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2	NDVI, DMI and SOI in the Greater Mara-Serengeti Ecosystem:
3	Insights for biodiversity conservation
4	
5	Running title: Trends, cycles and seasonality in climate and
6	vegetation in the Mara-Serengeti
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31 Abstract

Understanding climate and vegetation trends and variations is essential for conservation 32 planning and ecosystem management. These elements are shaped by regional manifestations 33 of global climate change, impacting biodiversity conservation and dynamics. In the southern 34 hemisphere, global climate change is partially reflected through trends in the hemispheric El 35 36 Niño-Southern Oscillation (SOI) and regional oscillations such as the Indian Ocean Dipole Mode (DMI). These phenomena influence rainfall and temperature changes, making it crucial 37 to understand their patterns and interdependencies. Appropriately analyzing these variables 38 and their interrelations therefore requires a robust multivariate statistical model, a tool seldom 39 employed to extract patterns in climate and vegetation time series. Widely used univariate 40 statistical methods in this context fall short, as they do not account for interdependencies and 41 covariation between multiple time series. State-space models, both univariate and 42 multivariate, adeptly analyze structural time series by decomposing them into trends, cycles, 43 44 seasonal, and irregular patterns. Multivariate state-space models, in particular, can provide deeper insights into trends and variations by accounting for interdependencies and covariation 45 but are rarely used. We use both univariate and multivariate state models to uncover trends 46 and variations in historic rainfall, temperature, and vegetation for the Greater Mara-Serengeti 47 Ecosystem in Kenya and Tanzania and potential influences of oceanic and atmospheric 48 oscillations. The univariate and multivariate patterns reveal several insights. For example, 49 rainfall is bimodal, shows significant interannual variability but stable seasonality. Wet and 50 dry seasons display strong, compensating quasi-cyclic oscillations, leading to stable annual 51 averages. Rainfall was above average in both seasons from 2010-2020, influenced by global 52 warming and the Indian Ocean Dipole. The ecosystem experienced recurrent severe droughts, 53 erratic wet conditions and a substantial temperature rise over six decades (3.3 to 4.2 °C). The 54

55	insights gained have important implications for developing strategies to mitigate climate
56	change impacts on ecosystems, biodiversity, and human wellfare.
57	
58	Keywords: Rainfall, minimum and maximum temperatures, Normalized Difference
59	Vegetation Index (NDVI), Indian Ocean Dipole Index (DMI), Southern Oscillation Index
60	(SOI), Mara-Serengeti Ecosystem, univariate and multivariate state-space models.
61	
62	Introduction

63

Global climate change and variation are now widely recognized, yet their regional 64 manifestations and consequences for biodiversity conservation and dynamics, especially in 65 the southern hemisphere, are less well understood. In the Southern hemisphere and 66 particularly in East Africa, climate change is primarily manifested through fluctuations in the 67 hemispheric El Niño-Southern Oscillation (SOI), the regional Indian Ocean Dipole Mode 68 (DMI) and local rainfall and temperature variations. It follows that understanding trends and 69 variation in rainfall and temperature and how these are influenced by SOI and DMI is basic to 70 understanding regional consequences of global climate change. While many studies have 71 focused on analyzing individual climatic components using univariate statistical methods, 72 such analyses often overlook the potential interdependencies and covariation among these 73 74 components. This is evident, for instance, in the extensive univariate research conducted on trends and variation in individual climatic components in the Greater Mara-Serengeti 75 Ecosystem (GMSE) of Kenya and Tanzania (Griffiths and Gwynne 1963; Pennycuick and 76 77 Norton-Griffiths 1976; Ogutu et al. 2008; Ritchie 2008, Bartzke et al. 2018; Mukhopadhyay et al. 2019, Mahony et al. 2021; Mtewele et al. 2023). 78

Whereas such univariate analyses can reveal useful and interesting patterns in trends and 79 variation in climatic and vegetation components, they fail to account for the potentially 80 complex interrelationships among climatic and vegetation components. Accounting for 81 interrelationships and covariation between multiple climatic and vegetation components 82 requires using multivariate models for temporal trends and variation. As a result, joint 83 analyses of trends and variation in climatic and vegetation components using multivariate 84 statistical models can reveal insights that go beyond those obtainable from univariate 85 statistical models alone. Multivariate state-space models are a particularly powerful, flexible 86 and useful class of models for joint analysis of trends and variation in multiple time series. 87 State-space models are especially well suited for analysing trends and variation in time series 88 of climatic and vegetation variables because they decompose such series into intuitively 89 interpretable but unobservable additive components. These include trend (level and slope), 90 cyclical, seasonal and irregular (random) components. The trend component quantifies 91 change, the cycles characterize periodic or quasi-periodic oscillations and can be deterministic 92 and persistent or stochastic and transient whereas the seasonal component defines intra-annual 93 oscillations and can be stable and persistent or time-varying. Yet, despite their intuitive 94 appeal, utility and elegant decomposition of time series of climatic or other variable types into 95 readily understandable components, state-space models have only rarely been used to analyse 96 trends and variation in climatic variables, including for the GMSE (Ogutu et al. 2017; Bartzke 97

Multivariate models for trend and variation in climatic variables can potentially reveal more
subtle patterns and insights than can univariate models. For example, bivariate models can
better characterize bivariate cycles in weather components, such as rainfall and temperature,
which can have widely different impacts on vegetation and animals than can independent

et al. 2018; Mukhopadhyay et al. 2019; Moehlman et al. 2020).

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cycles in both components. Moreover, univariate models are less likely to accurately 103 104 characterize rainfall, temperature and vegetation cycles that are inextricably linked through physical processes that may have confounding interrelationships. For instance, rising air 105 masses driven by heat can generate rainfall due to convection in the upper, cooler layers of the 106 atmosphere (IPCC 2007). But in regions influenced by moisture influx from water bodies 107 such as oceans or large lakes, temperature warming can entail an increase in rainfall 108 109 (Trenberth and Shea 2005). In contrast, if temperatures increase but moisture influx remains low, for example, under continental weather conditions, prolonged and severe droughts may 110 result (Trenberth and Shea 2005). 111

The intricate feedback mechanisms among temperature, rainfall and vegetation productivity 112 further complicate their interrelationships, highlighting the importance of allowing for 113 interdepndence and covariation among multiple variables. For example, temperature-driven 114 rain cloud formation enhances the albedo effect, resulting in a greater reflectance of the solar 115 radiation back into space in the daytime (IPCC 2007). Moreover clouds absorb infrared 116 radiation from the Earth's Surface, resulting in higher temperatures predominantly during 117 night time (IPCC 2007). On global scales the cooling effects of clouds predominate (IPCC 118 2007). Furthermore, the interplay among rainfall, temperature and vegetation can significantly 119 impact plant productivity, rainfall and temperature with potential for both enhancement and 120 reduction under varying conditions (Hoffmann and Jackson 2000; Lotsch et al. 2003; Oyama 121 and Nobre 2004; Trenberth and Shea 2005). 122

Seasonal cycles, driven by phenomena such as the Intertropical Convergence Zone, also playa crucial role in the African savannas, affecting plant and animal populations and,

125 consequently, biodiversity dynamics and conservation. Seasonal cycles in rainfall and plant

126 productivity are pervasive features of many biomes including African savannas. The seasonal

fluctuations in the African savannas are driven by phenomena such as the movement of the
Intertropical Convergence Zone, a belt of rising and convecting air masses around the equator
(Brown and Cocheme 1973; Norton-Griffiths et al. 1975). The seasonal oscillations in solar
radiation affect evaporation, convection and consequently rainfall, inducing wet and dry
phases during the climatic year.

Furthermore, the GMSE is subject to both seasonal and inter-annual cycles of rainfall and 132 temperature, which are critical in shaping the migration patterns of wildlife and the 133 productivity of plant and animal populations. These cycles, varying in length and influenced 134 by oceanic and atmospheric oscillations, can significantly affect the ecosystem's dynamics. In 135 the GMSE, rainfall during the wet season is the major driver of the phenology and synchrony 136 of reproduction in many plant and animal species (Prins and Loth 1988, Ogutu et al. 2014a,b). 137 Seasonality and spatial gradients in rainfall in the GMSE also drive the migration of 138 thousands of wildebeest (Connochaetes taurinus), zebra (Equus quagga), Thomson's gazelle 139 (Eudorca thomsoni) and eland (Tautragus oryx) that track the rainfall-mediated vegetation 140 greening to feed, give birth and raise their young (Pennycuick 1975, Musiega and Kazadi 141 2004, Boone et al. 2006, Holdo et al. 2010). The wet season rainfall generates most of the 142 annual forage production but the dry season rainfall is indispensable for the survival of plants 143 and animals in times of resource limitations (Sinclair 1975; Boutton et al. 1988a,b). Failure of 144 the dry season rainfall is thus associated with severe food scarcity and elevated herbivore 145 mortality (Mduma et al. 1999, Dublin and Ogutu 2015, Ogutu et al. 2017, Moehlmann et al. 146 2020). Cyclic relationships have also been established between rainfall and population 147 dynamics (Ogutu and Owen-Smith 2005) and fecundity and fertility (Ogutu et al. 2014b, 148 Ogutu etal. 2015) of African savanna ungulates. Oscillations in rainfall, temperature and 149

vegetation can therefore strongly influence plant and animal population dynamics, with
important implications for biodiversity dynamics and conservation in savannas.

In addition to seasonal cycles, inter-annual rainfall cycles can exert major impacts on the 152 productivity of plant and animal populations (Mills et al. 1995; Ogutu and Owen-Smith 153 2005). The dominant inter-annual rainfall cycle periods in East Africa typically range from 2 154 to 13 years but can vary markedly in space and time (Ogallo 1982, 1984, Nicholson 2000, 155 McHugh 2006, Ogutu et al. 2017; Bartzke et al. 2018; Moehlmann et al. 2020). Thus, wet and 156 157 dry phases can last as long as 10 to 20 years (Omondi et al. 2013). For minimum and maximum temperatures, cycle periods can range between 2 and 30 years (King'Uyu et al. 158 2000). In the GMSE in particular, dominant rainfall cycles have time-varying periods ranging 159 160 between 3 and 10 years (Pennycuick and Norton-Griffiths 1976; Bartzke et al. 2018). Signals have also been detected with longer but weaker cycles with periods spanning 20 to 40 years 161 (Pennycuick and Norton-Griffiths 1976) and 15-25 years (Prins and Loth 1988). The cycle 162 periods are likely related to hemispheric oceanic and atmospheric oscillations that operate on 163 time scales of less (SOI, DMI) or more (Atlantic Multidecadal Oscillation-AMO) than a 164 165 decade (Behera et al. 2005, Knight et al. 2006). The oscillations are largely driven by variations in sea surface temperatures in the Indian (Saji et al. 1999), Pacific (Indeje and 166 Semazzi 2000) and Tropical Atlantic (Mwale and Gan 2005) Oceans. 167 Here, we use historic station rainfall and station temperature and remotely sensed vegetation 168 data, indexed by the Normalized Difference Vegetation Index (NDVI), to build state-space 169 models. These models aim to detect and quantify trends and oscillations in weather and 170

vegetation components in the GMSE. Moreover, we explore the potential influences of

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172 oceanic and atmospheric oscillations indexed by the DMI and the SOI, on regional rainfall

and temperature trends and variation. As well, we test if rainfall seasonality is stable or

174 changing over time. We use both univariate and multivariate state-space models to uncover

individual and joint trends and variation in the climatic and vegetation components and

176 interpret their implications for biodiversity dynamics and conservation in the GMSE.

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178 The Data

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The data set includes time series of SOI (1913-2020), DMI (1913-2020), as well as average 180 monthly minimum and maximum temperatures (1960-2020) and total monthly rainfall (1913-181 2020) recorded in Narok Town, southwestern Kenya. The average monthly minimum and 182 maximum temperatures are daily records averaged for each month. The rainfall and 183 temperature data were provided by the Kenya Meteorological Department (KMD). Each 184 digital record of Narok Town's total monthly rainfall from April 1913 to December 2020 was 185 cross-checked against the corresponding original, handwritten monthly data cards and ledger 186 book from the Narok Meteorological Station. This verification process detected numerous 187 188 errors in the initial digital data set from the KMD, which were subsequently corrected with 189 KMD's assistance. Consequently, the total monthly rainfall data set for Narok Town presented here is the most accurate for the 1913-2020 period. However, the temperature data could not 190 be similarly verified due to the unavailability of the original records. Station rainfall data were 191 also available for 15 rain gauges in the Masai Mara Ecosystem for the various recording 192 periods from January 1965 to August 2020. We also analyse total monthly rainfall series 193 recorded at Seronera in the Serengeti National Park (January 1981 –December 2015) and at 194 Ngorongoro Conservation Area Authority Headquarters (January 1963-December 2014) in 195 196 northern Tanzania. We tried to verify these digital records against original paper records, but most original records were unavailable for both stations. 197

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199	The SOI and DMI data sets were downloaded from http://stateoftheocean.osmc.noaa.gov/sur/.
200	The SOI is a standardized index calculated from the observed sea level pressure differences
201	between Tahiti and Darwin, Australia. It tracks large-scale fluctuations in sea surface air
202	pressure across the western and eastern tropical Pacific, reflecting the state of the Southern
203	Oscillation during El Niño and La Niña episodes. El Niño, the oscillation's warm phase, is
204	typically associated with increased rainfall, whereas La Niña, the cold phase, often correlates
205	with droughts in East Africa (Ogutu et al. 2008; https://www.climate.gov/enso). The SPOT
206	NDVI data set covered 1998 to 2014 because the CHIRPS (2017) blended station-satellite
207	minimum temperature data used in the multivariate model ended in December 2013. The
208	multivariate model involving SPOT NDVI used the CHIRPS minimum and maximum
209	temperature and rainfall data (predcited using spatio-temporal hierarchical Bayesain state
210	space model, Mukhopadhyay et al. 2019) averaged over a 5×5 km grid in Narok County. All
211	the data sets used in the analyses are available in S1-S8 Datas in the supplementary materials.
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213	State-space models for trends and variation in climate and vegetation
214	The unobserved components model (UCM) for univariate time series
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216	We applied the unobserved components model (UCM) to analyse trends in univariate time
217	series of SOI and DMI from 1913 to 2020, as well as the average monthly minimum and
218	maximum temperatures in Narok Town from 1960 to 2020. Unlike these four variables,
219	rainfall data was previously subjected to UCM modelling for univariate time series in Bartzke
220	et al. (2018). Therefore, we do not repeat the univariate state space analysis for rainfall in this

study but instead consider aspects of the rainfall data not covered in that paper.

222

223 The UCM is a useful method for analysing temporal variations in univariate time series, which consist of observations collected at regular time intervals. This structural time series 224 technique decomposes the series into easily interpretable additive components, including 225 level, slope, cyclical, seasonal and irregular components. The level and slope components 226 together form the trend component, while the irregular component represents the model's 227 overall random error, typically modelled as a white-noise process or an autoregressive moving 228 average (ARMA) process. The UCM's versatility and power lie in its ability to accommodate 229 multiple cyclical components, serial autocorrelation in the residuals or auto-regression terms 230 231 for the dependent variable. The parameters for the components can be fixed or time-varying, allowing considerable flexibility. In addition, the model supports explanatory covariates and 232 handles missing values embedded in the dependent variable. But, our UCM model does not 233 234 permit missing values in predictor variables.

235

236 The relationship between covariates and the dependent variable can be linear and timeinvariant, linear and time-varying (random regression) or nonlinear (spline regression). Using 237 the UCM modelling approach we searched for two main types of changes, namely additive 238 outliers (AO) and level shifts (LS). An additive outlier is an unusual value in the series, 239 possibly due to a data recording error or a temporary shock to the series generation process. 240 By contrast, a level shift is a permanent shift, upward or downward shift, in the series' level. 241 We examine different aspects of the outliers and level shifts, most notably their standard 242 errors and statistical significance at all the time points in the series, with particular emphasis 243 on those that are statistically significant. 244

245

246	We consider several special cases of the UCM including the 1) Random Walk Model, 2)				
247	Local Linear Trend Model, 3) Integrated Random Walk Model, 4) Random Walk With Drift				
248	and 5) Damped Local Linear Trend Model. The Random Walk Model consists of a stochastic				
249	or time-varying level trend component. The Local Linear Trend Model consists of both a				
250	random walk level trend and a random walk slope. The Integrated Random Walk Model, a				
251	special case of the Local Linear Trend Model, sets the disturbance variance of the level				
252	component to zero. The Random Walk With Drift is smilar to the Local Linear Trend Model,				
253	but with a constant slope, as the disturbance variance of the slope component is zero. Lastly,				
254	the Damped Local Linear Trend Model, akin to the Local Linear Trend Model, has a slope				
255	following a first-order autoregressive model (Harvey 1989, 2001, SAS UCM 15.2).				
256					
257	A general unobserved components Model (UCM) can be expressed as				
258	$r_{t} = \mu_{t} + \varphi_{t} + \delta_{t} + \partial_{t} + \sum_{i=1}^{p} \theta_{i} r_{t-i} + \sum_{j=1}^{m} \beta_{j} x_{jt} + \epsilon_{t}; t = 1, 2,, T $ (1)				
259	where				
260	r_t = rainfall (SOI, DMI, minimum or maximum temperature) at time t (with a maximum				
261	value T)				
262	μ_t = level or time trend component				
263	$\varphi_t = \text{cyclical component}$				
264	δ_t = seasonal component				
265	∂_t = autoregressive component				
266	$\sum_{i=1}^{p} \theta_i r_{t-i}$ = autoregressive regression terms				
267	β_j = regression coefficients				
268	x_{jt} = regression covariates				
	11				

269 $\epsilon_t \sim iidN(0,\sigma_{\epsilon}^2)$, i.e., a Gaussian white noise process.

270

271	We selected the best-supported model from the preceding five basic UCM models (1 to 5),
272	considering the level and slope (both modelling time trends), cycles, seasonality, auto-
273	regression, white noise and possibly auto-correlated residuals. The UCM assumes normal
274	distributions for both the univariate dependent series and all the disturbance variances. The
275	UCM model fitting is accomplished using the Diffuse Kalman Filtering and Smoothing
276	algorithm, with parameters estimated using maximum likelihood (De Jong and Chu-Chun-
277	Lin, 2003). We fitted the univariate UCM models to the SOI, DMI and average monthly
278	minimum and maximum temperature series for Narok Town using the SAS UCM procedure
279	(SAS Institute 2022).

280

281 Multivariate (General) state space models for trend and variation in

282 climatic or other variables

283

The UCM is a special case of the general state space model which can be formulated in the general form as follows (SAS SSM 15.2).

- 286 $R_t = Z_t \alpha_t + X_t \beta + \varepsilon_t$ Observation equation (2) 287 $\alpha_{t+1} = T \alpha_t + W_{t+1} \gamma + c_{t+1} + \eta_{t+1}$ State transition Equation
- 288 $\alpha_1 = c_1 + A_1 \delta + W_1 \gamma + \eta_1$ Initial condition

289 R_t is a $p_t \cdot q$ response vector $r = (r_1, r_2, r_3, ..., r_q)$

290 The states α_t and the observation disturbances ε_t are random sequences

291
$$\eta_t \sim N(0,Q_t)$$
 is the state disturbance and is independent of $\varepsilon_t \sim N(0,(\sigma_{t,1}^2,...))$

292 $\delta \sim N(0,\kappa\Sigma),\kappa \rightarrow \infty$

293 We use the general state space model to simultaneously analyse trends, cyclical and seasonal variation in multivariate time series of two or more of the climatic and vegetation variables. A 294 detailed exposition of the general state space model is beyond the scope of this paper, so we 295 296 will focus on its key features relevant to our multivariate time series analyses. The general state space model offers the following features that generalize the capabilities of the 297 univariate UCM model. (1) Multivariate trends, possibly correlated, among the individual 298 series, including multivariate random walk, multivariate local linear trend, etc. (2) 299 Multivariate cycle, possibly correlated, among the individual series. (3) Multivariate season, 300 301 possibly correlated, among the individual series. (4) Multivariate white noise, possibly correlated, among the individual series, including (multivariate) vector autoregressive moving 302 303 average (VARMA) models. (5) Can handle either univariate or multivariate data collected at 304 irregular (longitudinal data) or regular (time series data) intervals. (6) Supports univariate continuous time cycle for univariate regular and irregular data. (7) Can accommodate 305 complex nonlinear relationships between the dependent and the explanatory series. (8) Can 306 identify outliers and level shifts and provide the corresponding standard errors and statistical 307 significance at each time point. 308

We consider only multivariate versions of the basic models, including the Random Walk
Model, Local Linear Trend Model, Integrated Random Walk Model, Random Walk Model
with fixed slope and Damped Local Linear Trend Model, to select the best supported
candidate model.

The general state space model assumes the multivariate dependent series follow a multivariate normal distribution. The general state space model is fitted using the Diffuse Kalman Filtering and Smoothing algorithm (De Jong and Chu-Chun-Lin, 2003) and maximum likelihood is used to estimate the model parameters. We fitted the multivariate state space models in the SAS SSM procedure (SAS Institute 2023), and all SAS program codes used to fit both the UCM and SSM models are included in the Supplementary materials to this paper.

We performed the following analyses. (1) Univariate unobserved components model analysis 319 or structural time series analysis of the (i) SOI, (ii) DMI, (iii) average monthly minimum and 320 (iv) average monthly maximum temperatures recorded at the Narok Meteorological Station in 321 Narok Town located in Narok County in Southwestern Kenya. This extends our previous 322 work, which only covered rainfall time series analysis (Bartzeke et al. 2018). (2) Bivariate 323 state space model analyses of trends and cycles in the wet and dry season rainfall components 324 in Narok Town and in the Masai Mara Ecosystem in Kenya, Ngorongoro Crater and Seronera 325 in Serengeti National Park in Tanzania. (3) Bivariate state space analyses of trends, cycles and 326 seasonality in Narok Town's average monthly minimum and maximum temperatures. (4) 327 Trivariate state space models of trends, cycles and seasonality in Narok Town's average 328 monthly minimum and maximum temperatures and total monthly rainfall. (5) Trivariate state 329 space model analyses of trends, cycles and seasonality in SOI, DMI and total monthly rainfall 330 for Narok Town, Masai Mara Ecosystem, Ngorongoro Crater and Seronera. (6) Pentavariate 331 332 state space model analyses of trends, cycles and seasonality in average monthly minimum and maximum temperatures and total monthly rainfall in Narok Town, SOI and DMI. (7) 333 Tetravariate state space model analysis for trends, cycles and seasonality in monthly averages 334 of SPOT NDVI, average monthly minimum and maximum temperatures and total monthly 335 rainfall. 336

337	
338	Results
339	
340	Univariate Trends and Variation in station rainfall and temperature in
341	Masai Mara Ecosystem and Narok Town of Kenya
342	
343	Temporal trend and variation in monthly, seasonal and annual rainfall in Masai Mara
344	
345	Rainfall in the Mara is distinctly bimodal, with a minor peak in December during the short
346	rains (November-December) and a major peak in April during the long rains (January-June).
347	The average total monthly rainfall during the dry season (July-October) was 57.1 ± 35.2 mm
348	(range: 52.4 to 61.7 mm), significantly lower than the wet season months spanning
349	November-June, which averaged 106.1 ± 62.4 mm (range: 99.8 to 111.0 mm, Fig 1a).
350	
351	Rainfall seasonality is remarkably stable in the Mara despite striking temporal variation (Fig
352	1b). The Mara's seasonal and annual rainfall components demonstrate strong and sustained
353	quasi-cyclic oscillations in both the wet and dry season components (Figs 1c-f). Typically,
354	variation in the wet and dry season components are compensatory such that high dry season
355	rainfall is associated with low wet season rainfall and vice versa, maintaining a rather stable
356	average annual rainfall of about 1000 mm. However, from 2010 to 2020, both components
357	were unusually in phase and above average, leading to wetter conditions more favourable for
358	agriculture and livestock ranching (Fig 1e). This mirrors the extended and intensified phase of
359	the 6-10-year local rainfall cycle, amplified by the Indian Ocean Dipole and global warming
360	influences (Fig 1h). The high dry season rainfall during 2003-2020 mirrors patterns last seen

in the mid-1970s, while the high wet season rainfall is unprecedented in the last half-century
and is therefore rare and transient. Notably, the wet season rainfall trended upwards between
2003 and 2020 (Fig 1c).

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Despite the increase in rainfall during 2010-2020, droughts are frequent and intense in the 365 Mara (Fig 1g). The droughts are associated with strong interannual variations in the annual 366 and seasonal rainfall components. During 1965-2020, the total annual rainfall averaged 367 1062.4 ± 193.4 mm (range: 653.4 to 1506 mm). The wet season rainfall averaged 845.6 \pm 1000 368 196.7 mm (range: 500.7 to 1243.5 mm), whereas the dry season rainfall averaged 228.1 ± 79.0 369 370 mm (range: 100.0 to 465.8 mm) (Fig 1 c-f). Temporal variation in the annual and seasonal rainfall exhibited quasi-periodic cycles, with estimated cycle periods of about 3 years for the 371 annual, wet and dry season components (Fig 1i). Based on the annual rainfall, extreme 372 373 droughts occurred in 1982, 1984, 1993, 1997, 1999 and 2006 and severe droughts in 1967, 1969, 1972, 1973, 1976, 1985-1986 and 1997. In contrast, very wet to extremely wet years 374 375 were 1974, 1998, 2001, 2007, 2012, 2016 and 2018 (Fig 1g).

376

Fig 1. a) The distribution of the total monthly rainfall (mean ± 1 SD = 89.5 ± 59.4 mm) across 377 months in the Masai Mara Ecosystem of Kenya averaged over 1965-2020. b) The decadal 378 averages of the total monthly rainfall. The interannual variations in standardized deviates of 379 the c) wet season rainfall ($845.6 \pm 196.5 \text{ mm}$), d) dry season rainfall ($228.1 \pm 79.0 \text{ mm}$), e) 380 wet and dry season rainfall and f) annual rainfall (1062.4 ± 193.4 mm). The vertical needles 381 are the standardized deviates, the solid curves are the 3-year moving averages and the dashed 382 horizontal lines are percentiles of the frequency distributions of the rainfall deviates. g) 383 Percentiles of the total annual, dry and wet season rainfall components used to classify years 384 or seasons as extreme ($\leq 10\%$), severe (10-25%) or moderate (25-40%) drought years 385

(seasons), normal (40-75%), wet (75-90%), very wet (90-95%) or extremely wet (95-100%)
years (seasons). h) Temporal variation in the original (blue vertical needles) and smoothed
(red solid curve, smoothing done using generalized semiparametric mixed model) total
monthly rainfall in Masai Mara from 1965 to 2020. I) Spectral density versus period of cycles
(in years) for the annual, wet and dry season rainfall components. A large value of spectral
density means strong evidence for the corresponding cycle period.

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Temporal trend and variation in monthly, seasonal and annual rainfall in Narok Town
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395 Rainfall in Narok was distinctly bimodal, with a minor peak in December during the short rains (November-December) and a major peak in April, during the long rains (January-May). 396 The total monthly rainfall during 1913-2020 averaged 61.5 ± 64.1 mm (range: 0-419.6 mm) 397 398 (Fig 2a). Decadal averages of the total monthly rainfall reveal a striking stability in rainfall seasonality over the last century (Fig 2b). The monthly, wet and dry season rainfall 399 400 components all showed marked interannual variations. The wet season component averaged 620.4 ± 229.3 mm (range: 256.9 to 1396.8 mm), the dry season total averaged 119.8 ± 57.8 401 mm (range: 10.7-333.6 mm). The average total annual rainfall was 734.5 ± 232.0 mmm 402 403 (range: 341.5 to 1602.3 mm) (Fig 2c-f, h).

404

The seasonal rainfall components showed quasi-cyclic oscillations, with approximate cycle periods of 5.3 years for the wet season and annual rainfall and 2.2 years for the dry season. The wet season rainfall increased from 1914 to 1974 and then declined. Overall, the wet and dry season rainfall totals were below average for extended periods but above average at other times during 1913-2020 (Fig 2c-f, i). Classification of the 107 years into dry and wet years using quantiles of the frequency distribution of the annual and seasonal rainfall totals

identified many extreme (1918, 1924, 1933, 1934, 1938, 1943, 1949, 1953, 1976, 1984 and
2000) and severe (1915, 1928, 1929, 1941, 1944, 1946, 1948, 1961, 1965, 1986, 1991, 1992,
1999, 2005, 2009 and 2019) drought years, a few very wet (1917, 1942, 1957, 1963 and 1978)
and extremely wet (1930, 1962, 1964, 1998 and 2003) years (Fig 2g). This demonstrates
droughts are recurrent and often severe or extreme in Narok.

416

Fig 2. The distribution of the total monthly rainfall (mean ± 1 SD = 61.5 ± 64.1 mm) across 417 months in the Narok Town of Kenya averaged over 1913-2020. b) The decadal averages of 418 the total monthly rainfall. The interannual variations in standardized deviates of the c) wet 419 420 season rainfall ($620.4 \pm 230.3 \text{ mm}$), d) dry season rainfall ($119.0 \pm 58.0 \text{ mm}$), e) wet and dry season rainfall and f) annual rainfall (734.5 \pm 233.0 mm). The vertical needles are the 421 standardized deviates, the solid curves are the 5-year moving averages for the annual and wet 422 423 season rainfall and 2-years for the dry season and the dashed horizontal lines are percentiles of the frequency distributions of the rainfall deviates. g) Percentiles of the total annual, dry 424 and wet season rainfall components used to classify years or seasons as extreme ($\leq 10\%$), 425 severe (10-25%) or moderate (25-40%) drought years (seasons), normal (40-75%), wet (75-426 90%), very wet (90-95%) or extremely (95-100%) wet years (seasons). h) Temporal variation 427 428 in the original (blue vertical needles) and smoothed (red solid curve, smoothing done using generalized semiparametric mixed model) total monthly rainfall in Narok Town. I) Spectral 429 density versus period of cycles (in years) for the annual, wet and dry season rainfall 430 components. A large value of spectral density indicates strong evidence for the corresponding 431 cycle period. 432

433

434 Temporal trend and variation in station temperature in Narok Town of Kenya

435

436	Monthly temperatures are rising in Narok Town, particularly the minimum component, which
437	increased markedly from 7.1 °C (95% CL: 6.6 to 7.5 °C) in July 1960 to 11.3 °C (95% CL:
438	10.4 to 12.3 °C) in July 2020. It initially rose from 7.1 °C in January 1960 to 11.4 °C in May
439	1967 and then decreased steadily to a global low of 3.3 °C in September 1973. Thereafter, it
440	increased persistently, reaching 11.3 °C in July 2020. This represents a rise of 4.2 °C over the
441	six decades from 1960 to 2020 (Fig 2). Concurrently, the monthly maximum temperature
442	varied widely, rising above average (25 °C), when the minimum temperature dropped to the
443	lowest levels and showing a more stable average thereafter (Fig 2). The monthly minimum
444	temperature averaged across all the months in each season increased consistently over time,
445	rising in the wet season from 8.0 °C in 1960 to 12.2 °C in 2020 and in the dry season from 7.8
446	°C in 1960 to 11.1 °C in 2020. Similarly, the monthly maximum temperature increased
447	persistently in the wet season from 25.1 °C in 1960 to 26.1 °C in 2020 and in the dry season
448	from 23.1 °C in 1960 to 24.1 °C in 2020 (Fig 3).

449

Fig 3. Trend in average monthly maximum temperatures (cadet blue points) during the dry
(left panel) and wet (right panel) seasons in Narok Town, Kenya, from 1960 to 2020. The red
solid curve is the penalized spline smoothed temperature trend whereas the golden band is the
approximate 95% pointwise confidence band.

454

455 Univariate unobserved components model analysis of the SOI series

The SOI values for the 1295 months spanning January 1913-November 2020, with no missing values, averaged -0.08063 ± 1.08358 (1 SD, range -3.46 to 4.07). The best UCM model for the trend in the SOI series included a stochastic level, cycle and irregular components. S1 Table shows the fit statistics for this model, including an adjusted $r^{2}=0.4189$.

The residual statistics for the UCM model fit to the SOI time series (S1 Fig) and the flat loess 460 (locally weighted least squares) smoothed residuals (S2 Fig) suggest a reasonable model fit. 461 The estimated model parameters, the associated standard errors and *t*-tests of the hypothesis 462 that a given estimate is equal to zero are provided in Table 1a. The *t*-tests show that the 463 disturbance variance of the level component is not significant but that the error variances for 464 the longer cycle and irregular components are, indicating that the latter two components are 465 stochastic. Generally, the t-values reported in all the tables of parameter estimates for the 466 univariate UCMs are approximations and their accuracy is conditional on the validity of the 467 model, the nature of the model and the length of the observed series. The distributional 468 properties of the maximum likelihood estimate of the general UCMs are yet to be fully 469 470 studied. As a result, the probability values that correspond to a t distribution ought to be interpreted cautiously, as they can be potentially misleading, especially for parameters near 471 the boundary of the parameter space (Harvey 1989, 2001). For certain parameters, such as the 472 cycle period, the *t*-values in the UCM parameter estimates are uninformative because it is 473

- 474 never necessary to compare the estimated parameter with zero. In such cases, both the t
- 475 values and their probability values should be simply disregarded.
- 476 The estimated cycle period is 29.4 months (2.5 years) for cycle 1 and 63.1 months (5.3 years)
- 477 for Cycle 2. Towards the end of the estimation span, the chi-square tests with approximate p-
- values indicates the irregular, level and both cycle components are insignificant (Table 1b).

 Table 1a. The Southern Oscillation Index (SOI) parameter estimates from the univariate

 UCM.

Model	Parameter	Estimate	Standard	t Value	Approx Pr > t
Component			Error		
Irregular	Error Variance	0.41495	0.02734181	15.18	<0.0001
Level	Error Variance	0.00000283	0.00004249	0.07	0.947
Cycle_1	Damping Factor	0.99489	0.00534378	186.18	<0.0001
Cycle_1	Period	29.35667	0.72861947	40.29	<0.0001
Cycle_1	Error Variance	0.00077068	0.00051467	1.5	0.1343
Cycle_2	Damping Factor	0.9182	0.01720422	53.37	<0.0001
Cycle_2	Period	63.05988	12.6914084	4.97	<0.0001
Cycle_2	Error Variance	0.10819	0.01473964	7.34	<0.0001

Table 1b. Southern Oscillation Index (SOI) components significance tests. These are tests of

Component	Degrees of	Chi-Square	Approx Pr >
	Freedom		Chi-Square
Irregular	1	0.38	0.5365
Level	1	1.03	0.3100
Cycle1	2	1.01	0.6039
Cycle2	2	1.47	0.4797

the significance of each component at the end of the estimation span.

480

The SOI series showed a gradually decreasing albeit insignificant level trend (Fig 4a), an insignificant cycle with a period of 2.5 years(Fig. 4b) and stochastic oscillations with an estimated cycle period of 5.3 years (Fig. 4c). The level trend decreased persistently from 1913 to 1990 before levelling off between 1990 and 2020. Both cycles are quasi-periodic and characterized by time-varying amplitudes and phases. The smoothed level trend component superimposed on the observed SOI series (Fig. 4d) shows the slight but apparently insignificant declining trend in SOI during 1913-2020.

488

489 Fig 4a. Smoothed level trend component for the Southern Oscillation Index (SOI) series.

490

491 Fig 4b. Smoothed cycle 1 component (high frequency cycle) for the Southern Oscillation
492 Index (SOI) series with a cycle period of 2.5 years (29.4 months).

493

494

495 Fig 4c. Smoothed cycle 2 component (low frequency cycle) for the Southern Oscillation
496 Index (SOI) series with a cycle period of 5.3 years (63 months).

497

498 Fig 4d. Smoothed level trend superimposed on the Southern Oscillation Index (SOI) series.

499 Univariate unobserved components model analysis of the Indian

500 Ocean Dipole Mode Index (DMI)

501 Likewise to the SOI, we analysed 1298 records of the DMI, with no missing values, covering

January 1913 to February 2021. The DMI values averaged -0.07991 ± 0.33598 (1SD, range

(range -1.461 to 1.402). The UCM model fit to the DMI time series has an adjusted $r^2 =$

504 0.56209 (S2 Table). The residual diagnostics plots (S3 Fig) and the almost perfectly flat loess

smoothed residuals for DMI (S4 Fig further support a good model fit. The parameter

so estimates for the UCM model components comprising level, slope, cycle and autoregressive

507 irregular components (Table 2a) and their *t*-tests show that the disturbance variances of the

508 cyclical component and the autoregressive irregular component are significant and that the

509 cycle is stochastic. But the error variances of the level and slope components are insignificant

- 510 (Table 2a), suggesting they are deterministic.
- 511 **Table 2a**. The Dipole Model Index (DMI) Parameter estimates.

Component	Parameter	Estimate	Standard E	rror t	Approx
			Value		Pr > t
Irregular	Error Variance	0.00307	0.00281208	1.09	0.2752
Level	Error Variance	2.90E-10	1.15E-07	0	0.9980
Slope	Error Variance	3.17E-10	4.29E-10	0.74	0.4604
Cycle	Damping Factor	0.74997	0.03002805	24.98	< 0.0001
Cycle	Period	32.03793	8.49710533	3.77	0.0002
Cycle	Error Variance	0.0417	0.00321307	12.98	< 0.0001

512

However, towards the end of the estimation span of the DMI series, the level, slope and
cyclical components become significant, indicating that the level and slope are deterministic
and significant (Table 2b). This signifies that both the level and slope components, which
characterize the time trend in the DMI, exhibit significant and deterministic variation over
time. This deterministic time trend is coupled with a significant stochastic cycle (Table 2b).

518

Table 2b. The Dipole Mode Index (DMI) Components significance tests.

Component	Degrees of	Chi-Square	Approx Pr >Chi-Square	
	Freedom			
Irregular	1	0.05	0.8313	
Level	1	13.2	0.0003	
Slope	1	5.4	0.0202	
Cycle	2	1.81	0.4043	

520	The smoothed level component reveals a significant and persistent curvilinear increase in the
521	DMI from 1913 to 2021 (Fig 5a). Similarly, the smoothed slope component also suggests a
522	progressive increase in the DMI from 1913 to 1990, followed by a deceleration and levelling
523	off of the rate of increase (Fig 5b).
524	
525	Fig 5a. Smoothed level trend component for the Indian Ocean Dipole Mode Index (DMI)
526	series.
527	The smoothed cyclical component reveals a stochastic cycle with a period of 2.7 years (32
528	months), time-varying amplitude and phase (Fig 5c).
529	
530	Fig 5b. Smoothed slope component for the Indian Ocean Dipole Mode Index (DMI) series.
531	The smoothed level trend component superimposed on the DMI series confirms the
532	curvilinear increase in the DMI values between April 1913 and February 2021 (Fig. 5d).
533	
534	Fig 5c. Smoothed cycle component for the Indian Ocean Dipole Mode Index (DMI) with a
535	cycle period of 2.7 years (32 months).
536	
537	Fig 5d. Smoothed trend superimposed on to the Indian Ocean Dipole Mode Index (DMI)
538	series.

539 Univariate unobserved components model analysis of the average 540 monthly minimum temperature for Narok Town, Kenya

The 726 records of average monthly minimum temperature or Narok Town from January 541 1960 to June 2020 averaged 9.172 ± 2.2782 °C (±1 SD, range 0.3 to 17.4 °C). The UCM 542 model has an adjusted $r^2 = 0.70279$, which together with other metrics, indicate a good model 543 fit to the minimum temperature series (S3a Table). The residual diagnostics and loess 544 smoothed prediction error plots further support the plausibility of the selected model (S5 and 545 S6 Figs). The components of the selected UCM model consist of a stochastic level, a 546 deterministic slope, two stochastic cycles, a deterministic 12-month seasonal component and 547 autoregressive errors. The *t*-tests confirm that all the parameters for all the model components 548 except the slope and the seasonal components are significant and stochastic (S3b Table). 549 Furthermore, chi-square tests of the parameter estimates towards the end of the estimation 550 span show that the level, slope and seasonal components are significant but deterministic (S3c 551 Table). The estimated cycle period for the subsidiary stochastic cycle (cycle1) is 2.4 years 552 (28.5 months) whereas that for the primary cycle (cycle2) is 13.9 years (167.3 months). 553 The smoothed level component reveals a striking linear increase in the average monthly 554 minimum temperature by about 4.5 °C from 7.2 °C in January 1960 to 11.7 °C in July 2020. 555 This equates to an average increase of 0.74 °C per decade (Fig 6a). Unlike the level component, 556 557 the smoothed slope component is best represented by a constant throughout the estimation span (Fig 6b). 558

Figure 6a. Smoothed level trend component for the average monthly minimum temperature forNarok Town, Kenya.

562

Figure 6b. Smoothed slope component for the average monthly minimum temperature forNarok Town, Kenya.

565 The subsidiary cycle (cycle1) exhibits high irregularity, with small-amplitude oscillations

566 interrupted by short-term, large-amplitude pulses. The oscillations also have a widely time-

varying phase (Fig 6c). A notable feature of the primary cycle is a remarkable drop in the

568 minimum temperature by over 4 °C around the mid-1970s (Fig 6d). The cause of this drop,

569 whether solely due to natural temperature variation or other factors, remains uncertain. The

570 overlaid smoothed trend on the observed series further reinforce the strong linear increase in

the minimum temperature through time in Narok Town (Fig 6e).

572

573 Fig 6c. Smoothed primary cycle component (cycle1) with a period of 2.4 years (28.5 months)
574 for the average monthly minimum temperature for Narok Town, Kenya.

575

- 576 Fig 6d. Smoothed secondary cycle component (Cycle 2) with a period of 14.0 years (167.3
- 577 months) for the average monthly minimum temperature for Narok Town, Kenya.

578

579 Fig 6e. Smoothed trend superimposed over the observed average monthly minimum580 temperature series for Narok Town, Kenya.

581 Univariate unobserved components model analysis of the average 582 monthly maximum temperature for Narok Town, Kenya

The maximum temperature series for Narok Town, comprising monthly averages of daily 583 records, spans 726 months from January 1960 to June 2020. The maximum temperature 584 585 averaged 24.9 ± 2.111 °C (± 1 SD, range 19.8-30.6 °C). The UCM model effectively fits this series as evidenced by an adjusted $r^2 = 0.75738$ (S4a Table). The residual diagnostics and 586 loess smoothed residuals further support a good model fit (S7 and S8 Figs). The UCM model 587 for the maximum temperature series consists of seven components: level, slope, two cycles, 588 seasonal, autoregressive and irregular components. T-tests of the parameter estimates for the 589 model components show that the autoregressive component and the secondary cycle (cycle 1) 590 are significant (S4b Table). Towards the end of the estimation span, chi-square tests of the 591 parameter estimates suggest that the level and seasonal components are deterministic and 592 593 significant, whereas the slope component and the primary cycle (cycle 2) are not (S4b Table). The smoothed level trend shows a marginal increase (0.05 °C) in the maximum temperature 594 from 24.87 °C in January 1960 to 24.92 °C in July 2020 (Fig. 7a). The slope component is 595 constant, small and insignificant (Fig. 7b). The two cycles had approximate cycle periods of 596 3.6 years (43.1 months) and 12.6 years (150.7 months) (Figs 7c and d). Notably, the 597 secondary cycle in the maximum temperature shows a pronounced spike in the mid-1970s, 598 coinciding with the lowest minimum temperatures. However, while the amplitude of the 599 oscillations was high from 1960 to 1990, it dampened from 1990 to 2020 (Fig. 7d). A plot of 600 the smoothed trend superimposed onto the observed maximum temperature series reveal no 601 602 evident trend from 1960 to 2020 (Fig. 7e).

603

Fig 7a. Smoothed level trend component for the average monthly maximum temperature forNarok Town, Kenya.

606

Fig 7b. Smoothed slope component for the average monthly maximum temperature for NarokTown, Kenya.

609

- 610 Fig 7c. Smoothed primary cycle component (cycle1) for the average monthly maximum
- 611 temperature for Narok Town, Kenya. Approximate cycle period is 3.6 years (43.1 months).

612

Fig 7d. Smoothed secondary cycle component (cycle2) for the average monthly maximum

614 temperature for Narok Town, Kenya. Approximate cycle period is 12.6 years (150.7 months).

615

616 Fig 7e. Smoothed trend superimposed onto the observed series for the average monthly

617 maximum temperature for Narok Town, Kenya.

618 Multivariate state space models with trend, cycle and seasonal 619 components

For each multivariate model we report results of extensive model diagnostics performed to assess model fit. For each response variable we report results of model diagnostics including one-step-ahead residual analysis illustrated through various graphs. (1) residual normality plot for checking normality of residuals, (2) residual histogram, (3) residual Q-Q plot and (4) time series plot of standardized residuals. For each response variable we also use graphs for outlier
detection and structural break analysis comprising (1) prediction error normality plot for
checking normality of residuals, (2) prediction error histogram, (3) prediction error Q-Q plot,
(4) time series plot of standardized additive-outlier statistics and (5) time series plot of
maximal state shock chi-square statistics.
For each multivariate model, we present a table summarizing the parameter estimates of the
unknown elements in the model system matrices. However, for brevity, we omit several other

tabular results used to asses model performance including the following (1) Convergence

633 status of the estimation process, (2) summary of the likelihood-based fit-statistics, (3)

634 likelihood-based information criteria, (4) estimate of the disturbance covariance, (5)

elementwise state break summary, (6) overall state (e.g., level, trend, cycle, error) break

summary, and (7) summary of maximal state (e.g. level, trend, cycle, error) shocks.

637 Bivariate state space model for wet and dry season rainfall in Narok

638 Town, Kenya

The residual and prediction error normality diagnostics plot for the wet season and dry
seasons suggest approximate normality of the one-step-ahead residuals (S9-S12 Figs). The
standardized prediction error and standardized residual plots for Narok Town's wet season
rainfall (S13 and S15 Figs) identified one outlier (an exceptionally high value) in 1962
whereas that for the dry season (S14 and S16 Figs) identified three outliers, one each in 1917,
1996 and 2011.

The wet season rainfall in 1962 (1396.8 mm) was 2.3 times the average for 1914-2020. In 646 647 contrast, the dry season rainfall in 1917 (312.7 mm), 1996 (272.9 mm) and 2011 (333.6 mm) was 2.6, 2.2 and 2.7 times the average for 1913-2020, respectively. The maximal shock 648 statistics plot (with reference line at the 90th percentile) identified structural breaks in Narok 649 Town's rainfall series in 2017. The parameter estimates for the bivariate model for the wet 650 and dry season rainfall show a negative correlation between the two cycles for the two rainfall 651 components (-0.00185) and that the bivariate cycle period is 9.3 years. The damping factor for 652 this bivariate cycle is 1, indicating it is persistent over time (S5 Table). 653 654 The smoothed bivariate random walk trends for both wet and the dry season rainfall, 655 positively correlated, suggest an initial decline in rainfall from 1913 to a low between 1930 656 and 1940. This was followed by an increase peaking in 1969-1976, a subsequent decline until 657 the mid-1980s, and then a relatively stable average level, before another increase from 2000 658 to 2020 (Fig 8a). 659

660

Fig 8a. Smoothed bivariate random walk trends for the wet and dry season rainfall
components (each divided by its mean) during 1913-2020 in Narok Town, Kenya.

The opposing oscillations in wet and dry season rainfall are consistent with the negative correlation between their cycles (Fig 8b). This indicates that an increase in wet season rainfall typically corresponds to a decrease in dry season rainfall, and vice versa. Furthermore, the amplitude of these rainfall oscillations remained rather stable during 1913-2020 (Fig 8b).

668

Fig 8b. Smoothed cycles for the bivariate random walk model for wet and dry season rainfall
(each divided by its mean) in Narok Town, Kenya. The bivariate cycle has a cycle period of
9.3 years.

Bivariate state space model with stochastic level, cycle and white noise components for the wet and dry season rainfall for Masai Mara, Kenya

The residual normality (S17 and S18 Figs) and prediction error (S19 and S20 Figs) diagnostic 675 plots show that the bivariate random walk model with trend and cycle components, effectively 676 677 fits the wet and dry season rainfall trends in Masai Mara. After accounting for oscillations in rainfall in the bivariate model, no distinct directional trend is evident in either the wet or dry 678 season rainfall components in Masai Mara (Fig 9a). Additionally, outlier diagnostics (figures 679 not shown) did not detect any exceptionally high or low seasonal rainfall values. There is a 680 negative correlation between the cycles of wet and dry season rainfall (S6 Table). The model 681 suggests a bivariate cycle with an approximate period of 20.4 years, where increases in wet 682 season rainfall correspond to decreases in dry season rainfall (Fig 9b). Remarkably, the 683 amplitude of the oscillation is much greater in the dry season rainfall component than in the 684 685 wet season (Fig 9b). The estimated damping parameter of 1.0 indicates that these oscillations are persistent over time. 686

Fig 9a. Smoothed bivariate random walk trends for wet and dry season rainfall components
(divided by their respective means) in Masai Mara, Kenya, during 1965-2020.

690

Fig 9b. Smoothed cycles for bivariate random walk model for wet and dry season rainfall
(each divided by its mean) in Masai Mara, Kenya, during 1965-2020. The bivariate cycle has
a period of 20.0 years.

Bivariate state space model with trend and cycle components for wet and dry season rainfall for Seronera, Serengeti National Park, Tanzania

The residual normality diagnostic, standardized residual and prediction error plots (not 696 shown) all provided evidence of good model fit. Outlier analysis identified unusually high 697 rainfall during the El Niño floods of 1998 ($\chi^2 = 8.11$, P = 0.0044) but no outlying rainfall 698 values were recorded for the dry season. As well, there was no evidence of a level shift in the 699 700 rainfall series during 1981-2015. Trends in the wet and dry season rainfall components were 701 negatively correlated (S7 Table). However, while the wet season rainfall component showed no evident trend during 1981-2015, the dry season rainfall component increased progressively 702 703 from 1981 and surpassed the 1981-2015 average in 2010 (Fig 10a). There was also evident oscillation in the wet and dry season rainfall, with a cycle period of about 10.4 years. These 704 oscillations were negatively correlated such that an increase in wet season rainfall is offset by 705 a decrease in dry season rainfall (Fig 10a). Furthermore, the amplitude of oscillation in the dry 706 season rainfall was greater than that in the wet season during 1980-2015 (Fig 10b). 707

709

Fig 10a. Smoothed bivariate random walk trends for wet and dry season rainfall in Seronera,
Serengeti National Park, Tanzania.

712

Fig 10b. Smoothed cycles for bivariate random walk model for wet and dry season rainfall in
Seronera, Serengeti National Park, Tanzania. The bivariate cycle has a period of 10.4 years.

715 Bivariate state space model with trend and cycle components for wet

and dry season rainfall for Ngorongoro Crater, Tanzania

717 The residual and prediction error diagnostics for the wet and dry season rainfall components suggest reasonabl model fit (S21-S24 Figs). The standardized residuals identify only one 718 outlier, corresponding to exceptionally high dry season rainfall in 1967, and none for the wet 719 season rainfall component (S25-S28 Figs). The trends in the wet and dry season rainfall 720 components were negatively correlated such that the wet season rainfall increased while the dry 721 722 season rainfall decreased (S8 Table, Fig 11a). Specifically, while the wet season rainfall component increased, surpassing the 1963-2014 average in 1985, the dry season rainfall 723 exhibited a decreasing trend (Fig 11a). Unlike for Narok and Seronera, the bivariate oscillations 724 725 of the wet and dry season rainfall were positively correlated, with a cycle period of 21.4 years 726 (S8 Table). The oscillation amplitude was larger for the dry season than for the wet season. Also, the amplitude of these oscillations in both the wet and dry season rainfall components 727 728 varied little during 1963-2014 (Fig 11b).

730

Fig 11a. Smoothed bivariate random walk trends for wet and dry season rainfall in NgorongoroCrater, Tanzania.

733

Fig 11b. Smoothed cycles for bivariate random walk model for wet and dry season rainfall in
Ngorongoro Crater, Tanzania. The bivariate cycle has a period of 21.4 years.

736 Bivariate state space model with trend, cycle and seasonal components

737 for the average minimum and maximum temperatures for Narok Town,

738 Kenya

The residual (S29 and S30 Figs) and prediction error (S31 and S32 Figs) normality diagnostics 739 for average monthly minimum and maximum temperature were largely as expected. However, 740 six observations for minimum temperature were identified as outliers. Specifically, 741 742 standardized prediction error plot for minimum temperature highlighted the six extreme observations (S33 Fig). The five additive outliers in the minimum temperature series 743 correspond to significant temperature drops in September 1974 and Nov 2018 and rises in 744 October 1982, July 2001 and February 2019 (S9 Table). In contrast, while the standardized 745 prediction error plot for maximum temperature (S34 Fig) also identified three extreme 746 observations, none were statistically significant. 747

Both minimum and maximum temperature series show similar upward trends, as indicated by the positive correlation between their trends (S10 Table, Fig 12). The minimum temperature reached a record low in September 1974 and has been persistently increasing since 1985, surpassing the 1960-2020 average in November 1993 (Fig 12). The maximum temperature
showed a similar, but less marked, increasing pattern and exceeded the 1960-200 average in
December 1991 (Fig 12).

754

Fig 12. Smoothed bivariate random walk trends for average monthly minimum and maximumtemperature for Narok Town, Kenya.

757 Trivariate state space model with trend, cycle and seasonal

components for total monthly rainfall, average monthly minimum and

759 maximum temperatures in Narok Town, Kenya

The minimum and maximum temperature series in Narok Town were positively correlated with 760 761 each other but both showed a negative correlation with rainfall (S11 Table, Fig 13). Specifically, 1972 recorded the lowest rainfall coinciding with the highest maximum 762 temperature. Further, the period 1972-1974, marked by the highest rainfall, corresponded with 763 the lowest and below average minimum temperatures. Conversely, during 1974-1985, rainfall 764 was below average when the minimum temperature was above average (Fig 13). Lastly, the 765 766 progressive rise in minimum temperatures since 1985 has been paralleled by a declining rainfall trend during the same period (Fig 13). 767

768

769

Fig 13. Smoothed trivariate random walk trends for average monthly minimum and maximumtemperature and total monthly rainfall for Narok Town, Kenya.
Trivariate state space model with trend, cycle and seasonal components for total monthly rainfall for Narok Town, Kenya, Southern Oscillation Index (SOI) and Dipole Mode Index (DMI)

The residual and prediction error normality diagnostic plots for total monthly rainfall in Narok 775 Town (S35 and S38 Figs), the SOI (SS36 and S39 Figs) and the DMI (S37 and S40 Figs) 776 indicate a reasonable model fit but a few large rainfall values tend to be underestimated. The 777 standardized prediction error plots identified nine rainfall observations (all exceeding 778 779 expectation), five SOI observations (three below and two above expectation) and one DMI observation (above expectation) as outliers or extreme values (S41-S43 Figs). The SOI series 780 showed guasi-periodic oscillation with notable positive peaks around 1961, 1975, 1990, 2000 781 and 2011 and the lowest values during periods of severe drought around 1984 and 1993 (Fig. 782 14). The rainfall oscillation was negatively associated with SOI but positively correlated with 783 DMI. Moreover, the SOI and DMI were negatively correlated with each other (S12 Table, Fig. 784 14), suggesting that high rainfall tends to coincide with strong El Niño (negative SOI values) 785 786 and strong DMI episodes, whereas low rainfall is associated with strong La Niña (positive 787 SOI values) and weak DMI conditions.

The trend for the rainfall series was positively correlated with both the SOI and DMI series, but the SOI and DMI trends themselves were negatively correlated (S12 Table, Fig 14). This implies that the rainfall trend mirrored those of the SOI and DMI. Spefically, the DMI series generally increased throughout 1913-2020, whereas the SOI series decreased, became more negative and more intense, in the same period. The rainfall series generally tracked the pattern of variation in the DMI, increasing alongside the DMI series, but inversely to the SOI series (Fig 14).

795

Fig 14. Smoothed trivariate random walk trends for total monthly rainfall for Narok Town,Kenya, Southern Oscillation Index (SOI) and Indian Ocean Dipole Model Index (DMI).

798 Trivariate state space model with trend, cycle and seasonal components

799 for total monthly rainfall for Masai Mara, Kenya, Southern Oscillation

800 Index (SOI) and Dipole Mode Index (DMI)

801 The residual (S44-S46 Figs) and prediction error (S47-S49 Figs) normality diagnostic plots suggest that the state space model effectively captured the trivariate patterns in rainfall, SOI 802 and DMI. Outlier diagnostics pinpointed the total monthly rainfall in January $2001(\chi_1^2 = 6.81)$, 803 P = 0.0091) and 2002 ($\chi_1^2 = 12.89$, P = 0.0003) as unusually high. The parameter estimates 804 (S13 Table) show positive associations between the level trend components as well as 805 806 between the cyclical components. From 1965 to around 1985, rainfall, SOI and DMI all 807 decreased, followed by a consistent increase, and then plateaued out from 2010 (Fig 15). The 808 trivariate cycles, with a period of 9.3 years and a damping factor of 0.96, suggest a decline in oscillation amplitude of all the three series after the record-breaking 1997-1998 El Niño 809 810 episode (S13 Table). Throughout 1965-2020, these cycles were in phase or synchronized (Fig 16). 811

812

Fig 15. Smoothed trivariate random walk trends for total monthly rainfall for Masai Mara,
Kenya, Southern Oscillation Index (SOI) and Indian Ocean Dipole Model Index (DMI).

815

Fig 16. Smoothed trivariate cycles for total monthly rainfall for Masai Mara, Kenya, Southern
Oscillation Index (SOI) and Indian Ocean Dipole Mode Index (DMI).

818 Trivariate state space model with trend, cycle and seasonal

components for total monthly rainfall for Seronera, Tanzania,

820 Southern Oscillation Index (SOI) and Dipole Model Index (DMI)

The normality diagnostic plots for residual (S50-S52 Figs) and prediction error (S53-S55

822 Figs) indicate that the state space model accurately represented the trivariate patterns in

rainfall, SOI, and DMI. Additionally, outlier diagnostics (S56-S58 Figs) highlighted

exceptionally high total monthly rainfall (in Nov 1985, Apr 1988, Dec 1997, Jan 1998, and

Apr 2015). From 1981 to 2015 in Seronera, Serengeti, Tanzania, both the total monthly

rainfall and the DMI increased (Fig 17). However, the SOI showed distinct oscillations with

peaks apparent around 1990, 2000 and 2010 (Fig 18). This pattern differs from the SOI

variation in Narok (Fig 14). Overall, the pattern of temporal variation suggests that rainfall is

more strongly positively correlated with variations in the DMI than with variations in the SOI

830 (S14 Table, Fig 17).

831

Fig 17. Smoothed trivariate random walk trends for total monthly rainfall for Seronera,

833 Serengeti, Tanzania, Southern Oscillation Index (SOI) and Indian Ocean Dipole Mode Index834 (DMI).

Fig 18. Smoothed trivariate random walk rainfall /mean (=65.9 mm), Southern Oscillation

836 Index (SOI) and Indian Ocean Dipole Mode Index (dmi) cycles for Seronera in Serengeti

837 National Park in northern Tanzania.

39

838 Trivariate state space model with trend, cycle and seasonal components 839 for total monthly rainfall for Ngorongoro Crater, Tanzania, Southern 840 Oscillation Index (SOI) and Dipole Mode Index (DMI)

- 841 The residual (S59-S61 Figs) and prediction error (S62-S64 Figs) normality diagnostic plots
- 842 demonstrate that the state space model effectively captured the trivariate patterns in rainfall,
- 843 SOI and DMI. Moreover, outlier diagnostics (S65-S67 Figs) identified unsually high total
- monthly rainfall (MAR 1974, NOV 1963, DEC 1997 and JAN 2001) and atypically low SOI
- 845 (in Feb 2005). Likewise to Seronera, a quasi-periodic oscillation in SOI was evident in
- Ngorongoro Crater, with positive peaks around 1975, 1990, 2000 and 2010 (Fig 19). The
- trends in rainfall, SOI and DMI were all positively correlated. Notably, both DMI and rainfall

848 increased during 1963-2014 (S15 Table, Fig 19).

849

Fig 19. Smoothed trivariate integrated random walk trends for total monthly rainfall for
Ngorongoro Crater, Tanzania, Southern Oscillation Index (SOI) and Indian Ocean Dipole Mode
Index (DMI).

Multivariate state space model with trend, cycle and seasonal components for total monthly rainfall, average monthly minimum and maximum temperatures for Narok Town, Kenya, Southern Oscillation Index (SOI) and Dipole Mode Index (DMI)

857 The residual (S68-S72 Figs) and prediction error (S73-S77 Figs) normality diagnostic plots
858 show that the pentavariate model effectively captured total monthly rainfall, average monthly

859	minimum and maximum temperatures, the SOI and the DMI for Narok County. The
860	simultaneous variations in these five series at Narok Town are provided in Fig. 20 whereas
861	their parameter estimates are detailed in S16 Table. The salient features of the five trends in
862	Fig 20 are largely similar to those already described, and so, are not repeated here.
863	

Fig 20. Smoothed multivariate integrated random walk trends for total monthly rainfall, average
monthly minimum and maximum temperatures for Narok Town, Kenya, Southern Oscillation
Index (SOI) and Indian Ocean Dipole Model Index (DMI).

Multivariate state space model with trend, cycle and seasonal components for monthly average NDVI, total monthly rainfall, average monthly minimum and maximum temperatures for Narok Town, Kenya

The residual (S78-S81 Figs) and prediction error (S82-S85 Figs) normality diagnostic plots 871 872 show that the quadrivariate model accurately captured patterns in the total monthly rainfall, average monthly minimum and maximum temperatures and monthly average of SPOT NDVI 873 for Narok County. The trend component of the model shows that all four variables increased 874 875 from 1998 to around 2003, maintained stable average levels from 2004 to about 2009, and then increased again until 2014 (Fig 21). The parameter estimates for the quadrivariate model (S17 876 Table) reveal positive correlations among the level trends of all variables, except for an inverse 877 878 relationship between SPOT NDVI and minimum temperature. This suggests that an increase in

minimum temperatures is associated with vegetation browning. The cycle component of the
model, has an estimated period of 12.7 years (S17 Table). While the cycles are generally
positively correlated, rainfall and maximum temperature, and SPOT NDVI and minimum
temperature cycles are negatively correlated (S17 Tabe, S86 Fig).

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Fig 21. Smoothed quadrivariate integrated random walk trends for monthly average rainfall,
total monthly rainfall, average monthly minimum and maximum temperatures for Narok Town,
Kenya.

887 Discussion

We detected strongly deterministic and persistent bivariate cycles in both wet and dry season 888 889 rainfall components across the GMSE, encompassing the Masai Mara Ecosystem and Narok Town in Kenya and the Serengeti (Seronera) and Ngorongoro in Tanzania. These bivariate 890 cycles showed a consistent compensatory pattern: low wet season rainfall was typically offset 891 by higher dry season rainfall and vice versa, with dominant cycle periods of about 20 years. In 892 Ngorongoro, despite a positive correlation between the wet and dry season rainfall cycles, a 893 negative correlation between their levels led to a similar compensatory pattern as for the other 894 regions. Notably, only in Seronera, Serengeti, did the bivariate rainfall components display a 895 shorter cycle period of about 10.4 years. The 34-year time series from Seronera may not have 896 been long enough to detect the longer-term oscillations observed in other GMSE rainfall data. 897 This pattern of compensatory bivariate oscillations in the wet and dry season rainfall 898 components is likely crucial for the ecosystem's stability. 899

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The bivariate cycle periods, ranging between about 10 and 20 years, are considerably longer 900 901 than the dominant cycle periods of 2.3 and 10.1 years identified in univariate analyses of wet and dry season rainfall components (Bartzke et al. 2016). These bivariate cycle periods also 902 exceed those of the Indian Ocean Dipole (3.2 years) and the El Niño-Southern Oscillation 903 (ENSO-SOI, 4.4 years), both of which are well known to significantly influence East African 904 rainfall, especially during the wet season (Nicholson 1996, Latif et al. 1999, Webster et al. 905 1999, Mutai and Ward 2000, Mistry and Conway 2003, Behera et al. 2005, Shongwe et al. 906 2011, Tierney et al. 2013). Despite the variable amplitudes and phases of the ENSO-SOI and 907 the Indian Ocean Dipole oscillations, the consistent, deterministic and persistent pattern of 908 909 bivariate rainfall oscillations suggests that factors other than these known climate phenomena may be driving the observed long-term bivariate oscillations. 910 The long cycle periods of the bivariate rainfall cycle may reflect the influence of the Atlantic 911 Multidecadal Oscillation (AMO). Oscillations in Atlantic ocean temperatures can 912 significantly influence East African rainfall (Nicholson 1996, Mutai et al. 1998, Mutai and 913 Ward 2000, McHugh 2004) through their teleconnections with the West African monsoon and 914 the El Niño Southern Oscillation (Hills 1979, Shanahan et al. 2009, Rodríguez-Fonseca et al. 915 2011, Lopez et al. 2016). Additionally, the location and intensity of the Mascarene High 916 (Ogwang et al. 2015), low-level jet streams, pressure cells over the Sahara and Saudi Arabia, 917 and local topography, also contribute to rainfall variation in East Africa (Nicholson 1996, 918 2015) and hence to the rainfall oscillations in the GMSE. 919

920 The amplitudes of the rainfall oscillations in Narok was rather stable despite rising

921 temperatures. This is inconsistent with global observations of more extreme weather events,

such as droughts and floods, associated with rising temperatures (IPCC 2007). Furthermore,

923 in the Serengeti and Narok regions, the amplitude of the dry season rainfall oscillations

exceeded that of the wet season. This heightened variability in the dry season rainfall, crucial
for the survival of plants and animals during resource-scarce periods (Sinclair 1975, Mduma
et al. 1999, Owen-Smith et al. 2005), may have significant implications for biodiversity and
animal population dynamics.

The seasonality of minimum and maximum temperatures and rainfall in Narok was strongly 928 persistent and deterministic. This was indicated by the extremely low stochastic disturbance 929 variances within the seasonal components in the trivariate state space models. Additionally, 930 there was also weak positive correlation between the seasonal cycles of temperature and 931 rainfall. This pattern is consistent with the deterministic movements of the Intertropical 932 Convergence Zone. This belt of rising and convecting air masses around the equator is the 933 major driver of seasonality in temperature and rainfall in East Africa, including in the GMSE 934 935 (Norton-Griffiths et al. 1975, Anyah and Semazzi 2007; Mahony et al. 2021). The movement of the Intertropical Convergence zone is therefore likely an extremely stable factor generating 936 alternating wet and dry seasons each climatic year. 937

In contrast to the deterministic (predictable) intra-annual seasonal cycles we found highly
transient (unpredictable) trivariate multiannual cycles in monthly minimum and maximum
temperatures and rainfall with a period of about 1.8 years. The multiannual cycles were highly
transient, primarily due to significant variability in temperature cycles. This variability was
evident from the much higher stochastic disturbance variances in the temperature cycles,
compared to those in the multiannual rainfall cycle.

Interestingly, the cycles of minimum and maximum temperatures were positively correlated
with each other but both were negatively correlated with the rainfall cycle. This pattern was
particularly noticeable in 1972 when the rainfall was at its lowest and the maximum

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temperature peaked. Similarly, during 1974-1985, periods of above-average minimum
temperatures coincided with below-average rainfall. For Narok Town, the persistent decline in
rainfall during 1960-2020 coincided with an increase in minimum temperatures, echoing our
earlier findings (Bartzke et al. 2016) and observations for other parts of East Africa (Ogutu et
al. 2012a, 2012b, 2013, 2016). These results indicate that rising temperatures generally lead to
reduced, rather than increasing rainfall and enhanced evaporative cooling.

Overall, rainfall levels during the wet and dry season across the GMSE remained relatively 953 stable. However, some declines were apparent in the monthly, wet and dry season rainfall in 954 Narok during 1960-2020, and in the dry season rainfall in Ngorongoro during 1963-2014. 955 These decreases in rainfall, potentially linked to increases in temperatures, might be offset by 956 957 an increasing influx of moisture from the Indian Ocean to East Africa. This moisture increase could be a result of the strengthening of the Indian Ocean Dipole (Dore 2005, Cai et al. 2014). 958 Similarly, the El Niño Southern Oscillation phenomenon, which is often in phase with a 959 positive Indian Ocean Dipole (Saji et al. 1999), has historically brought rain to East Africa 960 961 (Hastenrath et al. 1993, Indeje and Semazzi 2000). Earlier studies suggested that this phenomenon might be intensifying with rising temperatures (Vecchi et al. 2006, Lu et al. 962 2007). Our results support this trend. Thus, even though the signal for the strengthening of the 963 El Niño phenomenon still remains controversial (Fedorov and Philander 2000, Collins et al. 964 2010), our results support the notion that El Niño is strengthening. 965

Similarly to the monthly rainfall, vegetation productivity was largely invariant in terms of its
cyclical, level and seasonal components. The level of NDVI increased slightly during 19992014 concurrent with increases in the levels of rainfall and maximum temperatures. There
were also weak positive associations between the NDVI cycle and those for rainfall and
maximum temperatures. This increase apparently accelerated from 2010, mirroring the effect

of increasing rainfall. It appears that the combination of high rainfall and high temperatures 971 972 during davtime enhances the photosynthetic activity of plants (Lotsch et al. 2003). Previously, we found that extremely high rainfall increased significantly during 1990-2000 in the Mara 973 (Bartzke et al. 2016). The 1998 flood was the worst on instrumental record for the GMSE 974 (Bartzke et al. 2016). This extreme rainfall event likely facilitated the recruitment of woody 975 plants from seedlings (Kraaij and Ward 2006) with consequent densification of woody cover 976 and increase in NDVI. However, confirming these findings would require a longer NDVI time 977 series than the current 15-year dataset. 978 The rising temperatures contribute to increased evaporation, which might result in a net 979 negative water balance. This is despite the possibility of more intense oceanic and 980 hemispheric oscillations bringing more moisture to East African. Such a scenario raises 981

982 concerns about the potential for increasing habitat desiccation in the GMSE. This drying983 could adversely affect plants and animals (Ogutu et al. 2008).

In conclusion, understanding regional climate and vegetation trends and variation and how 984 these are influenced by large-scale oceanic and atmospheric oscillations is crucial for 985 986 predicting future climatic behaviours, environmental planning and conservation efforts. The results highlight the complexity of the regional climatic and environmental dynamics, 987 emphasizing the impact of global climate phenomena like the DMI and SOI on local weather 988 patterns. This impact is evident in rising temperatures and changing rainfall patterns. The 989 findings underscore the crucial need for integrative approaches to understand and address the 990 challenges posed by climate change to biodiversity, ecosystems and human wellfare. 991

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993 Conclusions

The univariate patterns produced several intefesting insights. The Greater Mara-Serengeti 994 Ecosystem experiences recurrent severe droughts and erratic wet conditions and recorded a 995 substantial rise in temperatures over six decades. The monthly minimum temperature showed 996 a striking increase, while the trends in maximum temperature were more subdued. Notably, 997 monthly minimum temperatures increased by 4.2 °C during wet seasons and 3.3 °C in dry 998 seasons, while maximum temperatures also increased, though with greater variability. Rainfall 999 1000 showed quasi-periodic oscillations with cycle periods of between 2.5 and 5.3 years. The SOI 1001 declined slightly but was generally stable. The DMI increased persistently and significantly 1002 and had a stochastic cycle period of about 2.7 years. The bivariate and multivariate patterns 1003 also yielded several key findings. These include negative correlations between wet and dry 1004 season rainfall, marked by opposing oscillations, and consistent increases in DMI and temperature trends, with notable correlations among them. The SOI and DMI trends were 1005 1006 negatively correlated and influenced rainfall patterns. Rainfall trends were often correlated more strongly with DMI than with SOI variations. The models also identified many 1007 1008 significant structural breaks and outliers in the series. These insights have implications for 1009 designing strategies to mitigate climate change impacts on ecosystems, biodiversity, and human wellbeing. 1010

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 atmosphere dynamics in the Indian Ocean during 1997–98. Nature 401:356–360.

1217

- 1218 Supporting Information
- 1219 S1 Text. Supplementary figures and tables.
- 1220 S2 Text. SAS Program codes for fitting UCMs and SSMs.docx
- 1221 S3 Text. SAS Program codes for fitting UCMs and SSMs.sas

S1 Data. Total monthly (Month1 to Month12) rainfall in milimeters for Narok Town
Meteorological Station from April 1913 to July2020. The rainfall values were verified against
the original monthly paper cards at the Kenya Meteoreological Department.

S2 Data. The monthly average (of daily records) minimum and maximum surface air
temperature in degrees celsius at Narok Town Meteorological Station for the period January
1960 to July 2020.

S3 Data. The total monthly rainfall in milimeters (Rain) for 15 rain gauges located within or
near (Cottars) the Masai Mara National Reserve for the period January 1965 to August 2020.
Predicted is the model predicted rainfall. Rain_imp is the measured rain (Rain) and imputed
(predicted) missing values.

S4 Data. The total monthly rainfall averaged over all 5×5 km grids in Narok County of Kenya 1232 based on blended station-satellite rainfall data (rain) and on rainfall data predicted by a spatio-1233 temporal hierarchical Bayesian model (rain Bayes) (Mukhopadhyay, S., Ogutu, J. O., Bartzke, 1234 1235 G., Dublin, H. T., & Piepho, H. P. (2019). Modelling spatio-temporal variation in sparse rainfall data using a hierarchical Bayesian regression model. Journal of Agricultural, Biological and 1236 Environmental Statistics, 24(2), 369-393.). Min (minimum) and max (maximum) are the 1237 average monthly temperatures based on blended Station-Satellite data. The NOAA and SPOT 1238 Normalized Difference Vegetation Index (NDVI) (minimum, maximum, mean, range and 1239 standard deviation) averaged over the 5×5 km grid in Narok County. Rain 1 to Rain 6 are 1240 1241 lagled rain values whereas rain Bayes 1 to rain Bayes 6 are lagged rain Bayes values.

1242 S5 Data. The total monthly rainfall in milimiters (rain) for Seronera Research Station in
1243 Serengeti National Park in Tanzania for the period January 1980 to December 2015. Rain_imp
1244 are the measured rainfall records and imputed missing values.

S6 Data. The total monthly rainfall in milimiters (rain) for Ngorongor Crater in in Tanzania for
the period January 1963 to December 2014. Rain_imp are the measured rainfall records and
imputed missing values.

1248 S7 Data. The monthly Indian Ocean Dipole Mode Index (DMI) for January 1870 to March1249 2021.

1250 **S8 Data**. The monthly Southern Oscillation Index (SOI) for January 1866 to December 2021.



Figure 1





Figure 2





Figure 3

Smoothed Level Component for Soi



Figure 4a

Smoothed Cycle1 for Soi

Period = 29.36



Figure 4b

Smoothed Cycle2 for Soi

Period = 63.06



Figure 4c

Smoothed Trend for Soi



Soi

Figure 4d

Smoothed Level Component for dmi



Figure 5a

0.0010 -Smoothed Slope Component 0.0005 -0.0000 --0.0005 1920 1970 1910 1930 1940 1950 1960 1980 1990 2000 2010 2020 2030 Date 95% Confidence Limits

Smoothed Slope Component for dmi

Figure 5b

Smoothed Cycle for dmi

Period = 32.04



Figure 5c

Smoothed Trend for dmi



Figure 5d

Smoothed Level Component for Min



Figure 6a

Smoothed Slope Component for Min



Figure 6b

Smoothed Cycle1 for Min Period = 27.13



Figure 6c

Smoothed Cycle2 for Min Period = 167.17



Figure 6d
Smoothed Trend for Min



Figure 6e

Smoothed Level Component for Max



Figure 7a

Smoothed Slope Component for Max



Figure 7b

Smoothed Cycle1 for Max Period = 43.10



Figure 7c

Smoothed Cycle2 for Max Period = 150.73



Figure 7d

Smoothed Trend for Max



Figure 7e



Figure 8a



Smoothed cycles for bivariate random walk model for wet and dry season rainfall in Narok

Figure 8b

Smoothed bivariate random walk trends for wet and dry season rainfall in Masai Mara



Figure 9a



Smoothed cycles for bivariate random walk model for wet and dry season rainfall in Masai Mara (Period=20.0 years)

Smoothed bivariate cycle for wet season rain

Figure 9b

Smoothed bivariate random walk trends for wet and dry season rainfall in Serengeti



Figure 10a



Smoothed cycles for bivariate random walk model for wet and dry season rainfall

Figure 10b



Smoothed bivariate random walk trends for wet and dry season rainfall in

Figure 11a

0.2 -Smoothed bivariate cycle 0.0 -0.2 1960 1980 1965 1985 1990 1995 2000 2005 2010 1970 1975 2015 Year Legend Smoothed wet season cycle Smoothed dry season cycle

Figure 11b

Smoothed cycles for bivariate random walk model for wet and dry season rainfall in Ngornogoro Crater, Tanzania (Period=21.4 years)







Smoothed trivariate random walk trend (Rain/mean)



Smoothed trivariate trends for monthly SOI, DMI and rainfall in Narok Town

Smoothed trivariate random walk trend SOI and DMI

Smoothed trivariate trends for monthly rainfall, SOI and DMI in Masai Mara







Smoothed Trivariate Cycle for DMI



Smoothed trivariate trends for monthly rainfall, SOI and DMI in Serengeti



Smoothed cycles for trivariate random walk model cycles for Serengeti (Period=49.1 months)

Smoothed trivariate random walk SOI Cycle



for DMI

Smoothed trivariate trends for monthly rainfall, SOI and DMI in Ngorongoro Crater

Smoothed multivariate integrated random walk trend for temperature, rainfall, SOI and DMI



Smoothed 4-variate random walk trend for temperature, rainfall and NDVI in Narok County, Kenya



Figure 21