

1 **The Impact of the Three-Dimensional Structure of a Subduction Zone on Time-dependent**
2 **Crustal Deformation Measured by HR-GNSS**

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12

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19

20 ABSTRACT

21 Accurately modeling time-dependent coseismic crustal deformation as observed on high-rate
22 Global Navigation Satellite System (HR-GNSS) lends insight into earthquake source processes
23 and improves local earthquake and tsunami early warning algorithms. Currently, time-
24 dependent crustal deformation modeling relies most frequently on simplified 1D radially
25 symmetric Earth models. However, for shallow subduction zone earthquakes, even low-
26 frequency shaking is likely affected by the many strongly heterogeneous structures such as the
27 subducting slab, mantle wedge, and the overlying crustal structure. We demonstrate that
28 including 3D structure improves the estimation of key features of coseismic HR-GNSS time
29 series, such as the peak ground displacement (PGD), the time to PGD (t_{PGD}), static
30 displacements (SD), and waveform cross-correlation values. We computed 1D and 3D synthetic,
31 0.25 Hz and 0.5 Hz waveforms at HR-GNSS stations for four **M**7.3+ earthquakes in Japan using
32 MudPy and SW4, respectively. From these synthetics, we computed intensity-measure
33 residuals between the synthetic and observed GNSS waveforms. Comparing 1D and 3D
34 residuals, we observed that the 3D simulations show better fits to the PGD and SD in the
35 observed waveforms than the 1D simulations for both 0.25 Hz and 0.5 Hz simulations. We find

36 that the reduction in PGD residuals in the 3D simulations is a combined effect of both shallow
37 and deep 3D structures; hence incorporating only the upper 30 km 3D structure will still
38 improve the fit to the observed PGD values. Our results demonstrate that 3D simulations
39 significantly improve models of GNSS waveform characteristics and will not only help
40 understand the underlying processes, but also improve local tsunami warning.

41 **INTRODUCTION**

42 Real-time high-rate Global Navigation Satellite System (HR-GNSS) are key observational data
43 for kinematic slip inversions (e.g., Ozawa et al., 2011; Melgar et al., 2016), an important lens
44 into large earthquake rupture physics (e.g., Melgar and Bock, 2015), as well as for real-time
45 applications in Earthquake and Tsunami Early Warning (EEW/TEW) (e.g., Sahakian et al., 2019b).
46 Kinematic slip inversions, traditionally from broadband seismograms and strong motion data,
47 are used for rapid and retrospective seismological studies to understand earthquake
48 complexities through finite fault model, source time function and directivity etc. (e.g., Ide 2007,
49 Goldberg et al., 2022). HR-GNSS waveforms are an important contribution to these models to
50 constrain the time-dependent, low-frequency deformation of the Earth's surface. In the
51 resulting finite fault model, this yields not only slip on the fault, but information about the
52 rupture kinematics for each subfault, thus providing both spatial and temporal distribution of
53 slip on a more granular level (e.g., Melgar and Bock, 2015; Melgar et al., 2020). When
54 performed in real-time, rapid kinematic source models are an important component of TEW
55 approaches (hence, better rapid local tsunami modeling). HR-GNSS data also provide crucial
56 constraints for rapid earthquake magnitude estimation, in particular for large magnitude
57 earthquakes as the displacement metrics they provide do not saturate, unlike displacement

58 obtained from those from broadband seismograms and strong motion data (e.g., Bock et al.,
59 2011; Melgar et al., 2016; Sahakian et al., 2019b). In addition to constraining rapid finite-fault
60 inversions for local TEW, the peak ground displacement (PGD) and time to reach peak ground
61 displacement (t_{PGD}) as recorded by HR-GNSS can play a key role in discriminating tsunami
62 earthquakes (TsEs) from non-TsEs (Sahakian et al., 2019b).

63 Static and kinematic slip inversion models using displacement time series from HR-GNSS
64 waveforms are routinely performed using simplified 1D radially symmetric Earth models, by
65 determining the displacement from each subfault with a 1D Green's function (Melgar and Bock,
66 2015), as it is oft assumed that three-dimensional heterogeneities play a smaller role in the low-
67 frequency content of waveforms than for high-frequency seismic data. However, the availability
68 of high-rate GNSS data and the need to resolve earthquake and wave propagation details with
69 higher frequencies and shorter wavelengths exposes the inadequacy of 1D models for analysis
70 of large earthquake ruptures. Many studies using 1D structure observed some delays and
71 unmodeled features in the HR-GNSS waveforms from the 2011 moment magnitude (**M**) 9.0
72 Tohoku-Oki earthquake (Yue & Lay, 2011; Melgar & Bock, 2015), as well as other earthquakes
73 (e.g., Delouis et al., 2010).

74 Subduction zones present unique three-dimensional challenges that may not be well-
75 captured by 1D models. Due to complex geometry, the resultant onshore deformation and
76 shaking from megathrust events is likely affected by many strongly heterogeneous structures
77 such as the slab, the wedge, the overlying crustal structure, etc. However, current models of
78 time-dependent crustal deformation, or low-frequency shaking, typically use Green's function
79 approaches and 1D Earth structure, omitting the effects of the 3D Earth structure on the wave

80 path, hence on the observed waveforms. In this work, we present results comparing 1D to 3D
81 models of time-dependent crustal deformation and find that three-dimensional effects are non-
82 negligible, and should be an important component of kinematic modeling.

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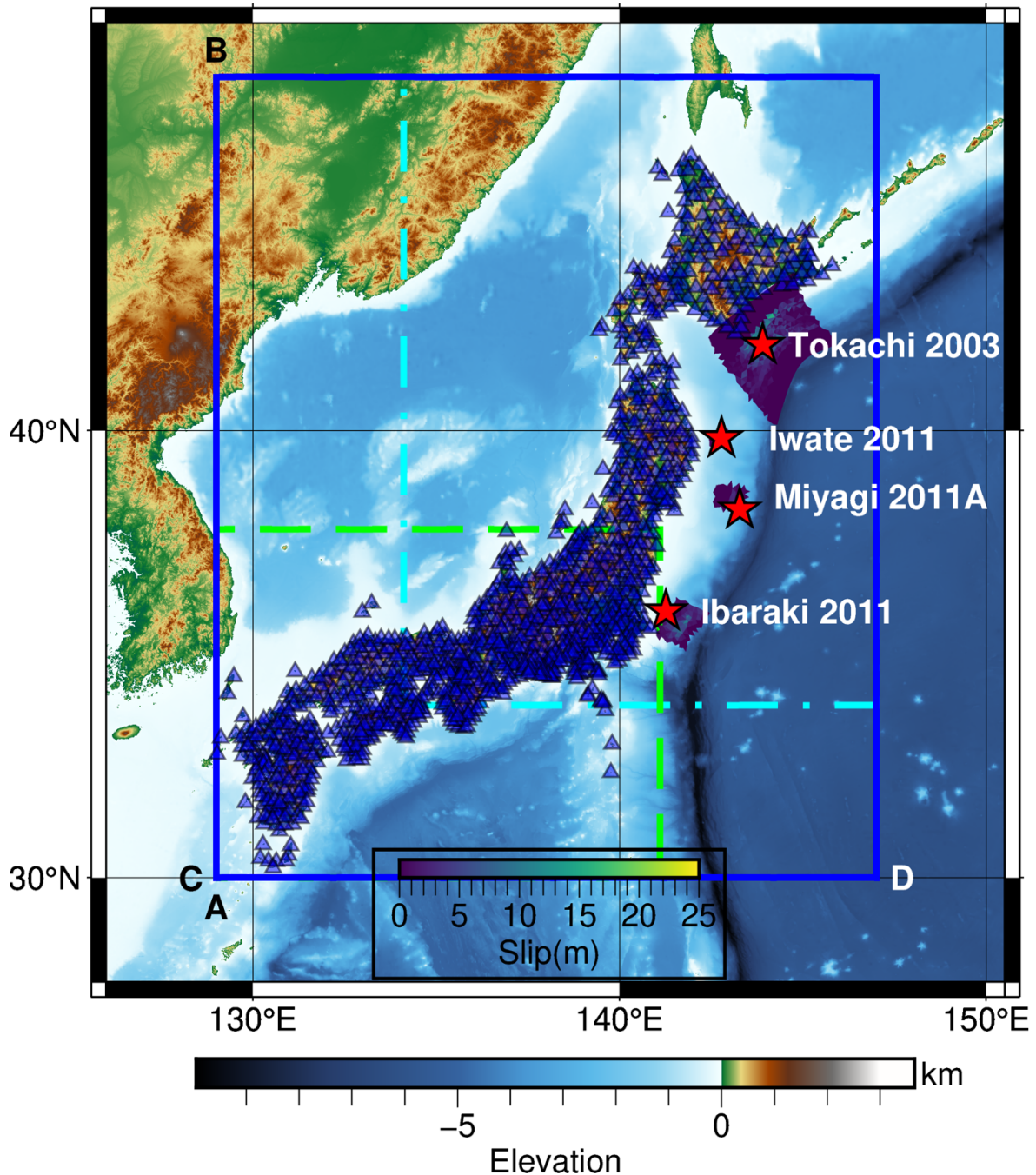
84 **BACKGROUND**

85 Previous studies have contributed to the advancement of slip models in a 3D Earth structure
86 (e.g., Wald et al., 2001; Williams & Wallace, 2015, and Tung & Masterlark, 2018) and show that
87 material contrasts between continental crust and oceanic slabs have a large effect on
88 recovering static coseismic displacements, slow slip events, slip distributions and tsunami
89 behavior in elastic models. For example, Tung and Masterlark (2018) show that the inclusion of
90 heterogenous crustal structure can remove nonrealistic slip artifacts in slip distributions and
91 reduce the misfit in large seafloor displacement that contributes to prediction error of tsunami
92 amplitudes. William and Wallace (2015) also show a better fit to the observed GNSS
93 displacements by computing Green's functions using a realistically varying elastic properties
94 with a finite element method (Aagaard et al., 2013). Hearn & Burgmann (2005) shows similar
95 effects in strike-slip settings, comparing 1D structure and homogenous half space models. They
96 find an improvement in the estimation of the moment and centroid depth from GNSS
97 measurements by incorporating earth's layered elastic structure in the slip inversion. This
98 reduces the disparity between the geodetic and seismic moment estimates for large strike-slip
99 earthquakes and suggests that time-dependent crustal deformation should be affected by
100 depth-dependent elasticity. Langer et al. (2022) uses a synthetic model of sedimentary basin to
101 investigate the impact of 3-D elastic structure on forward models of co-seismic surface

102 deformation and suggest the use of a layered velocity structure in static slip inversion in regions
103 with sedimentary basins. Langer et al. (2019) show the importance of including topography in
104 coseismic deformation modeling.

105 Together, these advances show that both static and dynamic (time-dependent) crustal
106 deformation suffer from “path effects” in the same way that high-frequency time-dependent
107 coseismic ground motions do. Path effects are a common source of uncertainty in ground
108 motion models that focus on the effects of seismic waves’ path on higher frequency intensity
109 measures (Baltay et al., 2017; Sahakian et al., 2019a, Kotha et al., 2020; Landwehr et al., 2016;
110 Kuehn & Abrahamson 2020; Zhang et al., 2022), and it stands to reason that they likely play a
111 role in low to moderate frequencies (~1 Hz, that of HR-GNSS and time-dependent crustal
112 deformation) as well.

113 Better modeling time-dependent, coseismic crustal deformation has significant
114 contributions to improving our understanding of underlying large earthquake source processes,
115 as well as improving warning and rapid response systems overall (Wirth & Sahakian et al.,
116 2022). In this work, we show a comparison of 1D vs. 3D deterministic HR-GNSS waveforms for
117 events in Japan to show the impact of 3D structure on accurately modeling GNSS waveforms.
118 We choose Japan to test our hypotheses, as its seismicity, HR-GNSS recordings, and knowledge
119 of 1D and 3D structures are ideal for our purposes. Japan has an excellent GNSS Network
120 (~1178 stations), a good number of **M7.3+** Earthquakes and Japan has both 1D and 3D velocity
121 models (Fig. 1). We will show that the effects of including 3D structures is most important in
122 improving the PGD at all hypocentral distances and SD residual values at stations generally and
123 hypocentral distance above 350-400 km.



124

125 Fig. 1: Study region around Japan with topography and bathymetry showing the HR-GNSS
 126 stations (blue triangles) used to observe and model at least one earthquake (SNR³). The figure
 127 also shows the four earthquake epicenters (red stars) used in this study and their published
 128 ruptures (colored by slip on the fault as described by below colorbar, see Table 1). The lines
 129 show the 3D Japan Integrated Velocity Structure Model (Koketsu et al., 2008, 2009) domains:
 130 West region (green dashed line), East region (cyan dashed-dotted line) and Combined full rfile
 131 (blue solid line). Edges AB and CD show the profile lines of the 3D Japan Integrated Velocity
 132 Structure Model presented in Fig. 4.

133 **DATA AND METHODS**

134 We generate 1D and 3D low-frequency synthetic GNSS waveforms of **M7.3+** megathrust
135 earthquakes in Japan and compare the 1D and 3D synthetics with the observed GNSS
136 waveforms using several waveform intensity measures. We also test different rupture models
137 for some of the earthquakes to investigate the effect of rupture model on the intensity
138 measures.

139 **Data**

140 We focus on four **M7.3+** megathrust earthquakes in Japan with good rupture models: 2011
141 **M7.9** Ibaraki, 2011 **M7.4** Iwate, 2011A **M7.3** Miyagi and 2003 **M8.3** Tokachi 2003 (Fig. 1; Table
142 1). We did not include the 2011 **M9.0** Tohoku-Oki earthquake due to computational cost of the
143 3D simulations, but we expect similar conclusions with the **M7.3+** earthquakes used in this
144 study. We used the 1Hz GNSS waveforms from Ruhl et al. (2018), obtained using the Precise
145 Point Processing approach and, from these, determine total horizontal displacement waveform
146 $T(t)$ using equation 1. We focused on the total horizontal displacement as the vertical
147 displacement measurement in HR-GNSS are less accurate due to the distribution of GNSS
148 satellites and generally assigned an error of about 3-5 times that of the horizontal (e.g., Geng et
149 al., 2018; Melgar et al., 2020). The use of $T(t)$ ensures that the more significant error in the
150 vertical displacement compared to the horizontal displacement measurements is not
151 influencing the 1D to 3D comparison, thus avoiding the misfit due to noise as opposed to the
152 effect of the 3D structure.

153

154
$$T(t) = \sqrt{[N(t)^2 + E(t)^2]} \dots\dots\dots (1)$$

155 Table 1: Earthquakes used in this study and the corresponding rupture models. SN: Source
 156 Number.

SN	Event Name	Origin Time (UTC)	Latitude (°)	Longitude (°)	Depth (km)	Moment magnitude (M)	Number of GNSS Stations (SNR≥3)	Rupture Models and corresponding references
1	Ibaraki 2011	2011-03-11T06:15:34	36.1083	141.2653	43.2	7.9	737	SRCMOD (Kubo et al., 2013) Zheng (Zheng et al., 2020)
2	Iwate 2011	2011-03-11T06:08:53	39.8390	142.7815	31.7	7.4	271	Zheng (Zheng et al., 2020)
3	Miyagi 2011A	2011-03-09T02:45:12	38.3285	143.2798	8.3	7.3	240	Hayes (NEIC, 2014) Zheng (Zheng et al., 2020)
4	Tokachi 2003	2003-09-25T19:50:06	41.7750	143.9040	27.0	8.3	236	Hayes (NEIC,2014) SRCMOD (Koketsu et al., 2004) SRCMOD 2 (Yamanaka and Kikuchi, 2003) SRCMOD 3 (Yagi, 2004)

157

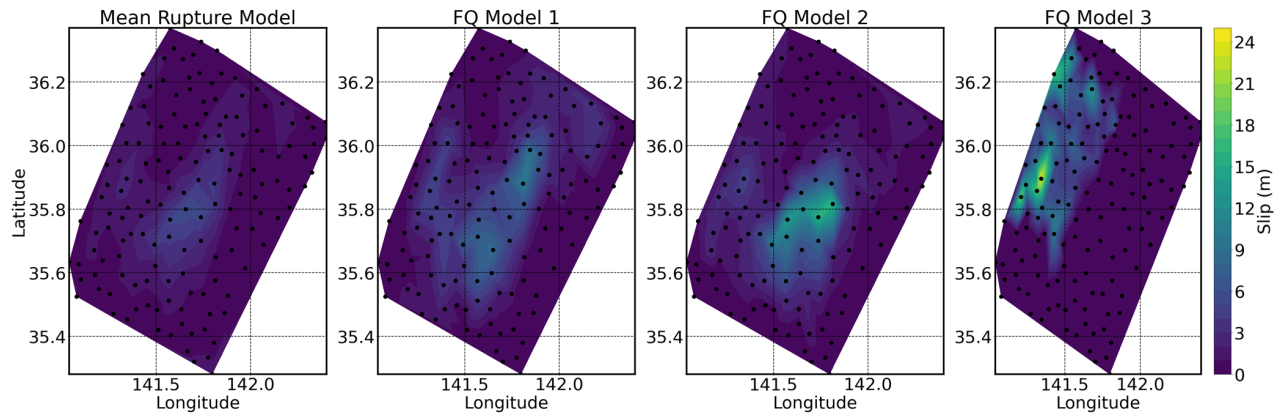
158 **1D Simulation using FakeQuakes/MudPy**

159 We used the FakeQuakes and MudPy software (Melgar et al., 2016) to generate 1D
 160 synthetic waveforms using a 1D velocity model in two steps. FakeQuakes first produces
 161 stochastic kinematic rupture models using published rupture model as mean slip model
 162 following the approach of Goldberg & Melgar, (2020). To do so, it uses a VonKarman correlation
 163 function to generate slip distributions from the perturbations around a known slip model given
 164 a target magnitude or mean slip distribution and a prescribed fault geometry. We then use
 165 MudPy to generate displacement time series from the kinematic rupture models with a Green's
 166 function approach using a 1D layered Earth. FakeQuakes/MudPy requires the fault and rupture
 167 models, 1D velocity model and the GNSS station locations as input parameters.

168 We used the Slab2.0 model (Hayes, 2018) to create a fault geometry mesh for the Japan
169 Trench using Gmsh, a 3-D finite element mesh generator (Geuzaine and Remacle, 2009; Fig. S1).
170 Details of the fault files are described in the supplementary material (S1). We focused on the
171 Kuril region of Japan where the **M7.3+** megathrust earthquakes used in this study are located.
172 We use the published rupture models for the four megathrust earthquakes as input mean slip
173 distributions for FakeQuakes (Table 1). For the Ibaraki 2011 earthquake, we used the Kubo et al.
174 (2013) rupture model (henceforth referred to as SRCMOD) and Zheng et al. (2020; henceforth
175 referred to as Zheng) rupture model. For the Miyagi 2011A earthquake, we used the NEIC
176 (2014; henceforth referred to as Hayes) and Zheng rupture models. For the Tokachi 2003
177 earthquake, we used models from Koketsu et al. (2004), Yamanaka and Kikuchi (2003), Yagi
178 (2004) (henceforth referred to as SRCMOD, SRCMOD2 and SRCMOD 3, respectively) and Hayes
179 rupture models. We used only the Zheng rupture model for Iwate 2011 earthquake (Table 1).

180 The geometries of the published rupture models are planar and does not coincide with the
181 geometry of Japan trench from Slab2.0, so, we project the slip in the rupture model for each
182 earthquake onto the fault geometry (Fig. S2, <https://doi.org/10.5281/zenodo.7765170>). With
183 FakeQuakes, we generated 100 realizations of the published rupture models using the
184 published model as a mean model. In Figure 2 show mean rupture model (SRCMOD) for Ibaraki
185 2011 earthquake (Kubo et al., 2013) and three examples of the 100 FakeQuakes ruptures
186 realizations from the mean rupture model. The mean rupture models and examples of
187 FakeQuakes ruptures of the other earthquakes used in this study are in the Supplementary
188 material (Fig. S3-S4).

Mean Rupture Model and Example FQ MODELS (Ibaraki 2011 SRCMOD)



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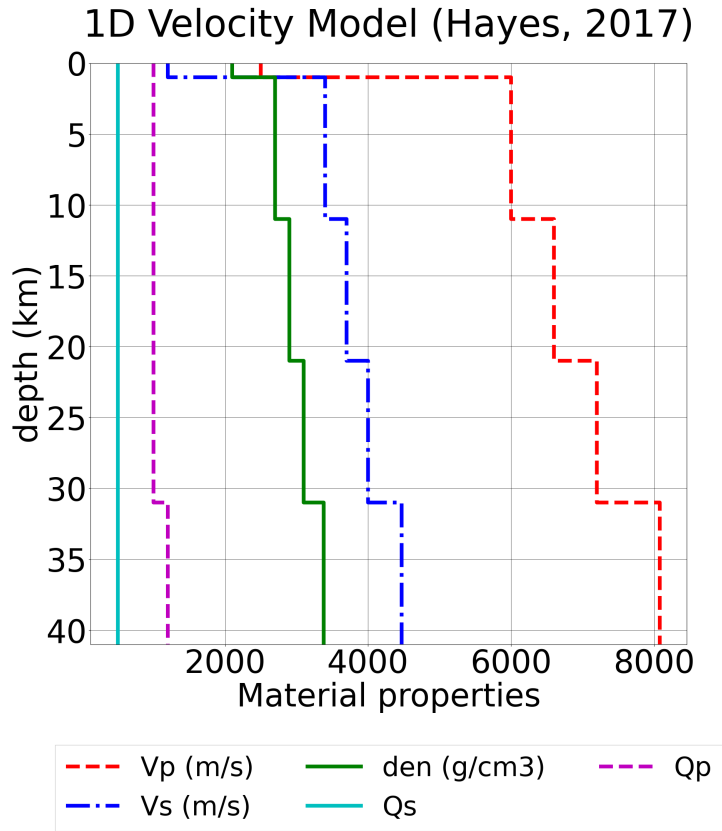
191 Fig. 2: Mean Rupture model (SRCMOD) for Ibaraki 2011 earthquake (Kubo et al., 2013) and
192 three examples of the 100 FakeQuakes (FQ) ruptures realizations from the mean rupture
193 model. The color indicates the amount of slip per subfault, and the black dots signify the center
194 of each subfault. The slip is greater overall in the FakeQuake models compared to the mean slip
195 model in the top left to conserve the moment release in response to the change in rigidity at
196 the subfault locations compared to the one used to generate the mean slip model. FQ Model 3
197 is an end-member example of a rupture model with different slip pattern compared with the
198 mean slip model, but with similar moment release.

199
200

201 We adopted the 6-layer crustal velocity structure of Hayes (2017) for all the earthquakes for
202 its simplicity and the ease to set it up in our 1D and 3D simulations (Fig. 3). We used the
203 isotropic Preliminary Reference Earth Model (PREM) from 40 to 200 km depth (Dziewonski and
204 Anderson, 1981). There are other well-known 1D velocity models for Japan that could be used
205 (e.g., VJMA, 2001; Hayes, 2014; Laske et al., 2013). The Japan Meteorological Agency (JMA)
206 uses a 1D velocity model (VJMA, 2001) to locate earthquakes in Japan. However, the model has
207 a series of 500 m thick layers which are less practical to setup for our 3D simulations, and we
208 aim for consistency in the 1D structure between 1D and 3D simulations.

209
210

211 The earthquakes were recorded on a total of 1178 GNSS stations, however, to reduce
212 computation time, we only simulate waveforms for stations with an observed total horizontal



210

211 Fig. 3: 1D velocity model of Japan (Hayes, 2017) showing the P-wave velocity profile (red
 212 dashed line), S-wave velocity profile (blue dashed line), density profile (green solid line), and P-
 213 and S-wave quality factors (Qp and Qs) profiles (purple dashed line and cyan solid line,
 214 respectively). We used this 1D velocity model for the upper 40 km and the PREM model
 215 (Dziewonski and Anderson, 1981) from 40 km up to 200 km.

216

217 displacement signal-to-noise ratio (SNR, equation 2) larger than or equal to 3, thus reducing the
 218 number of stations for each earthquake simulation (Table 1).

219
$$\text{SNR} = \frac{\sigma_{\text{signal}}}{\sigma_{\text{noise}}} \dots\dots\dots(2)$$

220 where σ_{signal} is the standard deviation of 120s of recorded ground shaking after the P-wave
 221 arrival time while σ_{noise} is the standard deviation of 10s recordings before the P-wave arrival
 222 time. P-wave arrival time is defined as the origin time plus an approximate P-wave travel time
 223 (i.e., hypocentral distance between HR-GNSS station and rupture model hypocenter, divided by
 224 6.5 km/s).

225 To understand the impact of the source rupture model on our synthetic waveforms, we
226 investigated the effect of rupture models in the 1D simulations using two rupture models for
227 the 2011 **M**7.9 Ibaraki and 2011A **M**7.3 Miyagi earthquakes and three rupture models for 2003
228 **M**8.3 Tokachi earthquake and compare their residuals.

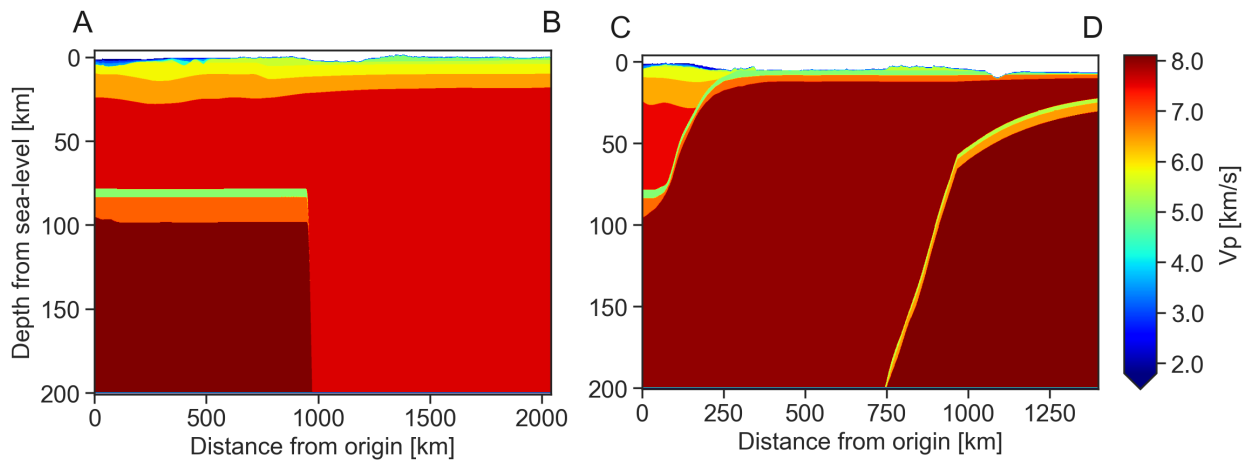
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230 **SW4 3D Simulations**

231 Our 3D synthetic waveforms were computed using SW4 2.01 (Sjögreen and Petersson,
232 2012; Petersson and Sjögreen, 2012; Petersson and Sjögreen, 2017a; Petersson and Sjögreen,
233 2015; Petersson and Sjögreen, 2017b) published under the GPL 2 license. SW4 solves the
234 seismic wave equations in displacement formulation using a 4th order accurate summation-by-
235 parts finite difference method, a 3D model of velocity structure, and a domain geometry that
236 includes both topography and bathymetry. Because this process is so computationally
237 intensive, similar to the large-scale SW4 simulations of earthquakes on the Hayward Fault
238 (Rodgers et al., 2020), we generated simulations for all four events at both 0.25 and 0.5 Hz, to
239 compare with observations and understand if characteristic intensity measures such as PGD
240 require information from higher frequencies.

241 We used the 3D Japan Integrated Velocity Structure Model (Koketsu et al., 2008, 2009)
242 which includes topography and bathymetry dataset from the ETOPO1 1 arc-minute global relief
243 model (NOAA National Geophysical Data Center, 2009) spanning a lateral extent of latitude
244 from 30° to 47° North (~2040 km) and longitude from 129° to 147° (~1440 km) East. We convert
245 the original ifile format of the 3D velocity structure to an rfile (Fig. 4). An rfile is a binary
246 structured grid format, and it is the most efficient and realistic method to input 3D velocity

247 structure to SW4, as it is more effective for smoothly varying 3D heterogenous structure
 248 (Pettersson and Sjögren, 2017), hence more suitable for this study. The 3D Japan Integrated
 249 Velocity Structure Model (JIVSM) comprises 23 layers, each with constant P- and S-wave
 250 velocities (V_p and V_s), density (ρ) and P- and S-wave quality factors (Q_p and Q_s) (Table S1). The
 251 3D structure is given in two overlapping sections (East and West Japan, Fig. 1), but were
 252 combined to create the unified 3D velocity model of Japan by extrapolating the top of each
 253 layer to regions outside the 3D structure regions following the OpenSWPC methodology
 254 (Maeda et al., 2017). The resulting rfile has 5 blocks with increasing grid spacing with depth:
 255 grid spacing of 200 m at the top to 1000 m at the bottom of the rfile. Details of the rfile are in
 256 the Supplementary material (S2).



257
 258 Fig. 4: 3D Japan Integrated Velocity Structure Model (JIVSM, Koketsu et al., 2008, 2009)
 259 showing AB and CD profile lines on a topography/bathymetry map in Figure 1. The profile AB
 260 show the geometries of the two subducting slabs and profile line CD best shows the
 261 heterogenous velocity structure in the upper 30 km depth of the 3D velocity structure.

262
 263 Our domain depths extended from the surface (topography and bathymetry) to a maximum
 264 depth of 200 km. The maximum achievable frequency (f_{max}) is dependent on the grid size of the
 265 domain, as well as the minimum shear wave speed, as described by:

266
$$f_{max} = \frac{minV_s}{PPW \times h} \dots\dots\dots (3)$$

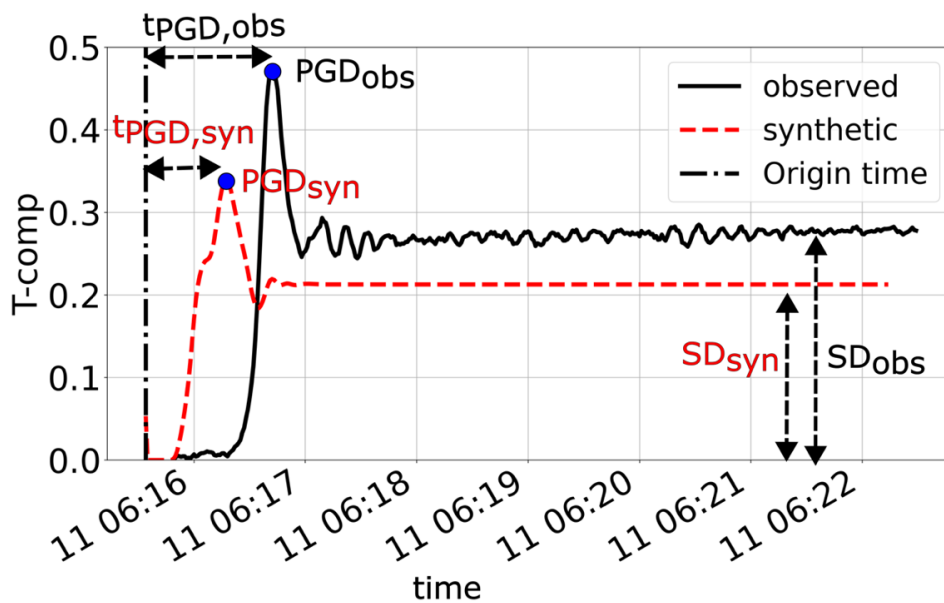
267 We used 8 Points Per Wavelength (PPW) in the simulations and the minimum shear wave
268 speed ($minV_s$) value of 1200 m/s based on the average V_s value in the upper 400 m in the 3D
269 velocity model (equation 3; Petersson and Sjögreen, 2017b). To generate 3D synthetic
270 waveforms with a maximum frequency of 0.25 and 0.5 Hz, we used a minimum grid spacing (h)
271 of 600 and 300 m, respectively. We use a curvilinear mesh from the surface (topography and
272 bathymetry) to 30-km depth with a grid spacing of 300 m and used Cartesian mesh from 30 km
273 downwards. Within the Cartesian mesh, we applied grid refinement at 75 km depth to reduce
274 the computational resources required for these simulations. Our vertical grid spacing increased
275 with depth and the associated increasing $minV_s$: 300 m and 600m grid spacing for the 30-75 km
276 and 75 – 200 km depth range, respectively. For the 0.50 Hz SW4 simulations, we varied the
277 lateral extent of the 3D domain geometry depending on location of each earthquakes (Fig. S5)
278 to limit the maximum memory required by the simulations to ~4TB (Supplementary material
279 S3). We compared only the intensity measures from the common stations between the 1D and
280 3D simulations.

281 For the 0.25 Hz simulations, we selected two of the 100 rupture models from FakeQuakes
282 for each earthquake and read them into SW4 format using the Standard Rupture Format (SRF)
283 version 2.0 source representations (Graves, 2014). We used only one rupture model for the 0.5
284 Hz simulations due to their high computational cost.

285
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287

288 **Comparing 1D vs. 3D Synthetic Waveforms**

289 We compare the 1D and 3D synthetics with the observed GNSS waveforms using the total
290 horizontal component waveforms. In addition to wiggle-to-wiggle comparisons via waveform
291 cross-correlation (xcorr) with time-shifting for both 1D and 3D synthetics, we also model the
292 average behavior of important features of the observed waveforms over many realizations
293 from the mean rupture models. We measure the goodness of fit by comparing the misfits of the
294 total horizontal waveform synthetic and observed waveforms using waveform intensity
295 measures such as the Peak Ground Displacement (PGD), the time it takes to reach the PGD
296 (t_{PGD}), static displacement residuals (SD), each described in Figure 5.



297
298
299 Fig. 5: Schematic representation of the definitions of the intensity measure definitions used in
300 comparing the total horizontal waveform synthetic (“syn”) and observed (“obs”) waveforms.
301 Black solid and red dashed lines are the observed and synthetic waveforms, respectively. The
302 blue dots show the Peak Ground Displacement (PGD) for the observed and synthetic
303 waveforms and their corresponding time to reach the PGD (t_{PGD}). The figure also shows the
304 definition of static displacement (SD). The amplitude and time axes values in this figure are
305 arbitrary.
306

307 We then determine the residuals for the PGD and SD intensity measures (equation 4a). A
 308 residual (δ_{ij}) of 0 corresponds to perfect equivalence between observed (obs) and synthetic
 309 (syn) values, while residual values of 0.5 and 1.0 signify that the observed value is 1.6x and 2.7x
 310 the synthetic values, respectively. For the t_{PGD} residuals, we use the time difference between the
 311 time it takes to reach the PGD for observed and synthetic waveforms (equation 4b). Cross-
 312 correlation values inherently compare the fit between observed and synthetic waveforms.

313
$$\delta_{ij,PGD} = \ln\left(\frac{PGD_{obs}}{PGD_{syn}}\right) \dots\dots\dots (4a)$$

314
$$\delta_{ij,t_{PGD}} = t_{PGD,obs} - t_{PGD,syn} \dots\dots\dots (4b)$$

315 We investigate the variation of each intensity measure with distance by binning the
 316 intensity measures with respect to the hypocentral distance (R_{hyp}), the distance between
 317 rupture model hypocenter and the HR-GNSS station. The residuals in each bin are plotted using
 318 box and whisker plots. These combine the minimum and maximum values with the quartiles
 319 into one useful graph. It consists of a horizontal line, drawn according to scale, from the
 320 minimum to the maximum data value, and a box drawn from the lower to upper quartile with a
 321 vertical line marking the median. We removed the outliers outside the whiskers to improve
 322 readability.

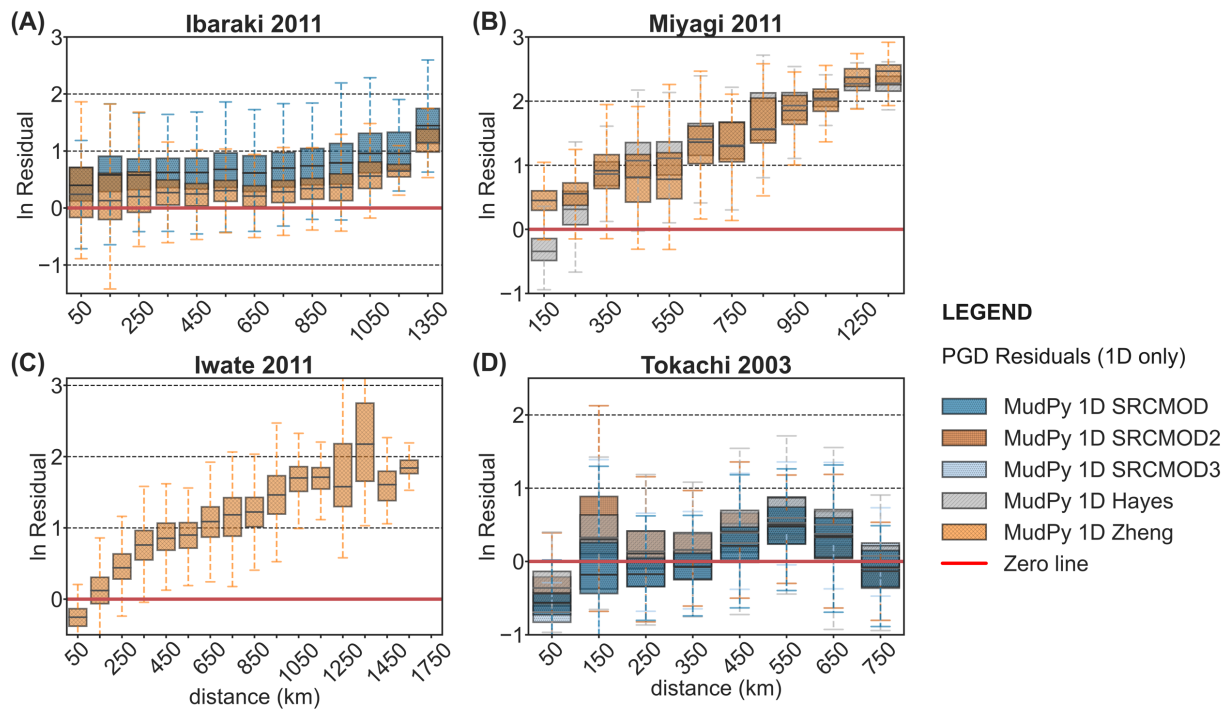
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324 **RESULTS AND DISCUSSIONS**

325 **Comparing 1D and 3D residuals**

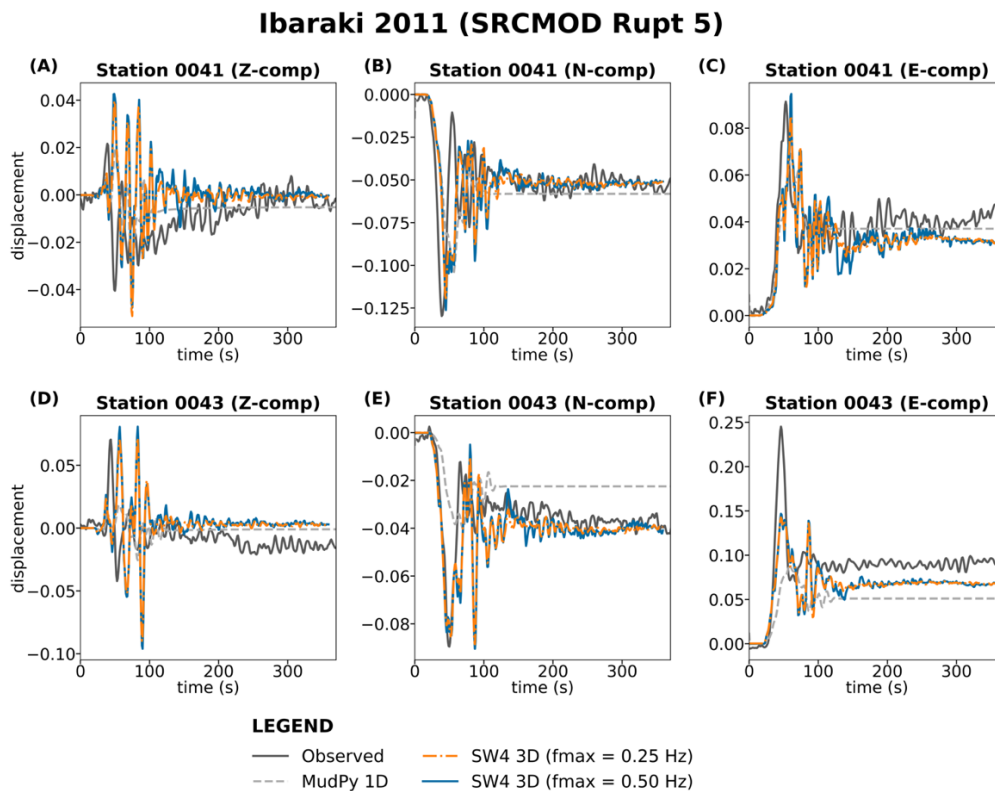
326 First, as a control, we study the impacts of varying only the source model by investigating
 327 the residuals using only 1D velocity structure, with different published rupture models. The PGD
 328 residuals ($\delta_{ij,PGD}$, equation 2a) for all the earthquakes in the 1D simulations increase with

329 distance but are generally below 2 (Fig. 6). On each boxplot, residuals for each model are
 330 shown as patterned box and whisker plots, including blue circle patterns (SRCMOD), orange grid
 331 (SRMOD 2), light blue circled (SRCMOD 3), gray slanted (Hayes), and orange diamonds (Zheng).
 332 The red horizontal line represents the zero residual line. In the 1D simulations, PGD residuals do
 333 not change significantly with distance when we used different rupture models for the same
 334 earthquake (e.g., Hayes, SRCMOD, SRCMOD2, and SRCMOD3 for the 2003 Tokachi earthquake).
 335 Therefore, any deviations in the PGD residual for the same rupture model in 3D simulations are
 336 most likely due to the 3D Earth structure.



337
 338
 339 Fig. 6: PGD Residuals using only the 1D velocity model, demonstrating the effects of varying
 340 solely the source model for all the four earthquakes using for all the 100 random realizations of
 341 the mean rupture model. (A, B and D) shows the effect of rupture models on the PGD residuals
 342 from 1D simulations using Ibaraki 2011, Miyagi 2011A and Tokachi 2003 earthquakes. On each
 343 boxplot, residuals for each model are shown as patterned box and whisker plots, including blue
 344 circle patterns (SRCMOD), orange grid (SRMOD 2), light blue circled (SRCMOD 3), gray slanted
 345 (Hayes), and orange diamonds (Zheng). The red horizontal line represents the zero residual line.
 346

347 The effect of this is exemplified in the comparison of the observed and the MudPy 1D and
 348 SW4 0.25 Hz and 0.5 Hz synthetic waveforms at stations 0041 and 0043 for the Ibaraki 2011
 349 earthquakes for one of the 100 FakeQuake ruptures using the SRCMOD mean rupture model
 350 (Kubo et al., 2013) (Fig. 7). The MudPy 1D waveforms are very simple, but the SW4 waveforms
 351 better capture the variability in the observed waveforms. Specifically, the 3D waveforms and in
 352 particular the higher frequency 3D waveforms better capture the dynamic shaking in addition
 353 to the static offset observed at each station. This includes capturing a commonly observed
 354 dynamic overshoot, such as that observed in the North component of stations 0041 and 0043
 355 for the Ibaraki earthquake, at ~60s (Fig. 7).

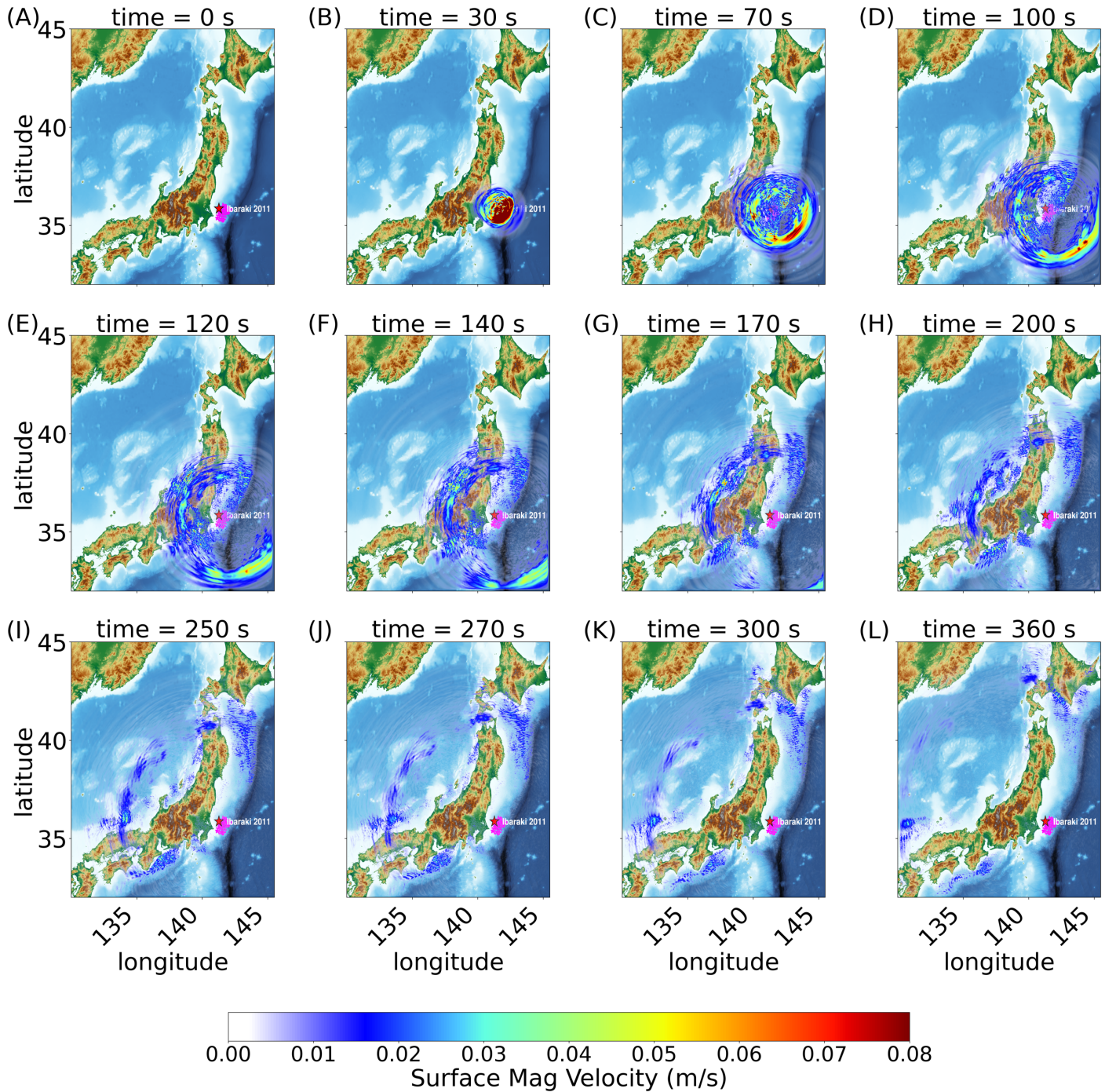


356
 357 Fig. 7: Comparing the observed (dark gray solid line) and three synthetic waveforms: MudPy 1D
 358 (dashed gray line), SW4 0.25 Hz (dashed-dotted orange line) and 0.50 Hz (blue solid line)
 359 waveforms at stations 0041 and 0043, respectively. The MudPy 1D waveforms are very simple,
 360 but the SW4 waveforms better capture the variability in the observed waveforms. The observed
 361 waveforms were shifted back by 20 s to fit the synthetic waveforms. The figure shows the
 362 vertical (Z-comp) and the horizontal components (N-comp and E-comp) of the waveforms.

3 In a map view, we further show the effect of the 3D structure by overlaying the magnitude of velocity
4 waveforms at the surface as a function of time on a topography/bathymetry map to highlight the spatial and
5 temporal variation of the wavefront as it propagates (Fig. 8). The wavefronts appear spherical up to about
6 120s (Fig. 8E) and reveal a strong energy propagating SE away from the land. At 140s (Fig. 8F), the wavefronts
7 show evidence of a waveguide on the shallow slab as the energy propagates at a lower velocity within the
8 wedge area exemplifying the effect of the 3D structure. The extent of the packet of energy coincides with the
9 geometry of the Japan trench. The packet of energy within the wedge continues to propagate northward and
0 wavefront propagates through Japan. At 200s (Fig. 8H), the wavefronts reveal a basin effect in the Nankai and
1 Sagami Troughs located SW of the Japan Trench and the in the Sea of Japan. The wavefront also shows a
2 waveguide phenomenon in the shallow slab of the Nankai Trough and the packet of energy propagates
3 westward with at slower velocity in the wedge even though the earthquake is located on the Japan Trench.
4 From 270s onwards (Fig. 8J), the wavefront traveling northward through the wedge appears to bifurcate into
5 the bay region towards Tomakomai and the other energy continues northward within the wedge. The
6 observed waveguiding in the shallow slabs and the wave amplification in the Nankai and Sagami Troughs area
7 show that lower frequencies still demonstrate non-negligible path effects, which may be important to the
8 seismic hazard of Japan. Furthermore, this demonstrates that three-dimensional effects are important to
9 include in kinematic slip models, as they may currently be wrapped into the source model.

0 This observation is distinctly different from the subduction guided waves observed from deep earthquakes
1 on the subducting Pacific plate in Japan (Furumura and Kennett, 2005), as well as other regions globally
2 (Furumura & Kennett, 1998; Furumura & Singh, 2002; Sahakian et al., 2018; Mann & Abers, 2020). In Japan,
3 Furumura & Kennett (2005) observed an anomalously large intensity on the eastern seaboard of northern
4 Japan from deep-seated earthquakes and the waveforms show a low-frequency ($f < 0.25$ Hz) onset for both P
5 and S waves, followed by large, high frequency ($f > 2$ Hz) later arrivals with a long coda. They did not observe the

Surface Magnitude Velocity for Ibaraki 2011 (SRCMOD Rupture 5)



6
7
8 Fig. 8: Waveform propagation of Ibaraki 2011 earthquake using rupture 5 of the 100 FakeQuakes random
9 realizations of the SRCMOD mean rupture model (Kubo et al., 2013), showing the effect of 3D velocity
0 structure. The maximum frequency of the simulation is 0.25 Hz. The rupturing subfaults are shown as pink grid
1 cells, and hypocenter as a star. Colorbar shows the surface magnitude velocity in m/s.
2

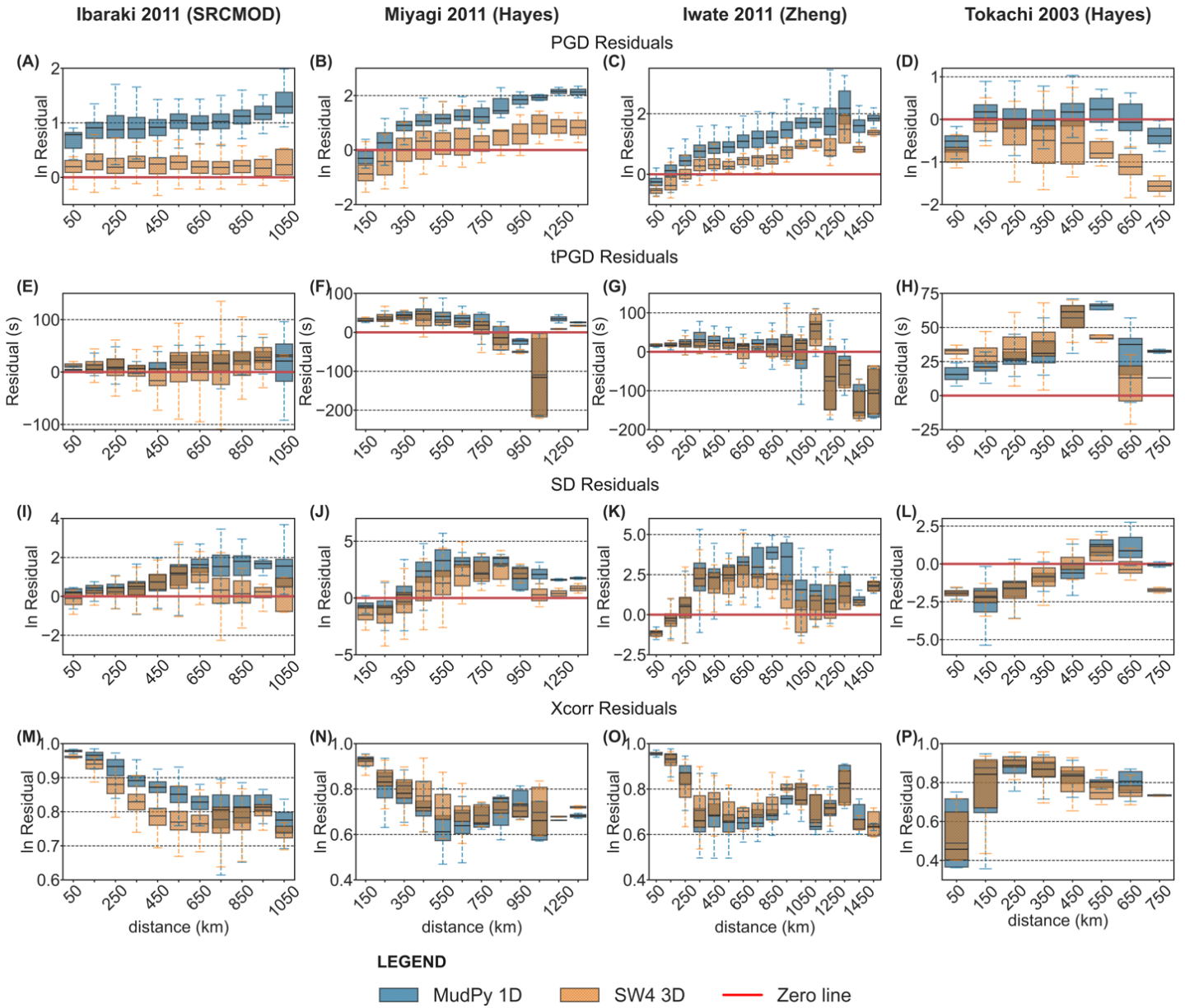
3 characteristics of frequency-selective wave propagation for subduction zone earthquakes with hypocenter
4 depth less than 185 km. They explained this observation to arise from scattering of seismic waves by an
5 elongated scatterer parallel to the plate margin. Despite the similarity in the phenomenon, the hypocenter of
6 Ibaraki 2011 earthquake shown in Figure 8 has a hypocenter depth of 43.2 km and the maximum frequency in
7 the waveforms are 0.25 Hz. We observed that the intense shaking is concentrated within the shelf regions and
8 is bounded by the trench geometry. This shows that the shaking may be due to waveguide phenomenon is in
9 the shallow slab within the low-velocity wedge. Indeed, in other subduction zones such as the Hikurangi, the
0 sedimentary wedge is demonstrated to act as a waveguide, increasing shaking and dynamic stresses for longer
1 period ground motions (Wallace et al., 2017; Kaneko et al., 2019). A more detailed examination of the
2 waveguide is beyond the scope of this paper.

3 The PGD, t_{PGD} , SD residuals and cross correlation residual maps for the Ibaraki 2011 earthquake showing
4 the spatial variation of the residuals are in the supplementary materials (Fig. S7). The PGD residual is generally
5 near zero and positive, but $< \ln 1$. We observed the residual is more positive near the coastal region of the
6 Nankai Trough. However, an isolated zone with negative PGD residuals is observed near Kanazawa at the
7 Japan Sea Margin. The t_{PGD} is generally positive and below 50 s, but slightly negative on the Japan Sea Margin.
8 It is also noteworthy that the static displacement residuals are generally near zero but becomes more variable
9 farther away from the hypocenter, especially toward SW Japan. The cross-correlation values between the SW4
0 3D waveforms and the observed waveforms shows a decay in values with distance but generally above 0.7.

2 **Residual Analyses**

3 Comparing 1D and 3D residuals, we observed that the 3D simulations residuals are clearly near zero (closer
4 to the observed intensity measures) than the 1D residuals at all distances, except for the Tokachi earthquake
5 (Fig. 9 and S8). The distributions of the intensity measures show improved fitting to the observed waveforms

6 in the 3D simulations. These results suggest that accounting for path-specific 3D structure improves the fit to
 7 the observed waveforms compared to the 1D simulations.



8
9

0 Fig. 9: Comparing MudPy 1D vs SW4 3D residuals between the synthetic to observed GNSS waveforms for
 1 Ibaraki 2011 (SRCMOD), Miyagi 2011 (Hayes), Iwate 2011 (Zheng) and Tokachi 2003 (Hayes rupture model)
 2 with $f_{\max} = 0.25$ Hz. Figure (A-D) PGD residuals, (E-H) t_{PGD} (s) residuals, (I-L) static displacement residuals and
 3 (M-P) cross correlation values. We compare only the residuals of two corresponding rupture models in the
 4 MudPy and SW4 synthetic simulations. The blue boxplots with circle hatched filling represents the MudPy 1D
 5 residuals while the orange boxplot (diamond hatch style) represents the SW4 3D simulation. The red
 6 horizontal line represents the zero residual line.

7

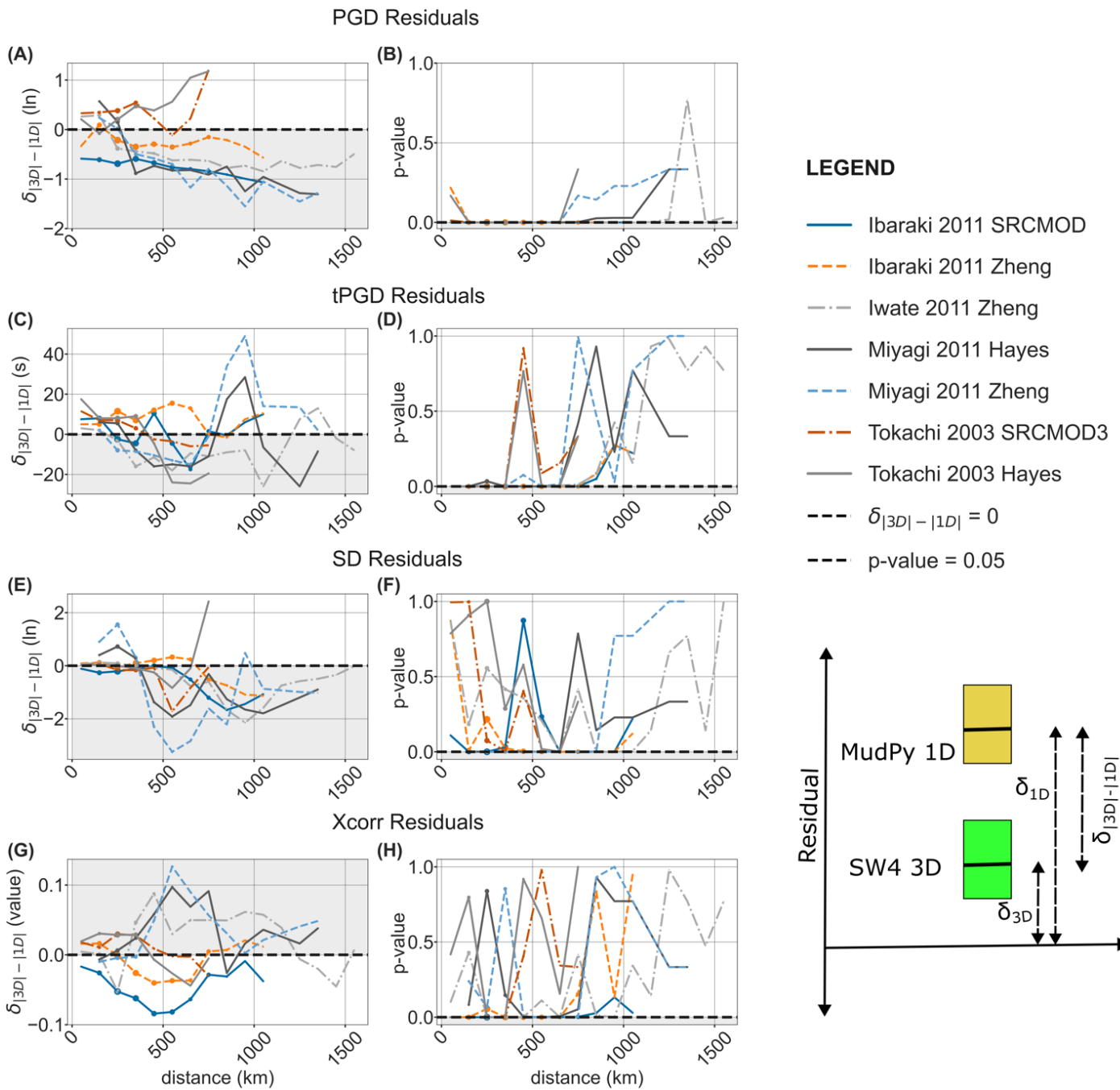
8 For a more quantitative aggregate comparison, we determine the difference between the magnitude of
9 the 3D median residuals compared to 1D median residuals for each residual boxplot (equation 5, Fig. 10). We
0 compute the difference as:

$$\delta_{|3D|-|1D|} = |\delta_{3D}| - |\delta_{1D}| \dots\dots\dots (5)$$

2 where $|\delta_{1D}|$ and $|\delta_{3D}|$ are absolute values of the 1D and 3D median residuals, respectively. The median
3 residual difference measures how much 3D median residual is closer to the zero value (i.e., fits the observed
4 waveform) than the 1D simulations. A negative value of median residual difference shows that 3D simulations
5 fit better to the observed intensity measure than the 1D simulations and vice versa. Note that this convention
6 is different for the median residual difference for the cross-correlation values because a positive median
7 residual difference for the cross-correlation shows that the 3D simulations fit the observed waveforms better.

8 To determine if the 1D and 3D residuals are statistically different from each other (i.e., come from
9 different distributions), we perform Komogorov-Smirnov (K-S) tests (Kolmogorov, 1933; Smirnov, 1948) on the
0 1D and 3D residuals for each earthquake. Two distributions are significantly different when the statistical
1 value (KS-stat) is above a critical value (D_{crit}) which is a function of the number of samples of each distribution
2 and when the p-value is below the significance level of 0.05.

3 Considering the variation of the median residual of the intensity measures with distance, 3D simulations
4 consistently have lower PGD median residuals (Fig. 10A) for all simulations with statistical significance (Fig.
5 10B), except for Tokachi 2003 (Fig. 10A). The t_{PGD} median residuals are consistently lower in the 3D
6 simulations, generally between 250 and 700 km hypocentral distance except for the Ibaraki 2011 earthquake
7 (Fig. 10C). The static-displacement median residuals are similar up to about 400 or 500 km (i.e., near zero), but
8 the 3D simulations fit the observed static displacement better at longer distances (i.e., negative) (Fig. 10E).
9 The cross-correlation median values are slightly higher in the 3D simulations, especially above distances of
0 about 300 km, except for the Ibaraki 2011 earthquake (Fig. 10G).



1
 2
 3 Fig. 10: Median residual difference and the P-value for the PGD, t_{PGD} , SD residuals and cross correlation values
 4 for all the simulations. Blue solid lines: Ibaraki 2011 SRCMOD, orange dashed lines: Ibaraki 2011 Zheng, gray
 5 dashed-dotted line: Iwate 2011 Zheng, Black solid lines: Miyagi 2011 Hayes, blue dashed lines: Miyagi 2011
 6 Zheng, orange dashed-dotted lines: Tokachi 2003 SRCMO3, gray solid lines: Tokachi 2003 Hayes simulations.
 7 The gray shaded regions in (A), (C), (E) and (G) represents regions where “3D fits better than 1D” while the
 8 white regions represent “1D fits better than 3D”. The gray shaded region in (B), (D), (F) and (H) represents
 9 regions where 1D and 3D residuals are statistically different from each other (i.e., come from different
 0 distributions) while the white regions represent 1D and 3D are from the same distribution. The bottom right
 1 schematic is a visual representation of the meaning of the mean residual difference.
 2

3 The plots of the p-value with distance for all the earthquakes show that the comparison between 1D vs 3D
4 intensity measure residuals vary with distance for all simulations (Fig. 10). Specifically, the KS tests show that
5 the distributions of the PGD residuals in the 1D and 3D simulations are significantly different for all simulations
6 up to hypocentral distance of 1000 km, and below 700 km for the Miyagi 2011 simulations (Fig. 10B). The t_{PGD}
7 residual distributions are significantly different below 600 km distance, except for Ibaraki 2011 earthquake
8 below 400 km, which corresponds to the distance range there is a better fit in PGD residuals for the 3D
9 simulation (Fig. 10D). For both PGD and t_{PGD} residuals, the numbers of samples are generally smaller where
0 the distributions are not significantly different. Conversely, the p-value plots for the static displacement and
1 cross correlation show similar distributions between the 1D and 3D residuals (Fig. 10F and H).

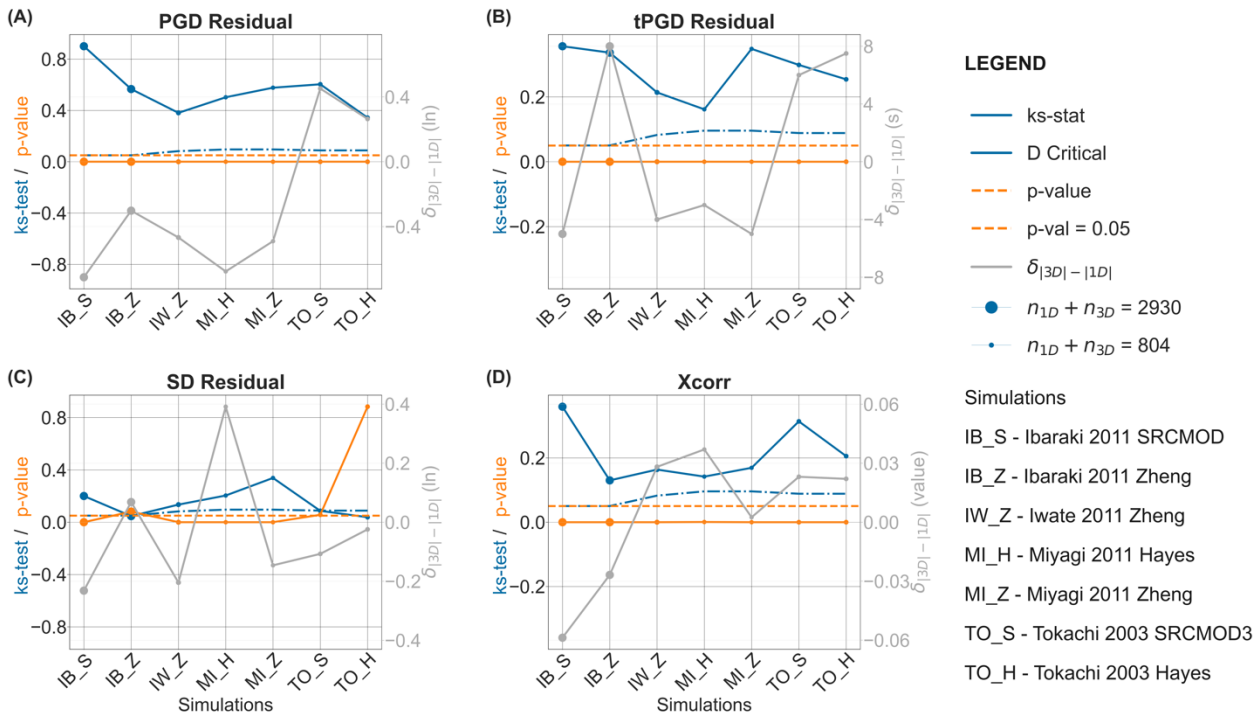
2 The observed consistent overall increase in 1D and 3D residuals with distance may be because the source
3 rupture model was derived with a 1D Green's function. The general trends in the PGD residuals show the 1D
4 and 3D synthetic amplitudes generally decay faster than the observed amplitudes with distance, suggesting
5 the variation in attenuation values within a layer unit in the 3D earth structure. Evaluation of the effect of the
6 1D velocity-derived rupture model and possible variation of attenuation within a layer on the general trend is
7 beyond the scope of this study.

9 **General Intensity Measure Residuals for each earthquake**

0 The intensity measures for each simulation without considering the variation with distance show that the
1 1D vs. 3D residual distributions are significantly different for all simulations and there is a general reduction in
2 the median residual values (hence, a better fit) in the 3D simulations compared to 1D simulations (Fig. 11).

3 Of greatest significance, we observed that the PGD residuals in the 3D simulations are smaller by about 0.4
4 -0.6 units compared to 1D simulations for all simulations, except for Tokachi 2003 (Hayes and SRCMOD3)
5 models. Also, the t_{PGD} in the 3D simulations, in general, better fit the observed than 1D simulations by about 4

6 seconds, except for Ibaraki Zheng and Tokachi earthquake simulations. There is a slight reduction in the
 7 median static displacement residuals in the 3D simulations except for Ibaraki 2011 (Zheng) and Miyagi 2011
 8 (Hayes) simulations. The 3D simulations generally have higher median cross-correlation values than 1D
 9 simulations, up to about 0.03. These results demonstrate that 3D structure plays a large, and statistically
 0 significant, role in accurately modeling the PGD and SD, as well as time-dependent characteristics of
 1 displacement time series (Fig. 11).



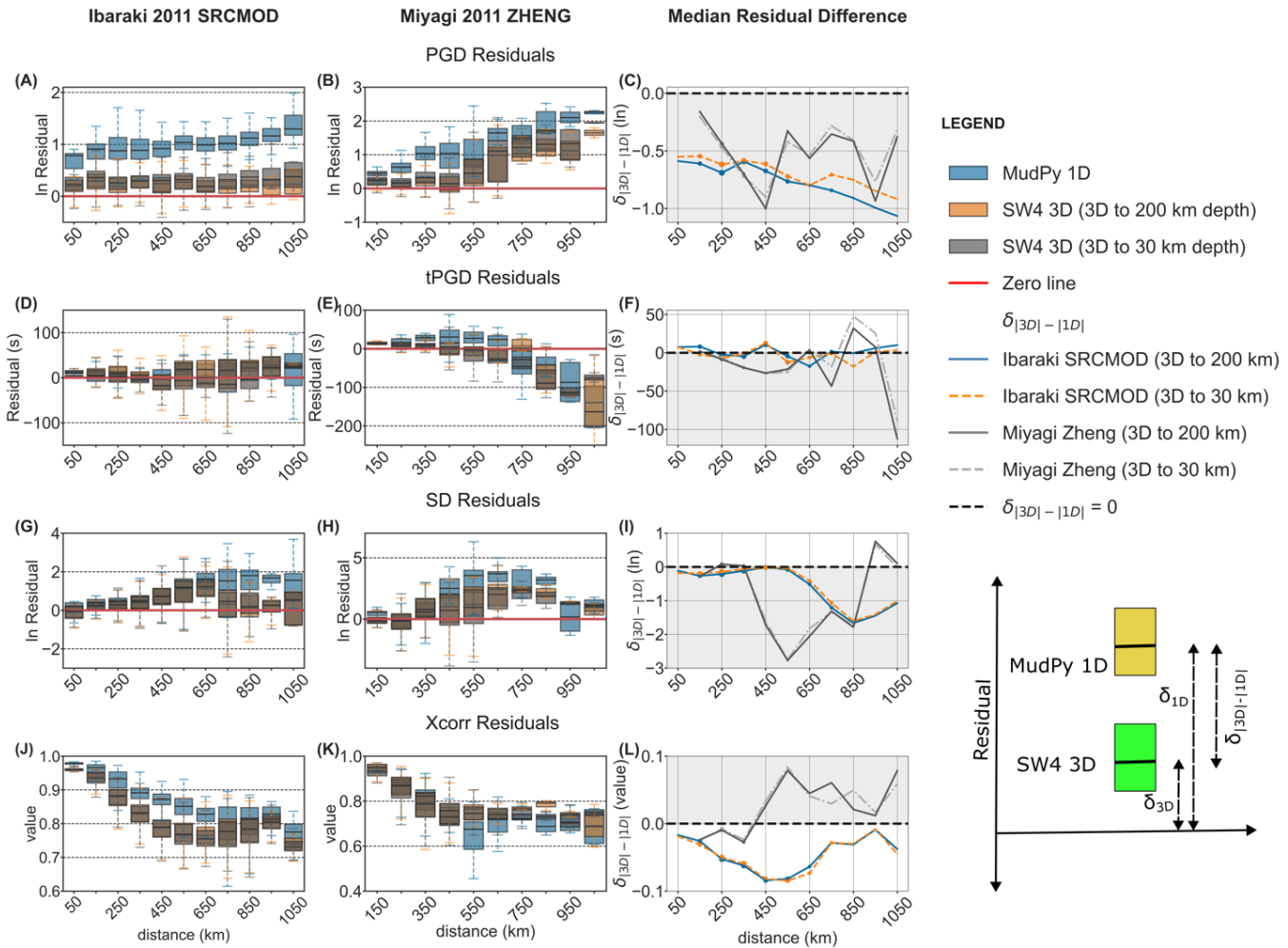
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Fig. 11: KS-test results and median residual difference between entire MudPy 1D and SW4 3D residual distributions for all simulations. The points are sized by the population size in that bin. Blue solid lines represent the K-S statistical (ks-stat) value, blue dash-dotted lines represent the critical value, orange solid lines represent the p value, orange dashed lines represent the p value line of 0.05, and the gray solid line represents the median residual difference of zero.

0 **Effect of 3D structure in the upper 0-30 km**

1 To understand if a well-constrained shallow structure plays a larger role than deeper structure in
 2 accurately modeling time-dependent crustal deformation from mid-crustal earthquakes, we tested the effect
 3 of 3D structure in the upper 0-30 km on our simulations using the Ibaraki 2011 and Miyagi 2011 earthquakes

4 as case studies. The Ibaraki 2011 earthquake is located at 43.2 km which is below the upper 0-30 km, while the
 5 Miyagi earthquake has a focal depth of 8.3 km, so the earthquake is within the 0-30 km structure (Fig. 1 and
 6 12). We used the upper 0-30 km of the 3D structure because it is the depth region where we observed the
 7 most lateral structural heterogeneity.



8
 9
 0 Fig. 12: Effect of 3D structure in the upper 0-30 km depth on PGD, t_{PGD} , SD residuals and cross correlation
 1 values for Ibaraki 2011 and Miyagi 2011A earthquakes. We compare the MudPy 1D and SW4 3D residuals
 2 using 200 km- and 30 km-3D structure at different hypocentral distances. Ibaraki 2011 earthquake is located
 3 at 43.2 km depth while Miyagi 2011A earthquake is located at 8.3 km depth, so it is located within the upper
 4 0-30 km depth. The figures on the right column show the median residual difference for the PGD, t_{PGD} , SD
 5 residuals and cross correlation values for two simulations compared to the MudPy residuals. Blue boxplots
 6 (slant lines hatched style): MudPy 1D residuals; orange boxplots (diamond hatch style): SW4 3D simulation
 7 using 200 km-3D structure; gray boxplots (circle hatched style): SW4 3D simulation with 3D structure up to 30
 8 km depth; red horizontal line: zero residual line; blue solid lines: median residual difference for the simulation
 9 using the 200 km-3D structure; orange solid line: median residual difference for the 30-km-3D structure; gray
 0 shaded regions in left column: regions where “3D fits better than 1D”; white regions represent “1D fits better
 1 than 3D”. Bottom right schematic is a visual representation of the meaning of the residuals presented here.

2 To do this, we created another rfile for a 3D velocity model involving only the upper 0-30 km depth of the
3 unified 3D velocity model of Japan, which is an extrapolated version of the 3D Japan Integrated Velocity
4 Structure Model (Koketsu et al., 2008, 2009). The SW4 simulation is setup to use the 3D structure up to 30 km
5 depth and a 1D velocity model, similar to the MudPy 1D simulations from 30 km to 200 km depth.

6 The residuals for the Ibaraki 2011 and Miyagi 2011 earthquake simulations involving 30km-depth 3D
7 structure (3D_30km) and the 200km-depth 3D structures (3D_200km) are consistently lower than residuals
8 from a purely 1D simulations without any 3D structure (Fig. 12). Comparing the two SW4 simulations to the
9 MudPy 1D simulation reveals that the residual values from the 3D_30km simulation are similar to the residuals
0 from the 3D_200km simulation up to a hypocentral distance of about 600 km. However, the residual using the
1 3D_200km simulation is smaller (i.e., better fit) than the 3D_30km simulation above the 600 km distance. The
2 static displacement residuals are similar at all distances.

3 This result shows that the reduction of the PGD residuals in the 3D simulations is a combined effect of
4 both shallow and deep 3D structures at hypocentral distances $>\sim 600$ km. Hence, incorporating only the upper
5 30 km of a 3D structure will still improve the fit to the observed PGD values compared to purely 1D
6 simulations, especially in regions where a deep 3D structure is not available. In other words, the 30km-depth
7 structure plays a role in reducing the PGD residuals, but since the PGD residual compared to the observed
8 waveforms is further reduced in the 3D_200km simulation for larger hypocentral distances, the deeper
9 structure still contributes to the lower residuals. This result is important both in understanding what scale of
0 structure should be included in 3D models, but also in estimating the computational demand in accurately
1 modeling these time series.

Effect of maximum frequency on the waveform intensity measures

Another important question is whether the reduction in the residuals between observed and SW4 3D simulations will persist at higher maximum frequency. To answer the question, we generated 0.50 Hz synthetic waveforms for all the four earthquakes using SW4. We varied the lateral extent of the 3D domain geometry depending on location of each earthquake, thus fewer stations, (Fig. S5) and used one of the 100 ruptures from the FakeQuakes realizations of the mean rupture models to reduce computational cost (Supplementary material S3). We compared only the intensity measures from the common stations between the 1D and 3D simulations.

For the Ibaraki 2011 earthquakes, we observed similar trends in the PDG, t_{PGD} , SD residuals and cross correlation values compared to the 0.25 Hz SW4 3D simulation (Fig. 13). However, the median residual difference in the PGD residual compared to the MudPy 1D simulation shows a consistent further reduction in the 0.5 Hz simulation. Hence, even though the overall trend in the residuals persists between the 0.25 Hz and 0.50 Hz simulations, the 0.50 Hz better fits the observed waveforms. Figure 14 shows the PGD residuals for the other earthquakes and rupture models. The figure further validates the reduction in the residual in the 0.50 Hz simulations, except for the Tokachi earthquake (Fig. 14).

CONCLUSIONS AND FUTURE WORK

We present 1D and 3D simulations of four **M**7.3+ earthquakes in Japan and showed the need to include realistic 3D structure with modern computational approaches and avoid the oversimplification of 1D GNSS models. In the 1D simulations, using different rupture models, PGD residuals do not change significantly with distance for the same earthquake. Therefore, any deviations in the PGD residual for the same rupture model in 3D simulations reveal the effect of the 3D structure. Comparing 1D and 3D residuals, we observed that 3D simulations show improved fits to the observed waveforms, demonstrating that the unmodeled waveform in

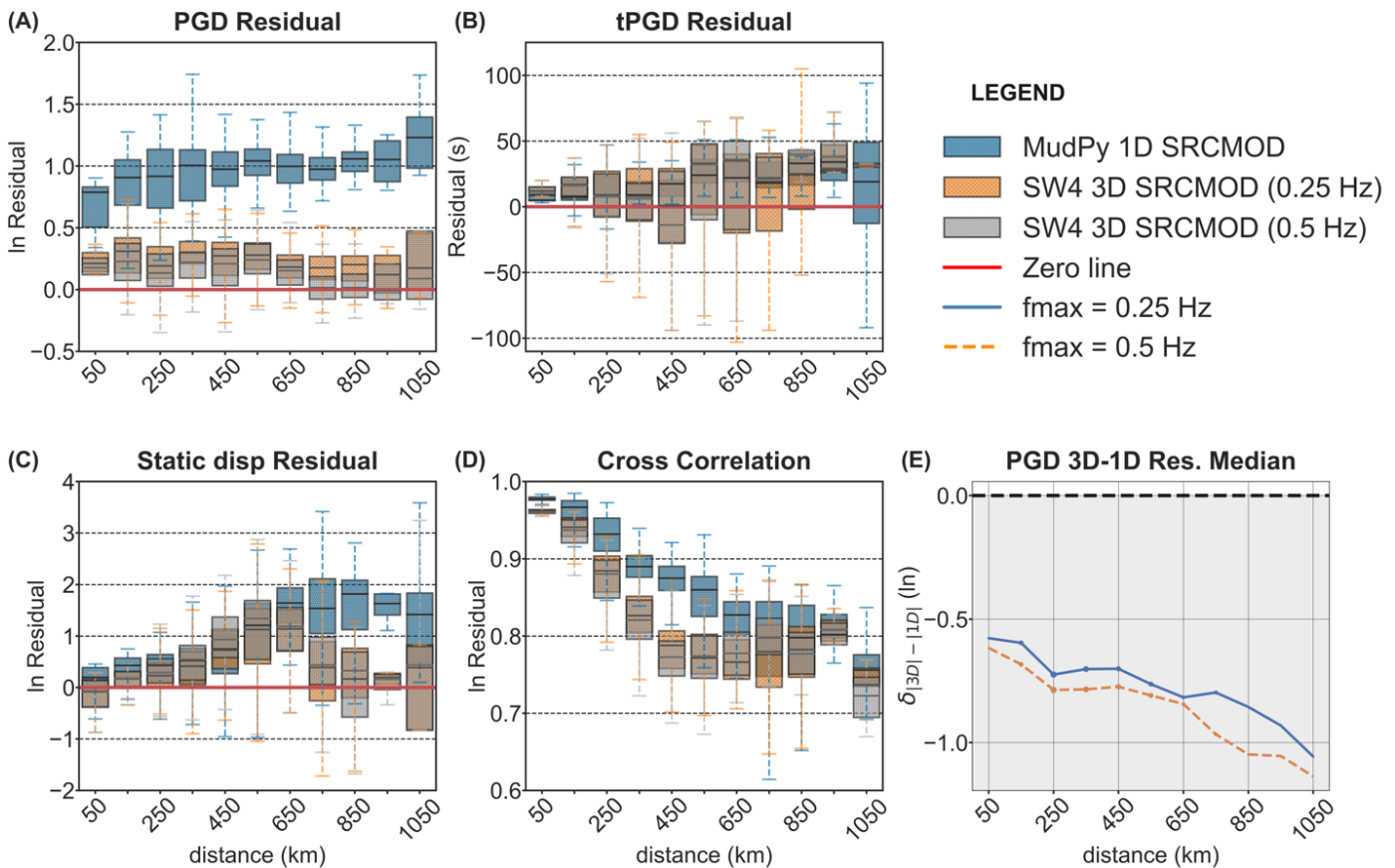


Fig. 13: Effect of the maximum frequency (f_{max}) on PGD, t_{PGD} , SD residuals and cross correlation values for Ibaraki 2011 earthquake (using rupture 5 with SRCMOD mean rupture model). Blue boxplots (circle hatched style): MudPy 1D residuals; orange boxplots (diamond hatch style): SW4 3D simulation with f_{max} of 0.25 Hz; gray boxplots (crossed hatched style): SW4 3D simulation with f_{max} of 0.50 Hz; red horizontal line: zero residual line. Figure (E) shows the median residual difference for the PGD residuals compared to the MudPy residuals. Blue solid and orange dash lines represent the median residual difference for the simulation with f_{max} of 0.25 Hz and 0.50 Hz, respectively.

the 1D simulation is due to the structure (path). However, the observed overall trends in 1D and 3D residuals with distance are likely related to a source model derived with the assumption of 1D structure or the variation of attenuation parameters within each layer in the 3D structure.

PGD median residuals with distance show that 3D simulations consistently have lower residuals for all simulations, except for Tokachi 2003. The t_{PGD} median residuals are consistently closer to zero for the 3D simulations, generally between 250 km and 700 km distance and up to 1150 km for Iwate 2011 earthquake. The SD median residuals are similar in both 1D and 3D simulations up to about 400 or 500 km, but the 3D

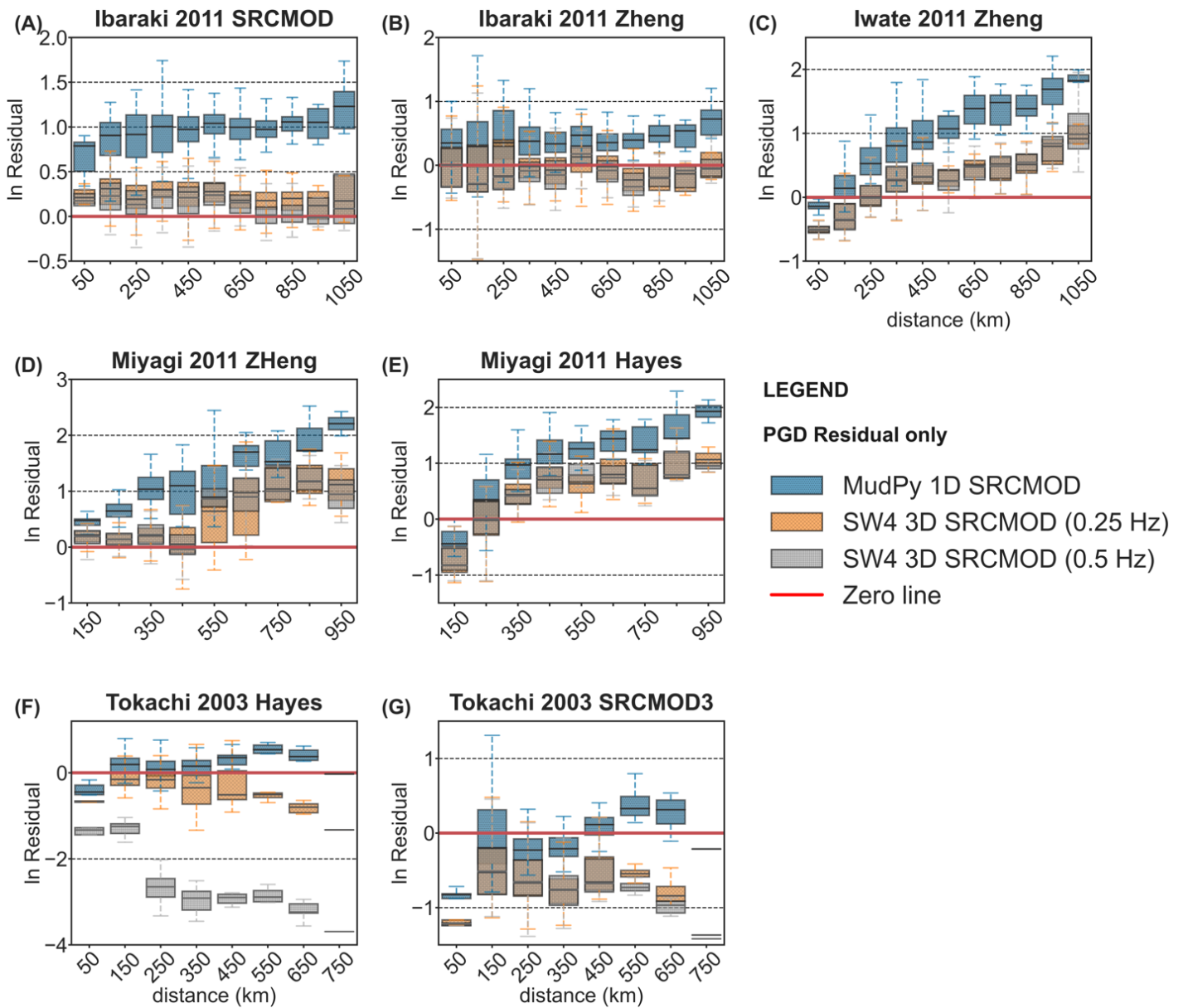


Fig. 14: Effect of the maximum frequency (f_{max}) on PGD for all the simulations. The blue boxplots (circle hatched style) represent the MudPy 1D residuals. The orange boxplots (diamond hatch style) represent the SW4 3D simulation with f_{max} of 0.25 Hz. The gray boxplots (crossed hatched style) represent the SW4 3D simulation with f_{max} of 0.50 Hz. The red horizontal line represents the zero residual line.

simulations fit better at greater distances. The cross-correlation median values are slightly higher in the 3D simulation above hypocentral distance of about 300 km, except for the Ibaraki 2011 earthquake. The KS tests show that the distributions of the PDG residuals in the 1D and 3D simulations are significantly different for all simulations up to 1000 km distance and 800 km for the Iwate 2011 earthquake. The intensity measures for

6 each simulation without considering the variation with distance also show a general reduction in values in the
7 3D simulations compared to 1D simulations.

8 This study also shows that the reduction of the PGD residuals in the 3D simulations is a combined effect of
9 both shallow and deep 3D structures especially above certain hypocentral distances. Incorporating only the
0 upper 30 km 3D structure will still improve the fit to the observed PGD values. Lastly, depending on the level
1 of desired model accuracy and available computational resources, the 0.25 Hz SW4 3D simulations may be
2 sufficient to model the kinematics and time-dependent crustal deformation measured by GNSS. Our results
3 demonstrate that future studies of time-dependent crustal deformation should consider using 3D structure or
4 Green's functions, in particular when peak intensity measures such as PGD are the most critical.

6 **Data and Resources**

7 SW4 is an open-source code and available at <https://github.com/geodynamics/sw4> (last accessed January
8 2023) hosted by the Computational Infrastructure for Geodynamics (<http://geodynamics.org>). MudPy and
9 FakeQuakes are available at <https://github.com/oluwaseunfadugba/MudPy>. Our maps were made with
0 PyGMT (Uieda et al., 2022) available at <https://github.com/GenericMappingTools/pygmt>. PyGMT wraps
1 around GMT6 (Wessel et al., 2019). We used the Slab2.0 model (Hayes, 2018) to create a fault geometry mesh
2 for the Japan Trench using Gmsh (Geuzaine and Remacle, 2009). Our figures were made with Python 3 (Van
3 Rossum & Drake, 2009), Seaborn (Waskom, 2021), Pandas (McKinney et al., 2010), and ObsPy (Beyreuther, et
4 al., 2010). Our codes are available at [https://github.com/oluwaseunfadugba/1D_vs_3D_HR-
5 GNSS_CrustalDeformation](https://github.com/oluwaseunfadugba/1D_vs_3D_HR-GNSS_CrustalDeformation). The GNSS stations, mesh, 3D velocity model, projected rupture models for each
6 earthquake on the Japan Trench mesh, the codes at the time of publication and the corresponding 100
7 realizations of the mean rupture models generated using FakeQuakes are available on Zenodo
8 (<https://doi.org/10.5281/zenodo.7765170>).

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6 EAR-1550901.

8 **Author contributions**

9 Conceptualization: O.F., V.S., D.M.. Data Curation: O.F., V.S., D.M., R.S.. Formal Analysis: O.F, V.J., D.M..
0 Funding Acquisition: V.S., D.M.. Investigation: All authors. Methodology: All authors. Project Administration:
1 O.F, V.S., D.M.. Resources: O.F., V.J., D.M., A.R.. Software: D.M., A.R.. Supervision: V.S, D.M., A.R.. Validation:
2 O.F., V.S., D.M.. Visualization: O.F., V.S., D.M.. Writing – original draft: O.F, V.S., D.M.. Writing – review &
3 editing: All authors.

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