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Marine Radiocarbon Calibration in Polar Regions:
A Simple Approximate Approach using Marine20

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ABSTRACT

The Marine20 radiocarbon (14C) age calibration curve, and all earlier marine radiocarbon calibration curves from the IntCal group, must be used extremely cautiously for the calibration of marine 14C samples from polar regions (outside ~ 40°S – 40°N) during glacial periods. Calibrating polar 14C marine samples from glacial periods against any Marine calibration curve (Marine20 or any earlier product) using an estimate of ΔR, the regional 14C depletion adjustment, that has been obtained from samples in the recent (non-glacial) past is likely to lead to bias and overconfidence in the calibrated age. We propose an approach to calibration that aims to address this by accounting for the possibility of additional, localized, glacial 14C depletion in polar oceans. We suggest, for a specific polar location, bounds on the value of ΔR20(θ) during a glacial period. The lower bound ΔR20Hol may be based on 14C samples from the recent non-glacial past (Holocene) and corresponds to a low-depletion glacial scenario; while an upper bound representing high-depletion, ΔR20GS, is found by increasing ΔR20Hol according to the latitude of the 14C sample to be calibrated. The suggested increases to obtain
\[ \Delta R_{20}^{GS} \] are based upon simulations of the Hamburg Large Scale Geostrophic Ocean General Circulation Model (LSG OGCM). Calibrating against the Marine20 curve using the upper and lower \( \Delta R_{20} \) bounds provide estimates of calibrated ages for glacial \(^{14}\)C samples in high- and low-depletion scenarios which should bracket the true calendar age of the sample. In some circumstances, users may be able to determine which depletion scenario is more appropriate using independent paleoclimatic or proxy evidence.

1 Introduction

1.1 Marine \(^{14}\)C Calibration

To aid calibration of \(^{14}\)C samples from open-ocean surface marine environments, the IntCal working group regularly produce marine radiocarbon age calibration curves (known as MarineXX, where XX denotes the year in which the calibration curve was produced). The most recent marine calibration curve is Marine20 (Heaton et al., 2020) which has replaced the earlier 1986, 1993, 1998, Marine04, Marine09 and Marine13 curves (Hughen et al., 2004; Reimer et al., 2009, 2013; Stuiver et al., 1986, 1998; Stuiver & Braziunas, 1993). The aim of all these marine radiocarbon age calibration curves is to provide a best estimate of the global-scale changes in open ocean surface \(^{14}\)C levels over the past 55,000 years that incorporates the oceanic smoothing of atmospheric \(^{14}\)C-age variations and accounts for large-scale paleoclimatic, paleoceanographic, and carbon cycle changes. To enable consistent calibration of marine \(^{14}\)C samples, the community typically make the significant simplification that any further localized changes in surface ocean depletion are approximately constant over time, and that the global-scale changes modelled within the MarineXX curves capture the main temporal variations in oceanic \(^{14}\)C depletion (Heaton et al., 2022).

In polar regions such a simplification cannot however be justified. At high-latitudes, during glacial periods, we expect there may have been significant additional localized changes in surface-water \(^{14}\)C concentration (Butzin et al., 2005) that are not captured by the global-scale MarineXX curves. These temporal changes, to what is known as the regional \( \Delta R(\theta) \), make the calibration of marine \(^{14}\)C samples from such polar regions particularly challenging. Without adjustment to account for potential variations over time in polar \( \Delta R(\theta) \), none of the MarineXX curves should be used for calibration of marine \(^{14}\)C samples from polar regions in glacial periods. If we do not account for such temporal changes in \( \Delta R(\theta) \) it is likely we will obtain calibrated age estimates for polar \(^{14}\)C samples in glacial periods that are spuriously precise and biased towards being older than their true calendar ages.

Before the impact of anthropogenic emissions, the concentration of \(^{14}\)C in the surface ocean has always been depleted compared with the level of \(^{14}\)C in the contemporaneous atmosphere. Oceanic \(^{14}\)C levels also show a smoother response to \(^{14}\)C production changes than the atmosphere: variations in \(^{14}\)C-age (and \( \Delta ^{14}\)C) over time are damped in the oceans compared to the atmosphere (Levin & Hesselhaimer, 2000). We measure the overall surface ocean \(^{14}\)C depletion, at any location and time, via the marine reservoir age (MRA). This MRA, denoted \( R_{Location}(\theta) \), defines the difference, at calendar age \( \theta \) cal yr BP, between the radiocarbon age of dissolved inorganic carbon in the mixed ocean surface layer at that location, and the radiocarbon age of CO2 in the Northern Hemispheric (NH) atmosphere (Stuiver et al., 1986).

The overall MRA, \( R_{Location}(\theta) \), in a particular location is influenced by both global-scale factors and local-scale factors (Bard, 1988; Stuiver & Braziunas, 1993):

\[
R_{Location}(\theta) = R_{GlobalAv}(\theta) + \Delta R_{Location}(\theta).
\]

Here \( R_{GlobalAv}(\theta) \) captures the global-scale MRA effects; and \( \Delta R_{Location}(\theta) \) the local-scale depletion factors. Global-scale factors include atmospheric CO2 (Köhler et al., 2017) and \(^{14}\)C...
production changes (Reimer et al., 2020), and large-scale changes to ocean circulation (e.g., Böhm et al., 2015; Henry et al., 2016; Hodell et al., 2003; Oka et al., 2021) and air-sea gas exchange rates (e.g., Kageyama et al., 2021; Kohfeld et al., 2013; McGee et al., 2010). Crucially, the smoothing of the high frequency atmospheric $^{14}$C-age variation which is inherent to the ocean is also predominantly incorporated into this $R_{Global\Delta v}(\theta)$. More local-scale effects, which are incorporated through $\Delta R_{Location}(\theta)$ and might have a further influence on the MRA in a specific area of study, include the depth of the ocean at that location, the presence of sea-ice, regional winds, and coastal upwelling (Key, 2001; Key et al., 2004; Reimer & Reimer, 2001; Toggweiler et al., 2019).

**Notation:** The estimates of both $R_{Global\Delta v}(\theta)$ and $\Delta R_{Location}(\theta)$ are updated with each MarineXX iteration as our knowledge increases. We use a subscript to denote which calibration curve we are referring to, so that $R_{Global\Delta v}(\theta)$ and $\Delta R_{20}(\theta)$ refer to the Marine20 estimates of global-scale and the local-scale depletion effects (Heaton et al., 2020). We also drop the location superscript in $\Delta R_{Location}$ where it is not essential for comprehension.

### 1.2 The Marine20 Calibration Curve and $\Delta R(\theta)$ in Polar Regions

The Marine20 estimates (and all earlier marine calibration curves) only aim to model the global-scale changes in oceanic $^{14}$C levels, i.e., $R_{Global\Delta v}(\theta)$. In any specific oceanic location, at any particular time $\theta$, any additional localized $^{14}$C variation must be accounted for through the $\Delta R(\theta)$ term. While we expect $\Delta R(\theta)$ to vary over time, we do not currently have sufficient knowledge to be able to accurately model these changes or, in most locations, to estimate them with sufficient precision from data (Heaton et al., 2022).

To allow the community to calibrate marine $^{14}$C samples, we must therefore make a considerable simplification. The standard approach, taken since the first Marine calibration curve of Stuiver et al. (1986), is to consider $\Delta R(\theta)$ as being approximately constant (or at most to vary slowly) over time, i.e., $\Delta R(\theta) = \Delta R$. We can estimate these regional values, $\Delta R_{20}$ in the case of the Marine20 curve, using $^{14}$C observations from the recent past. Such reference $^{14}$C samples and estimates of $\Delta R_{20}$ are available, for example, in the maintained database at [http://calib.org/marine/](http://calib.org/marine/) (Reimer & Reimer, 2001). Having made such a simplification, to calibrate a new $^{14}$C sample we subtract the appropriate regional $\Delta R_{20}$ from the observed radiocarbon age of the sample, and then calibrate against Marine20.

This approach to calibration, assuming that $\Delta R(\theta) = \Delta R$, is recognized as being a coarse approximation for any ocean location but is seen as a necessary simplification to enable a standardized approach to marine calibration until our knowledge improves (Heaton et al., 2022). However, in polar regions, the assumption of a constant $\Delta R(\theta)$ over time cannot be justified. During glacial periods, outside c.a. 40ºS – 40ºN, we expect localized sea-ice cover, strong winds, and ocean circulation changes may have had substantial additional short-term effects on $\Delta R(\theta)$ (Butzin et al., 2005; Völker & Köhler, 2013). Typically, these regional and temporal glacial effects will cause a localized increase to surface ocean $^{14}$C depletion when present. At high latitudes, pre-Holocene/glacial values of $\Delta R(\theta)$ may therefore be considerably larger than the values of $\Delta R(\theta)$ during the Holocene/recent past (Butzin et al., 2017).

When calibrating $^{14}$C samples that arise from marine locations outside c.a. 40ºS – 40ºN and are older than c.a. 11.5 cal kyr BP, it is not therefore appropriate to calibrate against any MarineXX curve using a value of $\Delta R$ estimated from Holocene/recent past samples. We must recognize that, in polar regions and during glacial periods, $\Delta R(\theta)$ may have considerably increased. If we fail to take this into account during calibration, we are likely to introduce substantial biases in the resultant calendar age estimates: providing estimates for the calendar ages of glacial-
period marine $^{14}$C samples in polar regions that are significantly older than their true calendar ages, and which underestimate the calendar age uncertainty.

Location-specific estimates of the overall open-ocean surface water $^{14}$C depletion (i.e., $R_{loc}^{cat}$, the total MRA) are available under fixed carbon cycle and climate scenarios via the Hamburg Large Scale Geostrophic Ocean General Circulation Model (LSG OGCM, Butzin et al., 2020) at https://doi.pangaea.de/10.1594/PANGAEA.914500. In principle, these LSG estimates could be used for polar $^{14}$C calibration, by adjusting the IntCal20 curve. However, the LSG OGCM scenarios provided are not transient, in terms of climate, and so calibrating under any individual scenario will still lead to overconfidence in the resultant age estimate. Further, the limited spatial resolution of the LSG OGCM means estimation of a further regional depletion term, a $\Delta R_{LSG}$, is still required. Direct calibration using the LSG OGCM estimates is therefore non-trivial using current software.

1.3 A Simple Recommendation for Marine Polar $^{14}$C Calibration

In this paper, we suggest how a user might calibrate high latitude (outside c.a. 40°S – 40°N) marine $^{14}$C samples in such a way as to reduce the potential for bias and overconfidence in the resultant calendar age estimates. Since detail on past polar climate and the extent of sea ice is largely unknown, and as we wish to retain simplicity in calibration, our proposal is, by necessity, a coarse approximation. We suggest modifying the $\Delta R(\theta)$ used for calibration dependent upon the calendar age of the sample – effectively whether the sample arose during glacial, or Holocene/interglacial, conditions. Our suggestion is informed by the LSG OGCM scenarios while still retaining use of the Marine20 curve.

Note that while we use the term Holocene to denote the partition between the two suggested calibration approaches, we do not provide a precise date as to when substantial changes in polar $\Delta R(\theta)$ may have occurred. This decision should be made and justified by the calibration user, drawing on various lines of paleoclimatic-paleoceanographic evidence, notably with proxy data on the extent of localized sea-ice.

We also note that the application of the glacial increase to $\Delta R(\theta)$ will have the effect of shifting the calibrated age estimate towards more recent dates. Hence to determine if the $^{14}$C sample potentially lies in the glacial, we can calibrate first using just the approach of Section 1.3.1 (with a modern-day $\Delta R_{20}$). If this (low-depletion) calibration provides a calendar age date which falls in the glacial period, then this sample may require a glacial $\Delta R(\theta)$ increase and the calibration user should perform an additional calibration following the steps described in Section 1.3.2.

1.3.1 Calibrating Polar $^{14}$C samples from the Holocene (c.a. 11,500 – 0 cal yr BP)

We suggest that those users calibrating polar $^{14}$C samples from the Holocene can calibrate directly against Marine20 using a standard estimate of $\Delta R_{20}$ obtained via $^{14}$C samples from the Holocene (e.g., $^{14}$C samples from the recent past). This suggestion is based on the relatively stable climate during the Holocene period and an assumption that, even at high latitudes, we would not expect substantial sea-ice based temporal variations in $\Delta R(\theta)$. Such a $\Delta R_{20}$ estimate can be obtained using samples from the recent past via the maintained database at http://calib.org/marine/ (Reimer & Reimer, 2001) or from paired radiocarbon dated marine/terrestrial samples. During the Holocene, the approach to calibration of polar samples therefore remains the same as that traditionally taken for any other marine location. This retains consistency.

If this calibration, with a Holocene-based estimate of $\Delta R_{20}$, provides an estimate for the calendar age which lies entirely in the Holocene, then we can be confident the sample arises
from this period. The user can then stop with this single calibration and report their calibrated age interval. However, if the calibrated age extends into the glacial (beyond approximately 11,500 cal yr BP), the user should follow Section 1.3.2 as the sample may require a polar \( \Delta R(\theta) \) boost.

1.3.2 Calibrating Polar \(^{14}\text{C}\) samples from Glacial Periods (c.a. 55,000 – 11,500 cal yr BP)

For those users wishing to calibrate high-latitude samples from glacial periods, we propose the application of a latitude-dependent adjustment to the value of \( \Delta R_{20} \). This adjustment will aim to account for potential glacial changes in regional polar oceans due to localized sea-ice and other local factors. Specifically, during glacial periods, we suggest that a user consider two distinct \( \Delta R_{20} \) polar depletion scenarios which will provide bracketing glacial climates:

1. Minimal polar \(^{14}\text{C}\) glacial depletion – Calibrate against Marine20 applying a \( \Delta R_{20}^{\text{Hol}} \) that matches the adjustment for regional \(^{14}\text{C}\) depletion seen during the Holocene. As for Section 1.3.1, this \( \Delta R_{20}^{\text{Hol}} \) can be calculated using \(^{14}\text{C}\) samples from the recent past such as those found in the maintained database at [http://calib.org/marine/](http://calib.org/marine/) (Reimer & Reimer, 2001).

2. Maximal polar \(^{14}\text{C}\) glacial depletion – Apply an increase to the Holocene-based \( \Delta R_{20}^{\text{Hol}} \) to obtain a high-depletion \( \Delta R_{20}^{\text{GS}} = \Delta R_{20}^{\text{Hol}} + \Delta R_{20}^{\text{Hol} \rightarrow \text{GS}} \) that is chosen to provide optimal agreement with the GS scenario of the LSG OGCM. Calibrate against Marine20 using this increased \( \Delta R_{20}^{\text{GS}} \).

The proposed increase, i.e., \( \Delta R_{20}^{\text{Hol} \rightarrow \text{GS}} \), that is required to transform \( \Delta R_{20}^{\text{Hol}} \) into \( \Delta R_{20}^{\text{GS}} \) is dependent upon the latitude of the sample. The values of \( \Delta R_{20}^{\text{Hol} \rightarrow \text{GS}} \) at each latitude are shown in Figure 3 and can be found tabulated in the Supplementary Information and on PANGAEA (web address to be decided). Calibrating against Marine20 first with the low-depletion \( \Delta R_{20}^{\text{Hol}} \) adjustment, and then separately with the high-depletion \( \Delta R_{20}^{\text{GS}} \) scenario, should hopefully provide bracketing calibrated ages for the true calendar age of the sample.

Such an approach retains simplicity in calibration, allowing use of Marine20 and existing calibration software. A user is not required to create their own (location-specific) calibration curve since the proposed approach requires only an adjustment to \( \Delta R_{20} \) which is typically available as an option in calibration software. If, to accompany each \(^{14}\text{C}\) sample, a user has independent paleoclimatic evidence as to the condition in their oceanic location of interest, for example through proxy evidence within a sediment core, they may wish to use this to scale the appropriate \( \Delta R_{20}(\theta) \) to apply to each sample between the extreme \( \Delta R_{20}^{\text{Hol}} \) and \( \Delta R_{20}^{\text{GS}} \) values. This offers the possibility to provide more precise calibrated age ranges.

For this coarse and simple approximation, we have suggested an adjustment from \( \Delta R_{20}^{\text{Hol}} \) to \( \Delta R_{20}^{\text{GS}} \) which depends only upon the latitude of the \(^{14}\text{C}\) sample we wish to calibrate (and not its specific longitude or ocean basin). As we learn more about the past climatic conditions, we expect we will be able to provide advice on the adjustment \( \Delta R_{20}^{\text{Hol} \rightarrow \text{GS}} \) that is more localized and detailed. In particular, due to the separation of the Pacific from the Atlantic and Arctic Ocean during the last glacial by a sea level drop that allowed the crossing of the Bering Strait on land (Jakobsson et al., 2017; Knudsen & Ravelo, 2015), we expect an ocean-basin dependent adjustment may be appropriate. For this study, we did investigate such a dependence (see Supplementary Information) but felt that providing different adjustments by basin would provide potentially spurious precision on basin differences that were predominantly due to model choice (in particular, the positioning of sea-ice).
1.4 Paper Layout

The paper is set out as follows. In Section 0, we provide a short explanation of Marine20 (Heaton et al., 2020) and the BICYCLE ocean-atmosphere box model (Köhler et al., 2006) used to factor out the global $R_{20}^{Global Av}(\theta)$ effects. We also summarize the LSG OGCM (Butzin et al., 2020) which provides localized estimates for open-ocean surface water $^{14}$C depletion and discuss why using these MRA estimates directly is not straightforward. Section 3 compares the LSG OGCM estimates of the MRA with BICYCLE’s estimates. We describe our suggested latitudinal increases $\Delta R_{Ho}^{Ho \rightarrow GS}$ in Section 4. We present worked examples of polar ocean $^{14}$C calibration using the proposed approach in Section 5. We consider the calibration of individual samples and the construction of an age-depth model using deep-sea core MD02-2496 offshore of Vancouver Island at 49.0ºN, 127.0ºW (Cosma et al., 2008; Taylor et al., 2014). In this Section, we also briefly discuss how individuals might be able to use proxy information to determine the appropriate level of $\Delta R(\theta)$ to apply for each $^{14}$C sample. Finally in Section 6, we summarize our suggestion and describe avenues for future work.
2 Global vs Localized MRA Estimates

2.1 Marine20 and Global-Scale Changes in Oceanic $^{14}$C Depletion

Marine20 uses a transient application of the BICYCLE carbon cycle box model (Köhler et al., 2005, 2006; Köhler & Fischer, 2004, 2006) to estimate and factor out $R_{20}^{GlobalAr}(\theta)$, the global-scale effects on the MRA. BICYCLE, and hence Marine20, takes account of major time-dependent changes in the global carbon cycle. This includes changing CO$_2$ (Köhler et al., 2017) and atmospheric $^{14}$C levels (Reimer et al., 2020); global windspeeds (Kageyama et al., 2021; Kohfeld et al., 2013; McGee et al., 2010); and ocean circulation including glacial/interglacial changes in Atlantic meridional overturning circulation (AMOC) and Southern Ocean vertical mixing (Böhm et al., 2015; Henry et al., 2016; Hodell et al., 2003; Oka et al., 2021). BICYCLE, and Marine20, also incorporate temporal changes in sea ice and temperature; as well as changes in the marine export production due to glacial iron fertilization (Köhler et al., 2006). BICYCLE does not however provide the localized responses to these variables – rather it summarizes their wider scale effects on very large ocean areas. As a consequence, Marine20 should be seen as providing an estimate of global-scale changes in oceanic $^{14}$C levels (Heaton et al., 2020, 2022).

Importantly, through its $R_{20}^{GlobalAr}(\theta)$, Marine20 does incorporate global-scale changes in surface ocean $^{14}$C depletion that occur in the glacial period. Large-scale paleoclimate and carbon cycle contributions to changes in MRA during glacial periods are already factored into the Marine20 curve. We are only required to provide further adjustment, through $\Delta R(\theta)$, during glacial periods if we believe that there are additional localized effects, beyond those global elements already incorporated, which have changed significantly from those seen in the Holocene. A specific example of such a localized effect might be if, in our specific location of interest, regional sea ice was not present during the Holocene but extensive during the glacial.

Box models such as BICYCLE are known to generate poor localized response patterns, especially in the high latitudes, where sea ice and ocean circulation changes might be more substantial than suggested in BICYCLE’s large surface ocean boxes. Marine20 does not aim to estimate the potential for such additional, localized, $^{14}$C depletion in polar areas caused by glacial-period phenomena. These regional effects must be incorporated through adjustments to $\Delta R(\theta)$ when using the Marine20 curve.

2.2 Regional Estimates of Oceanic $^{14}$C with the LSG OGCM Model under Fixed Climate Scenarios

The LSG OGCM (Butzin et al., 2020) is able to provide more localized ocean responses, generating estimates of $^{14}$C levels and MRA at specific marine locations on a 2.5° by 2.5° grid (see Figure 1). These LSG OGCM estimates incorporate changing CO$_2$ and $^{14}$C levels but are run under fixed climate scenarios and are model specific. The LSG OGCM is also much slower to run than BICYCLE. Hence it is currently difficult to use the LSG OGCM to fully understand the uncertainties in the local MRAs that arise due to our imprecise knowledge regarding the true state of our past climate and carbon cycle.

LSG OGCM estimates of overall MRA are available, forced by the IntCal20 posterior mean for atmospheric $^{14}$C concentrations (Reimer et al., 2020), under three specific climate scenarios (Butzin et al., 2005):

- PD – a climate scenario intended to be very similar to the present day.
- GS – a climate scenario representing the Last Glacial Maximum (LGM), featuring a shallower AMOC weakened by about 30% compared to PD.
- CS – a more extreme glacial climate scenario aiming to mimic cold stadials with further AMOC weakening by about 60% compared with PD.

During the relatively stable Holocene, the PD scenario is thought to be most representative of the true climate. Pre-Holocene, from c.a. 55,000 – 11,500 cal yr BP, the climate is thought to have changed much more substantially over time, but mainly been less extreme than the GS (LGM-based) scenario. While we expect short periods (e.g., during Heinrich events) when AMOC weakening may be closer to the low values within the CS scenario, or indeed shut off completely (Oka et al., 2021), we anticipate that it would take time for the MRA to increase to the values seen in the constant state CS climate scenario. We therefore suggest that the constant state GS scenario provides a reasonable upper bound for the level of oceanic $^{14}$C depletion in polar regions. Investigation of the changes in MRA needed should a user decide that the CS scenario is more appropriate for an upper bound can be found in the Supplementary Information.

As we show later, in Figure 2 and 3, for mid-latitude ocean regions ranging from approximately 40°S – 40°N, the effect of changing between the fixed PD to GS climate scenarios in the LSG OGCM estimates is encapsulated within the uncertainty envelope of the transient $R_{20}^{\text{GlobalAvg}}(\theta)$ used in Marine20. However, at higher latitudes the GS scenario suggests substantially increased localized $^{14}$C depletion in the surface ocean compared with Marine20’s $R_{20}^{\text{GlobalAvg}}(\theta)$. If we wish to use Marine20 for calibration, an increase in $\Delta R_{20}(\theta)$ may be therefore necessary when calibrating pre-Holocene $^{14}$C samples from such high-latitude (outside 40°S – 40°N) polar seas.

![Figure 1](image.png)

*Figure 1 Location-specific estimates, at 0 cal yr BP, of the overall MRA, $R^{\text{Location}}(\theta)$, obtained by the LSG OGCM under the PD scenario. Three line transects are shown passing through the South Pacific (purple), North Pacific (yellow), and North Atlantic and Artic (green). We highlight sample sites on each transect which are used later to illustrate the potential changes in surface-water $^{14}$C depletion under glacial scenarios as we extend into higher-latitude oceans.*
2.3 Direct Use of LSG OGCM Outputs for pre-Holocene Polar $^{14}$C Calibration

For pre-Holocene $^{14}$C calibration in polar regions, it is not trivial to directly use the individual, and location specific, LSG OGCM outputs. These outputs are for fixed climate scenarios, whereas the true climate between 55,000 – 11,500 cal yr BP changed significantly. Furthermore, the LSG OGCM outputs are model specific regarding the precise sea ice dynamics and freshwater balance, see Butzin et al. (2005) for details. The true climate and conditions in any location is uncertain and may not precisely match these specific LSG OGCM model choices. Calibrating a sample against any individual LSG OGCM scenario will therefore likely lead to biases in the resultant calendar age estimate, as well as overconfidence (i.e., provide an overly-narrow posterior calibrated age range).

Should users wish to use the LSG OGCM outputs, they would also have to download and calibrate against the output from the nearest open-ocean LSG OGCM location. Each marine location would have a different calibration curve. This has the potential to introduce confusion and artefacts when calibrated ages are compared against those obtained using Marine20. Additionally, the LSG OGCM outputs are still relatively coarse-scaled (2.5° by 2.5° grid) and do not represent the coastal areas where many $^{14}$C samples to be calibrated are found. For calibration of such samples, the open-ocean LSG OGCM estimates still require a regional coastal correction – a $\Delta R^{LSG} (\theta)$. We would have to assume this remained constant over time. To estimate such a $\Delta R^{LSG}$ adjustment, a user would typically need to compare known-age $^{14}$C samples from the recent past against the corresponding PD scenario output from the nearest open-ocean LSG OGCM location. The resultant, Holocene- and PD-based $\Delta R^{LSG}$ would then have to be transferred for use with the other LSG OGCM scenarios for the calibration of pre-Holocene samples.

In combination, this additional complexity, and the potential for overprecise estimates due to model specificity, mean that direct use of the LSG OGCM outputs for calibration requires considerable care. We believe that a simpler approach allowing users to calibrate pre-Holocene polar samples directly against the Marine20 curve through a glacial adjustment of $\Delta R_{20}$ is therefore of substantial value.

2.4 Approximate Polar $^{14}$C Calibration using Marine20 informed by the LSG OGCM

Our approach to polar $^{14}$C calibration allows individuals to maintain usage of the Marine20 curve yet is informed by the fixed-climate state LSG OGCM estimates. For polar regions, we estimate the temporal changes needed in $\Delta R_{20} (\theta)$ in order that calibration against the global-scale Marine20 will approximately recreate the regional LSGM OGCM outputs. Critically, at least from 40,000 – 0 cal yr BP, we show that each climate scenario of the LSG OGCM output can be approximated by applying a constant (not time dependent) shift to Marine20’s $R^{Global} (\theta)$. Consequently, we can effectively transition between the different LSG OGCM scenarios by applying a static (constant) shift to a present-day estimate of $\Delta R_{20}$ whilst retaining use of Marine20.

For $^{14}$C samples from the Holocene, due to the uncertainty in carbon cycle that is captured by BICYCLE, calibrating against Marine20 with a present-day estimate of $\Delta R_{20} = \Delta R^{Hol}_{20}$ effectively includes PD of the LSG OGCM as one of the potential climate scenarios. When considering $^{14}$C samples from the glacial period we suggest calibrating against Marine20 using both a present-day estimate of $\Delta R^{Hol}_{20}$, and a boosted estimate $\Delta R^{GS}_{20}$ that mimics the additional polar $^{14}$C depletion modelled in the GS scenario of the LSG OGCM. We hope that these two separate calibrations, under limiting low- and high-depletion glacial scenarios, will provide a bracketing for the calendar ages of marine polar $^{14}$C samples. Since the boosting $\Delta R^{Hol}_{20}$ → GS
required to move from $\Delta R_{20}^{Hol}$ to $\Delta R_{20}^{GS}$ is not time-dependent, this can be achieved by existing calibration software without the need to create a bespoke localized calibration curve. Furthermore, by latitudinally-averaging the boost required to match the GS scenario, we reduce the influence of the model specificity of the LSG OGCM (for example, the precise location and dynamics of sea-ice and freshwater balance) and simplify application.
3 Comparing regional LSG OGCM outputs with Marine20’s $R^{\text{Global}}(\theta)$

3.1 Illustrative Regional Estimates of MRA

The LSG OGCM surface-water estimates are provided every 50 cal yrs for open ocean regions. For both the GS and CS scenarios, the Pacific was disconnected from the Arctic Ocean because the Bering Strait (which is currently shallower than 50 m in depth) was closed during the glacial sea-level lowstand (Jakobsson et al., 2017). Global sea-levels during the glacial are believed to have been in the order of 130m lower than those of the present day (Lambeck et al., 2014).

To illustrate our proposed approach, we consider three transects. The first (in purple) passes through the Southern Pacific Ocean at a longitude of 160°W. The second (in yellow) through the Northern Pacific at a longitude of 170°W, during the glacial period this transect becomes cut-off from the Artic Ocean further North by closure of the Bering Strait. The third transect (in green) passes through the Atlantic and into the Arctic at a longitude of 20°W. The estimates along these transects are typical of the LSG OGCM outputs. In Figure 1, we plot the spatial MRA estimates provided by the LSG OGCM under the PD scenario at 0 cal yr BP (i.e., 1950 CE) showing these transects.

To enable comparison of the LSG OGCM estimates with Marine20 we must account for the $\Delta R^{LSG}$ and $\Delta R_{20}$ shifts that would be applied to each estimate so that they agree with $^{14}$C samples from the recent past at the given location. For each location, we have calculated the difference between the mean (in $^{14}$C yrs) of the PD scenario from 11,500 – 0 cal yr BP and the mean of the $R^{\text{GlobalAv}}(\theta)$ in the same period. This difference has then been used to shift both the PD and GS outputs of the LSG OGCM for that location. Figure 2 presents these shifted location-specific estimates of the MRA over time provided by the LSG OGCM along the three selected transects under both the PD and GS scenarios; and the equivalent estimates with Marine20. For each location, the mean of $R^{\text{GlobalAv}}(\theta)$ and the shift-adjusted PD outputs of the LSG OGCM are equal during the 11,500 – 0 cal yr BP. Applying such a shift to both the PD and GS outputs of the LSG OGCM enables comparison between the calibration one would achieve using Marine20 (with a constant estimate of $\Delta R_{20}$ based on recent-past/Holocene $^{14}$C data); and that obtained using the LSG OGCM outputs (with a constant $\Delta R^{LSG}$ based on the same recent-past/Holocene $^{14}$C data). Note that we do not show the GS estimates from 11,500 – 0 cal yr BP since this climate scenario is inappropriate for the Holocene.

Figure 2 effectively illustrates the differences, at a specific location, in overall MRA one would obtain using Marine20 compared with the PD and GS scenarios of the LSG OGCM. The difference between the PD (colored solid lines) and GS (dashed lines) estimates between 55,000 – 11,500 cal yr BP show how much additional $^{14}$C depletions, according to the LSG OGCM, is modelled at that ocean location by changing from a Holocene-type (PD) scenario to a glacial (GS) scenario. The difference between the $R^{\text{GlobalAv}}(\theta)$ of Marine20 (solid black line) and the adjusted GS estimates show how much additional localized $^{14}$C depletions might have occurred, beyond that already incorporated in the global-scale estimate of Marine20, under a GS glacial scenario. These location-dependent increases must be incorporated into $\Delta R_{20}(\theta)$ if we wish to represent the GS scenario with Marine20. The modelled glacial increases in oceanic $^{14}$C depletion under the GS scenario can be seen to depend upon the location, and latitude, of the marine site. Similar plots for the more extreme CS scenario of the LSG OGCM can be found in the Supplementary Information (Figures S3 and S4).
Figure 2 Comparing the Marine20, PD and GS estimates for the MRA for marine locations along line transects passing through the: a) South Pacific Ocean; b) North Pacific Ocean; c) North Atlantic and Arctic Oceans. Shown in black is the estimate of $R_{20}^{\text{GlobalAV}}(\theta)$ used in Marine20 together with its 2$\sigma$ interval (grey shaded region). The GS and PD estimates from the LSG OGCM have been shifted so that the mean of the plotted PD scenario in each location agrees with the mean of $R_{20}^{\text{GlobalAV}}(\theta)$ from 11,500 – 0 cal yr BP. The shifted PD scenario for each latitude on the transect is shown as a (variously-colored) solid line and the shifted GS scenario as a matched dashed line. The vertical line represents 11,500 cal yr BP. GS estimates from the LSG OGCM are not provided for calendar ages more recent than this.

3.2 Comparing the LSG OGCM and Marine20

Several observations are immediately apparent from Figure 2. Firstly, during the Holocene, once we have estimated both a $\Delta R_{20}$ and a $\Delta R_{L}^{SG}$ regional/coastal adjustment based on modern $^{14}$C samples, the PD scenario from the LSG OGCM would provide very similar MRA estimates to Marine20 for all the ocean locations on our sample transects. As we extend into the very high latitudes in the Southern Pacific and Arctic Ocean, the PD scenario on our transects does perhaps suggest slightly greater variations in MRA, in terms of the change from the levels of $^{14}$C depletion seen at beginning of the Holocene compared to the present day, than Marine20. However, these changes are minor and generally lie within the uncertainty bands of Marine20.

Intuitively, the uncertainty bands of Marine20 result from considering multiple potential climate and carbon cycle scenarios. It is likely that, during the Holocene, one of these (BICYCLE-based) scenarios lies extremely close to the PD scenario of the LSG OGCM. Consequently, for samples between 11,500 – 0 cal yr BP, there should be little difference between calibrating at sites along our transects using the PD output from LSG OGCM (with a $\Delta R_{L}^{SG}$ adjustment) and using Marine20 (with a regional $\Delta R_{20}$). This is the case for both polar and equatorial regions.

Secondly, from 55,000 – 11,500 cal yr BP, we can see that (after a $\Delta R_{20}$ and $\Delta R_{L}^{SG}$ shift/adjustment based on $^{14}$C samples from the recent past) the PD scenario of the LSG OGCM (colored solid lines) tends to generate estimates of the overall MRA along our transects that lie below those of Marine20 (solid black line). This highlights that, while not able to resolve regionally, Marine20 does incorporate global effects of glacial changes in climate. In this pre-
Holocene period, the PD scenario of the LSG OGCM is unlikely to be appropriate as we know there were global changes in the climate and carbon cycle between the glacial and Holocene (Böhm et al., 2015; Henry et al., 2016; Kageyama et al., 2021; Oka et al., 2021; Petit et al., 1990). We expect that, from 55,000 – 11,500 cal yr BP, the true level of oceanic $^{14}$C depletion at a site will therefore be bounded below by the ($\Delta R_{20}$-adjusted) Marine20 rather than the ($\Delta R^{LSG}$-adjusted) PD scenario of the LSG OGCM.

Thirdly, if we consider the ($\Delta R^{LSG}$-adjusted) GS scenario estimates (dashed lines) as providing an upper bound on the overall level of $^{14}$C depletion at any marine site, then for the more equatorial locations, these are encapsulated in Marine20’s $2\sigma$ uncertainty bands (shaded grey). Only once we extend beyond approximately 40°S or 40°N would the ($\Delta R^{LSG}$-adjusted) GS scenario of the LSG OGCM provide location-specific estimates of overall MRA that are not covered by the estimates one would obtain with (a $\Delta R_{20}$-adjusted) Marine20. This suggests that on our transects, for calibration of marine samples from regions within ~ 40°S – 40°N, Marine20 can be justified back to 55,000 cal yr BP as its inbuilt uncertainty will cover the upper (GS-scenario) limit for regional $^{14}$C depletion. However, at higher latitudes, the GS scenarios indicate the possibility of substantial additional localized $^{14}$C oceanic depletion during glacial periods that is not captured in the global scale Marine20. Under the GS scenario, along our transects, the overall MRA in high-latitude polar regions may be increased by around 1000 $^{14}$C yrs during the glacial compared to the global Marine20 values. To recreate this GS scenario, these polar-specific increases would need to be accounted for by a corresponding change to $\Delta R_{20}(\theta)$ if Marine20 is used for calibration.

Fourthly, Figure 2 suggests that from 40,000 – 11,500 cal yr BP the increase from the Marine20-based mean estimate of overall MRA in a particular location (after estimating $\Delta R_{20}$ using samples from the recent past) to the LSG OGCM under the GS scenario (with a coastal $\Delta R^{LSG}$ using the same samples from the recent past) is approximately constant over time. This can be seen more clearly in Figure S1 of the Supplementary Information where we present the increase for each location along our three selected ocean transects. For a given location, we can therefore get a good approximation of the overall MRA estimate under the GS scenario of the LSG OGCM (at least between 40,000 – 11,500 cal yr BP) with Marine20 by applying a constant (albeit location-specific) increase to $\Delta R_{20}$. These increases (latitudinally-averaged rather than along single transects) will become our $\Delta R^{Hol}_{20} \rightarrow GS$. 
4 Adjustments to recreate a glacial LSG OGCM scenario using Marine20 from 55,000 – 11,500 cal yr BP

To provide an upper (maximum) bound on the additional regional glacial depletion needed to be incorporated into Marine20’s $\Delta R_{20}^f (\theta)$ to recreate a high-depletion glacial scenario, we have calculated latitudinal-average $\Delta R_{20}^{Hol \rightarrow GS}$ polar adjustments. These adjustments take the form described in Section 3 where, for every marine location on the 2.5º by 2.5º grid of the LSG OGCM grid, we have:

- Shifted the LSG OGCM estimates so that the PD scenario in that location has a mean during the period from 11,500 – 0 cal yr BP that matches Marine20’s $R_{20}^{Global\text{Av}}(\theta)$.
- Calculated the difference in the mean, during the glacial period from 40,000 – 11,500 cal yr BP, between $R_{20}^{Global\text{Av}}(\theta)$ and the (shifted) GS scenario.

This difference indicates how much levels of $^{14}$C depletion must be increased from the global-only $R_{20}^{Global\text{Av}}(\theta)$ to recreate the regional GS scenario of the LSG OGCM. At a given latitude, we summarize the mean (and 95% quantiles) of these increases to obtain the latitude-dependent $\Delta R_{20}^{Hol \rightarrow GS}$ values shown in Figure 3.

Note that we perform latitudinal averaging, rather than providing latitude and longitude dependent adjustments, to reduce the effect of model specificity in the LSG OGCM estimates regarding precise sea-ice location/dynamics and freshwater balance. We also do not provide, or suggest using, the variance on the shifts at a given latitude. The estimated values at a given latitude are not well approximated by a normal distribution. To recreate the GS scenario, we propose just applying the mean shift $\Delta R_{20}^{Hol \rightarrow GS}$ at a given latitude and leaving the uncertainty as for the Holocene-based $\Delta R_{20}$.

We also calculate the shift needed based on the period from 40,000 – 11,500 cal yr BP, to avoid the non-constancy in the differences from the LSG OGCM outputs to Marine20 at high latitudes from 55,000 – 40,000 cal yrs BP when the atmospheric $^{14}$C levels increased very rapidly (Reimer et al., 2020). We suggest this shift can however be applied for any glacial sample extending back to 55,000 cal yr BP, although at very high latitude users should recognize additional adjustments may be needed in these very old periods.
Figure 3 The latitudinal-average increase in oceanic $^{14}$C depletion, from the global-scale $R_{20}^{GlobalAv}$ estimate of Marine20, to the localized estimate under the GS scenario of the LSG OGCM. The shaded red area represents the mean width (from 40,000 – 11,500 cal yr BP) of the ±2σ uncertainty on $R_{20}^{GlobalAv}(θ)$. The blue shaded area represents the 95% quantiles on the $ΔR_{20}^{Hol→GS}$ shift required for the given latitude.

We can see that for more equatorial ocean locations, the increase $ΔR_{20}^{Hol→GS}$ overlaps with the uncertainty bands on $R_{20}^{GlobalAv}(θ)$. For these low-latitude regions, within c.a. 40°S – 40°N, we suggest that no artificial boosting of (a Holocene-based) $ΔR_{20}$ in glacial periods is therefore required. A user can (cautiously) calibrate $^{14}$C samples into the glacial period using an estimate of $ΔR_{20}$ from the recent past. Outside these regions, at higher latitudes, the boosting needed to represent the GS scenario of the LSG OGCM increases rapidly.

The boost $ΔR_{20}^{Hol→GS}$ does not however increase monotonically with latitude: it rises to a maximum around 60°S/70°N but then drops at the very poles. This is perhaps understandable since the greatest glacial boost will be needed when the local oceanic conditions in the GS scenario have changed most substantially from those seen in the Holocene/PD scenario. This occurs not at the poles themselves (where both the PD and GS scenarios have sea ice) but rather slightly below the poles (where the GS scenario has sea ice, but the PD does not). The extent of sea-ice in the different LSG OGCM scenarios can be found in Figures 3 and 10 of (Butzin et al., 2005). At its greatest, around 60°S and 70°N, the GS scenario of the LSG OGCM suggests that $ΔR_{20}(θ)$ may have increased by 1000 to 1500 $^{14}$C yrs in glacial periods compared to the recent past. If we fail to recognize the potential for such an increase in polar depletion when calibrating such high latitude samples against Marine20, then we may obtain calibrated ages that are c.a. 1000 cal yrs too old.

Equivalent plots for the changes required to a modern-day $ΔR_{20}(θ)$ (with Marine20) to recreate the more extreme CS scenario of the LSG OGCM can be found in the Supplementary Information (Figure S3-S6). The differences between Marine20 and the CS scenario remain approximately constant over time, at least from 40,000 – 11,500 cal yr BP, at a given location.
If we want to represent the CS polar scenario, we can therefore retain use of Marine 20 but apply a latitude-dependent constant $\Delta R_{20}^{Hol \to CS}$ to a modern-day estimate of $\Delta R_{20}$ (Figure S5). The latitudinal $\Delta R_{20}^{Hol \to CS}$ shifts to Marine20 to recreate the CS scenario are, as expected, somewhat larger than the shifts required to recreate the GS scenario. These can be found in Table S1. A user wishing to be more cautious in calibration of samples during the glacials may choose to select an upper bound for the polar $^{14}$C depletion scenario using this CS scenario.

### 4.1 A Note on Ocean Basin Specific Adjustments

We considered splitting the adjustment according to both latitude and ocean basin (Indian, Pacific, and Atlantic and Arctic). Estimates of the latitudinal shifts, partitioned by ocean, can be seen in Figure S2 (for the boost to recreate the GS scenario) and Figure S6 (to recreate the CS scenario).

We can see that in the Atlantic and Indian Oceans, the shifts required to recreate the GS scenario extend further towards the Equator than the shifts within the Pacific Ocean. Investigation suggested these basin differences were primarily due to scenario-specific choices of sea-ice location within the GS and CS scenarios of the LSG OGCM: see Figures 3a (PD), 10a (CS), 10c (GS) in Butzin et al. (2005). The sea-ice in the GS and CS scenario of the LSG OGCM is modelled as extending further towards the Equator in both the Atlantic and Indian Oceans than in the Pacific. Since this sea-ice extent and location was felt to be a somewhat uncertain model choice, we have decided not to give basin specific adjustment to reduce the danger of indicating we have overly precise information on the shifts required.

As our knowledge increases, we expect basin specific adjustments will become possible. In particular, the transient disconnection between the North Pacific and the Arctic during the last glacial, due to the temporary closure of the Bering Strait, might be expected to have influenced the shift required between $^{14}$C samples in the North Pacific basin, and those in the North Atlantic and Arctic.
5 Polar Calibration Examples (Offshore Vancouver Island 49°N, 127°W)

For our worked examples, we will consider the deep-sea core MD02-2496, sited offshore of Vancouver Island, Western Canada (Cosma et al., 2008; Taylor et al., 2014). This core is located at 48°58′47″N, 127°02′14″W and at 1243 m water depth. It contains a 38.38 m long sequence of glaciomarine and hemipelagic sediments with forty-six 14C dates provided along the core. Two of these measurements lack depth information and so are not considered, and four have been removed as they are only reported as being greater than a certain 14C yr BP. We will use the remaining 40 14C dates to illustrate the calibration of individual 14C samples, and the creation of an age-depth model combining all the data.

The location of core MD02-2496 has remained ice-sheet free, with the maximal extent of the Cordilleran ice sheet occurring around 18–19.5 cal kyr BP. However, we note that proximity of this former ice sheet does complicate the issue of changes in ΔR(θ) due to glacio-isostatic adjustments. Various sites along the British Columbia coast have had quite different sea level histories (Clague & James, 2002). Such changes at a marine site may cause further changes to ΔR(θ) over time.

Figure 4 Location of 14C samples near site MD02-2496 taken from the marine radiocarbon reservoir database (http://calib.org/marine/). We use the seven (modern-day) ticked samples to estimate a modern day ΔR20 for the site. We do not use MapNo 949 since this corresponds
to a deposit-feeding organism (red pushpin) and lies in David Channel rather than the open ocean. Credit: Map data ©2021 GeoBasis-DE/BKG, Google Imagery ©2021 Terrametrics.

For this site, we can estimate a modern-day value of $\Delta R_{20}$ based on samples from the recent past taken from http://calib.org/marine/ (Reimer & Reimer, 2001). The database contains eight samples from near the site of core MD02-2496. These are shown in Figure 4. We discount the sample in David Channel (MapNo 949) as it relates to a deposit feeding organism (indicated by the red pushpin) and lies in a channel rather than open ocean. Using the remaining seven samples, we obtain an estimate for a modern-day value of $\Delta R_{20} = 178 \pm 73 \text{ ^{14}C yrs (1}\sigma)$.  

5.1 Calibration of single $^{14}$C samples from polar regions  

Suppose we wish to calibrate two individual $^{14}$C samples taken from the deep-sea core site MD02-2496 offshore of Vancouver Island at 49.0°N, 127.0°W:  

1. Sample A (at depth 412 cm) with a $^{14}$C age of 9215 ± 25 $^{14}$C yrs BP (1\sigma)  
2. Sample B (at depth 2057 cm) with a $^{14}$C age of 25190 ± 150 $^{14}$C yrs BP (1\sigma)  

The first sample arises from the Holocene, while the second from the glacial. Readers should note that these examples of individual calibration are intended as illustrations only. In practice, we would always suggest calibrating $^{14}$C samples within a core together as part of an age-depth model rather than individually. By calibrating jointly, we can usually add strength to our calendar age estimation.  

5.1.1 Calibration during the Holocene (9215 ± 25 $^{14}$C yrs BP)  

Since the marine $^{14}$C sample we wish to calibrate is from the Holocene, we do not need to incorporate a glacial increase in localized depletion and so we can calibrate the $^{14}$C determination directly against Marine20 with the single (recent past) value of $\Delta R_{20}$ calculated from the eight samples shown in Figure 4. This calibration is shown in Figure 5. This provides a mean calibrated age estimate of 9570 cal yr BP, with a 95.4% confidence interval of [9340, 9840] cal yr BP. We can be confident that this sample arises from the Holocene as the 95.4% calendar age range obtained under the calibration does not extend into the glacial. If the calendar age interval did extend beyond 11,500 cal yr BP we would advise that the dual approach of Section 5.1.2 is needed, where this calibration (with a modern-day $\Delta R_{20}$) represents the low-depletion scenario.
Figure 5 Calibration of a marine sample from the Holocene \((9215 \pm 25 \text{ ^{14}C yrs BP})\) taken from deep-sea core MD02-2496 (c.a. 49.0°N, 127.0°W). We use a value of \(\Delta R_{20} = 178 \pm 73 \text{ ^{14}C yrs}\). Calibration is performed using OxCal v4.4.4 (Bronk Ramsey, 2009) using the Marine20 calibration curve (Heaton et al., 2020). The Gaussian curves on the y-axis represent the raw \(^{14}C\)-age (lighter) and the \(\Delta R_{20}\)-adjusted \(^{14}C\)-age (darker) of the marine sample. We calibrate the \(\Delta R_{20}\)-adjusted \(^{14}C\)-age against the Marine20 curve. The posterior calendar age estimate is shown along the x-axis.

5.1.2 Calibration during the Glacial \((25190 \pm 150 \text{ ^{14}C yrs BP})\)

To calibrate a sample from the glacial period at the site of core MD02-2496, we first use Figure 6 to estimate how much the Holocene/recent past \(\Delta R_{20}\) must be increased to emulate the GS scenario of the LSG OGCM. Reading the adjustment for a latitude of 49°N suggests an increase of 390 \(^{14}C\) yrs is needed. Note that we do not use the uncertainty intervals on the latitudinal shifts (as shown by the shaded 95% quantiles). We then calibrate against Marine20 under two different glacial scenarios which we hope will bracket the true climate at the deep-sea site.
5.1.2.1 Calibrating in a low-depletion glacial scenario (oldest calendar age limit)

To estimate the calendar age of the MD02-2496 $^{14}$C determination (25,190 ± 150 $^{14}$C yrs BP) in a low-depletion glacial scenario, we calibrate against Marine20 using the level of regional $^{14}$C depletion seen in the present day, i.e., $\Delta R_{\text{Hol} \to \text{GS}}^{\text{MD02-2496}} = \Delta R_{20} = 178 \pm 73$ $^{14}$C yrs. In this low-depletion scenario, the global-scale effects on MRA due to the increase in $^{14}$C concentrations, changes in CO$_2$, and large-scale elements of the carbon cycle over the Holocene/pre-Holocene boundary are still included as they are incorporated into Marine20. This scenario does not however incorporate the potential for regional sea ice to temporally affect the site-specific $\Delta R_{20}(\theta)$.

5.1.2.2 Calibrating in a high-depletion glacial scenario (youngest calendar age limit)

To calibrate in a high-depletion scenario that models similar regional polar conditions to those in the GS scenario of the LSG OGCM, we add our latitudinal estimate of $\Delta R_{\text{Hol} \to \text{GS}}^{\text{MD02-2496}}$ to the modern-day estimate of $\Delta R_{20}$:

$$\Delta R_{\text{MD02-2496}}^{\text{GS}} = \Delta R_{\text{MD02-2496}}^{\text{Hol} \to \text{GS}} + \Delta R_{\text{MD02-2496}}^{\text{Hol} \to \text{GS}} = 178 + 390 = 568$ $^{14}$C yrs.$$

We retain the same (1σ) uncertainty of ± 73 $^{14}$C yrs taken from the value of $\Delta R_{20}$. We then calibrate against Marine20 with this boosted $\Delta R_{\text{MD02-2496}}^{\text{GS}}$ estimate of regional depletion.

5.1.2.3 Obtaining bracketing calendar ages

The calendar age estimates obtained from calibrating the glacial sample (25,190 ± 150 $^{14}$C yrs BP) with the bracketing low- and high-depletion scenarios are shown in Figure 7 and Table 1.

---

**Figure 6** The adjustment $\Delta R_{\text{Hol} \to \text{GS}}^{\text{MD02-2496}}$ needed to recreate the GS scenario of the LSG OGCM at the site of MD02-2496 during the glacial period using Marine20 and an estimate of $\Delta R_{20}$ based on samples from the recent past. This figure is a reproduction of the earlier Figure 3.
Figure 7 Calibration of a hypothetical $^{14}$C determination of 25,190 ± 150 $^{14}$C yrs BP from deep-sea core MD02-296 (49°N 127°W). The top distribution shows the calibrated age under a low-depletion marine scenario (no additional changes in polar depletion over those seen in Equatorial waters). The bottom plot, the calibrated age under a high-depletion polar scenario (intended to represent conditions similar to the LGM).

The overall calibrated age range covering both depletion scenarios (from the overall minimum calendar age to the maximum calendar age) is [27560, 28750] cal yr BP as shown in Table 1. This combined interval aims to cover the maximum possible calendar age range for the $^{14}$C sample. We might expect the true value of regional depletion $\Delta R(\theta)$ at the time the sample was exchanging with its environment to lie between the two extreme low- and high-depletion scenarios. If so, the calendar age of the sample will also lie between the two scenario estimates. If no external knowledge is available regarding whether the low- or high-depletion glacial scenario is more appropriate for the sample, this extremely broad bracketing may be all we can provide. However, if there is information on the extent of sea ice in the location, we may be able to infer whether the low- or high-depletion calibration scenarios are more appropriate.

Note, while the combined (bracketed) interval of [27560, 28750] cal yr BP should have a coverage that is considerably greater than 95.4% (since it covers the two extremes), we do not provide any probability distribution on it, and no such distribution should be inferred. Additionally, while in principle, there is no guarantee that the 95.4% quantiles for the calibrated age of a $^{14}$C date decrease monotonically with increasing MRA/depletion levels (i.e., there might be an intermediate level of depletion which has 95.4% calendar age quantiles outside the range above) in practice, due to the smoothness of the current Marine20 estimate, there are no such cases pre-Holocene.

Table 1 95.4% credible intervals for the calendar age of a glacial period marine $^{14}$C sample (25,190 ± 150 $^{14}$C yrs BP) from core MD02-2496 (~49°N) under a low- and high-depletion glacial scenario.

<table>
<thead>
<tr>
<th>Scenario</th>
<th>95.4% calendar age interval (cal yr BP)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Low Depletion $\Delta R_{MD02-2496}^{\text{Hol}} = 178 \pm 73$ $^{14}$C yrs</td>
<td>[27870, 28750]</td>
</tr>
<tr>
<td>High Depletion $\Delta R_{MD02-2496}^{\text{GS}} = 568 \pm 73$ $^{14}$C yrs</td>
<td>[27560, 28410]</td>
</tr>
<tr>
<td>Combined Scenario (Age Bracketing)</td>
<td>[27560, 28750]</td>
</tr>
</tbody>
</table>
5.2 Calibrating multiple $^{14}\text{C}$ polar determinations and age modelling

An alternative need for polar calibration occurs when creating age-depth models for sediment cores based upon multiple $^{14}\text{C}$ determinations. Such models are typically used to estimate calendar ages at particular core depths, perhaps to investigate the timings of changes in other proxies recorded within the core (e.g., McClymont et al., 2022; Taylor et al., 2014).

In an absence of information regarding the appropriate polar depletion scenario we can apply an analogous approach to that of Section 5.1. For those Holocene $^{14}\text{C}$ samples which are used to inform the overall chronology, we suggest a user apply a single $\Delta R^{\text{Hol}}$, while for older samples we suggest creating separate age-depth models under the low- and high-depletion scenarios. Then, when estimating the age at any specific depth, a user can read off the calendar age estimate for each age-depth model (low- and high-depletion) and use the same bracketing approach as in Section 5.1.2. As for the calibration of single $^{14}\text{C}$ samples, this can be achieved within standard calibration software.

We consider an age-depth model fitted to the 40 $^{14}\text{C}$ determinations in core MD02-2496 via OxCal’s p-sequence (Bronk Ramsey, 2008; Bronk Ramsey & Lee, 2013). To create this model, we have averaged the two measurements (9215 ± 25 and 10,065 ± 45 $^{14}\text{C}$ yrs BP) at 412cm into a single $^{14}\text{C}$ date of 9415 ± 22 $^{14}\text{C}$ yrs BP. For the low-depletion glacial scenario, we use a regional correction of $\Delta R^{\text{Hol}}_{\text{MD02-2496}} = 178 \pm 73$ $^{14}\text{C}$ yrs as justified in the previous section; while for the high-depletion glacial scenario, we use a $\Delta R^{\text{GS}}_{\text{MD02-2496}} = 568 \pm 73$ $^{14}\text{C}$ yrs. In this location, the transition between the Holocene and glacial corresponds to approximately 10,000 $^{14}\text{C}$ yrs BP, i.e., a sample with a determination of 10,000 $^{14}\text{C}$ yrs BP calibrates to being just older than 11,500 cal yr BP using a non-glacial $\Delta R^{\text{Hol}}_{\text{MD02-2496}} = 178 \pm 73$ $^{14}\text{C}$ yrs. For both our high and low-depletion age-depth models, we therefore apply a Holocene value of $\Delta R(\theta)$ for all $^{14}\text{C}$ samples at depths from 0 – 412 cm. Deeper in the core, we apply the appropriate high- and low-depletion glacial $\Delta R(\theta)$.

When fitting our OxCal p-sequence, we have selected a variable k, $P_{\text{Sequence}}(‘‘’,100,5,U(-2,2))$, with core depths provided in m. There is one clear outlier with the sample at depth 5.52m (14,025 ± 50 $^{14}\text{C}$ yrs BP) being significantly older than the next five samples upcore at 5.92, 6.72, 7.57, 8.37, and 8.52m (c.a. 13,300 – 13,900 $^{14}\text{C}$ yrs BP). We have therefore used an outlier model with a prior probability of 0.05 of a sample being an outlier: $\text{Outlier\_Model}(‘\text{General’},T(5),U(0,4),’r’)$.

The resultant models are shown in Figure 8. The green age-depth model represents the chronology had core MD02-2496 been in a high-depletion polar scenario (equivalent to the GS scenario of the LSG OGCM) throughout the glacial until the Holocene where it shifted to $\Delta R^{\text{Hol}}_{\text{MD02-2496}}$. The blue age-depth model represents the chronology should the climate at site MD02-2496 have followed a low-depletion polar scenario during the glacial where no additional polar changes in oceanic $^{14}\text{C}$ depletion are seen beyond those large-scale effects captured in Marine20. In the blue model $\Delta R(\theta) = \Delta R^{\text{Hol}}_{\text{MD02-2496}}$ throughout.

If we are interested in the calendar age of a hypothetical event at depth of 15.2m in the core (as illustrated in Figure 8), then we can obtain calendar age estimates from the separate age-depth models under the low- and high-depletion glacial polar scenarios. These calendar ages are shown in Table 2. Again, these can be combined by selecting the most extreme calendar ages to create a wide age-bracketing that hopefully includes the true calendar age. Alternatively, there may be paleoclimatic and proxy evidence to provide greater confidence in the suitability of one of the polar glacial scenarios.
We note that it is possible that the true $\Delta R(\theta)$ flips between the high- and low-depletion polar glacial scenarios over time throughout the core – as might be expected as we move from stadials to interstadials. Our suggested age-depth models assume a constant $\Delta R(\theta)$ depletion scenario (either high or low). Such scenario flips could change the age-depth model substantially. However, preliminary testing suggests that even with changes from high- to low-depletion within the core, the calendar ages from the fixed, bounding, glacial scenarios bracket the calendar ages of the scenario-changing model at any given depth. Users of OxCal may also wish to place a uniform prior on their estimate of $\Delta R(\theta)$ with upper- and lower-bounds taken from the low- and high-depletion scenarios. Such a model would provide a single age-depth model, however, if the climate flips rapidly between climate scenarios, with the appropriate $\Delta R(\theta)$ also flipping between its upper and lower limits, this approach may give over-confident estimates.
Figure 8 Age-depth models of deep-sea core MD02-2496 (49°N) under a low (blue) and high (green) depletion polar scenario using an OxCal p-sequence (with a variable k and general outlier model. Core depths are given in m. We consider the age of a hypothetical event at 15.2 m within the core.
### Table 2

Calendar age estimates of the MD02-2496 (49°N) sediment core at a depth of 15.2m based on OxCal’s p-sequence age-depth modelling (with a variable k and general outlier model) under the low- and high-depletion polar scenarios.

<table>
<thead>
<tr>
<th>Scenario:</th>
<th>95.4% calendar age interval (cal yr BP)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Low Depletion $\Delta R_{\text{MD02-2496}} = 178 \pm 73$ 14C yrs</td>
<td>[17950, 18950]</td>
</tr>
<tr>
<td>High Depletion $\Delta R_{\text{MD02-2496}} = 568 \pm 73$ 14C yrs</td>
<td>[17460, 18550]</td>
</tr>
<tr>
<td>Combined Scenario (Bracketing)</td>
<td>[17460, 18950]</td>
</tr>
</tbody>
</table>

5.3 Incorporating paleoclimatic and proxy evidence on the sea-ice extent into calibration

To determine a more precise $\Delta R(\theta)$ regional adjustment in polar regions, it may be possible to use paleoclimatic and proxy evidence to infer the extent of sea-ice in a marine location. Such information might then allow one to scale the $\Delta R(\theta)$ between the present-day $\Delta R_{20}$ value, and that needed to represent the GS/CS values of the LSG OGCM, for any particular 14C sample. If such a procedure was shown to improve our estimation of polar $\Delta R(\theta)$, then it would also provide more precise calendar dating when calibrating polar 14C samples.

Reconstructing sea-ice variation is possible but challenging. Several proxies have been proposed. These include micropaleontological transfer functions based on diatoms (e.g., Gersonde et al., 2005) and dinocysts (de Vernal et al., 2001); molecular abundance of a particular hydrocarbon (IP25) synthesized by diatoms living at the bottom of sea ice (Belt & Müller, 2013); and stomach-oil deposits from sea-petrels (McClymont et al., 2022; Thatje et al., 2008). Several authors have used these proxies to show systematic changes of sea-ice linked to abrupt climate changes (Hoff et al., 2016; Méheust et al., 2018; Stein et al., 2017).

To investigate whether such a sliding, sea-ice proxy-informed, $\Delta R(\theta)$ correction improves calendar dating would require suitable independent testing: either by comparing the resultant core chronology against absolute chronologies; or with downcore evidence of local MRA changes (e.g., using tephra). Such work goes beyond that possible here but would be a valuable further avenue of study.

6 Conclusions

Estimating the evolution of surface-ocean 14C levels in polar regions from 55,000 – 0 cal yr BP, and consequently calibrating marine 14C samples from these high-latitude region, is highly challenging. The Marine20 radiocarbon age calibration curves only aim to represent global-scale changes in oceanic 14C levels (Heaton et al., 2020, 2022). The recent Marine20 curve incorporates large-scale changes in paleoclimate and the carbon cycle which occurred during the glacial: most notably in CO2 (Köhler et al., 2017), atmospheric 14C (Reimer et al., 2020), wind speed (Kageyama et al., 2021; Kohfeld et al., 2013; Petit et al., 1990) and AMOC (Böhm et al., 2015; Henry et al., 2016; Oka et al., 2021). However, in polar regions, we expect that during glacial periods there may have been substantial further, more localized, changes in the level of oceanic 14C depletion. This additional polar variation is due, in particular, to increases in the volume and density of sea ice at high-latitudes during these periods (Butzin et al., 2005,
These temporal variations in the MRA at high-latitudes during the glacial periods are not represented in the global-scale MarineXX curves, and so must be modelled through $\Delta R(\theta)$.

When calibrating marine $^{14}$C samples against Marine20, or any MarineXX curve, using an appropriate value of $\Delta R(\theta)$ is critical. We expect that, for polar oceans, due to the presence of regional sea-ice, the value of $\Delta R(\theta)$ may have been substantially greater during the glacial period than those values seen during the non-glacial recent past. Under some modelled climate scenarios, the increase in the value of $\Delta R(\theta)$ in polar regions could extend up to c.a. 1500 $^{14}$C yrs (Butzin et al., 2020). When calibrating marine $^{14}$C samples from polar regions against a MarineXX calibration curve, any potential increase in $\Delta R(\theta)$ during glacial periods needs to be recognized. Typically, we are only able to estimate a modern-day value for $\Delta R(\theta)$ using $^{14}$C samples from the recent past. This (modern-day) estimate of $\Delta R$ is unlikely to be suitable for application when calibrating high-latitude (outside c.a. 40ºS – 40ºN) marine $^{14}$C samples from the glacial period against Marine20, or any MarineXX curve.

If we calibrate a polar marine $^{14}$C sample from the glacial period using a modern-day estimate of $\Delta R(\theta)$, without recognizing the potential for this $\Delta R(\theta)$ to increase in glacial conditions, we are likely to obtain a calibrated age that is biased (older than the true calendar age) and over precise. Current proxy records are not sufficiently reliable to reconstruct the climatic conditions at high-latitudes (including the extent of sea-ice, ocean ventilation and wind strengths) during the glacials. Due to this considerable uncertainty in polar paleoclimate, it is not possible to accurately or precisely model $\Delta R(\theta)$ and generate polar radiocarbon age calibration curves. The LSG OGCM model does permit modelling of surface open-ocean $^{14}$C levels in polar regions under fixed climate scenarios (Butzin et al., 2020). However, direct use of these LSG OGCM estimates for calibration is not trivial.

We propose that those wishing to calibrate high-latitude (outside c.a. 40ºS – 40ºN) marine $^{14}$C samples may continue to use the Marine20 curves but with a simple and approximate adjustment to the value of $\Delta R(\theta)$ dependent upon the calendar age and latitude of the sample. We suggest that those calibrating polar marine $^{14}$C samples from the Holocene proceed as they traditionally have done, by estimating a regional $\Delta R_{20}$ based on samples from the recent past, and then assuming this $\Delta R_{20}$ value remains applicable for their undated sample. For those wishing to estimate the calendar ages of polar marine $^{14}$C samples from glacial periods we suggest using two bracketing ocean depletion scenarios. The first (low-depletion) climate scenario assumes that there have been no regional changes in polar $\Delta R(\theta)$ over time. The calendar age of the $^{14}$C sample under this scenario can be obtained by calibrating against Marine20 with an estimate of $\Delta R_{20}^{Hol}$ based on samples from the recent past in the location of interest. The second (high-depletion) scenario aims to represent the GS glacial scenario of the LSG OGCM (which includes considerable high-latitude sea-ice). This scenario can be approximated by calibrating against Marine20 by increasing the (recent-past) estimate of $\Delta R_{20}^{Hol}$ by a latitude dependent constant $\Delta R_{Hol}^{G}\rightarrow GS$. This boost to the localized $^{14}$C depletion aims to provide an upper limit on the potential level of additional regional polar $^{14}$C depletion in the glacial.

We hope that the calibrated age estimates obtained using Marine20 under these two polar glacial depletion scenarios will bracket the true calendar of the $^{14}$C sample. The low-depletion scenario will provide an upper calendar age limit, the high-depletion a lower calendar age limit. If no external information is available regarding which depletion scenario is more appropriate, then one may only be able to infer that the true calendar age lies between these upper and lower limits. This range will typically be wide. However, if paleoclimatic proxies are available, for example on the extent of sea ice, then it is possible that a user may be able to infer which scenario is more appropriate.
As knowledge increases, we expect that polar-specific calibration curves will become available. Such advances could be obtained via improved modelling, although this will require significantly improved understanding of paleoceanographic proxy information to better reconstruct past polar climate. Alternatively, polar marine curves could be generated by collecting $^{14}$C samples in the relevant ocean locations, if it is possible to date these samples via alternative techniques.
REFERENCES


7 Supplementary Information A: Constancy of GS Shift and Ocean Basin Dependence

![Graph showing MRA difference between GS and Marine30 (°C yr) for South Pacific Ocean (160°W longitude transect).](image)

![Graph showing MRA difference between GS and Marine30 (°C yr) for North Pacific Ocean (170°W longitude transect).](image)
Figure S1 – Moving from Marine20 to the GS scenario of the LSG OGCM. Plot of the increase in overall MRA, after accounting for shifts to ensure consistency for modern-day $^{14}$C observations, from the global-average Marine20 estimate of MRA to the regional GS scenario of the LSG OGCM during the glacial period from 55,000 – 11,500 cal yr BP for various latitudes along transects in the South Pacific, North Pacific, and North Atlantic and Arctic Oceans. At high latitudes, regional adjustments to Marine20 are required if we wish to recreate the effects of sea ice as incorporated in the GS scenario of the LSG OGCM. These can be achieved through adjustments to the modern-day estimates of $\Delta R_{20}$. 
Figure S 2 – Plot of the MRA shift, split by ocean basin, required to transform Marine20 into the GS scenario of the LSG OGCM. At a given latitude, there are differences between the shift required in the Pacific (solid purple line with accompanying shaded interval); the Indian (solid purple line with accompanying shaded interval); and the Atlantic and Arctic Oceans (solid green line with accompanying shaded interval) compared with the combined ocean shift (dotted line). We believe these differences are predominantly due to the location of sea ice within the modelled PD and GS scenarios. Since this is model specific, and our approach is only intended to provide an approximation, we have chosen not to provide a basin dependent shift for $\Delta R_{\text{Hol} \rightarrow \text{GS}}$ and leave the suggested shift as only dependent upon latitude of the marine site.
8 Supplementary Information B: The CS scenario of the LSG OGCM

a) South Pacific Ocean (160°W longitude transect)

b) North Pacific Ocean (170°W longitude transect)
Figure S 3: Comparing Marine20, PD and CS estimates for the MRA in marine locations along line transects passing through the: a) South Pacific; b) North Pacific; c) North Atlantic and Arctic Oceans. Shown in black is the estimate of $R^{\text{Global Ave}}_{20}(\theta)$ used in Marine20 together with its 2σ interval (grey shaded region). The CS and PD estimates from the LSG OGCM have been shifted so that the mean of the plotted PD scenario in each location agrees with the mean of $R^{\text{Global Ave}}_{20}(\theta)$ from 11,500 – 0 cal yr BP. The shifted PD scenario for each latitude on the transect is shown as a (variously-coloured) solid line and the shifted CS scenario as a matched dashed line. The vertical line represents 11,500 cal yr BP. CS estimates from the LSG OGCM are not provided for calendar ages more recent than this.
a) South Pacific Ocean (160°W longitude transect)

b) North Pacific Ocean (170°W longitude transect)
Figure S4: Moving from Marine20 to the CS scenario of the LSGM. Plot of the increase in overall MRA, after accounting for shifts to ensure consistency for modern-day $^{14}$C observations, from the global-average Marine20 estimate of MRA to the regional CS scenario during the glacial period from 55,000 – 11,500 cal yr BP for various latitudes along transects in the South Pacific, North Pacific, and North Atlantic and Arctic Oceans. At high latitudes, further regional adjustments to Marine20 are required if we wish to recreate the effects of sea ice as incorporated in the GS scenario of the LSG OGCM.
Figure S 5: The adjustment $\Delta R^{\text{Hol} \rightarrow \text{CS}}$ needed to recreate the CS scenario of the LSG OGCM according to latitude of the ocean site. These values tend to be slightly larger than the $\Delta R^{\text{Hol} \rightarrow \text{GS}}$ shifts with the CS scenario generally modelling greater oceanic $^{14}$C depletion. At the site of core MD02-2496 (49ºN), we would need to increase a modern-day estimate of $\Delta R_{20}$ by around 740 $^{14}$C yrs to recreate the CS scenario during the glacial period from 55,000 – 11,500 cal yr BP using Marine20.

Figure S 6: Plot of the MRA shift, split by ocean basin, required to transform Marine20 into the CS scenario of the LSG OGCM. As for the GS scenario, at a given latitude, there are
difference between the shift required in the Pacific (solid purple line with accompanying shaded interval); the Indian (solid purple line with accompanying shaded interval; and the Atlantic and Arctic Oceans (solid green line with accompanying shaded interval) compared with the combined ocean shift (dotted line). We believe these differences are predominantly due to the location of sea ice within the modelled PD and CS scenarios of the LSG OGCM. Since this is model specific, and our approach is only intended to provide an approximation, we have chosen not to provide a basin dependent shift for $\Delta R^{Hot \rightarrow CS}$ and leave the suggested shift as only dependent upon latitude of the marine site.
Table S1: Estimates of the latitudinal increases $\Delta R^{\text{Hot} \rightarrow \text{GS}}$ (and $\Delta R^{\text{Hot} \rightarrow \text{CS}}$) to be applied to modern-day $R_{20}^{\text{Global}}$ if we wish to recreate the GS (and CS) scenarios of the LSG OGCM in the glacial periods while still using the Marine20 curve. Those values highlighted in orange (outside ~ 40°S – 40°N) have shifts which fall outside the mean ±2σ uncertainty on the value of $R_{20}^{\text{Global}}(0)$ that is already incorporated into the global-scale Marine20 curve. We suggest that, when calibrating glacial-period $^{14}$C samples from marine locations at these higher (orange) latitudes, users should employ our bracketing approach to allow for low- and high-depletion glacial polar scenarios. At lower latitudes (highlighted in green) we cautiously suggest that users do not need to consider such bracketing as the increase to recreate the GS (or CS) scenarios falls within the existing uncertainty on the Marine20 curve.