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Role of fluid on earthquake occurrence: Example of the 2019 Ridgecrest and the 1997, 2009 and 2016 Central Apennines sequences

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ABSTRACT

This paper focuses on the study of the temporal evolution of seismicity and the role of fluids during major earthquake sequences that occurred in the Central Apennines and Southern Walker Lane belt-Eastern California Shear Zone over the last two decades: The 1997 Colfiorito, the 2009 L'Aquila, the 2016 Amatrice-Norcia, and the 2019 Ridgecrest sequences. The availability of high-quality earthquakes catalogs offers the opportunity to evaluate in detail the temporal evolution of the earthquake's size distribution (or b-value) and propose a physical explanation based on the effect of the fluid flow process in triggering seismicity. For all seismic sequences, the b-value time series show a gradual decrease from a few months to one year before mainshocks. The gradual decrease in the b-value is interpreted as a gradual increase in earthquake activity due essentially to the short-term to intermediate-term pore-fluid fluctuations. The temporal variation of the b-value during Amatrice-Norcia and Ridgecrest foreshock sequences is characterized by a double b-value minimum separated by a short-lived b-value increase as observed in laboratory experiments on water-saturated rocks. The observed fluctuation of the b-value is presented here as an accelerating crack growth due essentially to the fluid flow instability. Even though seismic precursors could have been predictable in areas with high dense seismic networks, the different b-value time series reveal the difficulty in establishing a correspondence between the duration of the foreshock activity and the magnitude of the next largest expected earthquake. This may suggest that the fluid migration controls the size of the ruptures.

Key words: Seismicity and tectonics; Fractures, faults, Fluids; Neotectonics

INTRODUCTION

Several studies have suggested a relation between the occurrence of earthquake sequences and the temporal change in the relative size distribution of earthquakes quantified by the Gutenberg-Richter (GR) b-value (Berg, 1968; Scholz, 1968; Smith, 1981; Wiemer & Wyss, 2000 among others). The analyses of a series of 60 foreshocks and 428 aftershocks related to three moderate earthquakes occurring in the Fairbanks region of Alaska show that the Gutenberg-Richter (GR) b-value was abnormally low (between 0.34 to 0.45) before large events and was restored taking a typical value of 0.85 to 0.95 during and after each mainshock (Berg, 1968). The seismicity analysis of the 1967 Caracas (Mw 6.7) earthquake sequence, the 1971 San Fernando (Mw 6.4) earthquake sequence, and the 1968–1978 New Zealand earthquake sequence reveals that the temporal variation in the b-value was remarkably coupled with the size of moderate to strong earthquakes (Berg, 1968). A large time scale decrease in the b-value associated with an acceleration of aseismic slip is observed before the Mw 8.1 Iquique, Chile, and the Mw 9.0 Tohoku-Oki earthquakes (Nanjo et al., 2012; Scholz, 2019). Several studies argue that the acceleration of aseismic slip is favored by variation of pore fluid pressure at depth (Segall & Rice, 1995; Ruhl et al., 2016;Cappa et al., 2019 ; De Barros et al., 2020). The gradual decrease in the b-value on a much shorter time scale is also observed in the four-month-long foreshock sequence preceding the 2009 L'Aquila earthquake (Gulia et al., 2016). The temporal variation of the b-value before the L'Aquila mainshock correlates with the change of Vp/Vs from January to April 6 (Lucente et al., 2010). The simultaneous change in b-value and Vp/Vs in the case of the L'Aquila sequence may be interpreted as a nucleation process due to an overpressurized volume controlled by fluid migration at depth (Chiaraluce, 2012).

The comparison between the temporal evolution of b-value and the effective normal stress in California shows a decrease in the b-value associated with a decrease in the effective normal stress rate (Khoshmanesh & Shirzaei,2018). The maximum increase in the Coulomb stress rate

84 (up to 0.45 bar/yr spanning the period from 2003 to 2010) along the central part of the San

85 Andreas Fault system also coincides with the decrease in effective normal stress caused by the

86 evolution of pore-fluid pressure at depth (Khoshmanesh & Shirzaei, 2018). These results argue

87 that a strong correlation exists between the fluid migration and the temporal evolution of the b-

88 value along the central part of the San Andreas Fault. In the Southern Walker Lane belt (SWL)–

89 Eastern California Shear Zone (ECSZ), high-resolution optical satellite imagery analysis

90 reveals a considerable contribution of the inelastic processes to the total diffuse deformation

91 following the 2019 Ridgecrest earthquake sequence (Antoine et al., 2021). The high Vp/Vs

92 ratio covering the complex fault zones of the 2019 Ridgecrest foreshock–mainshock sequence

93 (Tong et al., 2021) denotes that the change in the pore-fluid pressure near the Ridgecrest fault

94 zone may be considered as one of the plausible mechanisms explaining the diffuse inelastic

95 deformation observed during the 2019 Ridgecrest sequence. A stress change modeling result

96 taking into account the variation in the Vp/Vs ratio due to the diffusive effect of fluids during

97 the Mw 6.4 Ridgecrest foreshock indicates that the value of fluid diffusivity necessary to trigger

98 the next Mw 7.1 mainshock is estimated to be $\leq 2.32 \times 10^4$ cm²/s (Kariche, 2022).

99 A laboratory fracturing experiment on fluid-saturated rocks predicts a variation in the

100 Vp/Vs due to the change in the rheological properties of the seismogenic crust following large

101 earthquakes. Fracture mechanics modeling and laboratory experiments for dry and water-

102 saturated specimens show that the gradual decrease in the b-value related to a progressive

103 increase in acoustic emission rate (AE) is only visible in water-saturated rocks (Main et al.,

104 1990). Laboratory experiments at constant pore-fluid volume also predict a fluctuation in the

105 b-value before major cracks and support the idea that the fluid considerably affects the size and

106 the distribution of future cracks (Sammonds et al., 1992). Other correlations between b-value

107 and fluid migration are also found in the crustal range of the Taiwan orogenic belt (Chen et al.,

108 2019). Although these studies have demonstrated a connection between the variation in the b-

109 value and the influence of fluids, none have successfully proposed a unified physical

110 mechanism that explains the occurrence of seismic sequences, the stress evolution, and the

111 effect of fluids across different phases related to the generation of earthquake sequences.

112 In this paper, I explore the influence of fluid migration on earthquake occurrence by analyzing

113 the temporal evolution of seismicity for two tectonically active zones with available high-

114 quality, dense seismic networks: the Central Apennines (Italy) and the SWL–ECSZ (CA).

115 Several major seismic sequences are studied in detail: the 1997 Colfiorito, the 2009 L'Aquila,

116 and the 2016 Amatrice–Norcia for the Central Apennines seismic zone, and the 2019 Ridgecrest

117 sequence for the SWL–ECSZ. These sequences are explored in terms of seismic productivity

118 and related fluid migration. By analyzing the evolution of seismicity and stress redistribution,

119 I found a causative relation between the pore-fluid effect and the spatiotemporal evolution of

120 crack growth before and during earthquakes. The results are also compared to the laboratory

121 experiments for a better constraint on the role of fluids in the different phases of earthquake

122 generation. Based on these findings, I propose a physical mechanism that connects pore-fluid

123 effects and stress redistribution in controlling the earthquake preparation process, including the

124 behavior of foreshock evolution. Using the poromechanical analysis as presented in this paper,

125 I further explore the influence of b-value changes on earthquake forecasting. Additionally,

126 considering poroelastic stress change modeling results and the analysis of postseismic

127 deformation processes, the influence of fluids on the occurrence of aftershock sequences is also

128 debated.

129 **SEISMOTECTONICS SETTING, FLUID FLOW AND MECHANICAL PROPERTIES**
130 **OF FAULT ZONES**
131

132   **1. THE CENTRAL APENNINE SEQUENCE**

133   The 1997, 2009, and 2016 Central Apennines earthquake sequences start with the 1997

134   Colfiorito (Umbria–Marche) sequence, which struck the northern part of the Apennines in Italy

135   (Amato *et al.*, 1998; Stramondo *et al.*, 1999; Deschamps *et al.*, 2000; Chiaraluce *et al.*, 2003).

136   The Colfiorito sequence is characterized by six earthquakes with a magnitude larger than 5.0

137   and two earthquakes with a magnitude larger than 5.7 (Figure 1, Figure 2A & S1). The first

138   earthquake occurred on September 26 at 00:33 UTC with a magnitude Mw = 5.7 (Ekström *et*

139   *al.*, 1998). Nine hours later, another strong earthquake with Mw 6.0 struck the Colfiorito region

140   at 3 km from the first event (Figure 1). The Mw 5.7 and Mw 6.0 events were preceded by a

141   series of foreshocks that began on September 3, occurring in the area between the epicenters of

142   the two main events (Ripepe *et al.,* 2000). The hypocentral depths of the Mw 5.7 and Mw 6.0

143   events are approximately equal and situated at 5.04 and 4.95 km depth, respectively (Figure

144   S1). The third event with a magnitude Mw = 5.9 triggers 18 days after at 12 km southeast of

145   the first event (Figure S1). The analysis of the spatial and temporal evolution of seismicity

146   related to the 1997 Colfiorito sequence shows that the seismicity is mainly controlled by the

147   poroelastic properties of the seismogenic zone and the fluid flow process (Antonioli *et al.* 2005).

148   Using the fluid triggering hypothesis, the value of fluid diffusivity associated with the triggering

149   process of the 1997 Colfiorito sequence is estimated to range between 2.2×10^5 and 9.0×10^5

150   cm²/s (Antonioli *et al.,* 2005).

151   On April 6, 2009, at 01:32 GMT, a devastating earthquake with a magnitude Mw 6.3

152   occurred on a normal fault at the intramontane basin near the city of L'Aquila (Lucente *et al.*,

153   2010; Figure 1). This sequence began with a series of foreshocks six months prior to the

154   mainshock in a ~4 km long band on the L'Aquila fault zone (Figure 2B; Figures S3A and C).

155   The near-field seismic wave analysis shows that the spatiotemporal evolution of foreshocks

156   correlates with a clear variation in seismic wave properties at depth (Lucente *et al.,* 2010). The

157   Vp/Vs value rose from 1.85 to more than 1.92 near the epicenter area of the 2009 L'Aquila

158   earthquake a week before the mainshock, and decreased to 1.85 a few hours before (Lucente et

159   al., 2010). The change in Vp/Vs near L'Aquila is interpreted as the variation in elastic properties

160   of the medium due to the fluid migration along the L'Aquila fault zone (Lucente *et al.,* 2010;

161   Chiaraluce, 2012; Scholz, 2019). Based on the temporal change in the Vp/Vs ratio, the

162   triggering mechanism related to the L'Aquila earthquake is resolved as a mechanism governed

163   by the presence of a deep, large fluid reservoir (Lucente *et al.,* 2010). Indeed, the complexity

164   of the fault zone, the deep thrust fault, and the low-angle active normal faults observed near the

165   L'Aquila major rupture (Chiodini *et al.*, 2004) may be interpreted as a structural seal that favors

166   the fluid accumulation and creates an overpressurized volume near the L'Aquila hypocentral

167   depth.

168   From the structural point of view, the evolution of fault geometry near the L'Aquila fault

169   zone seems to be controlled by a set of conjugate EW–NS fault systems in a transtensional

170   regime at the limit of large active fault segments. The aftershock distribution analysis following

171   the 2009 L'Aquila mainshock indicates that a significant portion of the aftershock productivity

172   (~32% of the total aftershocks recorded during the period from April to December 2009) is

173   concentrated at the limit of the fault slip zone. Seismological investigations and pore-fluid

174   pressure modeling results suggest that the spatiotemporal evolution of aftershocks at the limit

175   of the L'Aquila fault was primarily driven by a reduction in fault strength of 7–10 MPa, largely

176   attributed to the fluid-flow processes (Malagnini *et al*., 2012).

177   After the 2009 L'Aquila earthquake, the Central Apennine was followed by three moderate

178   earthquakes with a magnitude M $\geq$ 6.0: the 2016 August 24 Amatrice earthquake (Mw 6.2), the

179   2016 August 26 Ussita (Visso) earthquake (Mw 6.1), and the 2016 October 30 Norcia

180   earthquake (Mw 6.5) (Figure 1). Thus, this sequence fills the gap between the Colfiorito and

181   L'Aquila earthquake series (Figure 1). The focal mechanism of the three earthquakes shows a

182   normal faulting solution (Figure 1) consistent with the active extension rate of 3–4 mm/yr in

183   the Apennines zones revealed by GPS (Serpelloni *et al.*, 2005). The mechanics of deformation

184   in the Central Apennines are complex. The strain release near the Amatrice fault zone is

185   accommodated by a complex interaction between the main normal faults and secondary

186   structures inherited from the pre-Quaternary compressional tectonic phases (Cheloni *et*

187   *al.*,2017).

188   The spatiotemporal analysis of seismicity between the Amatrice and Visso earthquakes predicts

189   a fluid diffusivity value of 1.5 m²/s, corresponding to a northward migration rate of 0.4 km/day

190   (Pino et al., 2019; Tung & Masterlark, 2018). However, the fluid diffusivity along individual

191   fault branches within the 2016 Amatrice–Norcia earthquake sequence reveals a range of fluid

192   diffusivity between 50 and 2000 m²/s (Malagnini *et al*., 2022). The differences in fluid

193   characteristics reported by various authors (Antonioli *et al.*, 2005; Tung & Masterlack, 2018;

194   Pino *et al.* 2019; Malagnini *et al.,* 2022) correlate with the variation in seismicity from south to

195   north in the Apennine fault zone (Figure 1). This variation in fluid diffusivity may explain the

196   high degree of heterogeneity along the Apennines fault zone and the differences in the time

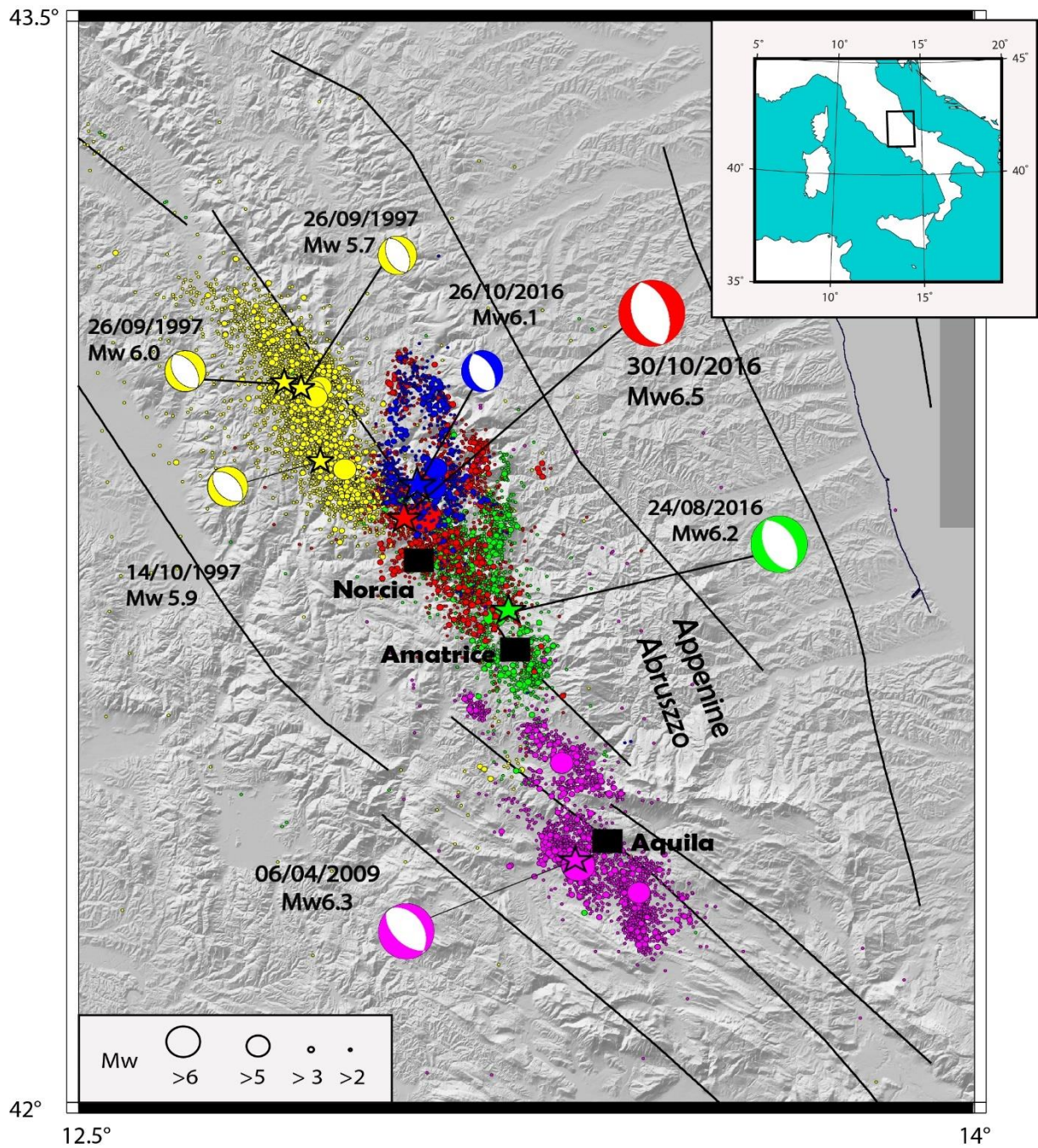197   characteristics between major earthquakes.

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Figure 1: *Seismicity and focal mechanisms of major earthquakes occurred in the central Apennines (Italy) spanning the period from 1997 to 2016. Each earthquake sequence with a related mainshock focal mechanism is represented by specified color. For example, the magenta color represents the spatial distribution of the events associated with the 2009 L'Aquila earthquake sequence, the focal mechanism associated to the L'Aquila mainshock is also represented by the same color. The focal solutions are from the Global Centroid Moment*

207 *Tensor (https://www.globalcmt.org/). The seismicity of the Central Apennine is from INGV*

208 *(https://doi.org/10.13127/ISIDE). The inset figure represents the location of the studied area.*

209 *Note that the 2016 Amatrice-Norcia seismic sequence may view as a unique earthquake swarm*

210 *divided into three smaller sequences. The colored data (green, blue, red) mimic the seismic*

211 *migration from the August 24th (sequence in green), and culminating with the October 30th, Mw*
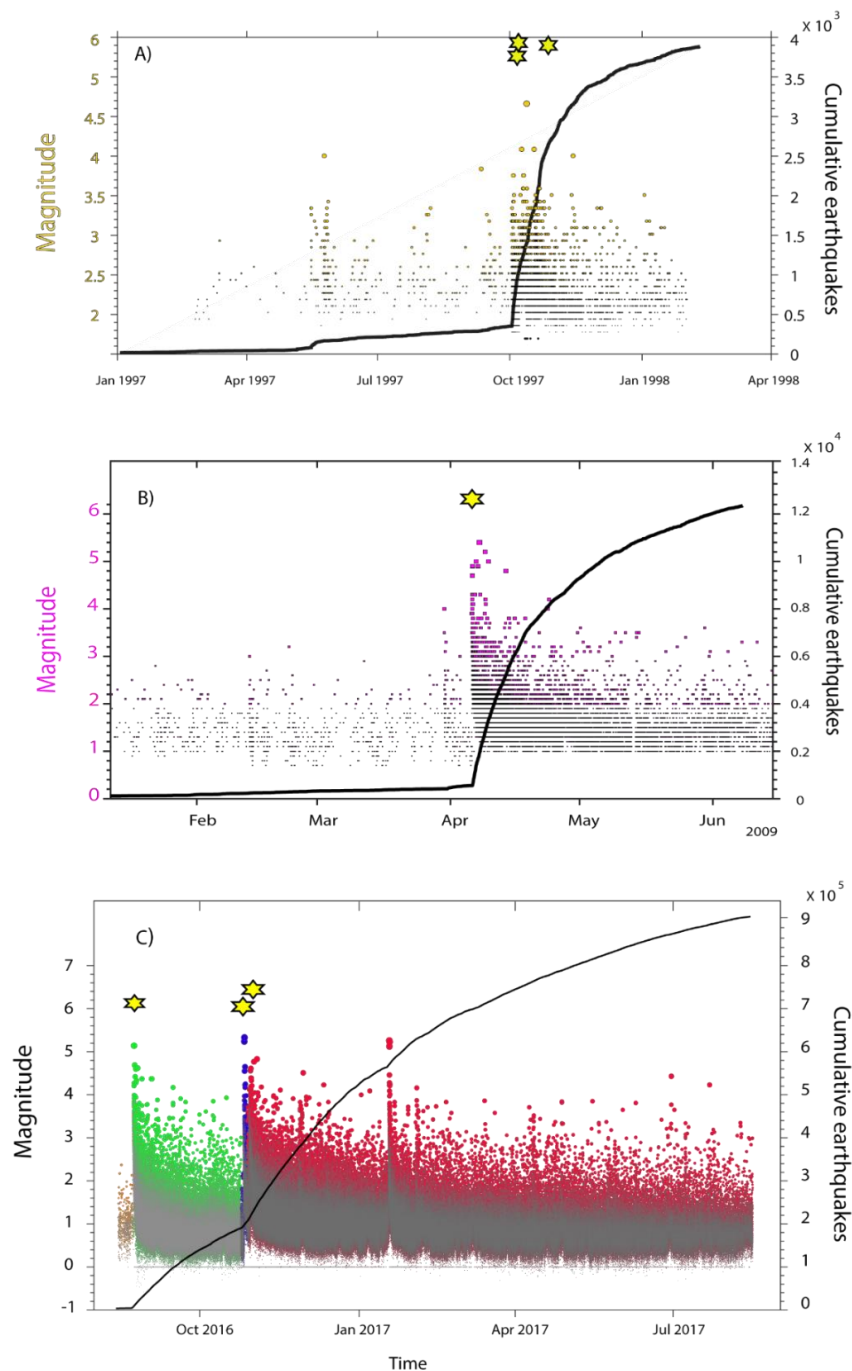
212 *6.5 earthquake (sequence in red).*

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Figure 2: *Evolution of the Cumulative number of earthquakes and magnitude distribution through time for: **A)** the 1997 Colfiorito sequence, **B)** the 2009 L'Aquila sequence and **C)** the 2016 Amatrice-Norcia sequence. The earthquakes datasets used for A) and B) are from INGV (https://doi.org/10.13127/ISIDE). The earthquake database used for construct the C) plot is derived from a high precise determination of ~900, 000 earthquakes derived from deep-neural-network-based picker (Tan et a.,2021). The earthquake magnitude evolution in time from each sequence is represented by a specific color same as in Figure 1. The yellow stars represent the major events for each sequence. The Time evolution of earthquakes and related magnitude distribution are constructed using the Zmap software (Wyss & Wiemer.,2000).*

2. THE 2019 RIDGECREST SEQUENCE

In July 2019, two moderate to strong earthquakes with a magnitude Mw 6.4 and 7.1 struck Ridgecrest (California) in the SWL–ECSZ region (Fielding *et al.,* 2020). Earthquake rupture characteristics deduced from Interferometric Synthetic Aperture Radar (InSAR), source time functions, and early aftershock analysis indicate that the Mw 6.4 and the Mw 7.1 earthquakes occurred on strike-slip faults within a time interval approximately equal to 34 hours at 12 km distance and ranging depth of 4 to 8 km (Figure 3; Barnhart *et al*., 2019; Fielding *et al.,* 2020, Toda & Stein, 2020). Early surface deformation analysis deduced from InSAR and focal mechanism analysis indicate that the 2019-07-04 (Mw 6.4) and the 2019-07-06 (Mw 7.1) events occurred on NE–SW and NW–SE trending conjugate strike-slip faults. The Ridgecrest fault zone is a part of the Indian Wells Valley, which is connected to the Central Basin and Range tectonic province. This area is bounded on the west by the Sierra Nevada Mountains, on the south by the Garlock fault, and on the east by the Walker Lane belt (Figure 3). The Little Lake (or Ridgecrest) fault zone (LLFZ) is defined as an important component of the SWL–ECSZ which accommodates a non-negligible part of the Pacific–North America plate boundary displacement (Figure 3). The seismotectonics of the Ridgecrest region reflect the complex

239 interaction of left-lateral and right-lateral strike-slip faults in a variable tectonic regime (Figure

240 3). The transition from transpressional regimes near LLFZ to transtensional regimes north of

241 Ridgecrest (near Coso Range) agrees with the rotation of the maximum principal stress (Combs

242 1980). This may be interpreted as a consequence of a significant weakening mechanism

243 affecting immature faults. In this context, pressurized fluids trapped within heterogeneous and

244 complex fault zones experience dynamic changes in fluid flow processes. These changes tend

245 to reduce effective normal stress and, consequently, influence the strength of the faults during

246 the early stages of fault-rupture growth.

247 Based on the poromechanical model proposed by Rice (1992), Axen (1992) interprets the

248 active deformation along the low-angle normal fault in the Indian Wells Valley–Coso Range as

249 a consequence of a weakening mechanism due to abnormally elevated pore-fluid pressure in

250 both brittle and ductile regimes. In this case, the permeability in the active fault zone must be

251 higher than its surrounding rocks. Large volumes of fluid migrating from ductile to brittle zone

252 in active mylonite areas are also observed in relation to the detachment zones in the Central

253 Mojave Desert (Axen, 1992). The analysis of high-resolution imaging derived from satellite

254 optical imagery shows that the presence of inelastic failure related to the 2019 Ridgecrest

255 earthquake sequence reflects a mylonitic deformation of the fault damage zone (Barnhart *et al*.,

256 2020). The observed mylonitic zones are directly correlated to the degree of fault maturity of

257 the Ridgecrest conjugated ruptures. The analysis of Line-of-Sight (LOS) Interferometric

258 Synthetic Aperture Radar (SAR) displacements following the 2019 Ridgecrest sequence attests

259 that a part of the observed early 2019 Ridgecrest postseismic deformation is indicative of a

260 poroelastic rebound (Wang & Bürgmann, 2020). The LOS displacements derived from both

261 Sentinel-1 and COSMO-SkyMed (CSK) SAR data reveal that the maximum postseismic

262 deformation along the LOS of ascending satellite tracks is located northwest of the Mw 7.1

263 epicenter near the Coso geothermal fault zone (Wang & Bürgmann, 2020).

264   Most of the seismicity recorded before the 2019 Ridgecrest sequence is relatively small (M

265   ≤ 3). The largest event recorded in SWL is the 1872 M7.5 Owens Valley earthquake (Figure

266   S2; Monastero *et al.,* 2002). The 1872 M7.5 Owens Valley earthquake is dominated by a right-

267   lateral shearing deformation along the Owens Valley fault (Figure S2). The recurrence of

268   earthquakes with a magnitude M ≥ 5.0 in SWL is approximately equal to 20 years, with two

269   significant sequences with four moderate events (M ≥ 5.0) that occurred near Ridgecrest

270   between 1995 and 1998 (Hauksson *et al.,* 1995). This recurrence pattern has culminated in the

271   occurrence of the 2019 Ridgecrest sequence (Mw 6.4; Mw 7.1). The study of the mechanics of

272   earthquake and fault interaction in the context of conjugate strike-slip faults indicates a clear

273   influence of fluid migration on the occurrence of moderate to large earthquakes in the SWL

274   tectonic domain (Kariche, 2022). Based on the Coulomb poroelastic stress change modeling

275   approach, the time delay between two conjugate strike-slip earthquakes seems to be coupled to

276   the variation in fluid diffusivity along heterogeneous faults (Kariche, 2022). These observations

277   are in concordance with the Cocco & Rice (2002) Coulomb stress transfer modeling results

278   taking into account the presence of high pore-fluid pressure at hypocentral depth.

279   Considering the ~34 hr characteristic time representing the time delay between the Mw 6.4

280   and the Mw 7.1 events (Kariche, 2022) and a fluid viscosity of 3×10^{-4} Pa·s, the average value

281   of permeability necessary to trigger the Mw 7.1 Ridgecrest event is estimated between 10^{-14}–

282   10^{-15} m². Despite the fact that this value is higher than the value obtained by Cocco and Rice

283   (2002) for normal fault geometries, it seems to be in good agreement with the permeability

284   values obtained by Miller (2020) for the 1992 Landers–Big Bear conjugated sequence and

285   based entirely on the conceptual model of permeability dynamics as proposed by the same

286   author. Additionally, this estimation of permeability aligns well with the value obtained by

287   Nespoli *et al.* (2018) for the 2012 Emilia–Romagna earthquake sequence. The temporal and

288   spatial evolution of major events following the Mw 6.4 foreshock sequence may explain the

289   significant increase in the value of permeability along cracks following the Mw 7.1 event. Based

290   on this assumption, the temporal distribution of earthquake frequency and related moment

291   release must predict a temporal fluctuation of the G–R b-value during the 2019 Ridgecrest

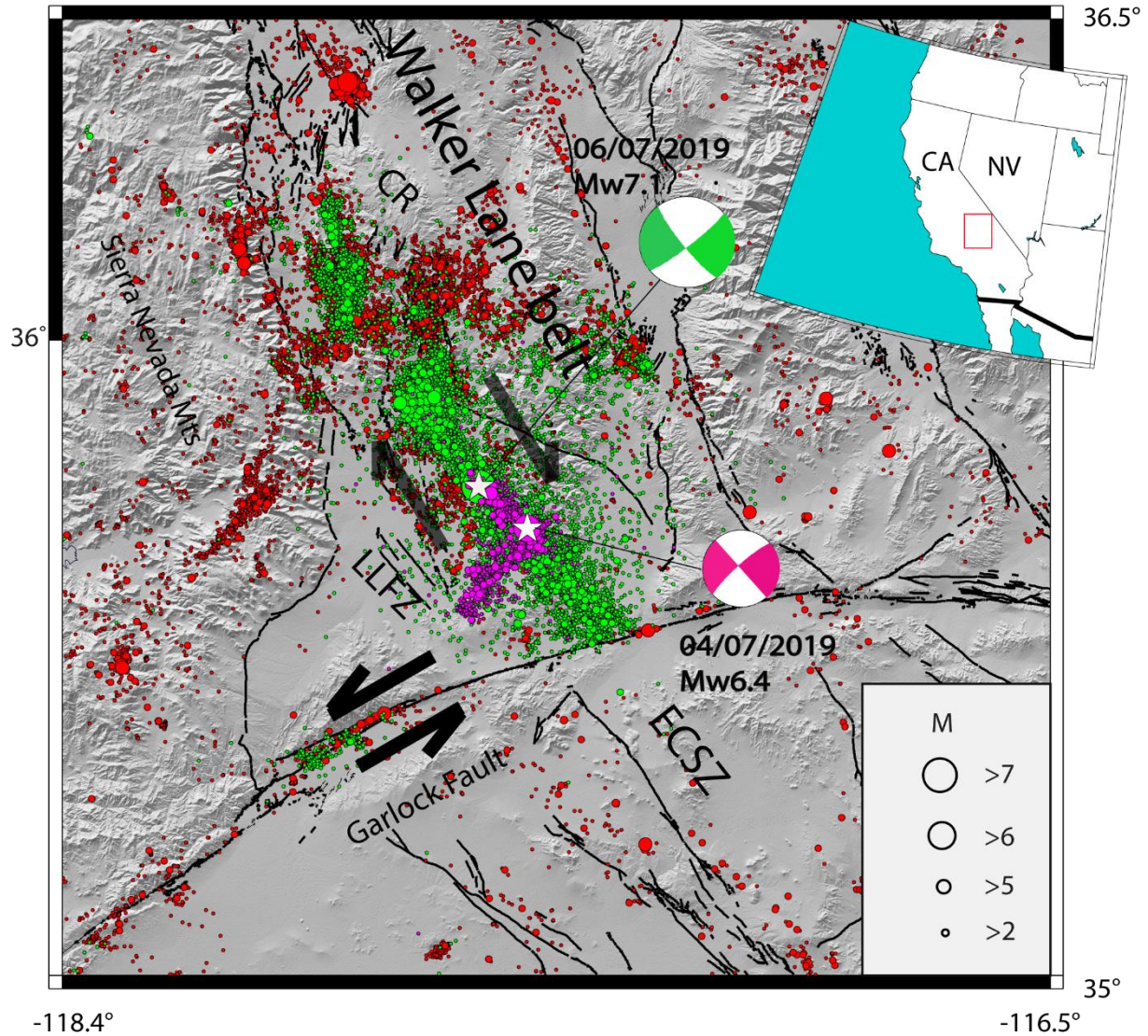292   sequence caused essentially by the variation of pore-fluid pressure at depth.

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294   **Figure 3:** *Seismicity along the Southern Walker Lane (SWL)-Eastern California Shear zone*

295   *(ECSZ) from 2008 to 27/10/2019 using combined SCEDC QTM catalog (Ross et al. 2019) and*

296   *the high definition NEIC-USGS catalog. The color circles indicate the seismicity at different*

297   *periods: red from the period between 1980 and July 2019; magenta for the period covering*

298   *the 2019 Ridgecrest foreshock activity and green for events following the Mw7.1 mainshock.*

METHODOLOGY AND DATA

It's widely recognized that elevated fluid pressure exerts a crucial role in earthquake-triggering mechanics by reducing the frictional strength of the fault (Hickman *et al*., 1995; Sibson, 2000; Yamashita & Tsutsumi, 2018a; Kariche *et al*., 2018). The fluid-flow process can also play a fundamental role during earthquake sequences by encouraging the production of aftershocks (Nur & Booker, 1972; Malagnini *et al*., 2012; Kariche *et al*., 2018; Chiarabba *et al*., 2020). To quantify the influence of fluids in the nucleation, growth, and development of large-scale earthquakes and related aftershock sequences, I use several techniques based on both earthquake statistics and physics. The first step consists of developing a conceptual model based on the joint analysis of the temporal evolution of the earthquake frequency–magnitude distribution and pore-fluid flow before and during the Ridgecrest and Central Apennines sequences. The analysis is also constrained by poroelastic stress change modeling scenarios and previous laboratory results on fractured rocks (e.g., Sammonds *et al*., 1992) in order to give a robust estimation of the role of fluids on earthquake generation. The second step is to investigate a physics-based model of aftershock occurrence on the basis of the assumption that the production of aftershocks is intimately linked to the fluid-flow diffusion process. As for the first step, the analysis of the influence of the fluids on aftershock generation is also aided by poroelastic stress change modeling results taking into account both undrained and drained fluid phases.

1. G-R b-value time series modeling

322   A first empirical relation between the frequencies and magnitudes of earthquakes is proposed

323   by Gutenberg & Richter (1950):

324     $$Log_{10}[N(M)] = a - bM \qquad (1)$$

325   Where a and b are the G-R constants, M is the magnitude, and $N(M)$ is the number of

326   earthquakes in a specific time window of events with a magnitude range between M and $\pm \delta M$.

327   The b-value for an entire catalog is given by the maximum likelihood estimation (Aki, 1965):

328     $$b = \frac{1}{ln(10)(\overline{M} - M_c)} \qquad (2)$$

329   Where $\overline{M}$ represents an average magnitude value for a population of earthquakes satisfying the

330   condition $M \geq M_c$, and M_c is the magnitude of completeness defined as the lowest magnitude

331   at which all the events in a space-time volume are detected (Wiemer & Wyss, 2000; Woessner

332   & Wiemer, 2005).

333   The b-value time series can be rewritten as (Woessner & Wiemer, 2005):

334     $$b = \frac{Log_{10}(e)}{\left[\langle M \rangle - \left(M_c - \Delta M_{bin}/2\right)\right]} \qquad (3)$$

335   Where $\langle M \rangle$ represents the mean magnitude of the sample and ΔM_{bin} is the binning width of the

336   catalogue (Aki, 1965).

337   The standard deviation of b-value can be obtained using the Shi & Bolt (1982) approach:

338     $$\delta b = 2.3 \, b^2 \sqrt{\frac{\sum_i(M_i \{M\})}{n \, (n-1)}}$$

339   Where n is the sample size. The term $\sum_i(M_i \{M\})$ is related to the distribution function of the

340   mean magnitude where $\{M\}$ define the mean magnitude.

Earthquake Data and Completeness

In order to evaluate the temporal variation of seismicity on a seismogenic volume, the variation in b-value is computed using the 3D frequency–magnitude approach (Wyss *et al.,* 1998) with an appropriate time window. The procedure adopted here consists of varying the time-length windows to provide a robust estimation of the b-value at each point in time. The b-value time series computation procedure used in this study is, in general, similar to those used by Gulia & Wiemer (2019) or Dascher-Cousineau *et al*. (2020), which take into account the space–time evolution of Mc in the b-value estimation. The determination of Mc is based on the assumption that the seismic events are self-similar (Wiemer & Wyss, 2000). The most robust way to deal with the dependence of the b-value time series on Mc is to choose a large value of Mc for the entire time series catalog, but this approach leads to maximizing uncertainties when the computation of the b-value is made for a smaller number of earthquake samples.

The completeness magnitude (Mc) for each earthquake sample is assessed using an automated procedure that accounts for its temporal variability, based on the Maximum Curvature (MAXC) method (Wiemer & Wyss, 2000), Mc and the corresponding b-value are estimated simultaneously by identifying the maximum of the first derivative of the frequency–magnitude distribution. In regions with dense seismic networks and access to high-quality catalogs, the MAXC technique enables a reliable time-resolved estimation of b-values. It also reduces uncertainties associated with smaller sample sizes, which often affect fixed-Mc approaches. The latter may obscure short-term b-value variations due to over-smoothing.

To mitigate the known underestimation of Mc by the MAXC method, a correction factor of +0.2 to +0.5 is systematically added (Table 1). This adjustment accounts for the observation that the overall shape of the b-value time series remains robust across a range of reasonable Mc values specific to each earthquake sequence.

365   For periods with limited instrumental coverage, particularly in the Italian earthquake

366   catalog between 1998 and 2005, when Mc may remain elevated over extended intervals, a fixed

367   Mc approach is preferred (Table 1). This method reduces bias in b-value estimation and avoids

368   artificial inflation of b-values caused by unrecognized drops in Mc due to undetected small-

369   magnitude events. By applying a uniform magnitude threshold across all time windows,

370   including those affected by seismic gaps, the fixed Mc approach ensures greater consistency

371   than MAXC in this context. This, in turn, enhances the interpretability of b-value temporal

372   trends, as Mc becomes decoupled from fluctuations in catalog completeness. Conversely, for

373   events occurring after 16 April 2005, when higher-resolution data are available, the MAXC

374   method is preferred.

Earthquake Sequence	Time Period	Mc Values	Methodology / Notes
2019 Ridgecrest	Before Mw 6.4	0.84 – 1.4	Estimated using MAXC method, corrected by +0.2 – 0.5 for stability
	Between Mw 6.4 and Mw 7.1	0.66 – 1.2	Final consistent Mc ≈ 1.4 used for robust time series. Temporal b-value estimates remain stable within Mc ∈ [1.1, 2.0] via Lilliefors test
	After Mw 7.1	0.4 – 1.2	
2016 Amatrice-Norcia	Full Seq	0.9– 2.3	Estimated using MAXC method, corrected by +0.2 – 0.5 for stability, results validated via bootstrapping Temporal b-value estimates remain stable within Mc ∈ [2.1, 2.5] via Lilliefors test
2009 L'Aquila	Foreshock Seq	1.4	MAXC method with a correction factor of +0.2 aligned with Gulia et al. (2016) predictive approach MAXC method consistent with a Fixed Mc
1997 Colfiorito	Full Seq	2.5	Fixed Mc with δMc = 0.1–0.2; used for stable estimates; comparable with variable-Mc result trends.

375   Table1: Summary of Mc values and technics used in b-value time series computation.

376   For the 2019 Ridgecrest sequence, I use the high-confidence Quake Template Matching

377   (QTM) seismicity catalog for Southern California (Ross *et al.,* 2019), which spans the period

378   from 2000 to 2018, along with the USGS-NEIC updated high-resolution catalog from March

379   2018 to March 2020, and the higher-resolution dataset from Shelly (2020) focused on the

380   Ridgecrest aftershock sequence. For the 1997, 2009, and 2016 Central Apennines sequences, I

381   rely on the complete seismic catalog of the Istituto Nazionale di Geofisica e Vulcanologia

382   (INGV), covering the period from 1985 to 2018 (https://doi.org/10.13127/ISIDE), in

383   combination with the regional catalog by Gasperini *et al.* (2013), augmented by the high-

384   resolution catalog from Tan et al. (2021) for the 2016–2017 Amatrice–Norcia sequence.

385   Duplicate events resulting from the combination of multiple catalogs are automatically

386   identified and removed using the ZMAP software (Wiemer, 2001). A space–time window

387   algorithm (e.g. Gardner & Knopoff, 1974) is applied to flag similar events occurring within

388   defined proximity in both space and time. The catalogs are then merged into a single file, with

389   redundant events eliminated accordingly. For more details on magnitude homogenization and

390   catalog processing, refer to the "EARTHQUAKE MAGNITUDE" section in the

391   Supplementary Material.

392   To investigate in detail the role of fluids before and after major earthquakes, I compare the

393   temporal evolution of the b-value in the Central Apennines with that observed following the

394   2019 Ridgecrest sequence (Table 1). The b-value time series method involves analyzing the

395   frequency–magnitude distribution over sliding time windows of fixed event counts. This

396   approach allows more accurate estimation of b-value changes over time, improving our ability

397   to constrain seismicity evolution across periods of highly variable seismic rates (Tormann *et*

398   *al.*, 2013). Assuming that the b-value time series reflects the temporal evolution of crack density

399   or stress heterogeneity in a seismogenic zone, the Mc threshold for each time window is selected

400   in accordance with the magnitude distribution. b-values are computed using the maximum

401   likelihood method (Wyss & Wiemer, 2000), and temporal variations in Mc are incorporated in

402   the analysis following each mainshock to minimize the influence of completeness bias on the

403   resulting b-value time series.

404   The Ridgecrest zone is divided into 0.15° x 0.15° grids. The computation is made regarding

405   the approach based on a fixed number of events of 250 with a 50 minimum event higher than

406   the local value of Mc by using the MAXC method with magnitude binning equal to 0.1.

407   Considering the change in the Mc value, I obtain an Mc value range of [0.84, 1.4] before the

408   Mw 6.4 event and [0.66, 1.2] from the period between the Mw6.4 and Mw7.1 Ridgecrest

409   mainshocks. After the Mw7.1 event, the Mc value range between [0.4, 1.2] (see Table 1). In

410   order to reduce uncertainties on the b-values estimations, and as mentioned before, I asses Mc

411   using the maximum curvature approach and I add 0.2-0.5 to the value of Mc. I confirm that the

412   value of Mc that gives a reasonable estimate of the temporal evolution of the b-value is about

413   1.4 (Figures S5, S7; S8). Furthermore, using the Lilliefors test for statistical validation, I

414   confirm that b-value estimates remain stable within a completeness magnitude range of **[1.1,**

415   **2.0]** (Table 1; see also the "ANALYSIS AND ROBUSTNESS OF THE B-VALUE AND MC"

416   section in the Supplementary Material). A similar methodology was applied to the Central

417   Apennines earthquake sequences (Table 1). In these cases, the MAXC technique also produced

418   reliable time-resolved b-value estimates while reducing uncertainty due to small sample sizes,

419   especially when compared to other estimation methods (Figures S4, S6, S9, S10).

420   Multiple b-value time series tests were performed using varying event counts, ranging from

421   50 to 500 events per window (Figures S11, S12). These variations allowed for an effective

422   balance between signal resolution and smoothing. The earthquake occurrence time was used to

423   define the temporal windows, which yielded a sampling interval of approximately 1 to 12

424   months, depending on the window size. Importantly, the overall shape of the b-value time series

425   remained stable for $100 \leq N \leq 500$ in both the 2016 Amatrice–Norcia and 2019 Ridgecrest

426 sequences (Figures S11, S12). These findings are consistent with earlier studies, such as Wyss

427 & McNutt, (1998) in their analysis of the 1989 earthquake swarm beneath Mammoth Mountain

428 (CA) and Tormann *et al* (2013) who modeled temporal correlations between b-value changes

429 and surface creep in the Parkfield (California) region.

430 **2. Fluid flow and the evolution of seismicity**

431 Taking into account the complexity of earthquake generation, a realistic representation of

432 the temporal evolution of seismicity following a seismic event can be expressed as (Utsu 1969;

433 Utsu & Ogata 1995):

434
$$\frac{dN(t)}{dt} \propto \frac{k}{(c + t)^p} \qquad (4)$$

435 Where $\frac{dN(t)}{dt}$ represents the aftershock frequency, *t* is the time from the mainshock-triggered

436 event, *k* is the productivity of aftershocks that depends on the total number of events, *p* is the

437 power-law exponent, and *c* defines the time delay before the onset of the power-law aftershock

438 decay rate and depends on the rate of activity in the earlier part of the seismic sequence. The

439 value of *c* is also related to the incompleteness of seismic catalogs after strong earthquakes.

440 Guo & Ogata (1997) obtained a range of *c* values between 0.003–0.3 days for various

441 earthquake datasets. In our simulation, the *c* value is fixed at 0.01 d. The value of *c* is selected

442 to be the lowest possible to obtain sufficient aftershock productivity in the very early part of

443 the aftershock sequence (Enescu *et al*., 2007; Kariche *et al*., 2018).

444 Based on the Nur and Booker (1972) hypothesis, the aftershock frequency rate within a

445 seismogenic volume can be proportional to the temporal evolution of pore-fluid pressure as :

446
$$\frac{dN}{dt} = \frac{1}{\alpha} \int \frac{\partial P}{\partial t} \, dv \qquad (5)$$

447 Where α is a constant that relate the rate of aftershock occurrence to the fluid pressure change

448 $\frac{\partial P}{\partial t}$ integrated over a given volume v. In a 2-D fluid flow model, as developed by Nur & Booker

449 (1972), the appropriate volume v defines the integration volume as the lower half-space. In our

450 context, the term "appropriate volume" refers to the area where slip produces significant

451 dilatation. P represents the pore-fluid pressure variation following an earthquake.

452 The model proposed here supposes that the high pore-fluid pressures are mainly

453 concentrated in an area with low permeability that has the potential to maintain elevated pore

454 pressure over time. For the Central Apennines and Ridgecrest aftershock sequences, the basic

455 idea is that a transient pore pressure is created along a fault zone by the dilatancy–fluid diffusion

456 mechanism. The slip phase leads to reduced fluid pressure along the fault plane, which is later

457 restored during the drained fluid phase in response to the redistribution of fluid along the

458 dilatant fault. The fault zone may act as a barrier and conduit of fluid simultaneously if we

459 suppose an anisotropy of permeability. Regarding the structural aspect, fluid migration may

460 take place through adjacent subsidiary fractures connected to bounding faults that are directly

461 associated with earthquake and aftershock behavior (Kirkpatrick *et al.*, 2008; Kariche *et al.*,

462 2018). Additionally, the arrangement of subsidiary fractures, their petrophysical properties, and

463 other topological characteristics may create localized deformed zones that serve as barriers and

464 fluid traps, leading to an accumulation of pore-fluid pressure (Yehya *et al.*, 2018).

465 The elevated pore-fluid pressure affects the effective normal stress and creates a zone of

466 unstable sliding that controls the aftershocks' productivity. The thermal pressurization effect

467 caused by the mainshock may also be viewed as a mechanism that generates elevated pore-fluid

468 pressure over time. However, experiments conducted in freshly fractured rocks suggest that

469 thermal pressurization might not offset the pore pressure changes caused by the dilatancy

470 process (Brantut, 2020). This finding is further supported by theoretical studies on both mature

471 and immature faults, which indicate that slip-induced dilatancy tends to dominate over thermal

472   pressurization effects (refer to Yamashita & Tsutsumi, 2018; Section 5.6). Consequently, it is

473   plausible to consider the issue within a "steady-state" scenario, where the diffusion of pore fluid

474   may act as a rate-controlling mechanism for the aftershock sequence.

475   Taking into account the boundary conditions for a steady-state source and assuming a one-

476   dimensional Darcy flow, a simple poroelastic solution is given by Malagnini *et al.* (2012):

477
$$P(x,t) = (P_0 - P_1)erfc\left(\frac{x}{2\sqrt{ct}}\right) + P_1 \qquad (6)$$

478   Where c represents the value of fluid diffusivity and *erfc* is the complementary error function.

479   For nucleation assisted by fluids, Abramowitz & Stegun (1970) wrote the *erfc* function as:

480
$$erfc\left(\frac{x}{2\sqrt{ct}}\right) = \frac{2}{\sqrt{\pi}}\int_{\frac{x}{2\sqrt{ct}}}^{\infty} e^{-\xi^2}\, d\xi \qquad (7)$$

481   In this case, the initial and boundary conditions may be posed as:

482
$$\begin{cases} P(x = 0, t > 0) = P_0 = \lambda_f\,\rho_r\,gz \\ P(x > 0, t = 0) = P_1 = \rho_w gz \end{cases}$$

483   Where ρ_r and ρ_w are respectively the rocks and fluid density, λ_f is the pore fluid pressure

484   coefficient for an arbitrary depth and range between 0.6 and 0.8 for fault reactivation assisted

485   by fluid (Rikitake 1972). Z represents the source depth and g the gravitational acceleration.

486   Replacing the 1D pore-fluid pressure form in the Nur & Booker (1972) equation with the

487   complementary error function, a complete aftershock pore-fluid diffusion solution may be

488   written as:

489
$$\frac{dN}{dt} = \frac{1}{\alpha}\frac{(P_0 - P_1)}{2\sqrt{\pi ct^3}}\int_0^{\infty} x\, e^{\left(-\frac{x^2}{4ct}\right)}\, dx = \frac{(P_0 - P_1)\sqrt{c}}{\alpha\sqrt{\pi}}\frac{1}{\sqrt{t}} \qquad (8)$$

490   This equation shows that in the presence of high pore-fluid pressure, the aftershock decay rate

491   is proportional $\frac{1}{\sqrt{t}}$. However, if an external source does not provide a sufficient fluid volume,

492   the change in pore pressure becomes non-stationary as time t elapses.

493   Considering the problem as non-steady, the pore pressure decays rapidly and would be one-half

494   of that associated with intermediate time scales. As a result, the decay in pore-fluid pressure is

495   counterbalanced by the redistribution of shear stress along the fault caused essentially by the

496   elastic fault's compaction (Biot, 1965; Booker, 1974; Brantut, 2020). Taking into account the

497   coupling between the pore pressure and the elastic stress (i.e., Coulomb's law), the productivity

498   of aftershocks over a large time scale can only occur if the time variation of shear stress exceeds

499   the time variation in shear strength along faults. Assuming an elemental length of fault rupture,

500   the aftershocks' decay rate may be seen as an integral of the time derivative of shear stress as:

501
$$\frac{dN}{dt} = \int_{-1}^{1} \frac{\partial}{\partial t} \tau_{xz}(x,t)\,dx \qquad (9)$$

502   If we consider the hypothesis that aftershock production is essentially driven by stress load due

503   to the fault compaction, the stress state along small-scale ruptures may be expressed as (Booker,

504   1974):

505
$$\tau_{xz}(x,t) = \frac{-H(t)}{\pi(1-x^2)}\left[1 - \beta\,F(x,t)\right] \qquad (10)$$

506   where: $H(t)$ represents the Heaviside step function, β is the value of compressibility during the

507   relaxation process, where the fluid is assumed to play no role, and F (t, x) is an analytic function

508   defined as (Booker, 1974):

509
$$F(x,t) = 2t\left\{\frac{1+x}{(1-x)^2}\left[1 - e^{(-(1+x)^2/4t)}\right] + \frac{1-x}{(1+x)^2}\left[1 - e^{(-(1+x)^2/4t)}\right]\right\} \qquad (11)$$

510   Based on Equations 9, 10, and 11, the long-term decay of aftershock frequency, associated with

511   the stress redistribution along fractured rocks, can be described by Booker's approximation as

512   follows:

513
$$\frac{dN}{dt} = \frac{1}{4}\left(1 - e^{-4/t}\right) + \lim_{\xi \to 0} \frac{1}{\xi^2}\left[1 - e^{-\xi^2/t}\right] \simeq \frac{1}{t} \qquad (12)$$

514   This solution indicates that, for a sufficient duration of time, the aftershock frequency decay

515   resulting from the pore-pressure drop and the redistribution of shear stress along fractures

516   would replicate the Omori-type signal.

517   **3. Modeling Fault Interactions and Fluid Effects**

518   To compute a static stress change caused by major earthquakes on nearby fault ruptures,

519   I use the concept of Coulomb stress change on a fixed receiver fault. The applied stress change,

520   calculated as the Coulomb Failure Function (ΔCFF; e.g. Reasenberg & Simpson, 1992), is

521   expressed by:

522
$$\Delta CFF = \Delta\tau - \mu\left(\Delta\sigma_n - \Delta P\right) \qquad (13)$$

523

524   Where τ is the shear stress, σ_n is the normal stress (compression positive), P is the pore-fluid

525   pressure, μ' is the coefficient of internal friction, and Δ refers to changes during the earthquake.

526   The second term in Equation (13), defining the Terzaghi effective normal stress, may be

527   replaced by the notion of effective friction coefficient as:

528

529
$$\Delta CFF = \Delta\tau - \mu'\Delta\sigma_n \qquad (14)$$

530

531   The apparent (or effective) friction μ' is given by Reasenberg & Simpson (1992) as follows:

532

533
$$\mu' = \mu\left(1 - B\right) \qquad (15)$$

534

535   where μ is the friction coefficient and B is the Skempton coefficient, which defines the

536   relationship between the stress change and pore pressure change (Rice & Cleary, 1976; Beeler

537   et al., 2000).

538

539   At the intermediate between undrained and drained fluid phases, the Skempton coefficient

540   *B* may be related to the undrained and drained state of fluids as (Yamashita & Tsutsumi, 2018):

541
$$\frac{K}{K_u} = 1 - \alpha B$$

542   Where α is called the Biot & Willis coefficient (Biot, 1965) and represents the ratio

543   between the increment of fluid content and the volumetric strain change following an

544   earthquake. K and K_u represent the drained and undrained bulk moduli, respectively, and may

545   be written as a contribution of undrained (v_u) and drained (v) Poisson ratios (Yamashita &

546   Tsutsumi, 2018a):

547
$$\frac{K}{K_u} = \left(\frac{1+v}{1+v_u}\right) \times \frac{v_u}{v}$$

548   If an isotropic poroelastic model is assumed (Beeler et al., 2000), an intermediate short-term

549   poroelastic solution can be obtained by combining shear, normal, and pore-fluid contributions

550   as:

551
$$\Delta CFF = \Delta\tau - \mu \left(\Delta\sigma n - \frac{(v_u - v)}{\alpha\,(1-2v)(1+v_u)}\Delta\sigma_{kk}\right) \qquad (16)$$

552   Equation (16) demonstrates that the influence of pore fluids is not maximized during the

553   undrained phase but becomes significant as the system transitions toward the drained phase.

554   This behavior has been previously investigated by Segall and Rice (1995) and Chambon and

555   Rudnicki (2001), who explored stress changes resulting from fault geometries using a spring-

556   slider model applied to dilating, fluid-saturated faults.

557   In cases where rocks are fully saturated and exhibit a high density of pre-existing fractures

558   (v_u, v) = 0.31, 0.15 (Rice & Cleary, 1976; Bosl & Nur, 2002), the average poroelastic stress

559   response on target faults is approximately 40% greater than the Coulomb stress modeled using

560   only the elastic properties of the upper crust. Based on this fact, the presence of fluids along the

561   fault zone results in a short-term coupled poroelastic response that enhances stress loading on

562   fixed receiver faults. This occurs particularly in regions where fluid diffusion increases pore-

563   fluid pressure over time.

564   However, the absence of a fully realized 3D poroelastic model limits the ability to

565   physically characterize the complex and complete processes of fluid diffusion along active

566   faults. To address this, the cumulative stress change associated with the full poroelastic

567   relaxation following an earthquake is modeled using analytical 3D poroelastic solutions derived

568   from 3D elastic modeling. This approach incorporates the temporal variation of the Poisson

569   ratio as fluids transition from an undrained to a fully drained state (Segall, 2010, Sect. 10.7).

570   Rather than being an oversimplification, this methodology compares elastic deformation

571   scenarios between the "undrained" fluid state (immediately after the earthquake) and the fully

572   "drained" state (when fluid redistribution and heterogeneous fluid pressure equilibrium are

573   established along the fault zone). While it does not explicitly explore the detailed temporal

574   evolution of fluid migration and crustal deformation, the variation of the Poisson ratio from the

575   undrained to drained states is interpreted as a consequence of changes in rock rheology driven

576   by fluid drainage along the fault zone.

577   **RESULTS AND ANALYS**

578   **1. TEMPORAL VARIATION OF B VALUE, FORESHOCK ANALYSIS AND THE**

579   **ROLE OF FLUID**

580   Figure 4 shows the preferred b-value time series for the Ridgecrest case. The optimum time

581   series calculation is made with a sample size of 250 events at a low window overlap (~4%).

582   The temporal evolution of the earthquake size distribution shows an increase in b-value one

583   year before the 2019 Ridgecrest sequence followed by a gradual decrease in b-value ~ one

584   month before the Mw 6.4 foreshock (Figures 4; 5 and S7A). After the Mw 6.4 earthquake, the

585 b-value rapidly varies from minimum to maximum and from maximum to minimum just before

586 the Mw7.1 earthquake showing major double peaks (Figures 4C and 5A) as predicted by the

587 laboratory experiments in water-saturated specimens (e.g., Main et al., 1989). The recovery in

588 b-value before the Mw 7.1 earthquake as observed in Figures 4 and 6A is interpreted here as a

589 response to pore pressure drop during the undrained phase of the fluid. This value is close to

590 the value of b ~ 1 during the left-lateral earthquake but the increase in foreshocks productivity

591 caused by fluid migration and pore pressure instability in the ~ 33 hours preceding the Mw7.1

592 right-lateral earthquake tends to re-decrease the b-value to ~ 0.5 creating a double b-value

593 minimum as observed in Figures 4C, 5A, 5C, and 6A.

594   The Mw 7.1 shear rupture is accomplished by evolving the ensemble of foreshock events

595 off the Mw6.4 main rupture. This may be represented by a highly oriented diffusive seismicity

596 that grows in a shear zone of intense deformation. Therefore, the Mw7.1 dynamic failure does

597 not occur at peak stress (Figure S13A) and the failure process seems to be more dependent on

598 the temporal evolution of seismicity and related pore-fluid pressure redistribution nearby the

599 Mw7.1 nucleation area (Figure S13C) rather than the variation in elastic stress. In this case, the

600 minimum doublet b-value as observed in the b-value time series may be interpreted as a local

601 dilatancy hardening phase resulting from fluid migration along conjugate fault ruptures. At this

602 time, the fluid migration at a short time scale requires a significant evolution of the permeability

603 along fault ruptures. Based on this assumption and other considerations in relation to the stress

604 change induced by fault geometries in a spring-slider model for dilating fluid-infiltrated fault

605 (Segall & Rice, 1995; Chambon & Rudnicki, 2001), the temporal fluctuation of the b-value

606 related to the 2019 Ridgecrest sequence seems to be controlled by slip instability due essentially

607 to the pore pressure fluctuation caused by fluid migration along the heterogeneous fault zone.

608 The temporal b-value instability associated with the pore pressure fluctuation continues during

609 the two months following the Mw7.1 earthquake (Figures 4B and C). The ~ two-month

610   instability period may also represent the duration of the Mw 7.1 poroelastic rebound. Also, the

611   similarities between the temporal evolution of the b-value for the 2019 Ridgecrest and the 2016

612   Amatrice-Norcia sequences (Figures 6A, 6B and S13) may suggest an analogous physical

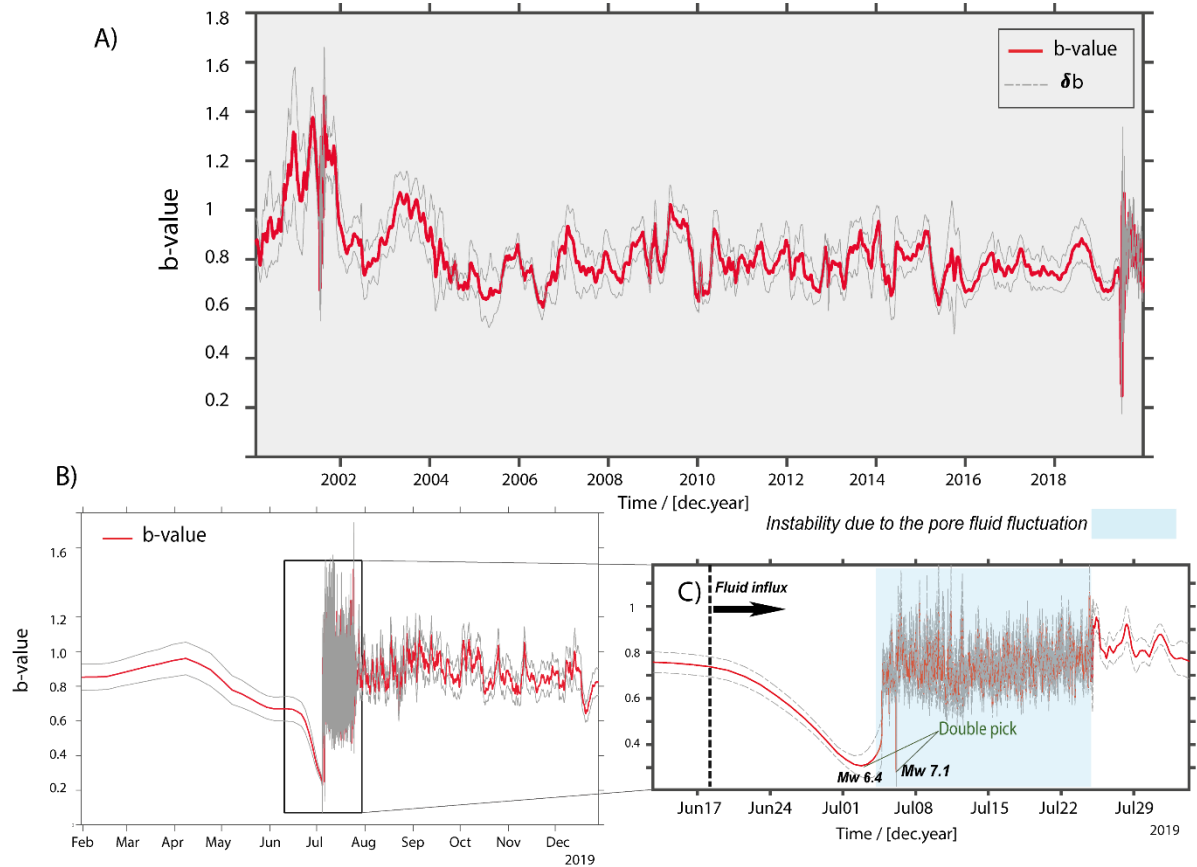613   mechanism controlling the foreshock occurrence for both sequences.

614

615   **Figure 4:** *Earthquake size distribution estimates for the Ridgecrest fault zone area.* **A)** *b-value*

616   *time series spanning the period from 2000 to 2020. The b-value time series were computed using the*

617   *maximum curvature approach for a moving window of 250 events with a step size of 50 events. The*

618   *window overlap is fixed at ~4%. The Standard deviation of the b-value (δb) is represented by a dashed*

619   *grey line and is obtained using the maximum likelihood estimation approach (Shi & Bolt 1982).* **B)**

620   *Zoom-in figure for the period from February 2019 to January 2020.* **C)** *Zoom-in figure for the period*

621   *from ~ 2 weeks before the 2019 Mw 6.4 first earthquake to August 01, 2020, but by adding a high*

622   *smoothing plot factor (~ 6) to the b-value estimations.*
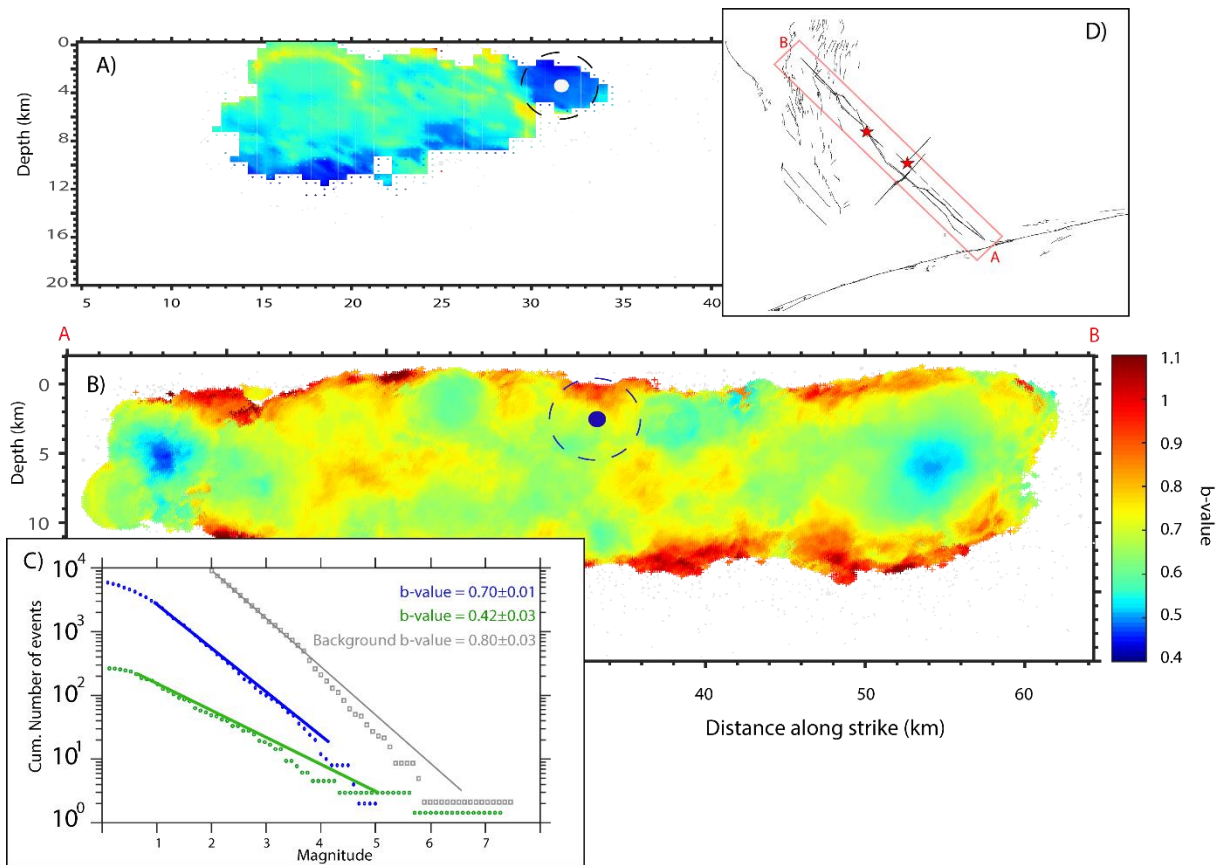
Figure 5: *Spatio-temporal evolution of the b-value associated with the 2019 Ridgecrest sequence: **A)** cross-section showing b-value distribution before the Mw7.1 earthquake. **B)** Cross-section showing a b-value distribution after the Mw7.1 earthquake. **C)** Frequency-Magnitude Distributions (FMD) around the Mw7.1hypocentral area before and after the Mw7.1 event: the green curve represents the G-R distribution before the Mw7.1 event, the blue curve represents the G-R distribution after the Mw7.1 and the gray curve represents the background FMD distribution. The dashed colored circles in A) and B) represent the locations of events used in C). **D)** Position of the cross-section with respect to the surface distribution of the Ridgecrest fault ruptures. The Ridgecrest Fault-ruptures are from Xu et al., (2020). The Quaternary faults are from the USGS.*

The double b-value minima as observed in Figure 6B correlates with the relative crustal velocity fluctuation observed in Amatrice-Norcia seismogenic zone (Soldati *et al.*, 2019). Note that the difference between Figure 4C and 6A in the 2-3 weeks preceding the Mw 6.4 earthquake is attributed to the use of a higher smoothing factor. The smoother curve in Figure 4C is employed solely to distinguish between the high and low-frequency b-value time series, thus

638   providing more accurate estimates of the temporal instability associated with the pore fluid

639   fluctuations. It is noteworthy that the b-value time series with a double b-value minimum

640   shown in Figure 4 is consistent with the b-value estimates obtained taking into account the Mc

641   values obtained by the Lilliefors test (Table 1; also refer to the "ANALYSIS AND

642   ROBUSTNESS OF THE B-VALUE AND MC" section in the Supplementary Material).

643   Additionally, the b-value mapping in Figure 5 aligns with the estimates derived from the EMR

644   technique proposed by Nanjo (2020) for the same sequence, particularly during the period

645   preceding the Mw 7.1 event. The key difference is that Nanjo (2020) exclusively uses a static

646   elastic stress change modeling procedure to explain the observed low b-value near the Mw 7.1

647   nucleation zone.

648   Considering the case of the 1997 Colfiorito sequence, the gradual decrease in the b-value

649   prior to the foreshock sequence (Figures 7C and 7D) seems to be concordant with the fracture

650   model of Main *et al*. (1990). Adopting the Main *et al.* (1990) experimental model of cracks, the

651   temporal evolution of the b-value may be defined here as a rapid failure after periods of strain

652   hardening and strain softening due essentially to the pore-fluid diffusion process. The dilatancy

653   softening phase related to the 1997 Colfiorito sequence seems to be controlled by the fluid

654   migration along fault zones where the stress intensity is highly coupled to the temporal variation

655   in effective normal stress. Considering the Terzaghi Law, the fluid diffusion phase will play a

656   crucial role in accelerating seismicity by decreasing the magnitude of effective normal stress

657   acting along cracks, promoting the occurrence of fast slip episodes at short time scale.

658   The time evolution of the b-value following the 2009 L'Aquila sequence differs from those

659   obtained for the 2016 –Amatrice-Norcia and the 2019 Ridgecrest sequences (Figures 6 and 8).

660   This difference may be due to the presence of a large deep fluid reservoir near the L'Aquila

661   fault zone which maintains a high pore fluid pressure during a large period of time. In fact,

662   InSAR time series analysis related to the central Apennine earthquakes reveals that the

663   sedimentary basin nearby the L'Aquila fault zone had experienced about 10 mm of accelerating

664   subsidence in the years prior to the L'Aquila mainshock (Moro *et al.* 2017) in agreement with

665   the observed change in the frequency of the b-value time series (Figure 8).

666   The accelerating subsidence is viewed as a consequence of large pre-earthquake fluid

667   migration along the fault zone (Moro *et al*. 2017). Based on our estimation of the b-value

668   (Figures 7 and 8) and ground deformation estimated from SAR imagery (Moro *et al*., 2017),

669   the acceleration of subsidence is interpreted here as probably due to large dilatancy-fluid

670   diffusion processes that control the temporal fluctuations of the b-value at a large time scale.

671   The analysis of the time-magnitude series shows a gradual decrease in the number of events

672   with magnitude M < 3 associated with an increase of events with magnitude > 3.5 in agreement

673   with the change in the b-value time series (Figures 7 A and 8). A second phase with an apparent

674   increase of small magnitude earthquakes accompanied by a decrease in the number of events

675   with a magnitude Mw larger than 3.5 is observed in the two months prior to the 2009 L'Aquila

676   mainshock (Figures 7 A and 8). The gradual increase of micro-seismic events observed in the

677   two months prior to the L'Aquila mainshock is highly coupled with the gradual decrease in the

678   b-value (Figure 8; Figures S3A and B).

679   The trend of the b-value time series during the last phase of the L'Aquila interseismic

680   period is understood here as an influx of pore fluid into a dilatant volume near the nucleation

681   zone. The increase in the magnitude of foreshocks just before the L'Aquila mainshock (Figure

682   8) considerably affects the temporal evolution of the b-value by creating a sudden drop in the

683   b-value. The time delay between the start of foreshocks and the b-value decrease seems to

684   correlate with the gradual increase in microseismic events followed by a sudden increase in

685   earthquakes with magnitude M ≥ 3.0 (Figure 8). This temporal-spatial clustering of seismicity

686   may suggest a complex stress evolution, consistent with a heterogeneous effective stress drop

687   modulated by fluid migration within a structurally anisotropic fault zone.

688
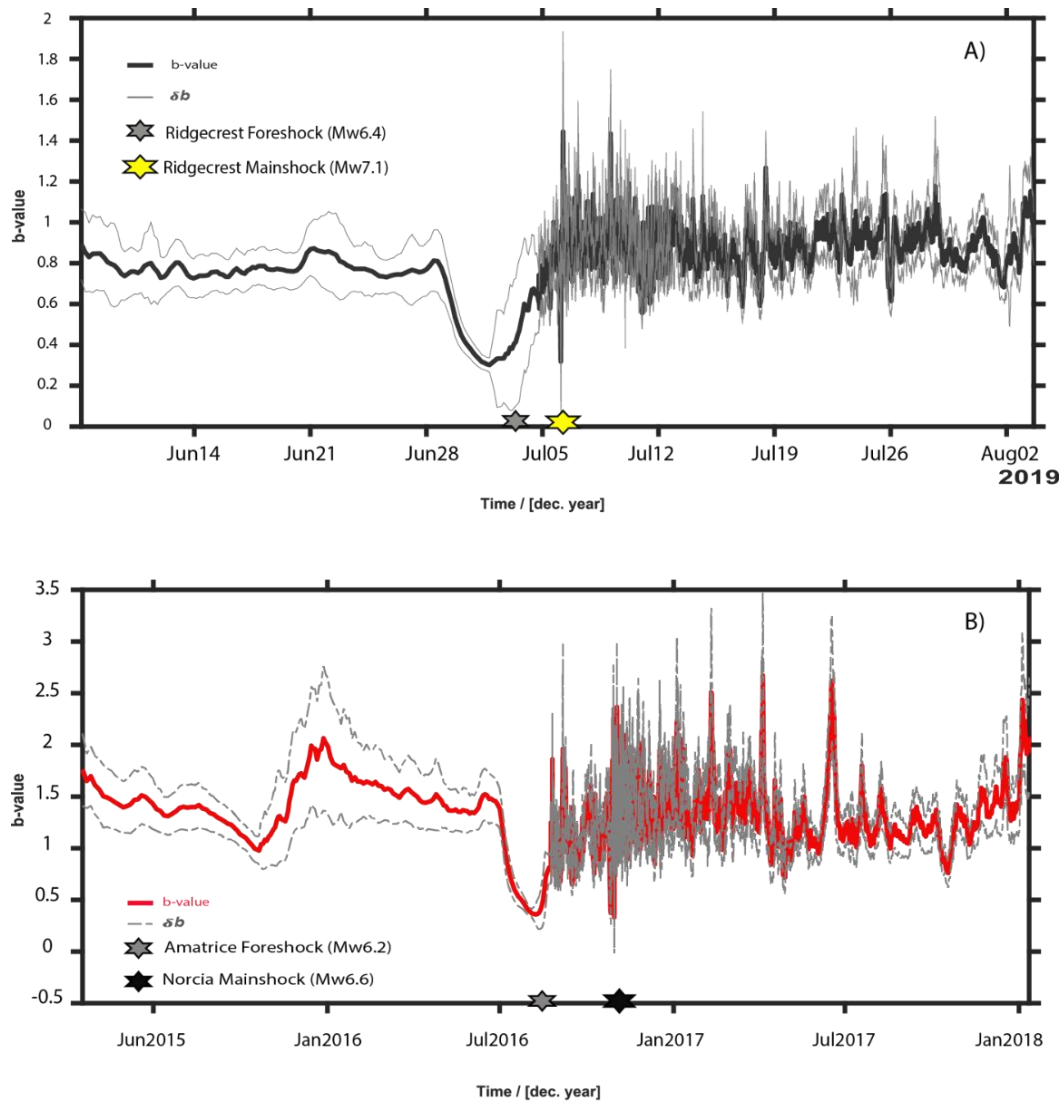
Figure 6*: Comparison between b-value time series analysis following: **A)** 2019 Ridgecrest sequence and **B)** 2016 Amatrice-Norcia sequence. The two figures show a double pick during the foreshock – mainshock period as predicted by the laboratory experiments on water saturated specimens. The b-value time series is performed using the combined high resolution NEIC-USGS catalogs and supplemented by the Shelly (2020) catalog for events that occurred during the 2019 Ridgecrest foreshock-mainshock sequence. The b-value time series for the 2016 Amatrice-Norcia sequence is performed using the entire catalog of the INGV combined with the local catalogs published by Tan et al. (2021). The b-values time series are computed using ZMAP7.0. For both sequences, the uncertainty estimation is obtained by 100 bootstraps related to windows size of 250 events.*
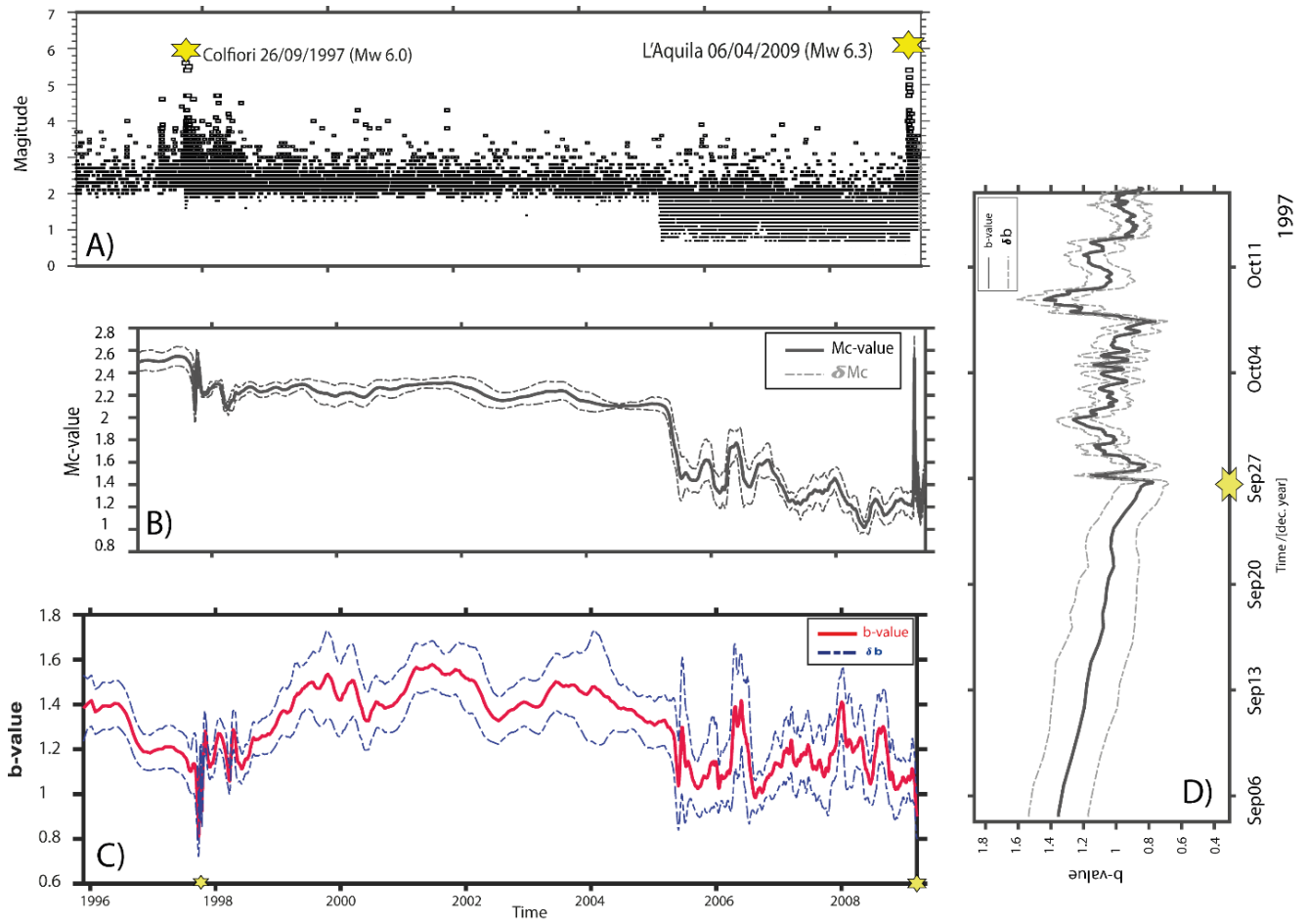
698

Figure 7. *A)* *Earthquake magnitude versus time for the central Appennines covering the periods*

between 1996 to 2009 and using combined catalogs of INGV and Gasperini et al (2013) catalogs. The

yellow stars represent the position of the 2019 Mw 6.0 Colfiorito and the Mw6.3 L'Aquila mainshocks.

B) Mc-value time series using the same catalogs as A) and covering the periods between 1998 to 2009.

The magnitude of completeness (Mc) varies in times from 2.5 (before 1997) to 1.4 (after 2005) with

uncertainties δMc equals to 0.15 and 0.18 respectively. C) Temporal evolution of the G-R b-value in the

central Appennines covering the same periods as in A. D) temporal evolution of the G-R b-value before

and during the 1997 Colfiorito sequence. The b-value computation is resolved by using a coherent level

of Mc equal to 2.5 ensuring a stable state over time and thereby minimizing b-value artifacts. The yellow

star indicates the location of the Mw 6.0 event. It is worth noting that the trend observed in the b-value

time series, as discussed in C), and incorporating temporal variations of Mc, closely mimic the results

obtained when assuming a fixed Mc value of 2.5 and employing N~250 fixed sample size windows with

100 bootstraps.

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713
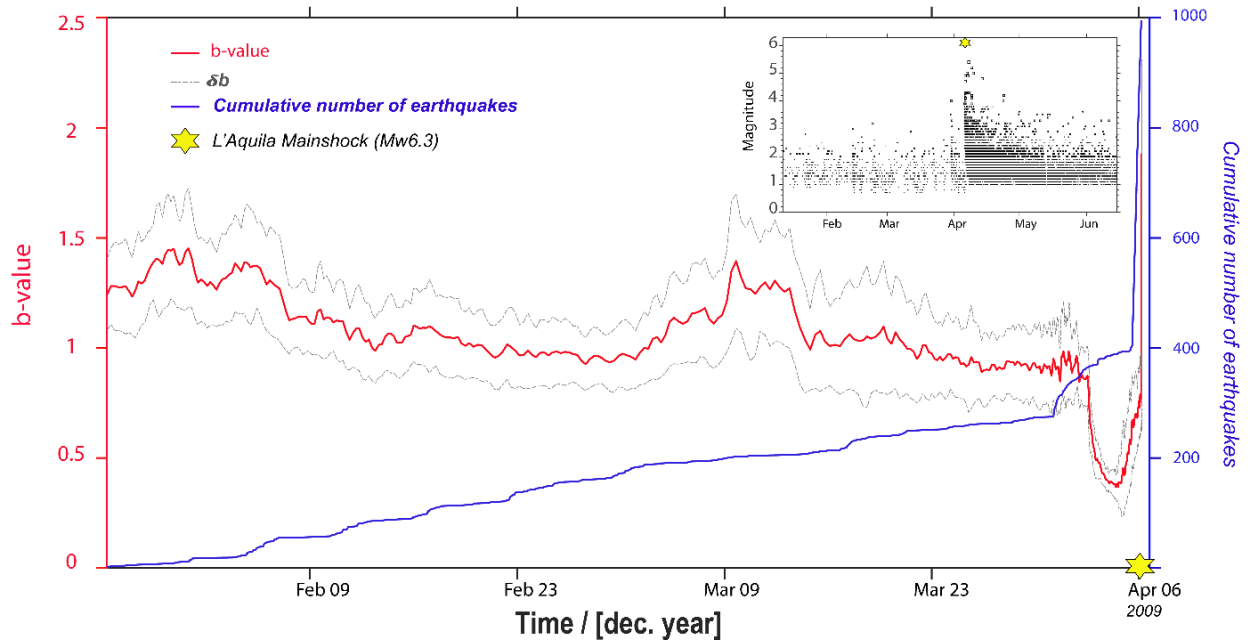
Figure 8 *Temporal evolution of the G-R b-value (in red) and the cumulative number of earthquakes (in blue) during the Foreshock period priors to the Mw6.3 L'Aquila earthquake using the entire catalogs of Gasperini et al (2013). The b-value time series is obtained using a sample windows size of 150 events with 100 bootstraps. For safety, the Mc correction value is fixed at 0.2 comparable to the value used by the predictive foreshock model of Gulia et al (2016). The black stars represent the position of the Mw 6.3 L'Aquila mainshock.*

2. STRESS CHANGE, POROELASTICITY AND TEMPORAL EVOLUTION OF AFTERSHOCK

As shown in the previous section, the occurrence of moderate to strong earthquakes along the SWL-ECSZ and Central Apennines zones may be coupled with the fluid migration along heterogeneous fault zones. This fluid migration can lead to abnormally elevated pore pressure and promote the occurrence of moderate to large earthquakes. Based on the Coulomb failure stress hypothesis, the post-seismic poroelastic stress change modeling following the Ridgecrest Mw 6.4 left-lateral event shows a high value of stress along the Mw7.1 right-lateral rupture

728   (Figures 9A and S13; Kariche, 2022) when the purely elastic stress modeling predicts an

729   absence of earthquake activities (Figures 9B and 9C; Lozos & Harris, 2020; Kariche, 2022).

730   The stress change modeling result in Figure 9A illustrates the post-seismic poroelastic stress

731   change scenario based on the assumption of cumulative poroelastic stress responses resulting

732   from changes in drained and undrained Poisson ratios. It also incorporates a significant

733   Skempton coefficient value (B>0.5) (For a comprehensive understanding, refer to Section 3 of

734   "METHODOLOGY AND DATA" and Section 3 in Kariche, 2022). Subsequently, the study

735   compares the poroelastic stress response to the temporal evolution of poroelastic stress changes

736   that occurred following the Mw6.4 foreshock on the receiver fault plane responsible for the

737   Mw7.1 event. This comparison is made by employing different values of fluid diffusivity, as

738   depicted in Figure S13. The Coulomb stress change modeling (as illustrated in Figure S13)

739   considers a time-dependent pore-fluid pressure change derived from the solution proposed by

740   Piombo *et al*. (2005). In this modeling approach, a permeable source fault is assumed to be

741   associated with the Mw6.4 event. In contrast, the conjugated receiver fault plane in relation to

742   the Mw 7.1 nucleation area is considered as a barrier to the fluid flow.

743   Considering the diffusive effect of fluid, the Coulomb stress change modeling shows a

744   stress increase on the fault plane responsible for the Mw 7.1 earthquake (Figures 9A and S13C),

745   where the coseismic Coulomb stress change expects a negative (or insufficient) stress value

746   (Figures 9B and C). One of the possible explanations for the temporal evolution of stress change

747   values from negative to positive, as shown in Figures 9 and S13C, is the fluid redistribution

748   along conjugated fault ruptures, which creates favorable conditions for a weakening mechanism

749   by increasing pore-fluid pressure along the right-lateral fault rupture and, in fact, promoting the

750   occurrence of the Mw7.1 earthquake. The rupturing process on conjugated strike-slip faults

751   assisted by fluid migration is not unusual. Using a typical undrained and drained Poisson ratio

752   for a Berea sandstone, the modeling of the Coulomb failure function per unit of stress drop

753 caused by the 1987 Elmore Ranch event (Mw 6.2) on the conjugated Superstition Hills fault

754 (Mw 6.6) shows a maximum poroelastic stress value in the ~11 hr following the Mw 6.2 event

755 (Hudnut *et al.*, 1989). For the 2019 Ridgecrest sequence, the Coulomb stress change modeling,

756 taking into account the effect of fluids, reveals that the ~33 hr time delay between mainshocks

757 may be viewed as a triggering mechanism controlled by the fluid-flow process (Figures 9A and

758 S13; Kariche, 2022). The value of fluid diffusivity is relatively low compared to the value

759 obtained for the Superstition Hills sequence and may suggest that the fluid migration along

760 faults controls the delay between earthquakes. Note that the coseismic (undrained) isotropic

761 elastic stress change models, illustrated in Figures 9B and C, are undertaken primarily for

762 comparative purposes. They serve as a basis for comparison against the outcomes of short-term
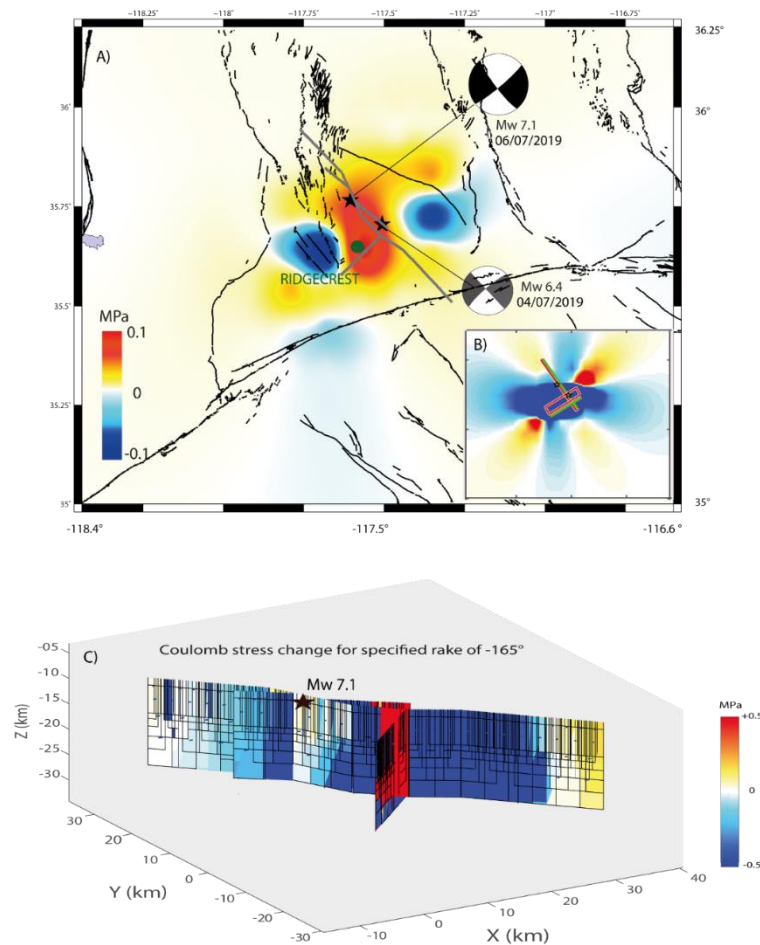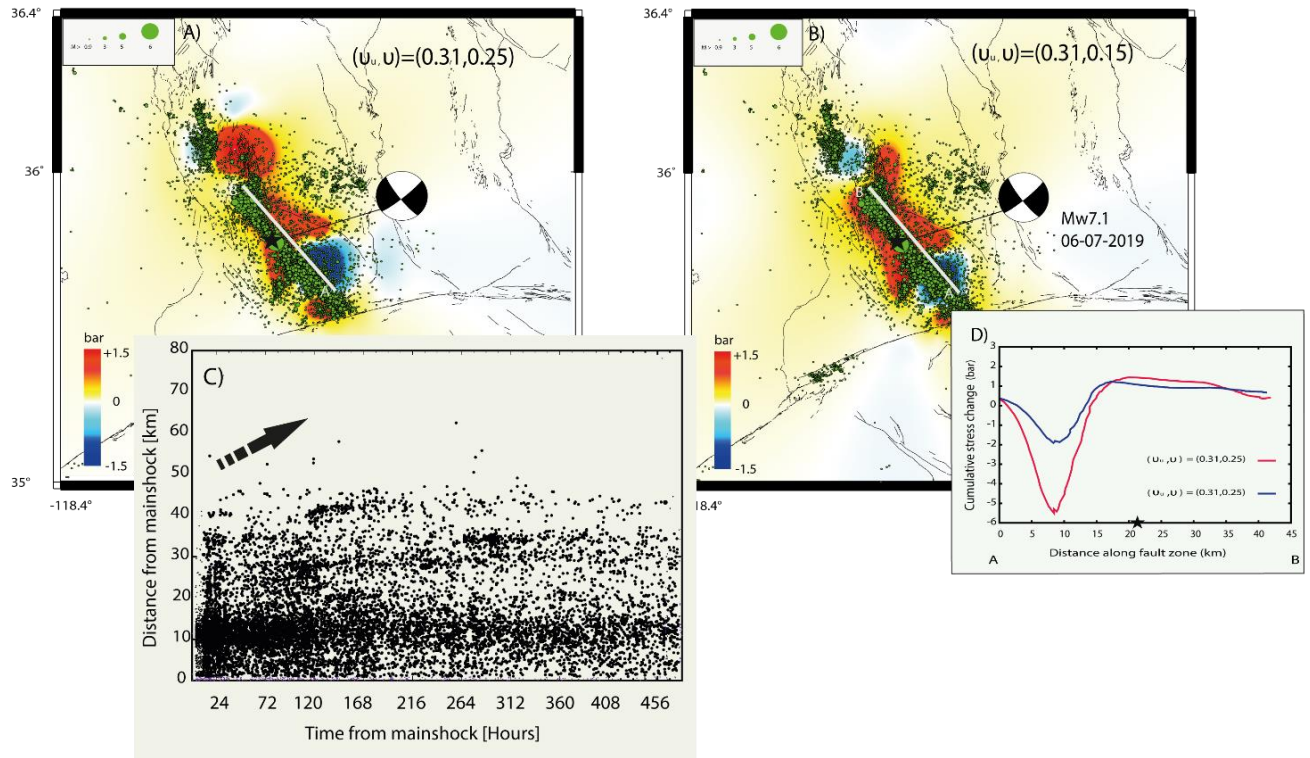
763 poroelastic stress change modeling.

764

Figure 9: *A) Short–term poroelastic stress change modeling following the Mw6.4 earthquake*

on receiver fault planes with Strike /Dip/ Rake = 143°/85°/-165° at 8km depth. The post-seismic

stress redistribution following the 04-07 (Mw6.4) from the undrained state to the drained fluid

state using extreme undrained and drained Poisson ration values (υu, υ = 0.31, 0.15). These

values are interpreted as a consequence of a high variation in rock rheology before and during

the Mw6.4 earthquake. The 2019 Ridgecrest surface rupture faults are from Xu et al (2020).

The grid depth is selected with respect to the Mw 7.1 hypocenter location of Wang et al., (2020).

B) Co seismic stress transfer caused by the Mw6.4 earthquake on receiver fault planes with

Strike /Dip/ Rake = 143°/85°/-165 at 8 km depth. The co-seismic stress modeling is performed

using simple conjugate fault geometries. C) Co-seismic stress change caused by the Mw 6.4 left

lateral rupture on the Mw 7.1 right lateral fault plane. The Mw 6.4 complex geometry and slip

distribution are from Xu et al (2020). The Coulomb stress change modeling was performed for

a fixed rake of –165°. The black star represents the same location of the Mw 7.1 event as in

figure 5.

Fluid migration during an earthquake may also impact the frequency of aftershocks. Figure 10 illustrates the cumulative stress change modeling resulting from the complete poroelastic relaxation of the Mw 7.1 Ridgecrest earthquake using different values of drained υ and undrained υ_u Poisson ratios, in comparison to the spatial distribution of aftershocks following the Mw7.1 Ridgecrest earthquake. Figures 10 (A, B, and C) reveal a correlation among: 1) the evolution of stress change following the Mw 7.1 earthquake, 2) the fluid diffusion process, and 3) the spatial distribution of a subset of aftershocks near and NNW of the Mw7.1 epicenter. The values of υ_u and υ used in Figure 10 might be associated with water-saturated rocks in the upper few kilometers of the seismogenic zone (h ≤ 15 km). The fluid-diffusion process within the context of the 2019 Ridgecrest sequence appears to primarily operate at a local scale (Figures 9 and 10). The Coulomb stress change modeling, which incorporates the diffusive effects of

790 fluids, reveals a clear increase in stress change values near the epicentral region of the Mw 7.1

791 event (Figure 9A). Furthermore, the full poroelastic relaxation resulting from the Mw7.1 event,

792 particularly along faults parallel to the main rupture, seems to correspond to the spatial

793 distribution of aftershocks in the northern part of the Mw7.1 main rupture (Figures 10A, B, and

794 D).

795 In contrast, for the southern section of the Mw 7.1 Ridgecrest fault zone, the triggering

796 mechanism seems to operate independently of the fluid diffusion process (Figures 10A, B, C

797 and Figure S14). These findings support the idea that the generation of aftershocks following

798 the 2019 Ridgecrest earthquake is complex and may be related to both afterslip and poroelastic

799 relaxation processes. Indeed, an analysis of the co-seismic and early post-seismic surface

800 deformation (~2 months of deformation) following the 2019 Ridgecrest event suggests that the

801 observed post-seismic deformation during the first month may result from a combination of

802 afterslip and poroelastic rebound (Wang & Bürgmann, 2020). Based on the surface deformation

803 analysis (Wang & Bürgmann, 2020) and stress change modeling results (Figure 10), it is

804 reasonable to propose that the seismicity rate in the southern part of the Mw 7.1 main fault is

805 primarily driven by a model based on the evolution of afterslip, a conclusion supported by time

806 series analysis from the B921 strainmeter located in the same area (Hirakawa & Barbour, 2020).

807 Conversely, the early generation of aftershocks in the northern part appears to be predominantly

808 influenced by the poroelastic rebound resulting from the Mw 7.1 mainshock.

809 To explore the detailed mechanism of post-seismic deformation following the 2019

810 Ridgecrest sequence and related fluid migration, I analyze the temporal evolution of the

811 aftershock frequency rate associated with the Mw 7.1 earthquake and compare it with the case

812 of the Central Apennines. Figure 11 shows a comparison between the effect of fluid

813 redistribution on aftershock occurrence following the Mw 6.0 Colfiorito and the Mw 7.1

814 Ridgecrest earthquakes.

815

Figure 10: *Cumulative stress change due to the full poroelastic rebound following the Mw7.1*

Ridgecrest earthquake on right lateral fixed receiver fault planes parallel to the Mw7.1 main rupture.

A) *poroelastic stress change modeling using a typical value of undrained and drained Poisson*

ratio(υu,υ)=(0.31,0.25). ***B)*** *poroelastic stress change modeling using the extreme value of undrained*

and drained Poisson ratio (υu,υ)=(0.31,0.15). ***C)*** *Spatiotemporal evolution of seismicity during the*

~20 days following the Mw7.1 mainshock. The triggering front is represented as a time-distance

plot of the events occurring from the Mw7.1 epicenter to the Coso geothermal area. D)

Poroelastic stress change profiles caused by the full relaxation of the Mw7.1 earthquake along parallel

right-lateral fault ruptures. The seismicity databases are from NEIC-USGS. The stress change modeling

is fixed at 8 km depth. The black arrow in Figure C indicates the average direction of seismicity

migration.

Figure 11 (A and C) shows strong similarities between the temporal evolution of the

aftershock sequence following the two earthquakes. The aftershock frequency rate curve starts

830   with a rate decay of $1/\sqrt{t}$, while it becomes equal to $1/t$ in days to one month after the 1997

831   Colfiorito and Mw 7.1 Ridgecrest mainshocks as predicted by the pore-fluid diffusion equation

832   (see equation8 in the methodology section; Figures 11A and C).

833   Based on the pore fluid flow hypothesis, the $1/\sqrt{t}$ decay is interpreted as an increase in

834   aftershock productivity due to the pore fluid diffusion along the fault zone. The increase in

835   aftershock productivity is also observed in Omori fit curve when the seismicity rate shows

836   additional aftershocks in the ~10–20 days after the Mw 6.0 Colfiorito and in the ~5–20 days

837   after the Mw 7.1 Ridgecrest mainshock (Figures 11B and D), which cannot be explained by the

838   aftershock rate decrease as predicted by the Omori Law. These results are also supported by the

839   abnormalities in aftershock activity observed during monitoring of the temporal and spatial

840   seismic activity following the Mw 6.4 Ridgecrest earthquake (Ogata & Omi, 2020). In addition,

841   the duration of the increase in aftershock activity (Figure 11D) seems to follow the duration of

842   pore-fluid instability as estimated by the b-value time series (Figure 4C). Note that the

843   underproduction of aftershocks as seen just after the Mw7.1 mainshock (Figure 11C) may be

844   due to the under-reporting of small events in relation to the incompleteness of the seismic

845   catalogs soon after the mainshock.

846   The aftershock frequency rate curve (Figure 11A) also mimics the 1 km/day migration of

847   seismicity toward the southeast following the Mw 6.0 mainshock (Figure 1b in Catalli *et al.,*

848   *2008*). For the Ridgecrest sequence, the spatiotemporal analysis of the aftershocks indicates a

849   migration rate of ~4 km/day in the northern part of the Mw 7.1 event (Figure 10C, Figure 12).

850   Based on the pore pressure-diffusion propagation solution in an effective isotropic

851   homogeneous poroelastic medium (Shapiro, 2015, *Ch 3, Sect 3.3*), the shape of the pressure

852   front that best matches the 4 km/day aftershock migration rate is achieved by considering a high

853   fluid diffusivity value of 275 m²/s (Figure 12B).
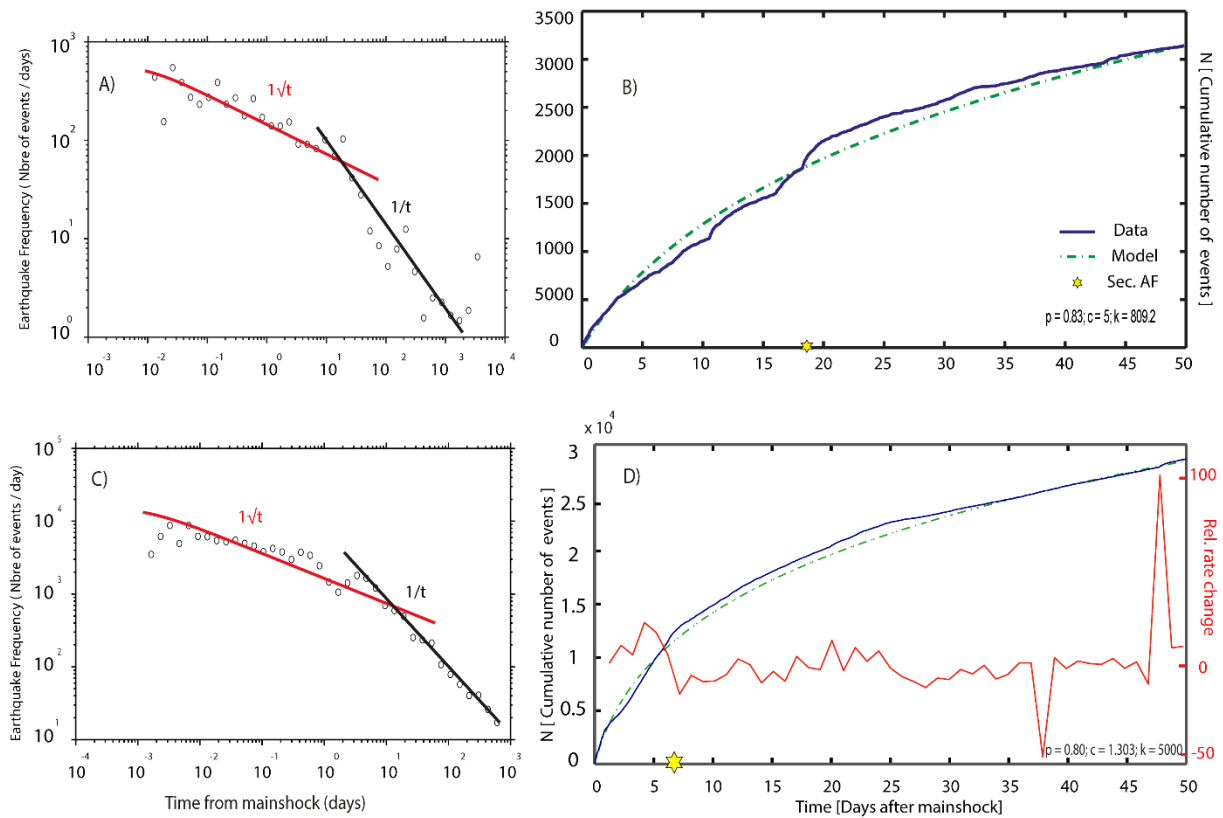
854

Figure 11: *Representation of the temporal postseismic effect following the Mw 6.0 Colfiorito and Ridgecrest earthquakes. **A)** Seismicity rate change versus time following the Mw 6.0 Colfiorito earthquake. **B)** Comparison of observed seismicity (blue) and the Omori fit (green) using the Zmap algorithm for 50 days' time windows following the Mw6.0 Colfiorito mainshock. **C)** Seismicity rate change versus time following the Mw 7.1 Ridgecrest earthquake. **D)** Comparison of observed seismicity (blue) and the Omori fit (green) following the Mw7.1 Ridgecrest mainshock using the Zmap algorithm for 50 days' time windows. For the aftershock frequency vs time curves, the value of c is fixed to 0.01 d for Panels A and C and suppose variable (from 2.4 to 5) for Panels B and D. The yellow stars represent the position of the second major choc for each sequence. The relative earthquake rate change (red curve in D) is obtained from the change in slope of the cumulative number curve using a Habermann function regardless of the time of greatest change and comparing the rate in the two parts of the period (before and after the division point) by fit-time windows function (Wyss & Habermann, 1988;*

868   *Wyss & Wiemer 2000), the time variation function defines the variation between the rate before*

869   *and after at local time-scale.*

870   Despite that the migration rate associated with the Mw7.1 Ridgecrest aftershocks rate

871   appears to be slightly higher than that of the Colfiorito sequence, the fluid diffusivity value

872   obtained during the Mw 7.1 postseismic deformation phase (i.e. 275 m²/s) seems to be quite

873   similar to that observed for the entire Colfiorito sequence, taking into account the anisotropic

874   nature of fluid diffusivity (Antonioli *et al.,* 2005). Such a value of the fluid diffusivity is larger

875   than the 2.32 m²/s deduced from the poroelastic stress modeling imparted to the Mw 6.4

876   foreshock (Figure S13; Kariche, 2022) or obtained in the laboratory measurement for the same

877   lithologies. However, it is consistent with estimates of hydraulic diffusivity along Central

878   Italian active faults (Malagnini, 2012; Malagnini *et al.,* 2022), with in-situ measurements at the

879   Long Valley Caldera geothermal field (Roeloffs *et al.,* 2003), and with values deduced from

880   the analysis of induced seismicity due to wastewater injection in Western Oklahoma (Dempsey

881   & Riffault, 2019). Furthermore, using the poromechanical model of Byerlee (1993), I estimate

882   that permeability along the Ridgecrest fault zone increased by up to three orders of magnitude

883   (ranging from 10^{-11} to 10^{-12} m²) following the Mw 7.1 mainshock. This enhancement in

884   permeability is consistent with the inferred fluid diffusivity of 275 m²/s and reflects a significant

885   change in fault zone properties during the Mw 7.1 Ridgecrest earthquake.

886
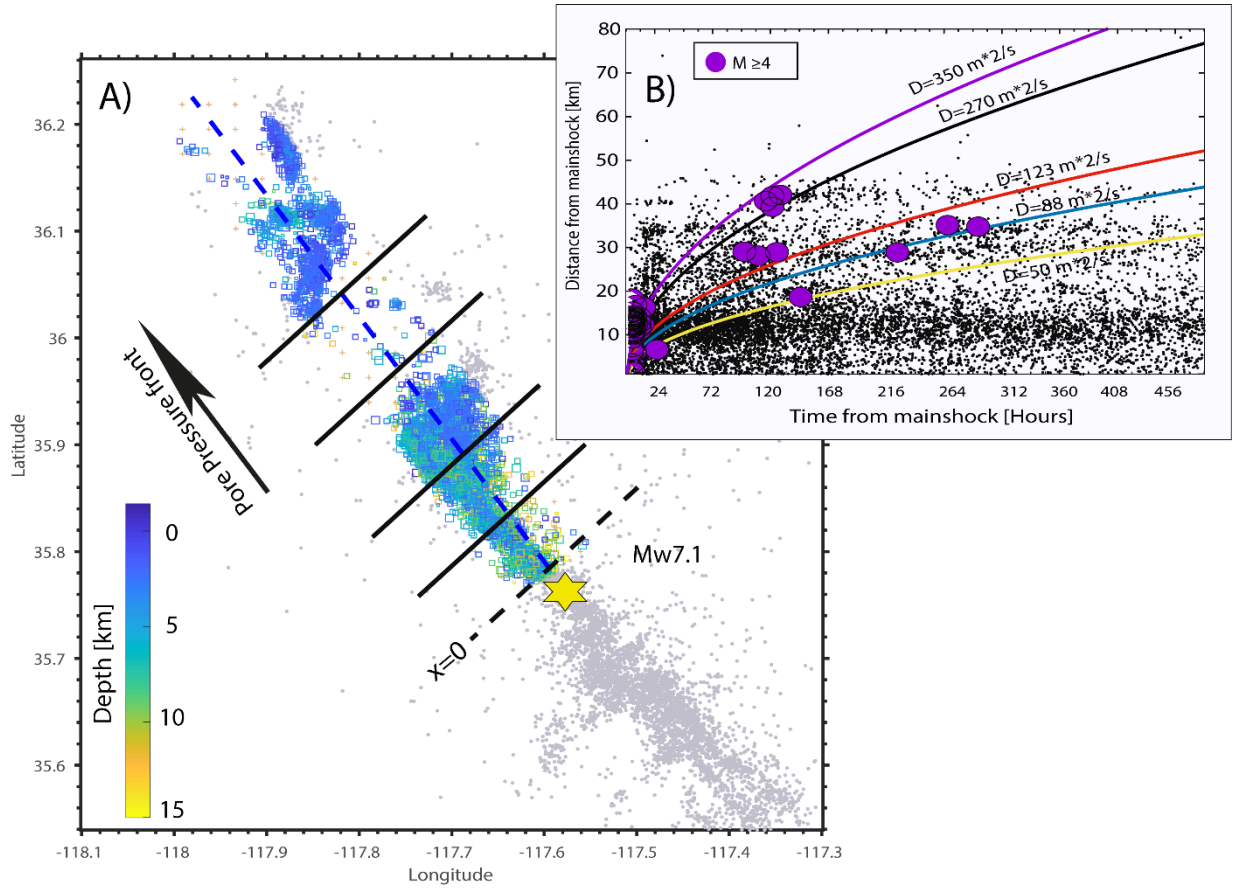
Figure 12: *Spatiotemporal Evolution of Seismicity with M ≥ 2.5 Following the Mw7.1*

Mainshock (~20 Days) A) Map showing seismic activity along the northern segment of the

Mw7.1 Ridgecrest fault zone, which is used as input data for the pore fluid pressure diffusion

modeling. The yellow star marks the epicenter of the Mw7.1 mainshock. Black lines represent

the modeled pore pressure fronts. B) Time-distance plot of seismic events occurring in the

northern segment of the Mw7.1 Ridgecrest fault zone. Events included in this plot were selected

based on their location in the northern area of the Mw7.1 mainshock, as shown in A). The

colored parabolic-like envelopes represent a linear diffusion-type approximation (~ √t) of the

triggering front. These triggering fronts are calculated using the pressure-diffusion

propagation solution in an effective isotropic homogeneous poroelastic medium (Shapiro,

2015, *Ch.3, Sect.3.3). Fluid diffusivity values are determined for each distance-versus-time (r-*

t) plot with respect to the distribution of earthquakes with M ≥ 4.

DISCUSSION AND CONCLUSIONS

899

900   The high quality of the Southern California and Central Apennines earthquake catalogs

901 offers us the possibility to study in detail the evolution of seismicity and related fluid migration

902 at different time scales. The evolution of seismicity near Ridgecrest and the Central Apennines

903 reveals that the temporal variation in the b-value is probably due to the stress-fluid redistribution

904 along active faults. The b-value time series modeling shows a gradual decrease in the b-value

905 for all sequences. Based on previous laboratory experiment results on water-saturated

906 specimens (Main *et al.,* 1990; Sammonds *et al*., 1992; Proctor *et al*., 2020), the gradual decrease

907 in the b-value may be interpreted as a dilatancy softening mechanism caused by an increase in

908 pore fluid pressure before each seismic event. The remarkable similarities between the

909 evolution of the b-value following the 2019 Ridgecrest and the 2016 Amatrice-Norcia

910 sequences represented by two b-value minima are probably due to similarities in mechanisms

911 controlling the temporal evolution of foreshock-mainshock sequences. The duration of the first

912 b-value peak scales with the magnitude of the first foreshock while the duration of the second

913 peak (33 hr for Ridgecrest and 4 days for Amatrice-Norcia) appears to be independent of the

914 magnitude of related foreshocks-mainshocks. Based on the coupled b-value–stress intensity

915 laboratory experiments (eg. Sammonds *et al*., 1992), the duration of the second peaks may be

916 interpreted as a short-term poroelastic stress redistribution following a fast slip episode. Also,

917 the temporal evolution of the b-value for the Ridgecrest and the Central Apennines fault zone

918 seems to be in good agreement with the fracture mechanics model of water-saturated specimens

919 as proposed by Main *et al.* (1989) who predict an increase in acoustic emission rate in the

920 dilatancy fluid diffusion phase when the static and dynamic stress drop are not necessarily

921 equal.

922   The idea that the fluids affect the change in the b-value is not necessarily contradicting the

923 explanation proposed by different authors that the b-value may act as a stress meter (e.g. Goebel

924   *et al.*, 2013; Scholz, 2015). The conceptual models proposed here suppose that the decrease in

925   the b-value before foreshock is followed by an acceleration in crack growth and eventually an

926   increase in differential stress over time. The only difference may relate to the modeling of the

927   stress evolution from the period between the foreshock and the mainshock, where the

928   acceleration of the crack front would be expected a decrease in elastic stress. At this time, the

929   decrease in elastic stress is compensated by the increase in pore fluid pressure in time and

930   therefore increases the Coulomb stress change on the receiver faults responsible for the large

931   rupturing process. In this study, the elevated pore-fluid pressure due to the fluid migration in

932   heterogeneous fault zone tends to affect the value of permeability and creates an area with a

933   low-stress drop tendency. Also, the occurrence of the Mw7.1 Ridgecrest right-lateral

934   earthquake is not necessarily associated with the presence of a large deep fluid reservoir. The

935   rapid fluctuation of the b-value just before the Mw7.1 may denote a rapid influx of fluid from

936   surrounding rocks, creating a pore fluid instability on nearby heterogeneous fault ruptures. The

937   temporal evolution of fault permeability and related pore-fluid diffusion appears to be a crucial

938   element in the apprehension of the difference in the time delay between earthquakes in the

939   Central Apennines and the SWL-ECSZ.

940   The interpretation presented in this study, based on the combined temporal evolution of

941   b-values and poromechanical processes, supports the role of complex fluid dynamics in

942   influencing foreshock behavior. Importantly, this perspective does not exclude the accelerating

943   moment release (AMR) hypothesis as a plausible explanation for moderate foreshock activity.

944   In the case of the 2009 L'Aquila sequence, the accelerating strain release (ASR) and pore fluid

945   diffusion (PFD) models likely represent complementary physical processes operating at

946   different spatial and temporal scales. The b-value time series presented here, which accounts

947   for fluid-related effects, is consistent with previous studies suggesting that multiple

948   mechanisms contributed to the preparatory phase of the L'Aquila earthquake. Supporting this

949 dual-process interpretation, Picozzi *et al.* (2022) reported that approximately one week before

950 the mainshock, the rupture initiation phase was characterized by elevated Energy Index (EI)

951 values, indicative of enhanced slip per unit stress. This behavior correlates with a concurrent

952 drop in b-values and lends mechanical support to the model of overpressurized fluid diffusion

953 into the fault zone. As the foreshock sequence progressed, the temporal evolution of dynamic

954 source parameters revealed a transition toward strain-controlled rupture nucleation. These

955 findings support a complex, hybrid preparatory model in which early-stage fluid overpressure

956 facilitates fault weakening and nucleation, while progressive tectonic stress accumulation

957 ultimately drives the Mw 6.3 L'Aquila mainshock.

958 In the same register, Gulia *et al.* (2020) developed a real-time earthquake monitoring

959 system based on a traffic–light classification that uses the temporal change in b-value to

960 constrain whether an ongoing earthquake sequence represents a decaying aftershock phase or

961 precursors to an upcoming large event. Dascher-Cousineau *et al.* (2020) published a paper that

962 points out that the methodology proposed by Gulia *et al*. (2020) gives results in terms of

963 evaluating the risk of a large impending earthquake during the Mw 6.4 Ridgecrest foreshock,

964 this method fails to predict the onset of the Mw 7.1 sequence. Also, Dascher-Cousineau *et al*.

965 (2020) show that for the case of the 2019 Ridgecrest sequence, anomalous earthquake

966 productivity in adjacent regions may affect the background b-values and generate a false alarm.

967 In this study, the b-value time series interpretation taking into account the poroelastic properties

968 of the seismogenic zone shows difficulties to establish a good correlation between the duration

969 of the foreshock activities and the magnitude of the next largest expected earthquake. Despite

970 the fact that the inverse dependency of the b-value and the applied stress appears to be a

971 reasonable interpretation of the b-value drop prior to the Italian and Californian sequences

972 (Gulia & Wiemer, 2019; Gulia *et al*. 2020; Figure S13), the fluctuations of the b-value following

973 the 2019 Ridgecrest and 2016 Amatrice foreshock sequences characterized by a double

974   minimum seem to unfollow the hypothesis that the drop in the b-value before mainshocks is

975   only due to the presence of high-stress levels on receiver main ruptures. This may suggest that

976   the magnitude of the large expected earthquake is controlled by the variations in pore-fluid

977   pressure rather than the maximum differential stress.

978   In the case of immature faults as for the 2019 Ridgecrest earthquake sequence, fluctuations

979   in fluid mass balance can induce significant dilatancy effects. These effects, in turn, impact the

980   evolution of pore-fluid pressure along the fault and could potentially directly influence the

981   dynamic strength of the fault. Mechanically, the pore pressure drop during the dilatancy phase

982   would be recovered at a short time scale by increasing pore-fluid pressure due to the fluid

983   redistribution along the shear zone. If we assume that fault slip is governed by the balance

984   between the frictional strength and the shear stress acting on a fault (Segall & Rice, 1995;

985   Heimisson *et al.*, 2022), the increase in pore-fluid pressure tends to reduce the effective normal

986   stress along the receiver fault. Consequently, this increase in pore fluid pressure can lead to an

987   accelerated slip rate, thereby affecting the size of earthquakes.

988   The physics model of aftershock occurrence as proposed in this paper and based on the

989   dilatancy-diffusion hypothesis validates the assumption that a part of the production of

990   aftershocks is intimately linked to the fluid flow diffusion process. The $1/\sqrt{t}$ rate decay in the

991   aftershock's activity observed in the days following the Mw 6.0 Colfiorito and the Mw 7.1

992   Ridgecrest mainshocks is interpreted as an increase in aftershock productivity due to the pore

993   fluid diffusion along the Colfiorito and Ridgecrest fault zones. The seismicity distribution for

994   extensional earthquakes in Central Apennines shows a seismic migration velocity of 1-3.5

995   km/day during the mainshock-aftershock sequence that indicates a high fluid diffusivity ranging

996   from 60-2000m²/s (Catalli *et al.,* 2008; Lombardi *et al.,* 2010; Chiaraluce, 2012; Malagnini et

997   al., 2022). Spatiotemporal analysis of the Ridgecrest aftershock sequence reveals that the short-

998   term seismicity migration along the northern part of the Mw7.1 earthquake occurs at a rate of

999 approximately 4 km/day with an apparent fluid diffusivity ranging from 50-270 m^2/s. This rate

1000 is consistent with those observed in Central Apennines, suggesting significant fluid drainage

1001 contributing to aftershock productivity.

1002   The kinematic and physical properties of the fault zone may explain the substantial

1003 differences in fluid diffusivity before and after the Mw 7.1 Ridgecrest main event. The low

1004 fluid diffusivity obtained during the Mw 6.4 foreshock sequence is explained by the poroelastic

1005 stress mechanism used in the modeling of fault interactions, which account for stress-fluid

1006 interactions. This low diffusivity value suggests that fluid drainage is limited by the anisotropy

1007 of the fault zone permeability where the Mw 6.4 conjugated right-lateral rupture acts as a fluid

1008 barrier. In this scenario, the poroelastic properties of the seismogenic zone led to elevated pore

1009 fluid pressure, affecting the effective normal stress on the delayed Mw 7.1 fault rupture. Thus,

1010 the Mw 6.4 foreshock sequence may be seen as a poroelastic undrained-drained preparatory

1011 phase that precedes the larger Mw 7.1 event. The significant dilatancy effect during the

1012 coseismic phase of the Mw 7.1 earthquake tends to drastically increase fault zone permeability,

1013 thereby facilitating fluid drainage. This implies that, during the Mw 7.1-early aftershock period,

1014 the Ridgecrest fault zone acts as a "fluid drainage channel". Consequently, the high fluid flow

1015 resulting from the change in permeability generates a large pore pressure front that affects the

1016 aftershock behavior.

1017   The analysis of the spatiotemporal evolution of seismicity combined with the results of

1018 poroelastic stress change as presented in this study testifies that a large portion of aftershocks

1019 occurred within fluid-saturated regions largely decoupled from both shallow and deep afterslip

1020 patches as identified in geodetic models (Pollitz et al., 2022; He et al., 2022; Yue et al., 2021;

1021 Qiu et al., 2020). These afterslip zones are typically associated with rate-strengthening frictional

1022 behavior, where deformation is accommodated aseismically through stable sliding. Moreover,

1023 near-field GNSS stations located in the northwestern portion of the Mw 7.1 rupture zone

1024 recorded fault-normal displacements consistent with early InSAR observations (Brooks et al.,

1025 2020; Wang & Bürgmann, 2020), suggesting that poroelastic rebound, rather than afterslip,

1026 dominated the early postseismic deformation. In contrast, the southern Mw 7.1 fault exhibits a

1027 distinctly different postseismic signature. Stress change modeling indicates that poroelastic

1028 stress changes in this area had a predominantly negative (inhibitive) effect on fault failure, and

1029 fluid diffusion processes appear to be absent or negligible. Instead, borehole strainmeters

1030 located in this zone reveal a strong and spatially focused afterslip signal (Hirakawa & Barbour,

1031 2020; Hanagan et al., 2024), suggesting that afterslip played a more dominant role.

1032   The spatiotemporal distribution of aftershocks following the 2019 Ridgecrest earthquake

1033 is complex (Ross *et al.* 2019; Trugman, 2020). The complex slip distribution and the

1034 heterogeneity in fault zone tend to maintain elevated fluid pressure and in fact, increase

1035 aftershock productivity. The analysis of seismicity shows that the concentration of seismicity

1036 immediately after the Mw 7.1 shut down along the Mw 6.4 conjugated rupture and therefore

1037 the aftershock distribution was mainly concentrated along the Mw 7.1 right-lateral fault plane

1038 (Toda & Stein, 2020). This observation supports the idea that in general, the fluid migrates

1039 linearly at a short-time scale and suppresses the possibility that the fluid flows out of local high-

1040 pressure compartments just after the occurrence of the Mw 7.1 mainshock. However,

1041 complexity in the slip distribution and geometry of fault rupture may perturb the fluid pressure

1042 distribution and give rise to a heterogeneous fluid-flow process at a local scale. At this time,

1043 more detailed aftershock modeling procedures (e.g., Yamashita & Tsutsumi, 2018, Sect. 6.3)

1044 may be included to give a complete estimation of the complex fluid-flow process. Note that

1045 these results are also valid for the Central Apennines sequences.

1046   A more complete 3-D pore-pressure analysis and a careful analysis of the spatiotemporal

1047 evolution of stress drop along active faults may mimic the level of effective stress before,

1048 during, and after major earthquake sequences. This approach may yield a more accurate

1049 estimation of the evolution of the fluid-flow processes within active fault zones. Based on our

1050 results, detailed knowledge of geological structures, substratum permeability, and a robust

1051 evaluation of the pore fluid effect with a better constrain of seismicity and strain rate before and

1052 during seismic sequences combined with a more complete physics-based and statistical forecast

1053 methods appears to be fundamental for the seismic hazard assessment and any decision making.

1054 **DATA AVAILABILITY STATEMENTS**

1055 The global earthquake catalogs can be downloaded from the Istituto Nazionale Di Geofisica E

1056 Vulcanology (INGV) at http://terremoti.ingv.it/en and the U.S. Geological Survey (USGS-

1057 NEIC) at https://earthquake.usgs.gov/earthquakes/search/. The earthquake focal mechanisms

1058 were obtained through the Global Centroid Moment Tensor solutions available at

1059 https://www.globalcmt.org/CMTsearch.html. The Quake Template Matching (QTM) catalog

1060 for Southern California, necessary to produce the Ridgecrest time series, was acquired from

1061 Ross et al. (2019) in its original form at https://scedc.caltech.edu/data/qtm-catalog.html. The

1062 QTM catalog was combined with the higher-resolution Ridgecrest datasets from Shelly (2020),

1063 available at https://www.sciencebase.gov/catalog/item/5dd715f3e4b0695797650d18. The Tan

1064 et al (2021) catalog used in the b-value time series can be found in the Zenodo dataset repository

1065 (https://zenodo.org/records/4662870). The Mw7.1 Ridgecrest source time function can be

1066 downloaded from IRIS at https://ds.iris.edu/spud/momenttensor. The Xu et al (2020) Ridgecrest

1067 fault slip model was downloaded in its original form from the SRCMOD project (http://equake-

1068 rc.info/srcmod/). The converted Matlab format, necessary for performing the stress change

1069 modeling, is available through the Zenodo platform at https://zenodo.org/records/10029978.

1070 All datasets required to reproduce the b-value time series and stress change modeling in

1071 connection with this study are available in Matlab and Coulomb input formats at

1072 https://zenodo.org/records/10029978.

DECLARATION OF COMPETING INTEREST

The author confirms that he has no competing financial interests or personal relationships that could have influenced the work reported in this paper.

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