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# On the Land Emissivity Assumption and Landsat-Derived Surface Urban Heat Islands: A Global Analysis

TC Chakraborty[1]

*Yale School of the Environment*

Xuhui Lee

*Yale School of the Environment*

Sofia Ermida

*Instituto Portugues do Mar e da Atmosfera*

Wenfeng Zhan

*Nanjing University*

**Abstract**

The prescription of surface emissivity ($\varepsilon$) strongly controls satellite-derived estimates of land surface temperature (LST). This is particularly important for studying surface urban heat islands (SUHI) since built-up and natural landscapes are known to have distinct $\varepsilon$ values. Given the small signal associated with the SUHI compared to LST, accurately prescribing urban and rural $\varepsilon$ would improve our satellite-derived SUHI estimates. Here we test the sensitivity of SUHI to the $\varepsilon$ assumption made while deriving Landsat LST for almost 10,000 global urban clusters for summer and winter days. We find that adjusting the $\varepsilon$ values from the Advanced Spaceborne Thermal Emission and Reflection Radiometer (ASTER) dataset based on pixel-level normalized difference vegetation index (NDVI) improves our ability to capture the summer to winter contrast in SUHI. Overall, the difference between the two methods is moderate; around 10% during summer and around 20% during winter, though this difference varies by

[1]Corresponding Author: tc.chakraborty@yale.edu

climate zone, showing higher deviations in polar and temperate climate. Using both methods of prescribing $\varepsilon$, we provide the first global estimates of SUHI derived from Landsat. During summer, the global mean SUHI varies between 2.31 °C (0.24 °C for winter) when using ASTER $\varepsilon$ to 2.54 °C (0.29 °C for winter) after NDVI-adjustment. Compared to Moderate Resolution Imaging Spectroradiometer (MODIS) Terra observations, Landsat data show higher SUHI daytime intensities during summer (by more than 1.5 °C), primarily due to its ability to better resolve urban pixels. We also find that the $\varepsilon$ values prescribed for urban land cover in global and regional weather models are lower than the satellite-derived broadband $\varepsilon$ values. Based on the sensitivities to $\varepsilon$ we find for urban and rural LST, this would imply overestimation of SUHI by these models (by around 4 °C for both summer and winter), all else remaining constant. Our analysis provides a global perspective on the importance of better constraining urban $\varepsilon$ for comparing satellite-derived and model-simulated urban heat islands. Since both the structural and geometric heterogeneity of urban areas controls the bulk $\varepsilon$, future studies should try to benchmark the suitability of existing LST-$\varepsilon$ separation methods over urban areas.

*Keywords:* Land Surface Temperature, Urban Heat Island, Surface emissivity, Landsat, MODIS, Global, Google Earth Engine

## 1. Introduction

The physical process of urbanization involves replacement of natural landscapes with built-up structures, modifying the biophysical properties of the land surface (Carlson and Arthur, 2000). One major and widely studied consequence of urbanization is the urban heat island (UHI) effect. The UHI is the usually positive temperature difference between the urban area and a non-urban reference, essentially isolating the impact of urbanization on local temperature (Oke, 1969, 1982; Arnfield, 2003). The UHI can contribute to urban heat stress, enhance energy demand for cooling, and may impact local-scale cloud cover and rainfall (Arnfield, 2003; Shastri et al., 2015; Li et al., 2019; Theeuwes et al.,

2019).

Traditionally, the UHI has been quantified as the difference in near-surface air temperature (AT) between the urban core and a rural reference (Voogt, 2007). Since urban areas can have large heterogeneity, it can be difficult to capture a representative value of urban temperature using standard weather stations (Stewart, 2011). Moreover, dense meteorological networks, which are rarely available over cities (Muller et al., 2013), are necessary to capture the intra-urban temperature variability, which has implications for disparities in heat exposure (Chakraborty et al., 2019a). The advent of satellite observations in the thermal infrared (TIR) channels has allowed researchers to remotely measure the land surface temperature (LST) over urban areas (Rao, 1972). Although LST and AT are not physically identical quantities, it is easier to estimate intra-urban variability in LST from satellites due to their spatially explicit coverage. The global availability of some of these LST products has also enabled multi-city comparisons that are difficult using ground-based observations (Peng et al., 2011; Clinton and Gong, 2013; Chakraborty and Lee, 2019). The UHI derived using satellite data is commonly referred to as surface UHI (SUHI), while traditional weather station-based UHI estimates are known as canopy UHI (CUHI) (Bonafoni et al., 2015; Chakraborty et al., 2016).

Although satellite-based LST has several advantages over ground-based observations of AT, it is a derived quantity whose accuracy depends on several factors (Dash et al., 2002). Satellites measure the top of the atmosphere thermal radiance ($L_{\mathrm{toa}}$), which can be approximated as:

$$L_{\mathrm{toa}} = \tau L_{\mathrm{surf}} + L_{\mathrm{u,atm}} + L_{\mathrm{d,atm}}(1-\varepsilon)\tau \tag{1}$$

Here $\varepsilon$ is the surface emissivity, $\tau$ is the atmospheric transmissivity, $L_{\mathrm{surf}}$ is the surface emission of thermal radiation, and $L_{\mathrm{u,atm}}$ and $L_{\mathrm{d,atm}}$ are the upward and downward components of the thermal radiation emitted by the bulk atmosphere. All of these variables are wavelength dependent. The measured $L_{\mathrm{toa}}$ is then combined with multiple ancillary data to compute $L_{\mathrm{surf}}$, which can then

be inverted to estimate LST from an approximation of the Stefan–Boltzmann law:

$$L_{\text{surf}} = \varepsilon\sigma \text{LST}^4 \tag{2}$$

where $\sigma$ is the Stefan–Boltzmann constant ($5.67 \times 10^{-8}$ W m$^{-2}$ K$^{-4}$). The values of $\tau$, $L_{\text{u,atm}}$, and $L_{\text{d,atm}}$ are dependent on atmospheric conditions and may be obtained from radiative transfer models. On the other hand, $\varepsilon$ - a spectrally varying ratio of emitted radiation of a material compared to the radiation of a black body at a particular temperature - is primarily a property of the land surface (Li et al., 2013b).

Since both $\varepsilon$ and LST determine $L_{\text{surf}}$, as per Eq. 2, estimates of $\varepsilon$ are a prerequisite for accurately calculating LST. Unfortunately, even if the atmospheric properties that influence $\tau$, $L_{\text{u,atm}}$, and $L_{\text{d,atm}}$ are perfectly known, $\varepsilon$ and LST cannot be analytically separated from satellite observations (Hook et al., 1992; Dash et al., 2002; Li et al., 2013a). Conceptually, for TIR measurements in $n$ channels, we get $n$ equations (one for each channel) for $n$+1 unknowns ($\varepsilon$ for $n$ channels and LST). As such, several empirical methods are used to determine $\varepsilon$. The first is a temperature emissivity separation (TES) method that solves the $n$ equations with an additional empirical constraint to equalize the number of equations and unknowns (Gillespie et al., 1998). Another is an NDVI-based emissivity method (NBEM), where different thresholds of normalized difference vegetation index (NDVI), a proxy for live green surface vegetation, are used to specify the emissivity (Van De Griend and Owe, 1993; Valor and Caselles, 1996). Finally, there are classification-based emissivity methods (CBEM), with each land cover prescribed a value based on look-up tables (Snyder et al., 1998). Each method has its advantages and disadvantages and the choice of method is of particular concern when studying the SUHI (Mohamed et al., 2017). Although the vast majority of studies that use the derived LST products from Moderate Resolution Imaging Spectroradiometer (MODIS) observations implicitly use a CBEM method, there is less agreement on the method used to estimate LST from Landsat observations in the scientific literature. Regardless of the method

used, specifications of $\varepsilon$ lead to some of the largest uncertainties in satellite-derived LST (Jiménez-Muñoz and Sobrino, 2003).

The challenge of accurately prescribing $\varepsilon$ is particularly difficult for urban areas (Artis and Carnahan, 1982; Mohamed et al., 2017). Real urban areas vary widely in material composition of the built-up structures, varying presence of other land cover types like vegetation, barren soil, and undeveloped land, as well as large differences in surface geometry that can also influence bulk $\varepsilon$ (Voogt and Oke, 1998; Mitraka et al., 2012; Quan et al., 2016). A single value for urban $\varepsilon$, which is frequently used in many CBEM methods, is simplistic since the different materials used in urban construction have widely different $\varepsilon$ (Marshall, 1982; Chen et al., 2016). Also, NBEM methods are affected by this uncertainty since NDVI-based threshold cannot explictly account for differences in the built-up structures and surface geometry across cities. Even within cities, different materials, and thus different $\varepsilon$ values, are common, with potential impacts on estimating intra-urban LST variability from higher resolution satellite observations, such as from Landsat (Artis and Carnahan, 1982). TES methods, although conceptually the most accurate, are influenced by the relatively higher uncertainties in satellite observations over urban areas due to multiple factors, from urban heterogeneity to thermal anisotropy (Lagouarde et al., 2004; Hu et al., 2016). Moreover, this method requires observations in several TIR channels.

Previous studies on the importance of $\varepsilon$ on urban LST have primarily focused on the overall $\varepsilon$ of individual cities (Chen et al., 2016; Mohamed et al., 2017), not the urban-rural differential in $\varepsilon$ ($\Delta\varepsilon$) and how that might impact the computed SUHI for global urban areas. The method of estimating $\Delta\varepsilon$ would affect the SUHI estimate even when the emitted thermal differential between urban and rural areas is held constant, since urban areas are known to have a distinct $\varepsilon$ from most natural surfaces (Sobrino et al., 2012; Yang et al., 2015). The $\Delta\varepsilon$ would also vary across different cities since both the typology of building materials (Voogt and Oke, 2003) and the land cover of the rural reference vary (Van De Griend and Owe, 1993; Zhao et al., 2014). The combined impact of

these two sources of variability in $\varepsilon$ on SUHI estimates across cities has not been studied in the past. The influence of $\Delta\varepsilon$ on SUHI estimates is also important for regional and global land models. Land models have improved from using broadband $\varepsilon$ of 1 for all land surfaces in old global models (Sellers et al., 1986) to using land cover specific prescribed $\varepsilon$ in more recent implementations (Jin and Liang, 2006; Chakraborty et al., 2019b). The use of prescribed $\varepsilon$ is of particular concern for urban modeling studies due to the lack of observational constraints on this parameter as well as the large differences seen between prescribed and measured $\varepsilon$ (Li et al., 2017).

Here we attempt to comprehensively examine the impact of the $\varepsilon$ assumption on estimates of Landsat-derived SUHI both globally and across broad climate classes. Our goal is to add to the recent studies that have investigated the influence of the methods used while calculating the SUHI - including choice of temporal composites and LST products (Hu and Brunsell, 2013; Chakraborty et al., 2020; Yao et al., 2020), as well as definitions of the non-urban reference (Chakraborty and Lee, 2019; Zhang et al., 2019; Chakraborty et al., 2020) - with a focus on the fundamental derivation of LST from satellite measures of thermal surface emissivity. We also use this opportunity to provide the first global estimates of daytime SUHI using Landsat observations for two different methods of $\varepsilon$ prescription and discuss their potential applications and limitations when compared to more commonly used MODIS-derived values. Finally, to provide an integrated perspective on future research directions in urban climatology, we discuss the implications of the prescribed $\varepsilon$ in modeled SUHI estimates when compared to satellite-derived 'observations'.

## 2. Material and methods

### *2.1. Deriving land surface temperature*

Here we estimated global LST by combining top of the atmosphere brightness temperature ($T_\mathrm{b}$) data and a vegetation index derived from the Landsat 5 satellite (Loveland and Dwyer, 2012) and $\varepsilon$ estimates from the Advanced Space-

borne Thermal Emission and Reflection Radiometer (ASTER) sensor (Abrams, 2000). The Landsat 5 satellite orbited the Earth in a sun-synchronous, near-polar orbit and had a 16-day repeat cycle with an equatorial crossing time of around 9:45 am local time. The satellite observed the Earth in 7 channels, with all but the TIR channel (10.4 - 12.5 $\mu$m; 120 m native resolution) having a native resolution of 30 m. Data from Landsat 5 are available from 1984 to 2012. ASTER is a multi-spectral imaging instrument on board the Terra satellite, which has a sun-synchronous orbit and crosses the equator at roughly 10:30 am local time. ASTER and its subsystems have been imaging the Earth's surface in 14 channels with a repeat cycle of 16 days since the year 2000. The resolution varies from 15 m for the VNIR (Visible and Near-Infrared) bands to 30 m for the SWIR (ShortWave Infrared) bands to 90 m for its 5 TIR channels (8.125 - 8.475 $\mu$m, 8.475-8.825 $\mu$m, 8.925-9.275 $\mu$m, 10.25-10.95 $\mu$m, and 10.95-11.65 $\mu$m).

Since $T_\mathrm{b}$ and LST are non-linearly related and all terms of Eq. 1 are not known for every pixel, generalized models used to estimate LST from satellite observations usually linearize the radiative transfer equation, which includes both a linearization of the Planck's function and contributions from atmospheric interference. Here we use the Statistical Mono-Window (SMW) algorithm as implemented by Ermida et al. (2020) on the Google Earth Engine (GEE) platform (Gorelick et al., 2017) to compute LST. The SMW algorithm represents LST as a linear function of prescribed $\varepsilon$ and the Landsat-observed $T_\mathrm{b}$ (Duguay-Tetzlaff et al., 2015) and is given by:

$$\mathrm{LST} = A_\mathrm{i}\frac{Tb}{\varepsilon} + B_\mathrm{i}\frac{1}{\varepsilon} + C_\mathrm{i} \tag{3}$$

Here the coefficients of the equation for Landsat band $i$ ($A_\mathrm{i}$, $B_\mathrm{i}$, and $C_\mathrm{i}$) were derived from radiative transfer simulations for 10 classes of Total Column Water Vapour (TCWV). For more information about the calibration procedure used to estimate these coefficients, please see Ermida et al. (2020).

### 2.2. Surface Emissivity for Land Surface Temperature Estimation

Equation 3 is a function of prescribed $\varepsilon$, which is estimated using two methods - the TES method used to generate the ASTER Global Emissivity Database version 3 (ASTER GEDv3) and a NBEM approach. The ASTER GEDv3 dataset was developed by the the National Aeronautics and Space Administration's (NASA) Jet Propulsion Laboratory (JPL) from clear-sky ASTER images between 2000 and 2008 (Hulley et al., 2015). The data are available at a resolution of 100 m for all 5 of ASTER's TIR channels. These data can be directly used in Eq. 3 after adjusting to the Landsat TIR band using the equation described in Malakar et al. (2018):

$$\varepsilon_{10.40-12.5} = c_{13}\varepsilon_{13} + c_{14}\varepsilon_{14} + c \tag{4}$$

Here $\varepsilon_{10.40-12.5}$ corresponds to the $\varepsilon$ for the Landsat 5 TIR channel, $\varepsilon_{13}$ and $\varepsilon_{14}$ correspond to band 13 (10.25-10.95 $\mu$m) and 14 (10.95-11.65 $\mu$m) of the ASTER GEDv3 dataset, and $c$, $c_{13}$, $c_{14}$ are empirical regression coefficients. For Landsat 5, these coefficients equal 0.0195, -0.0723, and 1.0521, respectively (Malakar et al., 2018).

For the NBEM approach, the actual $\varepsilon$ for each pixel was computed by adjusting the mean $\varepsilon$ in the ASTER GEDv3 by the fractional vegetation cover (FVC) estimated from the corresponding Landsat 5 data (Ermida et al., 2020). The FVC can be computed using the relationship from Carlson and Ripley (1997):

$$\mathrm{FVC} = \left[\frac{\mathrm{NDVI} - \mathrm{NDVI_{bare}}}{\mathrm{NDVI_{veg}} - \mathrm{NDVI_{bare}}}\right]^2 \tag{5}$$

Here NDVI is derived from the surface reflectances in the Near Infrared (NIR; 0.78-0.86 $\mu$m for ASTER and 0.77-0.9 $\mu$m for Landsat 5) and RED (0.63-0.69 $\mu$m) bands. $\mathrm{NDVI_{bare}}$ and $\mathrm{NDVI_{veg}}$ are the reference NDVI for completely bare and completely vegetated pixels, respectively. $\mathrm{NDVI_{bare}}$ is set as 0.2 and $\mathrm{NDVI_{veg}}$ is equal to 0.86 based on previous estimates (Tang et al., 2010; Wang et al., 2015; Ren et al., 2017). The NDVI-adjusted $\varepsilon$ was then calculated using the equation:

$$\varepsilon = \mathrm{FVC}\varepsilon_{\mathrm{veg}} + (1 - \mathrm{FVC})\varepsilon_{\mathrm{bare}} \tag{6}$$

Equation 6 is wavelength dependent, but for the Landsat 5 TIR band, $\varepsilon_{\mathrm{veg}}$ was set to 0.99 due to the small variability for vegetated surfaces (Peres and DaCamara, 2005), while $\varepsilon_{\mathrm{bare}}$ is estimated from ASTER measurements (Ermida et al., 2020).

In addition to these methods that consider spatial variability in $\varepsilon$, we also modified the open-source GEE module (Ermida et al., 2020) to calculate global LST for different prescribed values of $\varepsilon$ from 0.88 to 1 with a step size of 0.02. This was done as a perturbation analysis to test the sensitivity of the LST derived for both urban and rural surfaces from the SMW algorithm.

Both to minimize computational costs and since the overall focus was the impact of different values of $\varepsilon$ on urban and rural LST, we used a single year (2010) of Landsat 5 data for the analysis. In the present study, the data used for estimation of $\varepsilon$, NDVI, and LST were first screened using cloud masking algorithms. For the NIR and RED bands, used to compute NDVI, both clouds and cloud shadows were removed based on the pixel-level quality flags. For TIR, only pixels with no cloud contamination were considered. Since different regions of the world can have different amounts and even seasonality of cloud cover, we attempted to minimize the impact of this inter-regional variability by focusing on summer and winter separately rather than annual means. Summers are defined as the months of June, June, and August in northern hemisphere and December, January, and February in the southern hemisphere, and vice versa for winter. This is consistent with the practice of separately studying the SUHI for summer and winter in the literature (Peng et al., 2011; Clinton and Gong, 2013; Chakraborty and Lee, 2019). Overall, based on this temporal subsetting, each pixel can have a maximum of 5 to 6 Landsat observations during the study period.

### *2.3. Estimating Surface Urban Heat Islands*

To estimate the SUHI, we calculated the LST for pairs of urban and rural references for each of almost 10,000 urban agglomerations or clusters (Fig. 1a) that form the base of the Yale Center for Earth Observation (YCEO) Global Surface UHI Dataset (Chakraborty and Lee, 2019). The original urban boundaries are based on global urban extent data derived from MODIS (Schneider et al., 2010). Note that the vast majority (≈89%) of these clusters are in the northern hemisphere. We checked whether Landsat provides representative observations over the urban clusters after pixel-level cloud screening. Figure 1b shows the percentage of the maximum possible pixels in each cluster with at least one observation from Landsat during northern hemisphere summer. Overall, after temporal compositing, the majority (63.6%) of the clusters have complete spatial coverage from Landsat observations, with the percentage of available pixels ranging from a 5th percentile value of 46.4% to a 95th percentile of 100%.

The delineation of urban and rural areas for SUHI quantification is not trivial. Here we used the Simplified Urban Extent (SUE) algorithm described in Chakraborty and Lee (2019). The SUE algorithm defines the SUHI of an urban cluster as the difference in mean LST of all urban pixels ($\mathrm{LST_{urb}}$) and mean LST of all rural (non-urban and non-water) pixels ($\mathrm{LST_{rur}}$) within the cluster, or:

$$\mathrm{SUHI} = \mathrm{LST_{urb}} - \mathrm{LST_{rur}} \tag{7}$$

By calculating both $\mathrm{LST_{urb}}$ and $\mathrm{LST_{rur}}$ from pixels within the cluster, the SUE algorithm avoids issues arising from somewhat arbitrary definitions of buffer widths when using commonly used buffer-based rural references (Zhou et al., 2015; Yang et al., 2019; Chakraborty and Lee, 2019). Moreover, not using a buffer around the urban area minimizes the impact of potential differences in atmospheric forcing between the urban core and the rural periphery (Li et al., 2018). This essentially describes the SUHI as a consequence of only the difference in surface climate response of urban and rural areas. The SUE method compares well against both other observational as well as theoretical estimates

of SUHI (Niu et al., 2020; Manoli et al., 2020).

The SUE algorithm requires land cover datasets that can resolve urban and non-urban pixels within each cluster. The original implementation of the algorithm developed by Chakraborty and Lee (2019) was based on 1 km resolution MODIS Terra and Aqua measurements (Wan et al., 2006), with the urban and rural land cover resolved using the 500 m MODIS land cover product (Strahler, 1999). Since both Landsat 5 and ASTER GEDv3 are at finer resolutions, we need suitable higher resolution datasets. To resolve urban pixels, we used one of the highest resolution global urban land cover products currently available, the Global Urban Footprint (GUF) dataset (Esch et al., 2017), which is available at 12 m resolution. The GUF dataset is generated by an automated unsupervised classification scheme using over 180,000 high resolution (3 m) radar images from 2011 and 2012 and shows an overall accuracy of 85% compared to absolute ground truth data. We use Landsat 5 for calculating LST since the only other Landsat product available for the years of validity of the GUF dataset, Landsat 7, has data gaps due to failure of the Scan Line Corrector (SLC), which limits its use. For calculating both $\mathrm{LST_{urb}}$ and $\mathrm{LST_{rur}}$, water pixels were first removed based on the Joint Research Center (JRC) 30 m global surface water dataset (Pekel et al., 2016). All remaining GUF pixels within the urban clusters were then used to calculate $\mathrm{LST_{urb}}$. Similarly, for $\mathrm{LST_{rur}}$, we considered all non-GUF and non-water pixels within each urban cluster.

Our final units of calculation are the urban clusters, each of which have summertime and wintertime values of SUHI from ASTER emissivity ($\mathrm{SUHI_{ASTER}}$) and the NDVI-based emisivity ($\mathrm{SUHI_{NDVI}}$), as well as the intermediate variables, including $\mathrm{LST_{urb,ASTER}}$, $\mathrm{LST_{urb,NDVI}}$, $\mathrm{LST_{rur,ASTER}}$, $\mathrm{LST_{rur,NDVI}}$, $\varepsilon_{\mathrm{urb,ASTER}}$, $\varepsilon_{\mathrm{urb,NDVI}}$, $\varepsilon_{\mathrm{rur,ASTER}}$, and $\varepsilon_{\mathrm{rur,NDVI}}$. We also include the corresponding variables for the prescribed $\varepsilon$ values of 0.88 to 1. Since the native resolution of Landsat 5 TIR is 120 m, ASTER is 90 m, GUF is 12 m, and JRC surface water is 30 m, all calculations for spatial averaging are done after re-gridding all products to 60 m using nearest neighbor resampling.

### *2.4. Comparison with MODIS Data*

Almost all past multi-city studies on the SUHI have used MODIS 1 km LST observations (Zhang et al., 2010; Peng et al., 2011; Clinton and Gong, 2013; Chakraborty and Lee, 2019; Yao et al., 2019; Chakraborty et al., 2020). This is both due to the more frequent return period of MODIS compared to Landsat, which helps with cloud screening (Hu and Brunsell, 2013), and the availability of nighttime values, thus allowing inferences about diurnal patterns. Since here we provide global estimates of SUHI based on different $\varepsilon$ assumptions, it is important to compare these estimates with MODIS-based values. We calculate the SUHI using the SUE algorithm using the same urban and rural separation and the MODIS Terra 1 km daytime LST for 2010. MODIS Terra is chosen over Aqua since its equatorial crossing time ($\approx$ 10:30 am) is comparable to that for Landsat 5 ($\approx$ 9:45 am). The MODIS LST is based on $\varepsilon$ values generated from a CBEM aproach (Snyder et al., 1998).

For this comparison, all analysis is done at a scale of 60 m, identical to the Landsat-based analysis using the same land cover data. This is done to ensure that the differences stem only from the MODIS versus Landsat data. Since the LST estimates from both MODIS and Landsat have uncertainties, we use reduced major axis or geometric mean regression instead of ordinary least square (OLS) regression. Metrics of comparison include the coefficient of determination ($r^2$) and the mean bias error (MBE) with the MODIS-derived values considered to be the baseline.

### *2.5. Regions of Interest*

In addition to examining the SUHI globally, we separately examine the influence of $\varepsilon$ on the the calculated SUHI for each of the five Koppen Geiger climate zones, namely tropical, arid, temperate, boreal, and polar (Rubel and Kottek, 2010). These broad classes divide the Earth's land surface into regions with large variabilities in vegetation patterns and incoming radiation. Both modeling and observational studies have noted the influence of the background climate on the SUHI intensity (Zhao et al., 2014; Chakraborty and Lee, 2019).

Figure 1a shows the centroids of all the urban clusters and the climate zone they belong to. Note that due to cloud cover or the lack of valid urban or rural pixels within a cluster, we do not get a SUHI value for all the urban clusters in each case. For summer, there are 9041 clusters based on ASTER observations and 9011 from the NBEM approach. During winter, there are 8213 clusters from ASTER and 7955 after adjusting by NDVI.

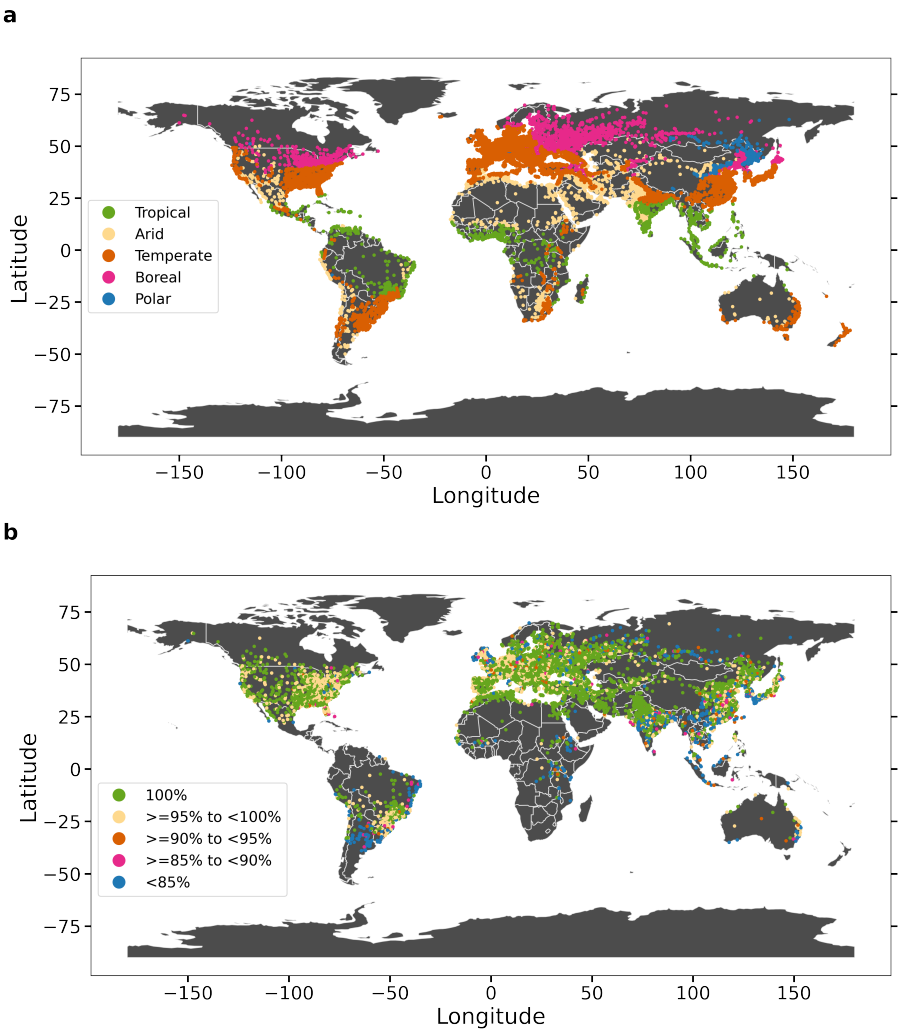


Figure 1: Urban clusters considered in the present study. Sub-figure **(a)** shows the centroids of every cluster and the climate zones they belong to. Sub-figure **(b)** shows the percentage of available pixels from the Landsat observations after temporal compositing compared to the maximum number of pixels possible within each cluster during the northern hemisphere summer of 2010.

## 3. Results

### *3.1. Emissivity assumptions and urban and rural land surface temperature*

Figures 2a and 2b show bar plots of $\varepsilon_{\mathrm{urb}}$ and $\varepsilon_{\mathrm{rur}}$ derived using both ASTER data and the NDVI-adjusted approach. Results are shown for both summer and winter and also divided into each of the Koppen Geiger climate zones. The ASTER $\varepsilon_{\mathrm{urb}}$ varies from 0.966 for tropical climate to 0.969 in temperate climate. For $\varepsilon_{\mathrm{rur}}$, there is a slightly higher range of values, with the minimum value still at 0.966 for tropical climate, but a maximum of 0.971 for temperate climate. Note that the ASTER data are multi-year averages and thus do not have different values for summer and winter. Both at the global scale and for most climate zones (except arid), $\varepsilon_{\mathrm{urb,ASTER}}$ is less than $\varepsilon_{\mathrm{rur,ASTER}}$. When $\varepsilon$ is adjusted using NDVI, we see the variability between the seasons. The global mean values are higher for summer than for winter ($\varepsilon_{\mathrm{urb,NDVI}} = 0.971$ and $\varepsilon_{\mathrm{rur,NDVI}} = 0.975$ for summer; $\varepsilon_{\mathrm{urb,NDVI}} = 0.969$ and $\varepsilon_{\mathrm{rur,NDVI}} = 0.970$ for winter). In summer, $\varepsilon_{\mathrm{rur,NDVI}}$ varies from 0.969 in arid climate to 0.977 in boreal climate. Expectedly, $\varepsilon_{\mathrm{urb,NDVI}}$ has less variability, ranging from 0.968 in tropical climate to 0.972 in boreal climate. For winter, there is less variability, evidently because vegetation differences between the climate zones, which control this variability, are suppressed. During this season, $\varepsilon_{\mathrm{rur,NDVI}}$ varies from 0.969 in polar climate to 0.971 in temperate climate and $\varepsilon_{\mathrm{urb,NDVI}}$ varies from 0.968 in tropical to 0.970 in temperate climate. Overall, $\varepsilon_{\mathrm{urb}}$ after adjusting for NDVI is still lower than $\varepsilon_{\mathrm{rur}}$. Moreover, particularly for the rural references, the NDVI-adjusted $\varepsilon$ is usually higher than the ASTER observations since vegetation tends to have a higher $\varepsilon$ than bare soil.

Figures 2c and 2d show the corresponding daytime $\mathrm{LST_{urb}}$ and $\mathrm{LST_{rur}}$ using the two approaches and for the two seasons. The daytime LST values are evidently driven almost entirely by the energy availability across seasons and climate zones, with the summer mean daytime LST being highest in arid regions ($\mathrm{LST_{rur,NDVI}}$ = 40.59 °C) and the winter mean daytime LST being lowest in polar ($\mathrm{LST_{rur,NDVI}}$ = -10.64 °C) and boreal climate ($\mathrm{LST_{rur,NDVI}}$ = -9.82 °C).

Urban areas are not evenly distributed globally, with the majority being in the global north but very few in the high latitudes. This explains why the wintertime mean daytime LST is closer for polar and boreal climate than would be expected for regional means. Tropical areas show the least difference between summer daytime LST ($LST_{rur,NDVI}$ = 31.96 °C) and winter daytime LST ($LST_{rur,NDVI}$ = 30.50 °C) since they do not have strong seasonal cycles. The urban daytime LST values are usually higher than the rural daytime LST values, representing the daytime SUHI intensity. Note that there are some differences between the number of available $\varepsilon$ observations from the ASTER multi-year composites and after NDVI adjustment for 2010 due to cloud contamination of the Landsat observations.

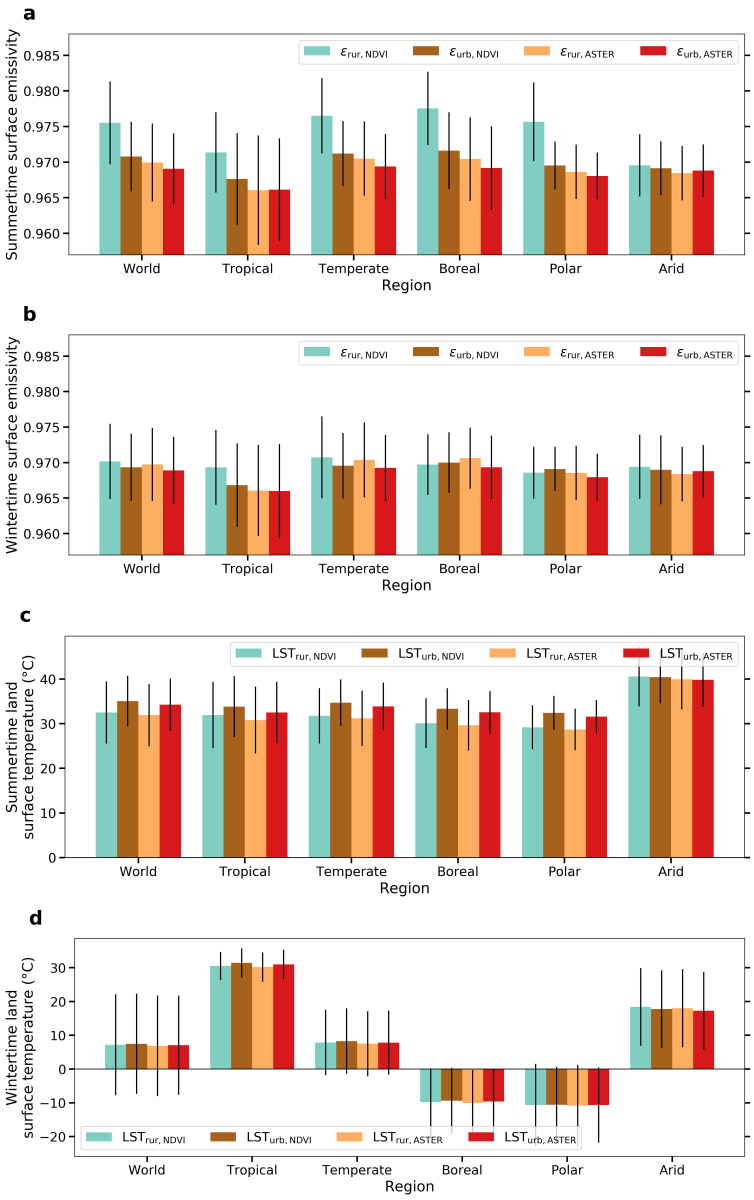


Figure 2: Mean and standard deviation of surface emissivity ((**a**) and (**b**)) and daytime land surface temperature ((**c**) and (**d**)) for all urban and rural clusters and for each climate zone. Values are shown separately for summer and winter for both the ASTER-based and NDVI-adjusted methods.

### *3.2. Emissivity and the Surface Urban Heat Island*

Figure 3 shows the impact of the $\varepsilon$ assumption on the daytime SUHI intensity. The global estimates and the climate zone means are shown along with the percentage difference between the two estimates. Note that the percentage difference in LST depends on the unit used since LST units have different scales. However, this issue disappears when calculating the percentage changes in SUHI since the values are always subtracted from a rural reference in the same temperature scale. Regardless, it is important to be careful when examining percentage changes in variables like SUHI, which have a low signal. To avoid uncertainties arising from sampling differences, we only use the urban clusters for which we get daytime SUHI estimates from both methods. This leaves 9011 clusters during summer and 7955 during winter. During summer, the daytime SUHI is highest for polar climate ($SUHI_{ASTER}$ = 2.89 °C; $SUHI_{NDVI}$ = 3.21 °C) and lowest for arid climate ($SUHI_{ASTER}$ = -0.12 °C; $SUHI_{NDVI}$ = -0.14 °C), with a global mean of 2.31 °C ($SUHI_{ASTER}$) to 2.54 °C ($SUHI_{NDVI}$). For winter, the global mean daytime SUHI ranges from 0.24 °C ($SUHI_{ASTER}$) to 0.29 °C ($SUHI_{NDVI}$), with the lowest SUHI seen for arid urban clusters ($SUHI_{ASTER}$ = -0.74 °C; $SUHI_{NDVI}$ = -0.63 °C). Tropical urban clusters show the highest winter daytime SUHI ($SUHI_{ASTER}$ = 0.74 °C; $SUHI_{NDVI}$ = -0.93 °C). Both seasonal and climatic trends are consistent with previous estimates (Clinton and Gong, 2013; Zhao et al., 2014; Chakraborty and Lee, 2019).

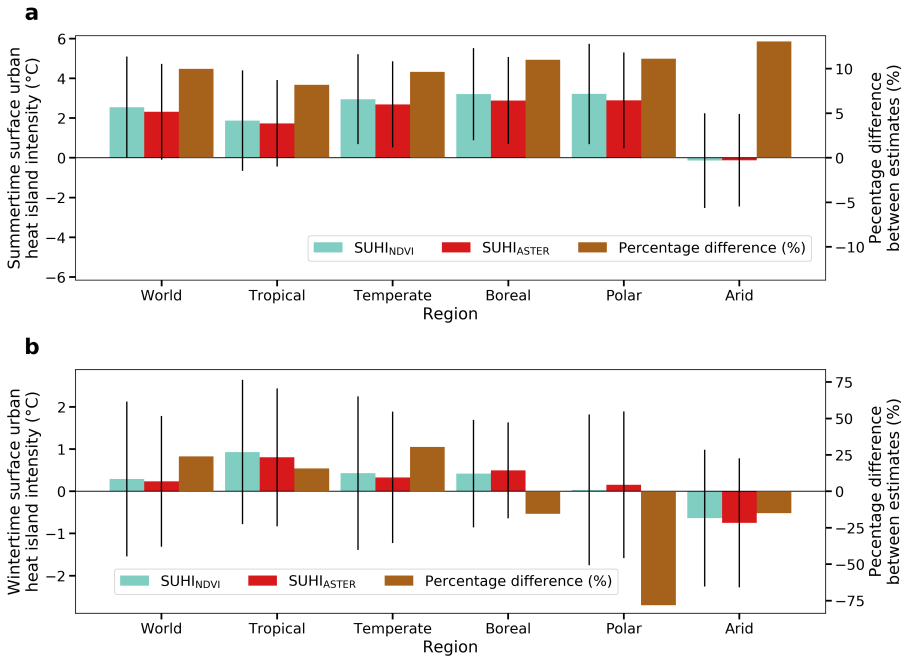


Figure 3: Mean and standard deviation of daytime surface urban heat island intensity based on both the ASTER-based and NDVI-adjusted surface emissivity ($\varepsilon$) assumptions for **(a)** summer and **(b)** winter. Percentage changes in estimated value when switching from ASTER to NDVI-based $\varepsilon$ is shown on the right y axis.

The SUHI derived from NDVI-adjusted estimates of $\varepsilon$ are generally higher since the $\Delta\varepsilon$ increases when vegetation is considered (Fig. 2). This is particularly true for summer, with SUHI increasing in magnitude by 8.2% in tropical urban clusters to 13.1% in arid clusters. Globally, the summertime increase in daytime SUHI is around 10% when moving from ASTER $\varepsilon$ to NDVI-adjusted $\varepsilon$. For winter, there is more variability in both magnitude and direction of percentage change, though this is partly driven by the baseline SUHI already being low. The global percentage increase in magnitude is 23.9%, with an increase of 30.4% in temperate urban clusters. Boreal, polar, and arid urban clusters show a decrease in SUHI when the NDVI-adjusted $\varepsilon$ is used by 15.4%, 78.1%, and 15.0%, respectively.

### *3.3. Global Spatial Patterns of Surface Urban Heat Island*

Figures 2 and 3 show bulk patterns (mean ± standard deviation). Since the urban cluster-level information, including their location, are important, we also show the spatial plots of the urban locations and then SUHI intensity using the different methods (Fig. 4). Here we only use the common urban clusters with data from both methods. The summertime patterns for the climate zones are generally replicated in the global maps, with the lowest, mainly negative values, in arid and semi-arid regions in the Middle East, Saharan Africa, southern US and northern Mexico, central Australia, and South America (Figs 4a and 4b). The rest of the world generally shows a positive SUHI intensity. India shows a mixed pattern, with western and central parts showing negative values and northern and southern edges showing positive SUHI, which is consistent with the summer daytime patterns found in Kumar et al. (2017). Overall, the urban cluster mean SUHI intensity during summer calculated after NDVI adjustment varies between a 5th percentile value of -2.16 °C (-2.12 °C for $\mathrm{SUHI_{ASTER}}$) to a 95th percentile of 6.07 °C (5.57 °C for $\mathrm{SUHI_{ASTER}}$). As also seen in the earlier subsection, the range of daytime SUHI during winter is smaller (5th percentile of -2.05 °C to 95th percentile of 2.39 °C for $\mathrm{SUHI_{NDVI}}$; -2.09 to 2.15 °C for $\mathrm{SUHI_{ASTER}}$). The contrast between urban clusters in dry versus other climate zones is still apparent, though the positive SUHI values are less extreme.

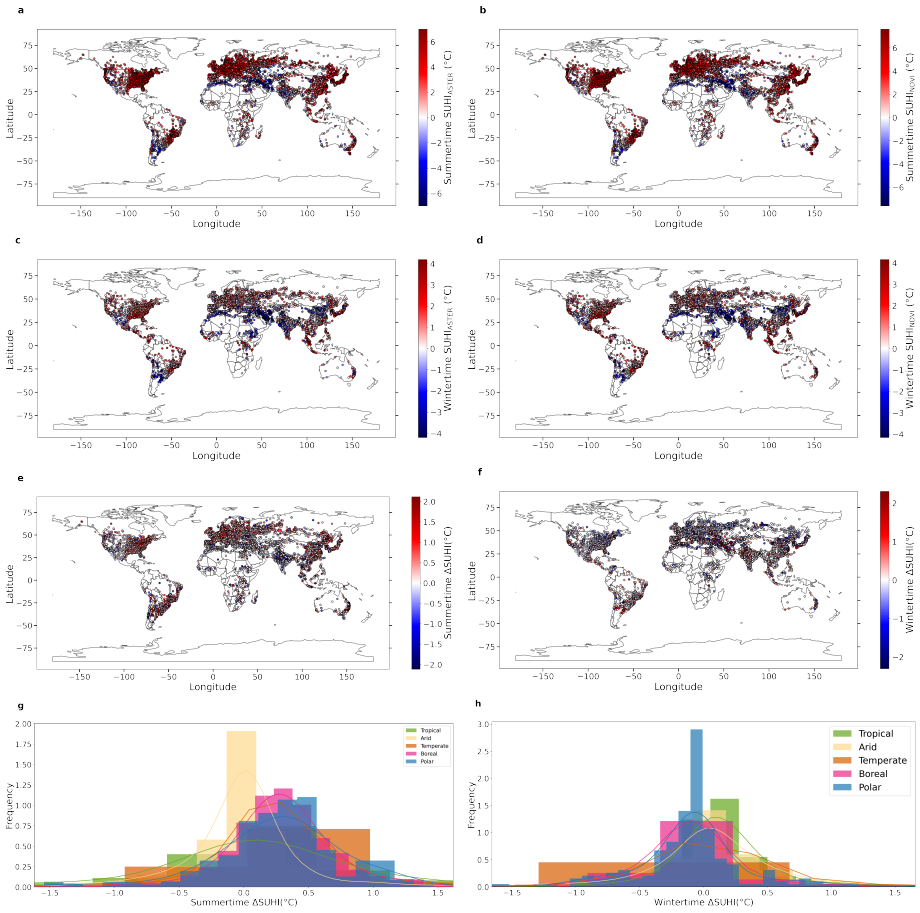


Figure 4: Location of urban clusters and their daytime surface urban heat island intensity (SUHI) estimated using two methods of prescribing surface emissivity from Landsat for summer (**(a)** and **(b)**) and winter (**(c)** and **(d)**). Sub-figures **(e)** and **(f)** show the the urban cluster level difference in estimated SUHI between the two methods for summer and winter, respectively. Sub-figures **(g)** and **(h)** show the distribution of these differences during summer and winter for each climate zone.

We also examine how using $\varepsilon_{\mathrm{NDVI}}$ instead of $\varepsilon_{\mathrm{ASTER}}$ influences the SUHI by calculating the difference in SUHI ($\Delta$SUHI) between the two methods (Figs 4e and 4f). Although the overall $\Delta$SUHI is positive, there is a range of values. During summer, $\Delta$SUHI ranges from a 5th percentile of -0.59 °C to a 95th percentile of 1.12 °C and during winter, it ranges from -0.77 to 0.98 °C. Interestingly,

many of the urban clusters that show a positive ΔSUHI during summer show a negative anomaly during winter. This includes urban clusters over Europe, northeast US, and parts of northern China. Similarly, urban clusters over India, a few over the Amazon, and parts of southeast Asia show positive ΔSUHI values during winter and negative values during summer. This is consistent with the patterns seen in Fig. 3b, with tropical and temperate urban clusters showing a percentage increase in winter daytime SUHI when using NDVI-adjusted $\varepsilon$ and boreal, polar, and arid urban clusters showing a percentage decrease in magnitude. We also show the density plots of ΔSUHI during summer and winter (Figs 4g and 4h). Overall, the differences between two methods is closest to zero for urban clusters in arid climate during summer and for polar urban clusters in winter. Overall, the positive differences between $\varepsilon_{\mathrm{NDVI}}$ and $\varepsilon_{\mathrm{ASTER}}$ are most pronounced in tropical areas.

### *3.4. Comparison with MODIS*

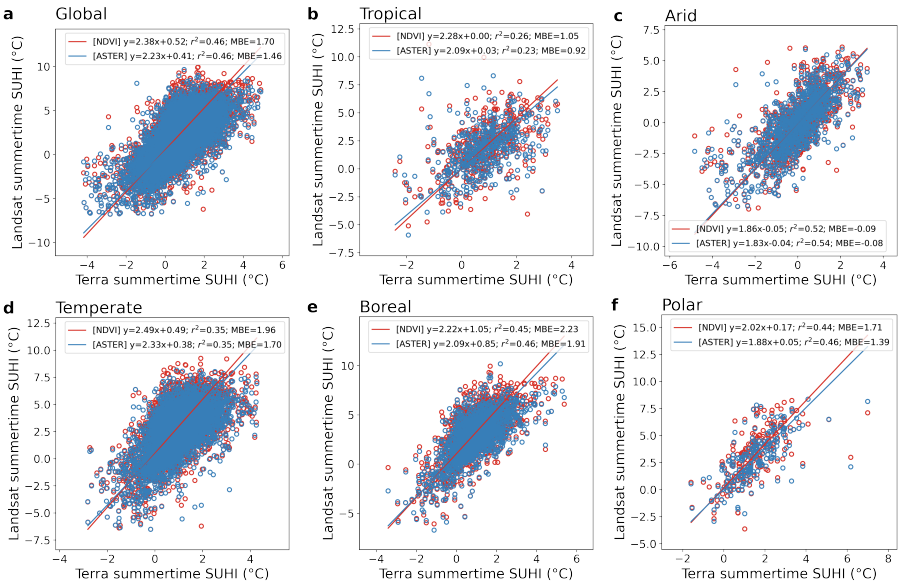


Figure 5: Scatterplots of Landsat versus MODIS-derived daytime summer surface urban heat island intensities for **(a)** all clusters and for each climate zone, namely **(b)** tropical, **(c)** arid, **(d)** temperate, **(e)** boreal, and **(f)** polar. Each point represents one cluster and the equations for the lines of best fit, the coefficients of determination, and the mean bias errors between the two estimates are annotated. The global sample size is 8922, with 480, 1183, 5058, 2005, and 202 clusters lying in the tropical, arid, temperate, boreal, and polar climate zones, respectively.

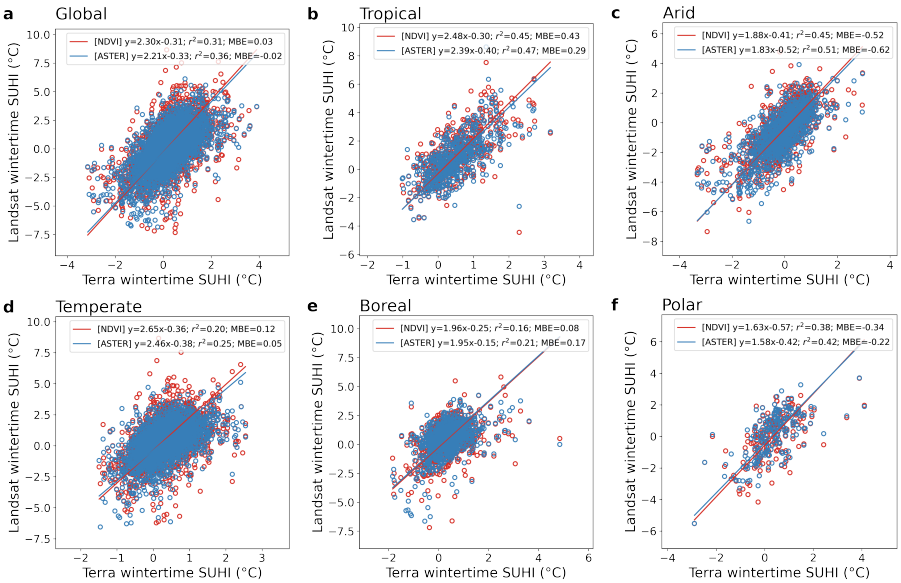


Figure 6: Scatterplots of Landsat versus MODIS derived daytime winter surface urban heat island intensities for **(a)** all clusters and for each climate zone, namely **(b)** tropical, **(c)** arid, **(d)** temperate, **(e)** boreal, and **(f)** polar. Each point represents one cluster and the equations for the lines of best fit, the coefficients of determination, the mean bias errors between the two estimates are annotated. The global sample size is 7911, with 609, 1174, 4312, 1583, and 201 clusters lying in the tropical, arid, temperate, boreal, and polar climate zones, respectively.

We compare our Landsat-derived estimates of daytime SUHI from both methods with the MODIS Terra-derived estimates, both globally, and for each climate zone. The scatter plots, where each point represents the daytime SUHI for one urban cluster, are shown for summer (Fig. 5) and winter (Fig. 6). The plots show the lines of best fit and the metrics of evaluation and the sample sizes for each case are in the figure captions. Overall, the Landsat-derived daytime SUHI estimates show a moderately strong positive relationship with the MODIS-derived estimates during summer (global $r^2 = 0.46$ for both $\text{SUHI}_{\text{NDVI}}$ and $\text{SUHI}_{\text{ASTER}}$), and a somewhat weaker relationship during winter (global $r^2 = 0.31$ for $\text{SUHI}_{\text{NDVI}}$ and 0.36 for $\text{SUHI}_{\text{ASTER}}$). In all cases other than for summer in tropical areas, the $r^2$ values between MODIS and $\text{SUHI}_{\text{ASTER}}$ is greater

than equal to that with $SUHI_{NDVI}$. For the summer, the $r^2$ values are highest for arid urban clusters ($r^2 = 0.52$ for $SUHI_{NDVI}$ and 0.54 for $SUHI_{ASTER}$) and lowest for tropical urban clusters ($r^2 = 0.26$ for $SUHI_{NDVI}$ and 0.23 for $SUHI_{ASTER}$; Fig. 5). This is unsurprising since, even after choosing only clear-sky pixels, the data availability due to the difference in cloud cover between the two satellites, driven by the distinct return periods, would be higher over tropical areas and lowest over arid regions (Chakraborty et al., 2020) (see Discussion). During winter, $r^2$ values are still highest for arid urban clusters (0.45 for $SUHI_{NDVI}$ and 0.51 for $SUHI_{ASTER}$), but lowest in boreal climate (0.16 for $SUHI_{NDVI}$ and 0.21 for $SUHI_{ASTER}$; Fig. 6). Unlike most other climate zones, tropical areas show an improved $r^2$ between MODIS and Landsat SUHI from summer to winter. This could be because a large fraction of the tropical urban clusters (Fig. 1) are located in regions with summer monsoon systems, which enhance precipitation and cloud cover (Zhisheng et al., 2015; Turner et al., 2020) and thus interfere with satellite observations of LST.

During summer, the SUHI calculated from Landsat is higher (in absolute magnitude) than that from MODIS (Figs 5 and 6). Assuming MODIS to be the baseline, the MBE is highest for boreal climate zone (2.23 °C for $SUHI_{NDVI}$ and 1.91 °C for $SUHI_{ASTER}$) and lowest for arid urban clusters (-0.09 °C for $SUHI_{NDVI}$ and -0.08 °C for $SUHI_{ASTER}$). During winter, the differences are generally lower, with the global MBE of 0.03 °C for $SUHI_{NDVI}$ and -0.02 °C for $SUHI_{ASTER}$. Among the climate zones, the arid climate shows the greatest difference between Landsat and MODIS-derived SUHI (mean difference of -0.52 for $SUHI_{NDVI}$ and -0.62 °C for $SUHI_{ASTER}$). Overall, the wintertime SUHI magnitudes are similar from both satellites although there are large differences in their distributions. These results indicate that the differences in Landsat-derived SUHI using the two methods for determining $\varepsilon$ are minimal compared with those based on MODIS LST.

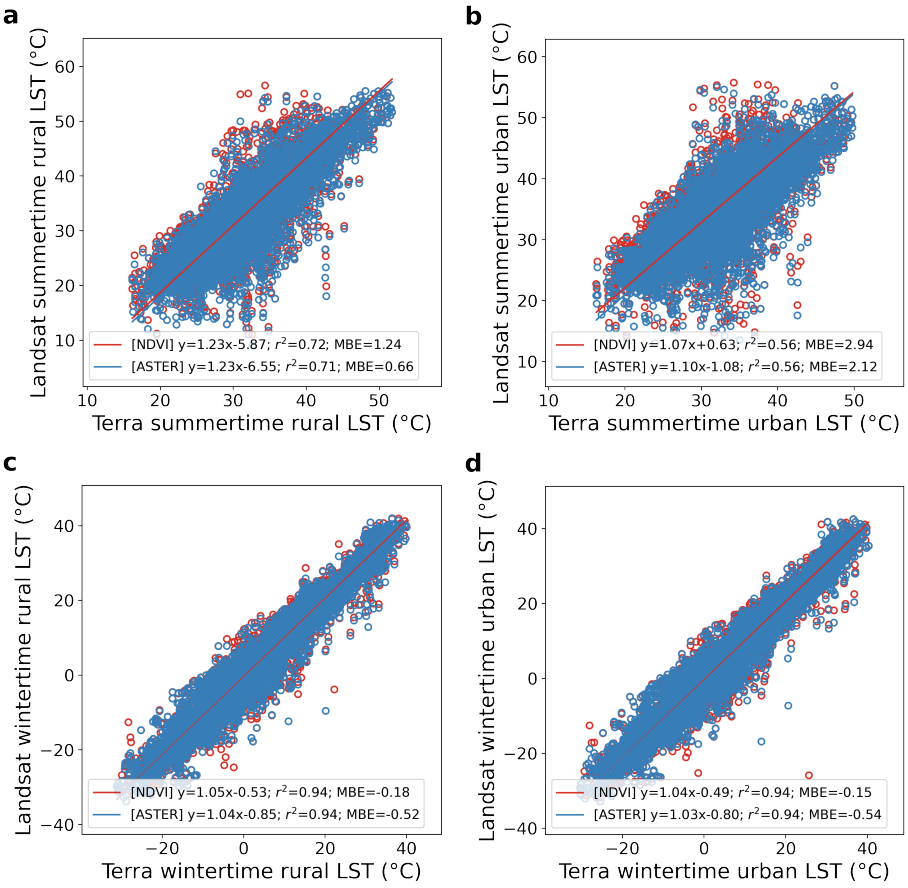


Figure 7: Scatterplots of Landsat versus MODIS-derived daytime rural (**(a)** and **(c)**) and urban (**(b)** and **(d)**) land surface temperature for all clusters for summer and winter. Each point represents one cluster and the equations for the lines of best fit, the coefficients of determination, the mean bias errors between the two estimates are annotated. During summer, the sample size is 8966 and 8968 for urban clusters and their rural references, respectively. During winter, the sample size is 7921 for both urban clusters and their rural references.

Given the general overestimation in Landsat-derived summer daytime SUHI, it is necessary to check whether this is due to the higher resolution of the Landsat data which enables better separation of the urban-rural temperature differential or a systematic overestimation in Landsat LST. We examine this by separately evaluating $\mathrm{LST_{urb}}$ and $\mathrm{LST_{rur}}$ corresponding to all the urban

clusters, shown in Fig. 7. For summer, although $LST_{rur}$ is slightly higher in the Landsat data, particularly after NDVI adjustment of $\varepsilon_{rur}$ (MBE = 1.24 °C for $LST_{rur,NDVI}$ and 0.66 °C for $LST_{rur,ASTER}$), the difference for $LST_{urb}$ is much higher (MBE = 2.94 °C for $LST_{urb,NDVI}$ and 2.12 °C for $LST_{urb,ASTER}$). During winter, the Landsat based LST is slightly lower than the MODIS-based value in both urban clusters (MBE = -0.15 °C for $LST_{urb,NDVI}$ and -0.54 °C for $LST_{urb,ASTER}$) and their rural references (MBE = -0.18 °C for $LST_{rur,NDVI}$ and -0.52 °C for $LST_{rur,ASTER}$). This analysis generally shows that the deviations between MODIS and Landsat LST are not systematic over both urban and rural areas, and that urban areas show additional differences between the two satellites, particularly during summer. This is probably because Landsat data can resolve the thermal signature of urban areas better than MODIS.

### *3.5. Sensitivity Analysis*

We estimate the sensitivity of $LST_{urb}$ and $LST_{rur}$ to $\varepsilon$ and examined how that would impact SUHI estimates using OLS regressions. Since LST is a linear function of $\varepsilon$ in the SMW algorithm (Eq. 3), we get perfect linear relationships in all cases (Fig. 8), with LST decreasing as $\varepsilon$ increases. The slope of the lines of best fit give the sensitivity of LST to $\varepsilon$. The sensitivities are pretty similar for $LST_{urb}$ and $LST_{rur}$ for both summer and winter with a value of around -59 °C for a unit change in $\varepsilon$. This linear sensitivity is a consequence of the linear approximation used in the SMW algorithm and is generally valid for the wavelength channel and within the range of temperature we observe on the Earth's land surface. Different algorithms used to estimate LST from satellite observations use different approximations and would yield slightly different sensitivities. If we re-arrange the Stefan–Boltzmann equation (Eq. 2), LST is a power function of $\varepsilon$ with a theoretical value of infinity when $\varepsilon$ is 0. In contrast, the SMW algorithm shows theoretical temperature values of 92.19 and 64.62 °C for rural surfaces with an $\varepsilon$ value of 0 for summer and winter, respectively. When the surface is considered to be a perfect black body, which is somewhat accurate when examining purely vegetated surfaces, the rural and urban reference temperatures

are 30.12 °C and 32.31 °C during summer (4.74 °C and 4.92 °C during winter), respectively. Note here, however, that the Stefan–Boltzmann law is also an approximation, with slight uncertainties associated with the Stefan–Boltzmann constant, deviations from the law seen for high and low temperature regimes, and the assumption of a black body (and by definition, lambertian surfaces) in the derivation of the equation (Baltes, 1973).

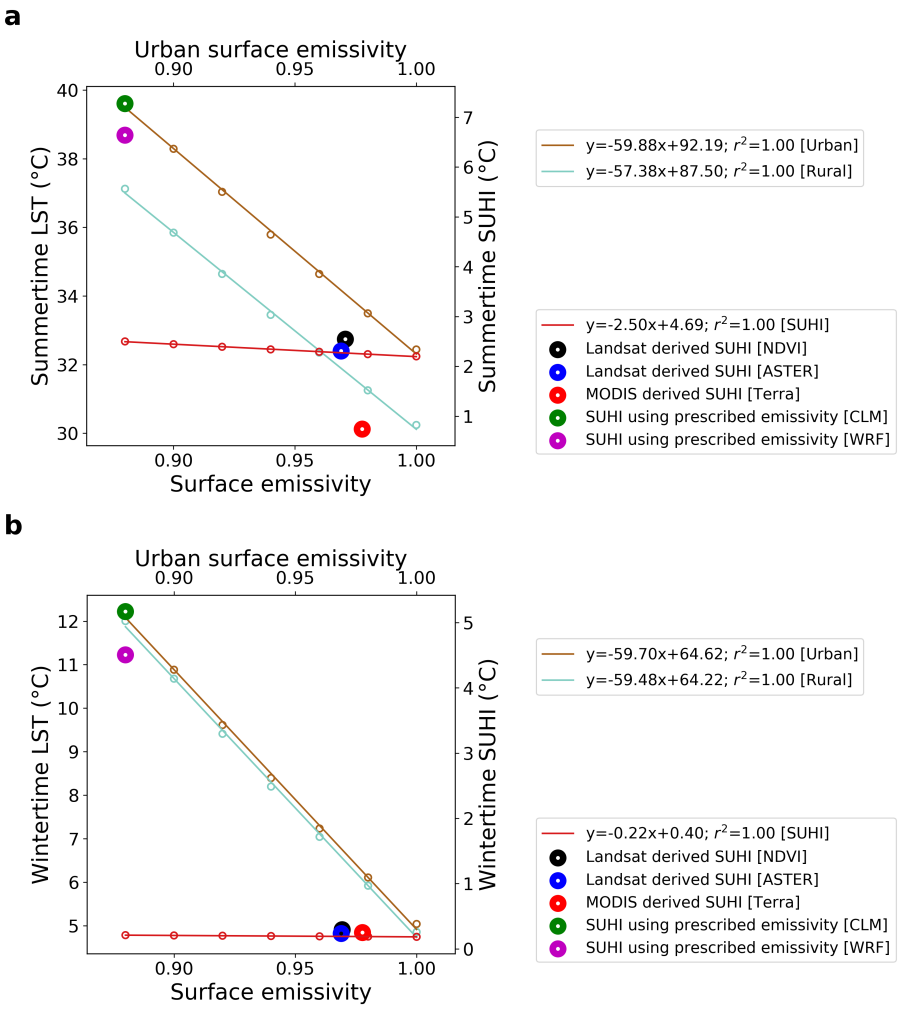


Figure 8: Sensitivity of urban and rural land surface temperature (LST), as well as surface urban heat island intensity (SUHI), to surface emissivity ($\varepsilon$) assumptions for **(a)** summer and **(b)** winter days. The temperature sensitivity and SUHI sensitivities correspond to the left and right y-axes, respectively. The global mean values for different assumptions of $\varepsilon$, including from ASTER data, after NDVI-adjusment, from MODIS Terra data, and the prescribed $\varepsilon$ in the Weather Research and Forecasting (WRF) model and Community Land Model (CLM) are provided. The estimates are placed along the top x axis at the corresponding values for urban $\varepsilon$, since rural $\varepsilon$ varies little between these estimates.

The SUHI also decreases with increasing $\varepsilon$, with a summer bound of 2.19 °C

and a wintertime value of 0.18 °C under the black body assumption for both urban and rural surfaces. We also show the impact of the prescribed urban and rural emissivities from ASTER and after NDVI adjustment on the global SUHI values. As discussed earlier, the lower $\varepsilon$ of urban areas compared to their rural references contributes to the SUHI, with the global mean SUHI being slightly higher after NDVI adjustment (2.54 °C for $\mathrm{SUHI_{NDVI}}$ and 2.31 °C for $\mathrm{SUHI_{ASTER}}$ during summer; 0.29 °C for $\mathrm{SUHI_{NDVI}}$ and 0.24 °C for $\mathrm{SUHI_{ASTER}}$ during winter). We also plot the global mean SUHI estimates from MODIS Terra observations, also discussed earlier. Of note, the difference in $\varepsilon_{\mathrm{urb}}$ between Landsat and MODIS (global mean average of $\varepsilon_{\mathrm{urb}}$ in band 31 and 32= $\approx$0.978 for both summer and winter) are minimal and would not explain the higher SUHI values from Landsat. We also show the impact of the prescribed urban and rural $\varepsilon$ values on simulated SUHI from two commonly used model, the Weather Research and Forecasting (WRF) Model (Powers et al., 2017) and the Community Land Model (CLM) (Lawrence et al., 2019). Although there are many models available for simulating urban climate with different assumptions and parameterizations, a complete survey of the $\varepsilon$ assumption in these models is beyond the scope of the current study. Instead, we provide an illustrative example from two important cases - with WRF being the mesoscale model used in the majority of urban climate research in the last decade (Kwok and Ng, 2021) and CLM being one of the few operational global climate models with explicit urban representation (Oleson and Feddema, 2020).

For WRF, we use the prescribed $\varepsilon$ for urban land (0.88) and forests (0.95 for coniferous, tropical, and sub-tropical forests) based on the model's land use lookup table (https://github.com/NCAR/WRFV3/blob/master/run/LANDUSE.TBL) to estimate the SUHI from the sensitivities shown in Fig. 8. For CLM, although $\varepsilon$ varies spatially, for simplicity, we use the values found for North America in Zhao et al. (2014), which is 0.88 for urban and 0.96 for rural. The theoretical SUHI calculated for the same urban clusters from models if the radiance differences between urban and rural areas were identical to that derived from the SMW algorithm is much higher than observed values (global mean of 6.64

and 7.27 °C for WRF and CLM, respectively, for summer; 4.50 and 5.17 °C for winter). Although this comparison is simplistic (see Discussion), the lack of agreement between satellite-based $\varepsilon$ and model-specified ones, particularly for urban areas, needs to be investigated further for more accurate SUHI estimation and, more broadly, for better constraining urban climate simulations.

## 4. Discussion

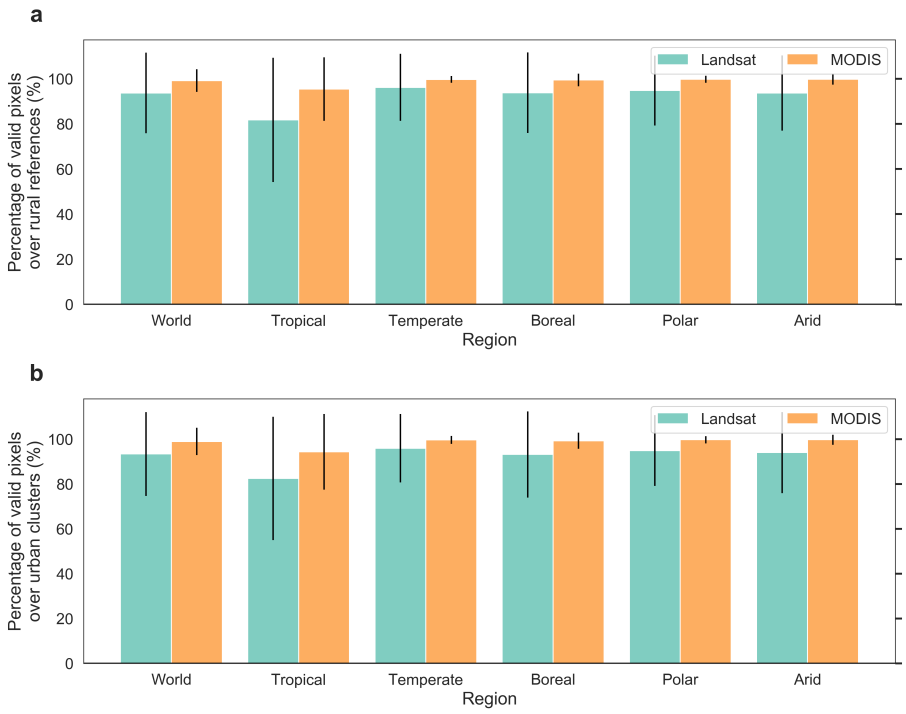


Figure 9: Mean and standard deviation of percentage of available pixels after temporal compositing during northern hemisphere summer from Landsat and MODIS data for all urban clusters (sub-figure **(a)** is for the rural references and **(b)** is for the urban references) and for each climate zone.

Unlike MODIS, which has been more frequently used for multi-city comparisons of SUHI, Landsat has a few advantages. The Landsat series has now been operational for over 40 years, with the homogenized Landsat archive being used

extensively for high resolution long-term mapping efforts (Liu et al., 2018; Pickens et al., 2020). The Landsat TIR data are available since 1982, which provides an opportunity to study long-term trends in urban temperatures, which is not generally resolved using ground-based observational networks. Moreover, Landsat data being available at a higher resolution than MODIS allows an improved ability to detect thermal hotspots within urban areas. Unfortunately, the major limitation pertains to Landsat's 16-day return period. The probability of cloud contamination is much higher due to this lower frequency of measurements compared to daily MODIS scenes, particularly relevant for tropical and coastal areas. This is evident when we calculate the percentage of available pixels for the urban and rural references separately from Landsat and MODIS Terra measurements (Fig. 9). As expected, the percentage of available pixels for the urban references is higher for MODIS measurements (global composite mean of 99.2% for MODIS and 93.7% for Landsat). In tropical areas, the difference between the two products is further magnified with the composite mean of the available pixel percentage being 95.4% for MODIS and 81.8% for Landsat. The percentage of available pixels is similar for the rural references (Fig. 9b). Note that the available pixels are calculated here after temporal compositing i.e. at least one pixel is available during the northern hemisphere summer. In reality, Landsat would have a lower number of observations to estimate the pixel-level means, making it hard to compare these observations with more representative clear-sky estimates from MODIS. This lower frequency of measurements matters less for land cover classification since the timescale of land cover changes is usually larger than this return period. However, for dynamic variables like temperature, higher temporal resolution enables us to better constrain clear-sky climatological means, where Landsat would have issues, especially with potential inter-annual variability in cloud cover. To reduce the impact of this noise, we can consider multi-year compositing to define different regimes of SUHI corresponding to each past decade. Although this does reduce the number of data points available to calculate stable long-term trends, this issue will become less important with increasing years of LST data archival. With that being said,

satellite observations from Landsat and MODIS do agree on overall regional patterns in SUHI and can continue to help monitor and provide insights on thermal anomalies associated with urbanization. However, the LST differences between datasets can be of the same order of magnitude as the SUHI signal (see Fig. 7). Previous research has shown that choosing different MODIS-derived products (for instance, MYD11, which uses a split-window algorithm versus MYD21, which uses the ASTER TES algorithm) can lead to differences in SUHI estimates (Yao et al., 2020). The issue is more prevalent for Landsat, which currently lacks a globally available derived product (Yu et al., 2014; Wang et al., 2019). A way forward may be to incorporate ensemble methods to derive uncertainty ranges from multiple datasets and algorithms, thus accounting for differences in sensors, methods, surface emissivity, etc. This is important to consider in future work and can improve our confidence in satellite-based SUHI estimates as we prepare for a warmer and more urbanized future.

Our comparison of the satellite-derived $\varepsilon$ with those prescribed in models comes with one major caveat. Since models use broadband $\varepsilon$ for longwave radiation, it might be misleading to compare the SUHI calculated using such broadband $\varepsilon$ values with the sensitivities found for channel-specific data. To examine further, we calculate broadband emissivities for each urban cluster from the ASTER data using the linear formulation described in Malakar et al. (2018):

$$\varepsilon_{\mathrm{BB}} = c_{10}\varepsilon_{10} + c_{11}\varepsilon_{11} + c_{12}\varepsilon_{12} + c_{13}\varepsilon_{13} + c_{14}\varepsilon_{14} + c_0 \tag{8}$$

where $\varepsilon_{\mathrm{BB}}$ is the broadband emissivity, $\varepsilon_{10}$, $\varepsilon_{11}$, $\varepsilon_{12}$, $\varepsilon_{13}$, and $\varepsilon_{14}$ are the $\varepsilon$ values corresponding to channels 10 to 14 of the ASTER GEDv3 dataset, and $c_{10}$ (=0.014), $c_{11}$ (=0.145), $c_{12}$ (=0.241), $c_{13}$ (=0.467), $c_{14}$ (=0.004) and $c_0$ (=0.128) are empirical coefficients. The distributions of $\varepsilon_{\mathrm{BB}}$ for urban and rural references, both globally and across climate classes, are shown in Figs 10a and 10b. Overall, urban $\varepsilon_{\mathrm{BB}}$ is slightly lower than rural $\varepsilon_{\mathrm{BB}}$. For rural references, arid regions tend to have the lowest $\varepsilon_{\mathrm{BB}}$ and boreal regions have the highest. It

is evident that the ASTER-derived $\varepsilon_{BB}$ for urban surfaces is higher than the 595 0.88 considered in CLM or WRF. Since this 0.88 in CLM is a bulk estimate of prescribed $\varepsilon$ for different urban components, we extracted the grid-level $\varepsilon$ in the surface dataset used in the latest version of CLM (CLM 5) and show their distributions using box and whisker plots (Fig. 10c). The mean urban $\varepsilon_{BB}$ calculated from ASTER GEDv3 (0.969) is also shown using the horizon- 600 tal line. In almost all grids, the $\varepsilon$ values of the urban sub-components (across all urban classes) are lower than the ASTER estimates. Pervious surfaces in urban areas are prescribed to have an $\varepsilon$ of 0.95. For other sub-components, CLM divides the world into 33 regions with their specific urban parameters, including $\varepsilon$ (Oleson and Feddema, 2020). The values of the $\varepsilon$ of roofs in CLM 605 is particularly low. Unlike CLM, WRF generally uses a single land cover-based specification of $\varepsilon$ for urban areas. Figure 8 shows the potential SUHI value for WRF when run with the slab urban model, which assumes an urban $\varepsilon$ of 0.88. In WRF with urban canyon representation, urban $\varepsilon$ is slightly higher and separated into $\varepsilon$ values for roofs (0.91), walls (0.91), and roads (0.95; 610 https://github.com/NCAR/WRFV3/blob/master/run/URBPARM.TBL). Even if we assume that half of all urban areas are roads, the SUHI calculated using these prescribed emissivities would be higher than Landsat-derived values (global summer daytime mean of 3.5 °C versus 2.54 °C for $SUHI_{NDVI}$). Since these $\varepsilon$ are not spatially explicit, some studies using WRF use the $\varepsilon$ specification 615 from CLM (Huang et al., 2021). These sensitivity analyses (Fig. 8) also assume that the simulated outgoing longwave from the land components of the models would be identical to the values estimated from satellite observations. In reality, simulated LST is a function of not just $\varepsilon$, but is strongly modulated by other components of the surface energy balance. For CLM, decreases in prescribed $\varepsilon$ 620 have been shown to increase the net radiation and sensible heat flux over urban surfaces (Oleson et al., 2008). Given the importance of $\varepsilon$ on constraining the surface energy budget and the somewhat larger variability in $\varepsilon$ expected in urban areas, future research should compare the prescribed urban $\varepsilon$ and its impacts on simulated urban climate across currently operational microscale, mesoscale,

and global models.

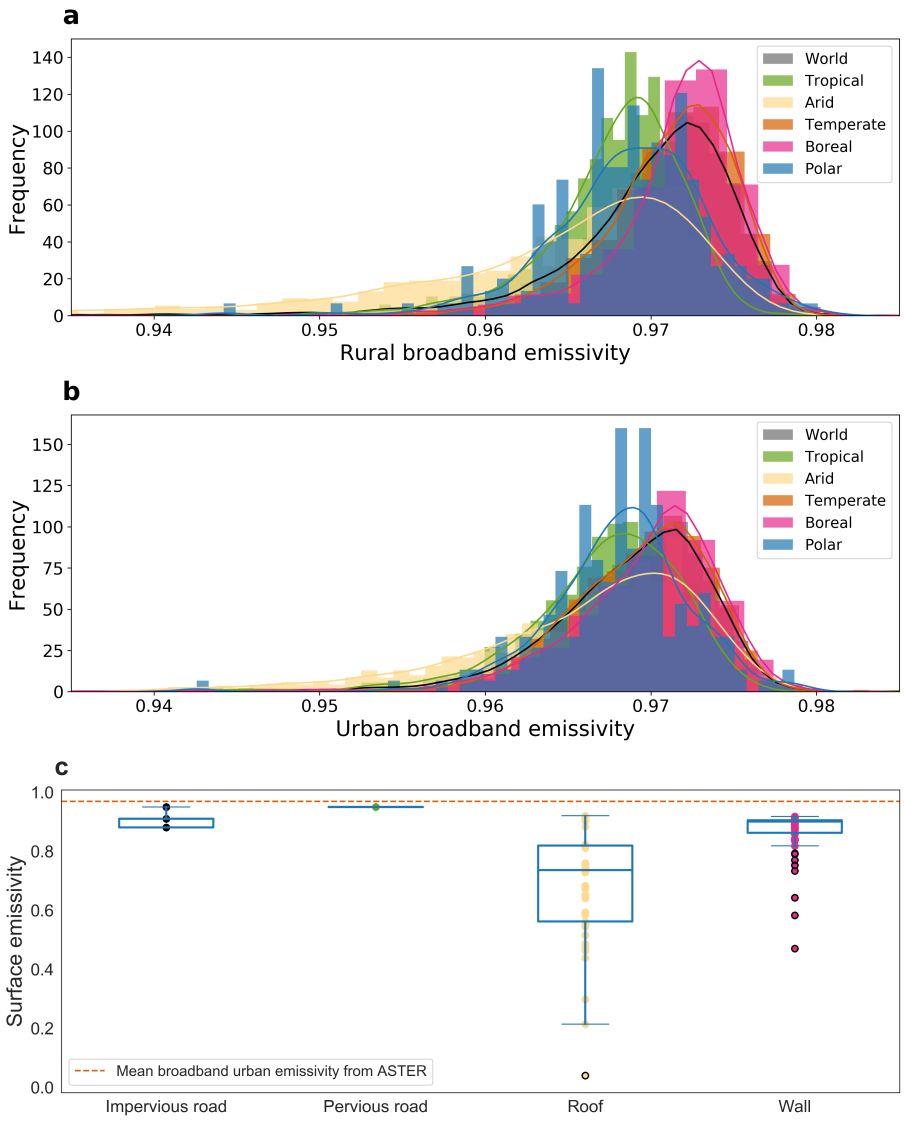


Figure 10: Sub-figures **(a)** and **(b)** show the frequency distribution histograms of rural and urban broadband emissivity ($\varepsilon$) derived from ASTER data corresponding to all urban clusters and separately for each climate zone. Sub-figure **(c)** shows box and whisker plots of the prescribed broadband $\varepsilon$ of all urban sub-components throughout the globe in the latest version of the Community Land Model. The global mean urban broadband $\varepsilon$ from ASTER is also noted using the horizontal dashed line.

In summary, the assumption of $\varepsilon$ can have a strong impact on estimates of urban heat islands, particularly for more vegetated regions. This is true for both satellite observations and numerical models and needs to be benchmarked in a comprehensive manner to improve our representation and understanding of urbanization and its climatic impacts. Although this study uses a sensitivity approach to estimate the impact of $\varepsilon$ on SUHI, it should be stressed that the empirical relationships used to estimate LST from TIR data, as well as the methods used to estimate $\varepsilon$, were originally designed for natural surfaces, not urban areas (Van De Griend and Owe, 1993). More importantly, ground-based validation of $\varepsilon$ is still rare (Langsdale et al., 2020), and particularly difficult for urban areas due to their heterogeneity. Without such validations, we can expect uncertainties in urban LST and thus, larger noise-to-signal ratios for satellite-derived SUHI. Since Landsat observations allow us to estimate intra-urban variability in SUHI at a higher resolution, an important question is how this $\varepsilon$ is affected by the change in surface roughness within urban areas and how that impacts our estimates of spatial LST variability. Finally, when comparing modeled SUHI with satellite observations, it is important to consider the fundamental differences between them. Prescribed $\varepsilon$ in models are from material-level $\varepsilon$ for broadband thermal radiation, which can be quite low (Artis and Carnahan, 1982). However, most real urban surfaces are not just slabs of constant built-up materials. This introduces difficulties in performing apples-to-apples comparisons between large-scale estimates from satellites and models, since they do not necessarily agree on a common definition for urban areas. With the continued and unprecedented growth in urbanization and given that these technique were initially intended for natural land cover, we need to take a step back to evaluate these methods specifically over urban areas or develop new ones to reduce uncertainties when studying urban climate.

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