as defined by Mouginot and others (2017)), compared to the control simulation; that is, the changes which can be fully attributed to choice of ice shelf basal melt distribution. A summary of results is shown in Table 3.

As we are only looking at the differences in VAF and grounded area over one year in the catchments of specific ice shelves, the magnitudes we see in our results are small. However, in proportional terms, there are very large differences between the impacts of different melt rate products which would likely propagate

Melt rate distribution	Additional VAF change (km ³)				Additional GA change (km ²)			
	V&N	Amery	Ross	D&C	V&N	Amery	Ross	D&C
Adusumilli	-0.03	-0.53	-0.78	-0.32	-3.97	-5.08	-27.01	-2.82
Davison	-0.09	-1.38	0.75	-0.60	-7.25	-22.74	19.64	-6.05
Paolo	-0.03	-0.69	0.26	-0.42	-0.96	-9.35	-23.67	-3.78
FESOM ($C_d = 1.25 \times 10^{-2}$)	-0.06	-0.43	1.29	-0.43	-3.80	-2.85	-28.40	-5.48
FESOM ($C_d = 2.5 \times 10^{-2}$)	-0.05	-0.30	0.97	-0.32	-2.03	-0.13	-4.21	-3.22
Depth-based parameterisation	-0.07	-0.32	1.42	-0.54	-5.94	-8.10	-24.18	-4.29

Table 3. The additional VAF and grounded area (GA) changes compared to a control run, in the catchment area of the selected ice shelf region when using weighted melt rates to produce the same total melt volume on the ice shelf. V&N is Vigrid and Nivl, D&C is Dotson and Crosson.

into greater magnitudes over a longer simulation. The most extreme example is the Davison melt distribution on Amery causing 175 times more loss of grounded area than FESOM outputs with $C_d = 2.5 \times 10^{-2}$ (22.74 km² compared to 0.13 km²), and almost 5 times the amount of VAF loss. The Davison dataset is particularly notable as an outlier on Amery, where it produces a large amount of refreezing and thus the magnitudes of melting areas are amplified during the normalisation to equalise the total melt volume with the other datasets. Therefore, there is higher melt in the narrow section at back of the ice shelf than in the other datasets. While admittedly an extreme case, this is a valuable demonstration of the importance of considering melt rate distribution rather than relying entirely on total melt volume across an ice shelf. On Ross ice shelf, there are instances of different melt rate distributions causing changes of opposite signs, showing that differing distribution of the same total melt volume has the potential to affect whether the ice sheet gains or loses mass. Since these results used Ice Mesh 1, the differences could potentially be larger if the mesh were refined over the ice shelves as in Ice Mesh 2.

In Fig. 7 we plot the differences in ice speed and thickness between the simulations which displayed the most different VAF and grounded area changes. On the slow-flowing Vigrid and Nivl ice shelves, the differences in thickness due to melt distributions do not significantly impact the ice speed. For the other three regions, where the ice flows faster, the largest differences are seen on the floating ice where the differences in melt rate distributions have the most immediate impact. Differences in ice speed on all the ice shelves vary on the order of 10 m a^{-1} , and up to around 50 m a^{-1} on some parts of Crosson. Similar

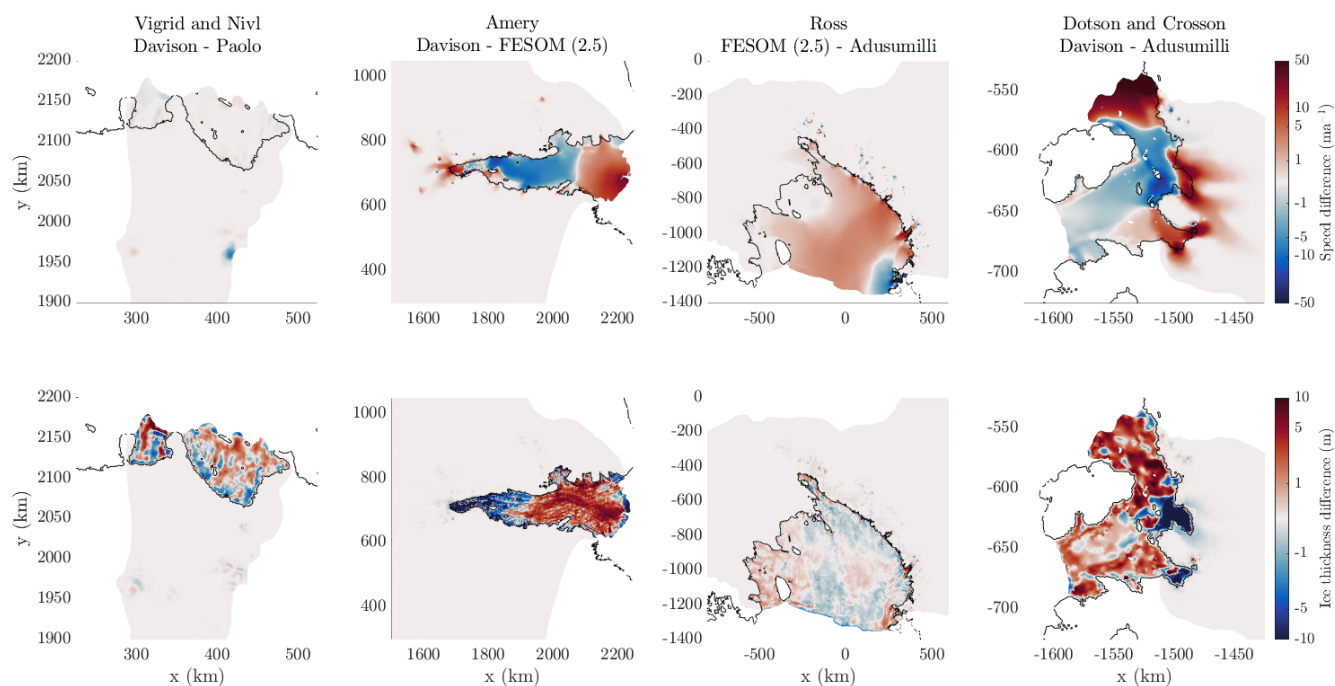


Fig. 7. Differences in ice speed and thickness after one year, between pairs of simulations forced by different melt distributions, selected due to having the greatest differences in VAF and grounded area changes on the selected ice shelf region. The melt rate distributions are normalised to produce the same total melt volume, and are pictured in Figs. 3-6. FESOM (2.5) refers to the FESOM melt rates using $C_d = 2.5 \times 10^{-2}$.

speed differences are seen over grounded ice in the glaciers flowing out onto Amery, Dotson and Crosson, where the Davison melt distribution produces higher melt rates at the grounding lines and drives faster flow. Proportionally, speed differences between simulations using different melt distributions are on the order of 2-3% of the initial ice speed across much of Amery and Crosson, with peaks reaching around 10% in a few locations at the grounding lines.

CONCLUSIONS

The results of our correlation analysis validate the spatial distributions of melt rates produced by FESOM – the ocean component of our coupled model – against data derived from observations, when interpolated onto the mesh used by Úa – the ice component. We have shown that melt rate patterns produced for a majority of Antarctic ice shelves are at least moderately correlated (Pearson’s Correlation Coefficient $r \geq 0.4$) with at least one observationally-derived melt rate and using at least one of the two values we tested for the turbulent exchange coefficient. Correlation is far better when using FESOM outputs rather than a depth-dependent melt rate, demonstrating the value of a coupled modelling approach compared to simple parameterisations.

An obvious issue with the FESOM outputs is that, while they perform better than a simple parameterisation, the quality of any one output is not universal. This would be true of melt rates derived from any ocean model. The value of C_d can be used to “tune” the model to match magnitudes of observed melt in a specific region. However, this parameter would need to be set to different values to best represent different ice shelves. We show here that changing this value not only alters the magnitude of the melt rate, but can also cause significant changes in how the melt is distributed across an ice shelf in some cases. This highlights a localised sensitivity to varying ocean model parameters. Those ice shelves in our analysis for which melt rate distributions do not correlate with observations may do so after tuning C_d to capture local behaviour. As a result, we suggest that future simulations of the whole of Antarctica should consider varying the drag coefficient – or any other tuning parameter – spatially rather than implementing it as a constant, in order to capture the important differences between individual ice shelves as in, for example, Nakayama and others (2017). While set up initially for full circum-Antarctic simulations, other use cases for Úa-FESOM may be in regional studies, where local magnitudes and distributions of present-day melting can be more closely reproduced by tuning the ocean model parameters.

Unsurprisingly, model resolution is shown to be an important consideration for both the ocean and ice sheet components. Higher resolution in either the ice sheet model or the melt rate forcing from the ocean model leads to larger changes in VAF and grounded area over the first year of model simulation, with differences on the order of 10% compared to our lower resolution meshes. This will likely propagate into future years of simulation in longer runs.

By running simulations with different melt rate products normalised to produce the same total magnitude of melt over ice shelves, we show that the distribution of melt can make a large difference to the evolution of the ice sheet. We show that differences in speed on the order of 10 m a^{-1} are seen on the larger ice shelves, with these speed differences propagating inland. The largest differences, around 10% of the ice speed, are at the grounding lines of specific glaciers where particularly high melt is produced by some distributions. This emphasises the greater influence of melt in specific areas, and thus the importance of ice shelf basal melt rate distributions in driving the evolution of ice sheets.

To summarise, in this work we have demonstrated that the Úa-FESOM coupled ice sheet-ocean model does a good job of reproducing observed melt rate distributions, achieving at least moderate correlation on half of the ice shelves in our study. We have shown that melt rate distributions can be greatly affected by the choice of the drag coefficient C_d , which is used to tune the modelled melt rates, and thus localised tuning could produce good results for those ice shelves on which we did not match observations. We have also demonstrated how much melt distributions matter, and the importance of model resolution in the ice sheet-ocean modelling context. To address both of these factors in future predictive studies, we encourage further work with Úa-FESOM and recommend development and use of other such coupled model setups with triangular mesh structures in both components.

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508 APPENDIX: CORRELATION TABLES

Ice Shelf	Number of elements used in calculation			FESOM correlation $C_d = 1.25 \times 10^{-2}$			FESOM correlation $C_d = 2.5 \times 10^{-2}$			Correlation with depth-based melt rate		
	Adu	Dav	Pao	Adu	Dav	Pao	Adu	Dav	Pao	Adu	Dav	Pao
Larsen B	1102	1015	960	0.23	-0.13	0.40	0.11	-0.22	0.66	0.39	0.14	-0.58
Larsen C	14014	13180	12935	0.10	0.22	0.25	0.08	0.21	0.37	0.03	0.28	0.16
Larsen D	6587	8147	7909	0.22	0.07	-0.01	0.15	0.02	0.14	0.08	0.23	-0.04
Ronne	80885	74443	71513	0.44	0.46	0.34	0.54	0.57	0.46	-0.13	-0.14	-0.16
Filchner	31494	29072	27611	0.35	0.51	0.44	0.37	0.53	0.53	-0.10	0.12	0.10
Brunt	8705	9063	8569	0.42	0.24	0.13	0.43	0.40	0.14	0.21	0.13	0.03
Riiser-Larsen	13222	12745	12017	0.10	0.17	0.29	0.27	0.31	0.33	0.02	0.12	0.30
Quar	1168	1112	966	-0.10	-0.10	0.02	0.26	0.20	-0.28	-0.07	-0.16	-0.11
Ekstrom	3159	3082	2737	-0.03	-0.17	0.12	0.26	0.29	0.09	-0.10	-0.22	0.22
Atka	874	838	740	0.10	-0.06	-0.35	0.28	0.43	0.70	0.29	0.07	-0.14
Jelbart	4506	4320	4006	0.38	0.43	0.37	0.45	0.45	0.36	0.01	0.10	0.15
Fimbul	11170	10495	9966	0.56	0.58	0.35	0.68	0.67	0.47	0.14	0.24	0.10
Vigrid	1097	1071	923	-0.43	-0.24	-0.37	0.10	0.41	0.37	-0.57	-0.50	-0.59
Nivl	3016	2897	2623	-0.20	-0.04	-0.24	0.49	0.40	0.50	-0.30	-0.13	-0.38
Lazarev	2692	2499	2396	-0.15	0.18	0.15	0.36	0.23	0.03	-0.17	0.13	0.13
Borchgrevink	8185	7911	7497	-0.12	0.12	0.04	-0.02	0.23	0.16	-0.31	-0.10	-0.03
Baudouin	9587	9066	8839	0.26	0.43	0.52	0.32	0.48	0.53	-0.07	0.06	0.27
Prince Harald	2074	2191	1903	0.09	0.32	0.55	0.21	0.45	0.62	0.06	0.17	0.51
Amery	21026	20133	18172	0.64	0.68	0.58	0.67	0.70	0.62	0.08	0.21	0.22
West	5607	5025	4842	0.05	0.06	-0.10	0.02	0.03	-0.02	0.06	-0.02	-0.10
Shackleton	6339	5790	5577	0.28	0.20	0.21	0.08	0.03	0.06	-0.04	0.04	0.20
Tracy Tremenchus	0	1047	983		0.43	0.40		0.47	0.33		0.11	0.30
Conger-Glenzer	0	569	558		0.01	-0.10		0.06	0.59		-0.13	-0.13
Totten	2920	2800	2184	0.06	0.20	0.02	0.02	0.16	0.29	0.05	0.19	-0.19
Moscow University	2825	2750	2361	0.23	0.55	0.49	0.32	0.59	0.61	0.04	0.09	0.18
Holmes	932	964	871	0.22	0.51	0.42	0.11	0.27	-0.10	0.08	0.18	0.05
Dibble	0	715	554		0.49	0.30		0.53	0.29		-0.11	-0.33
Mertz	1567	1313	1405	0.53	0.54	-0.28	0.58	0.60	-0.15	0.35	0.42	-0.40
Ninnis	0	451	662		0.58	0.36		0.50	0.38		-0.20	0.38
Cook	1542	1476	1292	0.18	0.00	0.07	0.08	-0.09	0.08	0.22	-0.19	0.10
Rennick	1729	1702	1625	-0.01	-0.13	-0.02	-0.01	-0.14	-0.11	0.30	0.22	0.25
Lillie	0	303	287		0.16	0.14		0.09	0.03		-0.34	-0.16

Mariner	1215	988	1061	-0.10	0.03	0.32	-0.06	-0.13	0.37	0.21	-0.01	-0.29
Nansen	924	772	731	0.13	-0.24	-0.41	0.20	-0.04	-0.47	-0.15	0.20	0.37
Drygalski	479	521	656	-0.13	-0.22	0.19	0.02	-0.16	-0.12	0.42	-0.30	-0.30
Ross East	33357	32189	29963	0.29	0.31	0.28	0.29	0.40	0.41	0.03	-0.04	-0.05
Ross West	50143	46342	44035	0.16	0.06	0.13	0.23	0.27	0.09	0.14	-0.13	0.14
Sulzberger	4949	4440	3947	0.40	0.38	0.53	0.40	0.39	0.54	0.36	0.36	0.49
Nickerson	2679	2724	2336	0.27	0.46	0.45	0.31	0.43	0.19	0.18	0.23	0.43
Getz	14664	13629	12925	0.15	0.18	0.13	0.09	0.13	0.12	0.10	0.23	0.22
Dotson	2724	2712	2043	0.45	0.61	0.52	0.24	0.42	0.27	0.22	0.30	0.33
Crosson	1279	1015	1246	0.42	0.69	0.82	0.41	0.59	0.81	0.50	0.43	0.83
Thwaites	971	505	1050	0.01	0.43	0.31	-0.20	0.14	0.21	-0.16	0.26	0.23
Pine Island	2964	2248	2493	0.62	0.77	0.49	0.48	0.61	0.33	0.49	0.50	0.40
Cosgrove	1689	1486	1402	0.27	0.28	0.22	0.12	0.13	0.11	0.13	0.10	0.17
Abbot	10871	10352	9473	0.27	0.49	0.54	0.41	0.52	0.64	0.24	0.39	0.45
Venable	1562	1482	1370	0.07	0.15	-0.09	0.06	0.14	0.01	0.07	0.06	0.01
Stange	3641	3513	3216	0.50	0.57	0.55	0.66	0.69	0.72	0.52	0.57	0.56
George VI	11358	10549	10029	0.19	0.19	0.20	0.24	0.22	0.27	0.12	0.16	0.20
Bach	2662	2393	2118	-0.03	-0.12	-0.24	-0.02	-0.12	-0.23	0.05	0.13	0.16
Wilkins	4506	3943	3909	0.00	0.06	0.03	0.00	0.07	0.05	0.27	0.48	0.40

Table 4. This table details correlations between melt rates on each of our chosen ice shelves, calculated on Ice Mesh 1. The first columns show the number of elements included in calculations with each observationally-derived dataset. Differences in coverage mean these are not all the same. An area-weighted Pearson’s Correlation Coefficient was calculated between the observationally-derived datasets and outputs from FESOM - using two different values for turbulent exchange coefficient C_d - as well as a simple depth-dependent melt rate. Ice shelves are listed by position, clockwise around Antarctica starting at the tip of the Peninsula. The strength of coloured shading indicates the strength of similarity, with red for positive and blue for negative correlation. Values in bold have magnitude ≥ 0.4 and are counted as a moderate correlation, while values in a coloured font have magnitude ≥ 0.6 and are counted as a strong correlation. We refer to the datasets by abbreviations of the first author names; Adu for Adusumilli and others (2020), Dav for Davison and others (2023) and Pao for Paolo and others (2023).

Ice Shelf	Number of elements used in correlation				Correlation between dataset pairs			
	FESOM	Adu-Dav	Adu-Pao	Dav-Pao	FESOM	Adu-Dav	Adu-Pao	Dav-Pao
Larsen B	1350	992	929	886	0.78	0.41	-0.22	-0.21
Larsen C	15954	13130	12455	12254	0.79	0.41	0.07	0.31
Larsen D	11344	5429	5415	7237	0.78	0.28	0.11	0.07
Ronne	83094	74402	71458	70676	0.84	0.71	0.61	0.72

Filchner	32205	28977	27550	27420	0.84	0.46	0.37	0.67
Brunt	10181	8253	8028	8281	0.33	0.63	0.21	0.23
Riiser-Larsen	14295	12605	11900	11833	-0.14	0.55	0.50	0.63
Quar	1329	1105	965	959	-0.34	0.19	0.10	0.29
Ekstrom	3501	3039	2729	2725	-0.34	0.46	0.30	0.40
Atka	981	830	738	732	-0.46	0.30	0.25	0.41
Jelbart	5065	4295	3982	3987	0.91	0.40	0.29	0.47
Fimbul	12281	10439	9903	9734	0.90	0.67	0.59	0.65
Vigrid	1267	1048	917	922	0.29	0.46	0.44	0.70
Nivl	3365	2854	2612	2567	0.11	0.58	0.61	0.60
Lazarev	2958	2481	2376	2300	-0.24	0.48	0.13	0.47
Borchgrevink	9181	7738	7304	7303	0.95	0.51	0.32	0.48
Baudouin	10342	9047	8771	8634	0.90	0.74	0.28	0.57
Prince Harald	2846	1870	1685	1792	0.86	0.46	0.22	0.53
Amery	22989	19805	18120	17850	0.97	0.75	0.72	0.77
West	6503	4935	4750	4480	-0.09	0.31	0.05	0.36
Shackleton	7299	5647	5442	5239	0.41	0.39	0.18	0.41
Tracy Tremenchus	1534	0	0	880	0.92			0.38
Conger-Glenzer	714	0	0	511	-0.19			0.37
Totten	3600	2624	2145	2033	0.80	0.64	0.41	0.74
Moscow University	3792	2584	2250	2293	0.57	0.31	0.39	0.71
Holmes	1483	749	712	801	0.10	0.37	-0.05	0.49
Dibble	888	0	0	548	0.94			0.75
Mertz	1795	1295	1378	1231	0.97	0.48	-0.06	0.18
Ninnis	1167	0	0	343	0.86			0.29
Cook	1785	1444	1292	1280	0.86	-0.23	-0.01	0.18
Rennick	2232	1537	1486	1539	0.81	0.36	0.41	0.84
Lillie	550	0	0	231	0.94			0.48
Mariner	1603	962	1011	882	0.23	0.30	0.25	0.11
Nansen	1252	748	714	637	0.86	0.04	-0.17	0.03
Drygalski	1011	367	389	454	0.71	0.01	-0.17	0.56
Ross East	36300	31194	29159	29743	0.52	0.55	0.54	0.52
Ross West	51215	46297	43941	43478	0.19	0.44	0.10	0.21
Sulzberger	6884	4287	3764	3695	0.98	0.80	0.77	0.85
Nickerson	3411	2494	2206	2286	0.78	0.64	0.45	0.52
Getz	16613	13544	12766	12447	0.82	0.56	0.42	0.65
Dotson	3521	2486	2033	2004	0.92	0.70	0.70	0.86

Crosson	1938	691	1040	725	0.98	0.55	0.54	0.69
Thwaites	1729	415	738	295	0.93	0.82	0.17	-0.04
Pine Island	3672	2027	2383	1837	0.92	0.78	0.62	0.87
Cosgrove	2015	1456	1396	1312	0.94	0.50	0.41	0.68
Abbot	13377	9898	9137	8919	0.87	0.53	0.57	0.82
Venable	1830	1444	1354	1332	0.88	0.41	0.24	0.12
Stange	4586	3253	3076	3068	0.91	0.82	0.82	0.86
George VI	13051	10437	9838	9612	0.92	0.64	0.54	0.71
Bach	3185	2365	2102	2008	0.98	0.35	0.22	0.52
Wilkins	5572	3860	3747	3428	0.92	0.71	0.54	0.78

Table 5. Correlation coefficients between the two different FESOM outputs, and each pair of observational datasets. The ice sheet model mesh, Ice Mesh 1, is the same as in Table 6.

Ice Shelf	Number of elements used in calculation			FESOM correlation $C_d = 1.25 \times 10^{-2}$			FESOM correlation $C_d = 2.5 \times 10^{-2}$			Correlation with depth-based melt rate		
	Adu	Dav	Pao	Adu	Dav	Pao	Adu	Dav	Pao	Adu	Dav	Pao
Larsen B	1575	1478	1421	0.18	-0.26	0.38	0.11	-0.24	0.66	0.38	0.13	-0.59
Larsen C	29528	28508	29979	0.09	0.22	0.24	0.07	0.20	0.36	0.07	0.28	0.21
Larsen D	11084	14362	13759	0.21	0.07	-0.02	0.14	0.01	0.13	0.08	0.24	-0.03
Ronne	201894	193548	189765	0.41	0.45	0.34	0.52	0.56	0.47	-0.13	-0.13	-0.15
Filchner	71979	68820	66935	0.33	0.51	0.44	0.35	0.53	0.53	-0.10	0.14	0.12
Brunt	22047	22778	22281	0.36	0.18	0.13	0.38	0.35	0.14	0.22	0.14	0.02
Riiser-Larsen	30089	29232	28170	0.10	0.17	0.29	0.26	0.30	0.33	0.04	0.15	0.32
Quar	1732	1664	1465	-0.11	-0.11	0.05	0.25	0.20	-0.27	-0.05	-0.15	-0.11
Ekstrom	5490	5440	4925	-0.05	-0.20	0.11	0.25	0.29	0.08	-0.08	-0.21	0.23
Atka	1446	1409	1270	0.12	-0.06	-0.35	0.31	0.42	0.70	0.32	0.09	-0.13
Jelbart	8313	8093	7625	0.40	0.43	0.38	0.47	0.46	0.38	0.02	0.09	0.14
Fimbul	26038	24431	24020	0.49	0.55	0.36	0.60	0.65	0.49	0.16	0.28	0.14
Vigrid	1700	1676	1493	-0.41	-0.25	-0.39	0.11	0.42	0.38	-0.57	-0.49	-0.56
Nivl	5582	5415	5038	-0.18	-0.03	-0.23	0.49	0.39	0.51	-0.30	-0.10	-0.35
Lazarev	5954	5586	5446	-0.16	0.18	0.16	0.37	0.21	0.05	-0.16	0.14	0.11
Borchgrevink	15665	15242	14698	-0.14	0.08	0.05	-0.04	0.20	0.17	-0.32	-0.09	-0.02
Baudouin	22533	21606	21406	0.20	0.39	0.53	0.27	0.44	0.54	-0.06	0.09	0.27
Prince Harald	3244	3439	3042	0.13	0.31	0.56	0.26	0.44	0.63	0.15	0.20	0.54
Amery	43778	42297	40030	0.63	0.68	0.58	0.67	0.71	0.63	0.09	0.22	0.22
West	10756	9521	9548	0.00	0.04	-0.09	0.01	0.02	-0.01	0.07	-0.01	-0.11

Shackleton	15555	14262	14370	0.06	0.07	0.20	0.00	-0.02	0.06	-0.05	0.04	0.20
Tracy Tremenchus	0	1781	1699		0.40	0.41		0.44	0.38		0.24	0.21
Conger-Glenzer	0	991	956		0.01	-0.08		0.07	0.60		-0.14	-0.12
Totten	4564	4301	3542	0.04	0.21	0.01	0.00	0.17	0.29	0.03	0.16	-0.19
Moscow University	4188	4093	3637	0.22	0.51	0.50	0.31	0.55	0.62	0.03	0.15	0.20
Holmes	1338	1371	1233	0.14	0.40	0.43	0.02	0.11	-0.10	0.18	0.19	0.03
Dibble	0	1094	849		0.38	0.14		0.39	0.09		-0.11	-0.34
Mertz	2597	2123	2381	0.49	0.52	-0.28	0.55	0.59	-0.15	0.34	0.42	-0.41
Ninnis	0	611	941		0.27	0.35		0.30	0.37		-0.16	0.36
Cook	2601	2540	2215	0.16	-0.01	0.08	0.08	-0.09	0.08	0.19	-0.17	0.13
Rennick	2387	2373	2288	-0.05	-0.18	-0.06	-0.03	-0.16	-0.12	0.32	0.24	0.27
Lillie	0	382	372		0.17	0.11		0.10	-0.01		-0.36	-0.26
Mariner	1726	1426	1528	-0.11	0.02	0.31	-0.07	-0.14	0.38	0.25	0.04	-0.28
Nansen	1319	1100	1086	0.13	-0.18	-0.38	0.25	-0.03	-0.47	-0.16	0.24	0.38
Drygalski	1070	1014	1257	-0.14	-0.22	-0.15	0.02	-0.14	-0.27	0.46	-0.35	-0.28
Ross East	94548	93422	90679	0.29	0.30	0.29	0.29	0.40	0.43	0.04	-0.03	-0.03
Ross West	147401	142105	138413	0.16	0.05	0.13	0.23	0.27	0.10	0.14	-0.12	0.15
Sulzberger	7418	6790	6145	0.40	0.36	0.54	0.40	0.37	0.54	0.40	0.36	0.50
Nickerson	4294	4433	3879	0.24	0.36	0.43	0.26	0.27	0.15	0.20	0.24	0.42
Getz	25186	23656	22845	0.13	0.18	0.13	0.07	0.12	0.12	0.10	0.24	0.25
Dotson	4243	4202	3314	0.45	0.63	0.54	0.23	0.44	0.28	0.29	0.36	0.34
Crosson	1950	1490	1961	0.43	0.70	0.84	0.42	0.61	0.83	0.50	0.44	0.83
Thwaites	1776	808	1968	0.01	0.42	0.31	-0.22	0.11	0.21	-0.18	0.25	0.25
Pine Island	4546	3316	3941	0.62	0.77	0.50	0.48	0.62	0.34	0.51	0.51	0.41
Cosgrove	2418	2143	2081	0.23	0.23	0.18	0.08	0.08	0.07	0.14	0.21	0.13
Abbot	20048	19462	18127	0.26	0.47	0.54	0.41	0.51	0.64	0.28	0.40	0.47
Venable	2415	2315	2152	0.02	0.09	-0.09	0.01	0.08	0.01	0.06	0.03	0.00
Stange	5720	5591	5269	0.51	0.58	0.55	0.67	0.70	0.73	0.54	0.59	0.57
George VI	18300	17134	16690	0.19	0.17	0.21	0.24	0.20	0.28	0.13	0.17	0.20
Bach	3661	3324	3009	-0.04	-0.15	-0.26	-0.03	-0.15	-0.25	0.03	0.16	0.11
Wilkins	7620	6823	7010	-0.02	0.04	0.02	-0.03	0.06	0.04	0.30	0.50	0.41

Table 6. Exactly as Table 4, for calculations on Ice Mesh 2.

Ice Shelf	FESOM correlation $C_d = 1.25 \times 10^{-2}$ 5 km gridded data	FESOM correlation $C_d = 2.5 \times 10^{-2}$ 5 km gridded data	FESOM correlation $C_d = 1.25 \times 10^{-2}$ 20 km gridded data	FESOM correlation $C_d = 2.5 \times 10^{-2}$ 20 km gridded data
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	Adu	Dav	Pao	Adu	Dav	Pao	Adu	Dav	Pao	Adu	Dav	Pao
Larsen B	0.18	-0.26	0.43	0.10	-0.26	0.70	-0.12	-0.51	0.68	-0.03	-0.36	0.70
Larsen C	0.10	0.22	0.25	0.07	0.20	0.37	0.14	0.25	0.25	0.09	0.23	0.36
Larsen D	0.21	0.06	-0.01	0.14	0.00	0.14	0.23	0.06	0.05	0.18	0.03	0.18
Ronne	0.42	0.46	0.35	0.53	0.57	0.48	0.39	0.43	0.31	0.52	0.57	0.47
Filchner	0.33	0.52	0.45	0.35	0.53	0.54	0.32	0.52	0.46	0.35	0.52	0.55
Brunt	0.36	0.19	0.13	0.39	0.36	0.14	0.39	0.23	0.17	0.38	0.38	0.16
Riiser-Larsen	0.10	0.17	0.30	0.26	0.30	0.33	0.08	0.14	0.24	0.25	0.28	0.31
Quar	-0.09	-0.11	0.02	0.26	0.21	-0.27	0.02	-0.07	0.16	0.27	0.30	-0.11
Ekstrom	-0.07	-0.21	0.12	0.25	0.29	0.08	-0.12	-0.29	0.11	0.19	0.25	0.06
Atka	0.13	-0.07	-0.36	0.30	0.41	0.71	-0.02	-0.04	-0.29	0.18	0.29	0.65
Jelbart	0.40	0.46	0.39	0.48	0.48	0.39	0.34	0.50	0.41	0.45	0.53	0.43
Fimbul	0.48	0.56	0.37	0.60	0.66	0.49	0.48	0.56	0.39	0.65	0.70	0.56
Vigrid	-0.45	-0.30	-0.40	0.16	0.45	0.45	-0.56	-0.27	-0.40	0.40	0.49	0.44
Nivl	-0.19	-0.02	-0.23	0.51	0.40	0.53	-0.20	0.03	-0.18	0.57	0.45	0.64
Lazarev	-0.15	0.19	0.18	0.37	0.21	0.06	-0.17	0.19	0.15	0.37	0.23	0.12
Borchgrevink	-0.16	0.08	0.05	-0.05	0.20	0.17	-0.17	0.07	0.06	-0.06	0.18	0.16
Baudouin	0.20	0.39	0.54	0.27	0.45	0.55	0.12	0.27	0.47	0.20	0.34	0.50
Prince Harald	0.14	0.31	0.58	0.27	0.44	0.65	0.13	0.28	0.57	0.09	0.32	0.61
Amery	0.63	0.68	0.57	0.66	0.71	0.62	0.60	0.65	0.52	0.64	0.69	0.55
West	0.01	0.05	-0.10	0.01	0.02	-0.02	-0.01	0.04	-0.18	0.09	-0.06	-0.12
Shackleton	0.06	0.07	0.21	-0.01	-0.03	0.05	-0.03	0.10	0.10	-0.05	-0.04	-0.01
Tracy Tremenchus		0.40	0.41		0.43	0.37		0.32	0.42		0.35	0.35
Conger-Glenzer		0.01	-0.11		0.09	0.62		0.32	0.49		0.13	0.62
Totten	0.07	0.23	0.02	0.01	0.18	0.31	0.00	0.18	-0.08	-0.12	0.02	0.21
Moscow University	0.24	0.56	0.55	0.33	0.58	0.66	0.31	0.61	0.58	0.23	0.49	0.46
Holmes	0.17	0.45	0.46	0.00	0.11	-0.12	0.23	0.43	0.26	-0.34	-0.36	-0.14
Dibble		0.45	0.29		0.48	0.24		0.51	0.45		0.58	0.46
Mertz	0.48	0.55	-0.29	0.55	0.62	-0.15	0.43	0.57	-0.40	0.54	0.68	-0.16
Ninnis		0.28	0.34		0.29	0.37		0.29	0.27		0.40	0.35
Cook	0.16	-0.03	0.09	0.08	-0.09	0.10	0.19	0.00	-0.02	0.15	-0.16	-0.01
Rennick	-0.08	-0.19	-0.08	-0.04	-0.15	-0.13	-0.33	-0.30	-0.28	-0.11	-0.11	-0.22
Lillie		0.06	0.12		-0.02	0.00		-0.05	0.31		-0.35	-0.20
Mariner	-0.10	0.01	0.34	-0.10	-0.14	0.37	-0.08	-0.04	0.46	-0.10	-0.13	0.55
Nansen	0.14	-0.20	-0.43	0.27	-0.03	-0.51	0.07	-0.13	-0.43	0.22	0.09	-0.45
Drygalski	-0.14	-0.29	-0.15	0.06	-0.22	-0.30	0.30	-0.29	0.07	0.22	-0.17	-0.08
Ross East	0.29	0.31	0.29	0.30	0.40	0.43	0.27	0.29	0.25	0.29	0.38	0.43

Ross West	0.17	0.05	0.14	0.23	0.27	0.10	0.18	0.07	0.15	0.26	0.32	0.06
Sulzberger	0.41	0.37	0.55	0.41	0.38	0.56	0.39	0.35	0.53	0.41	0.38	0.58
Nickerson	0.23	0.36	0.43	0.26	0.27	0.13	0.10	0.29	0.49	0.09	0.17	0.18
Getz	0.15	0.20	0.15	0.09	0.13	0.14	0.18	0.31	0.24	0.08	0.16	0.18
Dotson	0.47	0.68	0.54	0.21	0.45	0.25	0.41	0.67	0.47	0.24	0.54	0.28
Crosson	0.49	0.76	0.86	0.49	0.66	0.85	0.52	0.73	0.88	0.53	0.67	0.88
Thwaites	0.02	0.40	0.34	-0.24	0.12	0.25	0.17	0.70	0.67	0.06	0.59	0.67
Pine Island	0.64	0.78	0.50	0.49	0.60	0.33	0.40	0.77	0.51	0.24	0.63	0.36
Cosgrove	0.26	0.25	0.22	0.09	0.09	0.10	0.17	0.23	0.06	-0.03	0.04	-0.07
Abbot	0.27	0.48	0.56	0.43	0.53	0.68	0.18	0.43	0.50	0.37	0.53	0.66
Venable	0.04	0.10	-0.02	-0.01	0.06	0.08	-0.10	-0.01	-0.13	-0.09	-0.11	-0.10
Stange	0.54	0.64	0.60	0.70	0.76	0.78	0.38	0.54	0.44	0.46	0.59	0.54
George VI	0.21	0.17	0.23	0.26	0.20	0.30	0.24	0.12	0.24	0.29	0.14	0.30
Bach	-0.04	-0.16	-0.27	-0.03	-0.16	-0.26	-0.07	-0.25	-0.42	-0.05	-0.26	-0.41
Wilkins	-0.04	0.05	0.01	-0.05	0.06	0.03	-0.06	-0.03	-0.06	-0.06	-0.03	-0.05

Table 7. Correlation coefficients using regridded FESOM outputs at two different resolutions: 5 km and 20 km. The ice sheet model mesh, Ice Mesh 2, and therefore the number of elements used for each calculation, is the same as in Table 6.