# Bayesian Models for Deriving Biogeochemical Information from Satellite Ocean Color

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The era of satellite ocean color began in 1978 with the launch of NASA's Coastal Ocean Color Scanner (CZCS) on board the Nimbus-7 spacecraft. Through measurement of the quantity and quality of the light reflected from the ocean, CZCS revolutionized our understanding of the intimate relationships between ocean physics and phytoplankton distribution in the world ocean (1). Generations of spaceborne sensors have subsequently followed, and satellite ocean color measurements now provide spatial and temporal distributions of phytoplankton (2) and other aquatic biogeochemical constituents (3), estimates of ocean primary productivity (4, 5), and have become a vital input to global models of Earth system processes and their response to a changing climate (6, 7).

Ocean color is derived from the signal collected at the top of the atmosphere (TOA) by a satellite spectroradiometer. The majority of this signal is due to scattering from atmospheric aerosols and reflection by wind-generated whitecaps, with only ~10% maximum of the spectrum due to radiance either reflected from the ocean surface or scattered back out through the air-water interface. The atmospheric contribution must, therefore, be 'subtracted' from the TOA signal in order to derive the oceanic contribution. This is achieved operationally through the process of atmospheric correction (AC), which removes the influence of sun glint, whitecaps formed by wind, and the contribution by atmospheric aerosols. This latter step takes advantage of the fact that the water body can be considered to be totally absorbing (i.e. black) in the near infrared (NIR). Any TOA signal detected at wavelengths in the NIR is then attributed to atmospheric contributions and a suitable aerosol radiance model is chosen to extrapolate to shorter wavelengths. This derived atmospheric radiance is subtracted from the total TOA spectrum, and the signal that remains is the water-leaving radiance. Remote sensing reflectance  $(R_{rs}, sr^{-1})$  i.e. the light exiting the water normalized to a hypothetical condition of an overhead Sun and no atmosphere (8, 9), can then be calculated. Following calculation of  $R_{rs}$ , various approaches are used to estimate water constituent concentrations. These fall broadly into two classes of algorithms: i) empirical band-ratio algorithms, which are derived from the statistical relationship between the ratio of two or more wavebands (blue and green) of  $R_{rs}$  and in situ measurements of chlorophyll a concentration, Chl a  $(mg \ m^{-3})$ , a proxy for phytoplankton biomass (2), and ii) semi-analytical

algorithms that are based on a combination of radiative transfer theory and empirically derived parameters, and that permit the retrieval of inherent optical properties (IOPs) such as spectral particulate backscattering,  $b_{bp}$  ( $m^{-1}$ ), and phytoplankton absorption,  $a_{ph}$  ( $m^{-1}$ ), coefficients that can be related to the water constituents of interest (3).

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In a very general sense, AC approaches perform well over the open ocean where the water is totally absorbing in the NIR and the aerosol assemblage can be well modeled. However, AC performance becomes severely limited in coastal and inland waters where bottom reflectance can contaminate waterleaving signals, suspended sediments may produce a non-zero reflectance in the NIR, and/or absorbing aerosols, e.g. those generated by terrestrial anthropogenic sources (10), are difficult to model accurately. The performance of the in-water algorithms is also degraded in these regions for a variety of reasons. The band ratio algorithms were developed for use in case 1 waters, i.e. those in which ocean color is dominated by Chl a and all other optically active water constituents covary (11). In case 2 waters (11), where other optically active water constituents vary independently of Chl a (e.g. coastal waters), band ratio algorithms often perform poorly as colored dissolved organic material (CDOM) and suspended particulate material compete with phytoplankton for the absorption and scattering of blue photons, thereby confounding the algorithm's assumption of co-variability. Semi-analytical models may perform satisfactorily in case 2 waters, but model parameters such as the spectral slopes of CDOM+detrital absorption and particulate backscattering may need to be regionally tuned as their local values can vary widely (12–14). Additionally, the signal of interest may simply be swamped by competing processes – a common occurrence in case 2 waters where CDOM absorption coefficients can be an order of magnitude or greater than that of phytoplankton (15, 16). Finally, if AC is inaccurate, the spectral shape of the retrieved  $R_{rs}$  spectrum may be distorted, meaning that the starting point for any of these ocean color models will be fundamentally flawed. As a result of these challenges, satellite measurements made over such water bodies are often unusable for quantitative studies. The loss of information from these systems is particularly egregious as they are vulnerable to climate and anthropogenic forcing (17), play host to highly productive fisheries (18), or are regions of intense atmospheric  $CO_2$  uptake (19) or sinking of organic matter for climate-relevant time scales (20, 21).

Work has been devoted to improving the standard AC and a number of alternative approaches have been proposed (22) These include a multiband AC that uses multiple NIR and shortwave infrared channels (23), and several neural network (NN) techniques that provide a universal method to approximate arbitrary non-linear functions. The NNs are used to solve the AC problem directly (i.e. inputs of observed reflectance and viewing geometry and water reflectance as output), or to model the radiative transfer equation (RTE) itself, thereby saving the substantial computational time taken to solve the RTE (see Frouin et al. (22) and references therein). In a similar vein, a number of in-water studies have investigated similar approaches using NNs to estimate Chl, IOPs, apparent optical properties (AOPs) and water constituent concentrations for optically complex (i.e. case 2) waters (24–28). Craig et al. (16) developed a method based on empirical orthogonal function (EOF) analysis of hyperspectral  $R_{rs}$  to estimate IOPs in an optically complex water body, then further developed the technique to estimate IOPs directly from TOA reflectance spectra, thereby combining AC with in-water IOP estimation [ref]. Collectively, these approaches present an alternative paradigm for retrieving biogeochemically relevant information from ocean color, particularly in scenarios where it may otherwise not be possible. However, ocean color science has yet to fully embrace the potential of these approaches, in particular machine learning, which has undergone rapid development and democratization. Several source codes are now available via open source platforms, and ML is used routinely and operationally in many of the Earth sciences, e.g. in meteorology (29) or plankton taxonomic studies (30), where the abundance of data enables the use of state-of-the art approaches such as deep learning. Ocean color remote sensing, on the other hand, suffers from a severe lack of labelled data (3), i.e. in situ observations that can be matched with satellite observations, and this reduces the number of approaches that can be used in a principled way to estimate IOPs and their uncertainty. Moreover, this labelled data is inherently noisy due to factors such as environmental fluctuations, measurement error, and sensor uncertainty. These obstacles make the development of generalizable models (i.e. models that capture the signal but not the noise in training data) very challenging. To address these issues, we use a Bayesian approach (31, 32) in developing our models. We chose this approach because the inclusion of sufficiently informed prior information can guard against overfitting, while providing transparency with respect to modeling assumptions. Furthermore, estimates of modeling and prediction uncertainty are the default of Bayesian models. Unlike frequentist concepts such as the p-value and confidence intervals, Bayesian credibility intervals derived from model posterior distributions are unambiguous and can be readily interpreted (33, 34).

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Here, we present a machine learning effort that extends the previous work of Craig (35) by using TOA reflectance in Bayesian predictive models of the phytoplankton absorption coefficient,  $a_{ph}$ .  $a_{ph}$  is an an information-rich parameter that can provide an alternative proxy of phytoplankton biomass (36), insight into community composition (37, 38), and can quantify the light available for photosynthesis in primary production models, making it an ideal candidate for use as an Essential Climate Variable (39) or Essential Ocean Variable (40). The ability to reliably estimate  $a_{ph}$  while bypassing the

considerable challenges of conventional AC in these ecologically and economically important waters provides a significant advancement of our fundamental understanding of biogeochemical processes, and the insight required to effect meaningful ecosystem management and climate change mitigation strategies.

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Results 156

Three hierarchical Bayesian models predicting phytoplankton absorption at 6 wavebands were successfully fitted. In increasing order of complexity, these models were linear regression, linear regression with first order interaction terms, and neural network. Input variables included 6 principal components derived from 6 Rayleigh-corrected bands, in addition to a number of ancillary predictors (see Materials and Methods section). All three models were built to highlight predictor relevance. This is depicted in order of relevance for each model in the forest plots shown in Fig. 1 for phytoplankton absorption at 411 nm,  $a_{ph}(411)$ . Note that we use  $a_{ph}(411)$  in Fig. 1 as an illustrative example because this region of the spectrum is typically the most affected by inaccurate atmospheric correction and, therefore, represents the most challenging scenario for ocean color retrievals. For all models, the first three principal components appear among the more influential variables. The linear regression model identified sea surface temperature and bathymetry (sst and dep in Fig. 1, top panel) as significantly relevant in predicting  $a_{ph}(411)$ . For the linear regression with interaction model, interaction between the first two spectral principal components (pc1 and pc2), and interaction between the fourth principal component and the solar zenith angle (pc4 and solz) were found to be the most influential variables (Fig. 1, middle panel). Interestingly, the neural network deemed only PC spectral information as relevant in  $a_{ph}(411)$  prediction (Fig. 1, bottom panel).

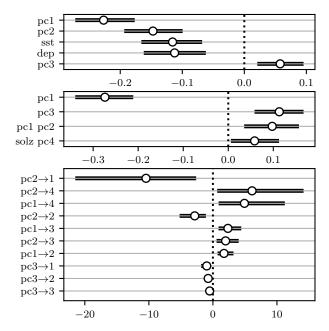
The uncertainties around the relevant parameters were similar in magnitude between the two types of linear regression models. In the case of the neural network, the most relevant parameters exhibit the greatest uncertainty (Fig. 1, bottom panel), likely an effect of the small size of the data set used. This pattern changes, however, where model prediction skill is concerned. To asses each model's prediction skill, a small out-of-sample data set was used and the following criteria examined: 1) how tight the 95% credibility interval of the posterior predictive simulation was (Fig. 2); 2) where out-of-sample observations occur in relation to the 95% and 50% credibility intervals (Fig. 2); and 3) how closely average predictions tracked out-of-sample observations (Figs. 2 - 5).

We found that for all bands, and for all performance criteria listed above, expected predictive performance on out-of-sample data (i.e. future, unseen data) increased with model complexity. Linear regression was the least proficient of the three models, while the Bayesian neural network was the model most likely to generalize well. Of all 6 bands tested,  $a_{ph}(555)$  was the most challenging to fit across all models, likely due to the fact that phytoplankton absorption is weakest in the green spectral region. This behavior was also observed by Craig et al.(16) in their PC-based models.

### **Discussion**

This study clearly illustrates the feasibility of retrieving the spectral phytoplankton absorption coefficient from op-

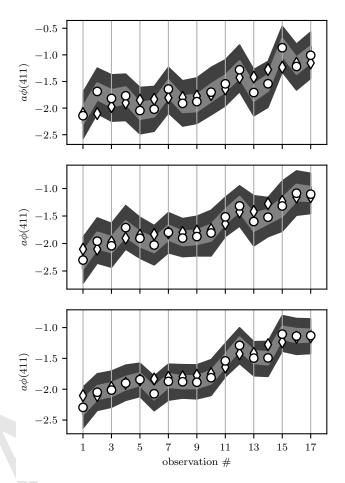
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**Fig. 1.** Forest plots for 3 Bayesian models of  $a_{ph}(411)$ ; **top** - linear regression; **middle** - linear regression with interactions; **bottom** - neural network. Open circles and whiskers are mean and 95% credibility intervals (CI), respectively, for model coefficients. Each coefficient (shown on the left axes) corresponds to a predictor variable. For brevity, only the most significant predictors (i.e. their CIs do not overlap the vertical dotted zero line) are shown here in order of descending significance. Predictor abbreviations area as follows; pc - principal component, sst - sea surface temperature, dep - depth, solz - solar zenith angle. Interaction (middle panel) is shown as two predictors side by side. Bottom panel shows predictor connection to neural network hidden layer unit.

tically complex coastal waters using Rayleigh-corrected Topof-Atmosphere reflectance as principal input to a number of models. Of these, Bayesian neural networks resulted in the most robust predictions. This is of particular significance as the information contained in remotely sensed signals of such waters is often irretrievably lost due to failure of atmospheric correction and/or retrieval algorithms. To date, Bayesian approaches have not been used for information retrieval from ocean color and offer a viable alternative to traditional radiative transfer and semi-analytical models. Additionally, Bayesian models provide uncertainty estimates due to their probabilistic nature - something that must be done post hoc if using conventional approaches. The Bayesian framework allows all information concerning uncertainty to be included via formulation of the prior distributions - i.e. environmental, instrumental, systematic uncertainty can all be included in the model if that information is available. This provides a fundamental improvement in how ocean color signals can be used to robustly describe highly dynamic aquatic ecosystems.

Another important feature of this approach is the ability to bypass conventional atmospheric correction techniques. In coastal, inland waters and other optically complex scenarios, it is challenging to accurately achieve atmospheric correction due to the complex assemblage of aerosols that must be modeled and/or the non-zero water leaving radiance that violates fundamental AC model assumptions. In this approach, we do not attempt to subtract the atmospheric contribution, but instead use principal component analysis to 'tease out' the

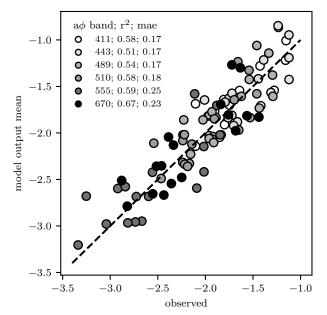


**Fig. 2.** Posterior predictive plots of out-of-sample  $a_{ph}$  (411) data for linear regression (**top**), linear regression with interaction (**middle**), neural network (**bottom**). Y-axes are log scaled. Open diamond $\rightarrow$ out-of-sample observation, arranged monotonically in ascending order; open circle $\rightarrow$ mean model prediction; light gray envelope $\rightarrow$ 50 % credibility interval (*CI*); dark gray envelope $\rightarrow$ 95 % *CI*.

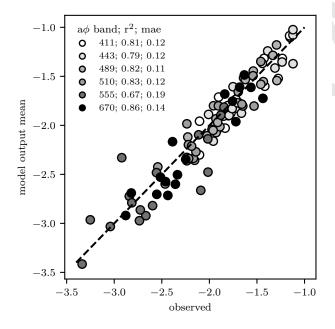
lower modes of variance underlying the large atmospheric signal detected by the satellite sensor. In so doing, we assume nothing regarding the atmospheric scattering or absorbing properties and simply allow the orthogonality conditions of PCA to detect the underlying signals associated with the water and its constituents. Traditional approaches for AC in optically complex waters typically struggle with negative water leaving radiances at the blue end of the spectrum, i.e. too much radiance at the blue end of the spectrum is attributed to the atmosphere by the models used, resulting in a non-physical, negative water-leaving signal. Our approach is able to completely circumvent this problem and retrieve  $a_{ph}(\lambda)$  in the blue with high accuracy.

#### Materials and methods

**Data collection.** A modified version of the NOMAD (Werdell and Bailey 2005) SeaWiFS satellite-to-in situ validation dataset was used for model development (http://seabass.gsfc.nasa.gov/). This was comprised of a subset of the NOMAD dataset limited to stations with coincident and valid SeaWiFS coverage (Fig. 6), and included  $R_{rs}$  and TOA radiance  $(L_t(\lambda); \mu W cm^{-2} nm^{-1} sr^{-1})$  in addition to

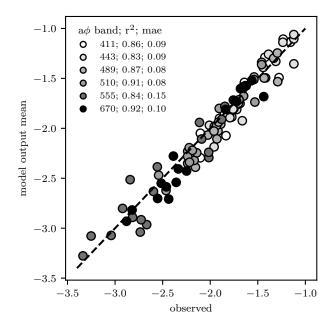


**Fig. 3.** Out-of-sample observed vs. prediction mean from linear regression for  $a\phi$  at 6 bands, featuring  $r^2$  and mean absolute error (mae) as goodness-of-fit measures. Both axes are log-scaled



**Fig. 4.** Out-of-sample observed vs. prediction mean from linear regression with interactions for  $a\phi$  at 6 bands, featuring  $r^2$  and mean absolute error (mae) as goodness-of-fit measures. Both axes are log-scaled

the standard NOMAD parameters such as location, sea surface temperature, water column depth, and solar zenith angle. Rayleigh-corrected remote sensing reflectance  $(R_{rc}; sr^{-1})$  was derived using SeaDAS (version 6.2) assuming no aerosol, and is given by:



**Fig. 5.** Out-of-sample observed vs. prediction mean from neural network with interactions for a $\phi$  at 6 bands, featuring  $r^2$  and mean absolute error (mae) as goodness-of-fit measures. Both axes are log-scaled

$$R_{rc}(\lambda) = \frac{L_t(\lambda) - L_r(\lambda)}{F_0 \cos(\theta_0) t t_0}$$
 [1]

where  $L_r$  is the Rayleigh scattering radiance  $(\mu W cm^{-2}nm^{-1}sr^{-1})$ ,  $F_0$  the extraterrestrial solar irradiance  $(\mu W cm^{-2}nm^{-1})$ ,  $\theta_0$  is the solar zenith angle (degrees), t the diffuse transmittance from the satellite pixel to the satellite (dimensionless) and  $t_0$  the diffuse transmittance from the sun to the pixel (dimensionless).

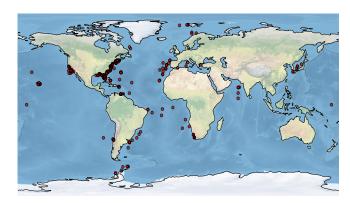


Fig. 6. In-situ sampling stations used in this study.

**Data pre-processing.** The NOMAD in situ  $a_{ph}(\lambda)$  data was provided at 20 wavelengths. This was reduced to 6 to match SeaWiFS visible wavelengths of 412, 443, 490, 510, 555, 670 nm. Data points were discarded if no in situ  $a_{ph}(\lambda)$  data existed or had missing wavelengths, and if any of the satellite wavelengths were missing or contained zero values. Three additional pre-processing steps were performed: i) The principal

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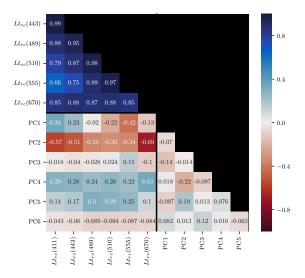
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**Fig. 7.** Pairwise correlation heatmap. Top left quadrant suggests the multicollinearity within TOA radiances  $(L_t)$ , bottom left quadrant illustrates the link between radiances and principal components.

components (PCs) of the 6 Rayleigh-corrected remote sensing reflectances were computed. After initial model trials, it was found that the PCs were consistently more powerful predictors than the parent reflectance spectra, in agreement with the findings of Craig et al. (16) who observed that  $R_{rs}$  PCs were more important predictors of IOPs than reflectance. Using the PCs also has the advantage of eliminating the multicollinearity that exists between the reflectance wavebands (see Fig. 7) This is desirable since inclusion of multiple predictor variables that carry redundant information can introduce model non-identifiability - i.e. the inability to distinguish amongst explanations - that manifests itself by an apparent lack or weak relationship between predictors and predicted variables, when in fact the relationship is much stronger. ii) The data, which included sea surface temperature, solar zenith angle, and reflectance principal components, span widely varying scales. Therefore, they were standardized by subtracting the mean from each predictor variable and dividing by its respective standard deviation. iii) The data was split into training and testing sets, with the training set used for model fitting, while the testing (i.e., out-of-sample) set was used for model predictive skill evaluation.

**Model development and fitting.** All models described were developed in the Python language using the probabilistic programming library PyMC3(41). Bayesian models to predict the spectral phytoplankton absorption coefficient,  $a_{ph}(\lambda)$ , were developed. By definition, Bayesian model parameters and their resulting predictions are probabilistic in nature. In brief, Bayes' rule provides a way to update beliefs based on the arrival of new, relevant pieces of evidence, and is expressed as:

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)}$$
 [2]

where A is the event we want the probability of, and B is the new evidence that is related to A in some way. P(A|B) is the posterior; this is what we are estimating. P(B|A) is referred

to as the likelihood, and is the probability of observing the new evidence, given our initial hypothesis. P(A) is the prior, i.e. the probability of the hypothesis without any additional prior information. P(B) is called the marginal likelihood and is the total probability of observing the evidence.

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Each model parameter is initially assigned a prior probability distribution, P(A). The parameter space is then sampled and the likelihood of each observation conditioned on the parameter values is computed at each iteration. Using Bayes' rule, the priors are combined with the likelihood to yield a posterior distribution, which quantifies the model parameters' probability given the observations used during sampling. These priors are then updated as the model is confronted with data, through the computation of the model's likelihood for each observation as the parameter space is sampled.

We developed three Bayesian models: linear regression, linear regression with first degree feature interaction terms, and a neural network. Because it was not expected that all predictor variables would be relevant in predicting  $a_{ph}$ , all models were designed to identify predictor variables that had the greatest impact on the fit. In the case of the linear regression models, this was achieved using a regularized horseshoe prior(42). Regularized horseshoe priors are so called because of the horseshoe shape of the distribution. This shape results from the assignment of high probability both around 0 and far from 0, and low probability for intermediate values. The assignment of high probability near 0 is not unlike other sparse (where only a subset of predictors is relevant) regression model priors such as those used in Bayesian Lasso and Ridge regression models, in that they assume a number of the the model parameters will effectively shrink to 0. The horseshoe prior holds a significant advantage over Lasso or Ridge regression priors in that it assigns high probability to 0 while providing a thick tail, which reduces bias. The regularized horseshoe has the advantage that it provides a way to adjust the shrinking rate of non-zero parameters, thereby preventing the model from overfitting on the features corresponding to these nonzero parameters. Fig. 8 (top panel) shows the structure of the linear regression models, with a common intercept parameter given a Gaussian prior, the predictor slope parameters are also Gaussians with the scale parameter  $\sigma_{\beta}$  inherited from a combination of 3 hyperpriors (a hyperprior is an assumption made about a parameter in a prior probability assumption) as specified in (42). The linear regression equation is used as the mean of a Gaussian likelihood, which has a standard deviation with a half-Cauchy prior.

Similarly, the Bayesian neural network's construction features automatic relevance determination (ARD)(43). The neural network is fully connected and features one hidden layer. The weights between the input layer and the hidden layer have Gaussian priors as in the linear regression models. However, the spreads of priors for the weights corresponding to each predictor variable have independent half-Cauchy hyper-priors; this is the basis for ARD. On the other hand, the weights connecting the hidden layer to the output layer have Gaussian priors with a common hyperprior for their spread. The Bayesian neural network's architecture is depicted in Fig. 8, bottom panel.

All models were fit using the No U-Turn Sampler, a variant of Hamiltonian Monte-Carlo (44). For the regression models, 2000 samples were drawn after a tuning period made up of

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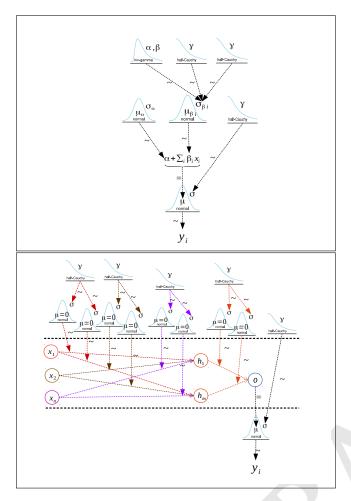


Fig. 8. Inference diagram of Bayesian models used. Horizontal lines separate three conceptual groups; top  $\rightarrow$  priors, middle  $\rightarrow$  likelihood, bottom  $\rightarrow$  outcome distribution. Top: Regression with horseshoe priors (Models 1 & 2). Bottom: Bayesian neural network (Model 3). Models shown here are hierarchical, built for automatic feature relevance determination.

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2000 preliminary samples that were subsequently discarded. A similar fitting procedure was followed for the Bayesian neural network, with the difference that 2000 samples were collected after a 15000-iteration tuning step. In all cases, the sampling was performed four times concurrently, but independently, to ensure convergence. The Gelman-Rubin statistic (45) was used to verify that convergence was equivalent between independent sampling runs. Relatively naive priors were used, codifying the rather loose constraint that reasonable values of the target variable would remain highly probable. An additional constraint was applied to the Bayesian neural network to address the problem of weight space symmetry (46), which affects the weights applied to the input nodes, represented as edges connecting input nodes  $x_{1...n}$  to hidden layer nodes  $h_{1...m}$  as shown in the bottom panel of Fig. 8. The problem arises from the fact that, without an additional constraint, there is nothing to differentiate hidden layer nodes from one another. In practice this results in the sampler encountering difficulty in converging on the same mode for the affected weights. The constraint applied consists of enforcing a numerical order within the weights applied to each input node. This guarantees that no overlap can occur, thus eliminating the

exchangeability problem.

**Reproducibility.** The code describing the preparation and transformation of data, as well as the code for the development, fitting, and evaluation of the models are available through github <a href="https://github.com/madHatter106/Bayesian-ML-4-IOP-from-TOA">https://github.com/madHatter106/Bayesian-ML-4-IOP-from-TOA</a>. The raw data is available through our project page on the Open Science Foundation website OSF link.

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### Acknowledgments

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