This manuscript has been submitted for publication in the JOURNAL OF STRUCTURAL GEOLOGY. Please note that, despite having undergone peerreview, the manuscript has yet to be formally accepted for publication. Subsequent versions of this manuscript may have slightly different content. If accepted, the final version of this manuscript will be available via the '*Peerreviewed Publication DOI*' link on the right-hand side of the webpage. Please feel free to contact any of the authors; we welcome feedback.

1 2

# 3 Geometric forward modeling of thrust systems underlying shortening 4 landforms on Mercury

5

Stephan R. Loveless<sup>1\*</sup>, Christian Klimczak<sup>1</sup>, Kelsey T. Crane<sup>2</sup>, and Paul K. Byrne<sup>3</sup>

7

6

8 <sup>1</sup>Center for Planetary Tectonics, Department of Geology, University of Georgia, Athens, GA

9 30602, USA

- 10 <sup>2</sup>Seres Engineering & Services, LLC, Charleston, SC, 29492, USA. <u>ktcrane@seres-es.com</u>
- <sup>3</sup>Department of Earth, Environmental, and Planetary Sciences, Washington University in St. Louis,
- 12 Stl Louis MO, 63130, USA
- 13 \*Corresponding Author, email: <u>Stephan.Loveless@uga.edu</u>
- 14
- 15

#### Abstract

16 Mercury hosts thousands of shortening landforms that are widespread across the entire 17 planet. The shortening is widely accepted to be caused by a combination of thrust faulting and 18 folding, resulting from the global contraction of Mercury caused by long, sustained cooling. Most 19 shortening landforms on Mercury's surface have been classified into one of two groups: lobate 20 scarps or wrinkle ridges. There is no distinct statistical difference in the surface morphology of 21 these shortening landform classifications. Only a small subset of shortening landforms are clear-22 endmember wrinkle ridges and lobate scarps. The difference between geomorphic manifestations 23 of shortening landforms may be governed entirely by the thrust systems and associated folding 24 that form them. We therefore model thrust systems associated with 55 lobate scarp and wrinkle 25 ridge endmember shortening landforms found across the surface of Mercury. Structures were 26 modeled in 2D sections below the topographic profiles of landforms with the greatest structural 27 reliefs. Models utilized the fault-bend fold algorithm in the MOVE geologic modeling software. Once models matched the observed topography and shortening strain, fault geometric parameters, 28 29 such as number of structures, dip, depth extent of faulting, height, etc., were extracted and compiled for all structures. Our modeling shows that Mercury hosts a wide range of complex thrust 30 systems, including single, listric faults, imbricate thrusts, and pop-up structures. In particular, the 31 32 morphologies of lobate scarps end-member structures are best explained by models of a single, 33 listric fault, whereas most wrinkle ridge end-member structures require more than one fault. We 34 identify a large overlap in the variation of fault geometric parameters for both wrinkle ridge and lobate scarp archetypes, confirming the results of our previous geomorphic analysis that shortening 35 landforms do not comprise two distinct categories. The overlap in geometric parameters also 36 37 suggests that global contraction generated most of these structures.

38

#### **39** 1) Introduction

Mercury hosts a global population of positive-relief, tectonic shortening landforms as 40 41 revealed by both the Mariner 10 (e.g., Strom et al., 1975) and MEcury Surface, Space 42 ENvironment, GEochemistry, and Ranging (MESSENGER) missions (e.g., Byrne et al., 2018). 43 Such landforms are thought to be produced by global contraction (e.g., Solomon, 1978) and are 44 widely accepted to be formed by thrust faulting and folding (e.g., Strom et al., 1975; Byrne et al., 45 2014; Byrne et al., 2018). Many terms have previously been used to describe tectonic landforms formed by thrust faults, e.g., "shortening structures" or "thrust fault-related landforms", but for 46 simplicity we will refer to all such structures as "shortening landforms" throughout this study. 47

48 Shortening landforms are common on all major rocky bodies in the Solar System. Such structures depict positive-relief cliffs, often paralleled by breaks along the surface (e.g., Schultz 49 50 and Watters, 2001; Watters, 2003). Since the earliest observations of tectonic features on terrestrial 51 bodies, shortening landforms have been categorized into groups based on surface morphology 52 alone (e.g., Dzurisin, 1978; Strom, 1979). Of the different classifications used to describe 53 shortening landforms, lobate scarps and wrinkle ridges have been used as designations for almost 54 all shortening landforms found on Mercury's surface (e.g., Melosh and McKinnon, 1988; Watters et al., 2004). Lobate scarps are described to show clear linear-to-arcuate surface breaks in plan 55 56 view, with topographic characteristics of steeply sloping forelimbs at the surface break trailed by 57 gradual sloping backlimbs (Figure 1a; e.g., Strom et al., 1975; Strom, 1979; Watters, 1993). Such 58 surface expression is linked to asymmetric anticlinal folding of the hanging wall (Byrne et al., 2014) with the asymmetry, or vergence, providing clear indication of tectonic transport to be in the 59 60 direction in which the forelimb slopes (i.e., the vergence). This geometry is akin to the folding geometry of fault-displacement gradient folds described by Wickham (1995). 61

62 Wrinkle ridges have been described as having complex, sometimes sinuous map patterns 63 in plan view that are accompanied by cross-sectional topographic profiles demonstrating a superimposed ridge (the "wrinkle") on top of a primary ridge (e.g., Watters, 1988). Shortening 64 65 landforms of this class are common within volcanic plains of terrestrial planetary bodies throughout the Solar System (e.g., Plescia and Golombek, 1986; Nahm et al., 2023). On Mercury, 66 67 wrinkle ridges frequently host faults that break at the surface (Strom et al., 1975; Watters, 1988; Golombek et al., 2001; Schleicher et al., 2019), but many have also been interpreted to be anticlinal 68 69 folds above blind thrust faults (e.g., Schultz, 2000) containing backthrusts (Okubo and Schultz,

- 70 2004). Byrne et al. (2018) argued that wrinkle ridges host two oppositely facing monoclines which
- 71 may indicate vergence of two opposing thrusts.

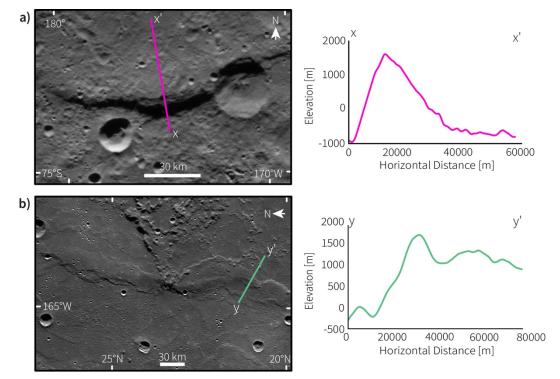




Figure 1: Examples of what have been classified as "lobate scarps" (a) and "wrinkle ridges" (b) on Mercury (modified after Loveless et al., 2024a). a) Map view of an unnamed lobate scarp near the south pole (left) with the corresponding topographic profile from x to x' (right). b) Map view of Schiaparelli Dorsum, a prominent wrinkle ridge (left) with the corresponding topographic profile from y' (right). Maps use a stereographic projection centered on the shortening landform. Both profiles are shown at ~16× vertical exaggeration.

79 The oversimplification that categorizing shortening landforms into these two groups is challenged by the large variation of thrust systems found on Earth. Mountain ranges that formed 80 81 by shortening display a wide range of complex systems of thrust faults and folds (e.g., Chapple, 82 1978; Matthews and Work, 1978; McClay, 1978; McClay and Price, 1981; Boyer and Elliot, 1982; 83 Morley, 1988; Crane and Klimczak 2019a). There is no evidence that suggests that thrust systems on Earth operate differently and therefore thrust systems on other planets should not be treated 84 85 otherwise than those observed on Earth. Fold and thrust belts are common large-scale crustal 86 shortening systems that are accommodated by multi-fault thrust complexes (e.g., McClay and 87 Price, 1981). Common Earth thrust systems like duplex structures are described with listric or 88 curved fault geometries with either stacked panels bounded by thrust faults or as imbricate thrusts

with multitude of thrusts branching off a single décollement (Boyer and Elliot, 1982). Many of
these thrust systems are created by displacement along multiple faults to build positive relief. In
contrast, thrust systems on other planets are commonly interpreted as single, homoclinal (noncurved) fault planes (e.g., Schultz and Watters, 2001).

93 Few studies have suggested fault geometries on Mercury like to those on Earth. Some 94 examples include for an extensive décollement underlying Beagle Rupes (Rothery and Massironi, 95 2010) and pop-up thrust system structure for shortening landforms and complex compound landforms on Borealis Planitia (Crane and Klimczak, 2019b). Other analogies between Earth and 96 97 Mercury tectonics have been drawn from the conceptualization of thin- and thick-skinned 98 deformation (Crane and Klimczak, 2019b). Thin-skinned deformation is strain accommodated by 99 faults in weak upper horizons of the lithosphere (originally, for Earth, the sedimentary cover atop 100 crystalline basement rock), whereas thick-skinned deformation is strain accommodated by faults 101 that have penetrated deep into the basement (Chapple, 1978; Pfiffner, 2017). Analogies of thrust 102 fault-related landforms to shortening structures on Earth have been made for thin-skinned tectonics 103 features like the Yakima fold and thrust belt in Washington State (e.g., Watters et al., 2004), and 104 the Lesser Himilayan Duplex (Crane and Klimczak, 2019b). Thick-skinned deformation has been used to describe Mercury's shortening landforms with comparisons to the Wind River thrust fault 105 106 (Watters and Robinson, 1999; Mueller et al., 2014). Although impact-weakened stratigraphic 107 horizons or volcanic layering are frequently invoked as layers permitting thin-skinned tectonics in 108 volcanic plains, basement-reactivated thin-skinned tectonics has been invoked as a hybrid 109 mechanism on Borealis Planitia (Crane and Klimczak, 2019b). By this mechanism, faulting and 110 folding within the smooth plains are influenced by fault activity in the basement rock (Pfiffner, 2017). 111

112 Many previous subsurface modeling efforts for shortening landforms on rocky bodies have 113 used the elastic halfspace mechanical dislocation COULOMB code (e.g., Schultz and Watters, 114 2001; Egea-González et al., 2012; Williams et al., 2013; Byrne et al., 2016; Egea-González et al., 115 2017; Peterson et al., 2020) or geometric cross-balancing techniques including trishear modeling 116 (e.g., Herrero-Gil et al., 2019, 2020) or fault-propagation folding (Mueller et al., 2014). Using 117 COULOMB, a set of physical parameters for a predefined fault plane are invoked as the surrounding lithosphere is elastically deformed to match the observed topography (Toda et al., 118 119 2005). Early studies modeled simple homoclinal faults with uniform displacements (e.g., Schultz 120 and Watters, 2001) that can produce artifacts in the predicted topography if the superposed 121 displacement is not tapered toward the fault tips. However, listric fault geometries have also been 122 applied to COULOMB modeling to produce acceptable model topographies (e.g., Watters and Schultz, 2002; Byrne et al., 2016; Peterson et al. 2020), but other studies have found listric faults 123 124 to inaccurately represent the uplifted topography (e.g., Egea-Gonźalez et al., 2012; Herrero-Gil et 125 al., 2019). Alternatively, the trishear forward modeling technique recreates fault propagation 126 folding, which uses cross-balancing techniques that relates folding deformation at the upper fault 127 tip to a specialized limb angle and hinge ratios. These cross-balancing methods have been used in 128 conjunction with faulted offset craters to model the underlying fault geometry (e.g., Mueller et al., 129 2014; Herrero-Gil et al., 2020). These methods come with a set of drawbacks. First, not every 130 surface-breaking thrust fault has a superposed offset crater. Second, the trishear approach requires 131 introducing additional geometric complexities and a wide, largely unknown parameter space 132 associated with planetary shortening landforms.

133 The goal of this study is to investigate the variety of thrust systems in Mercury's subsurface. 134 This is done by modeling 55 morphologically variable shortening landforms by selecting the 135 endmember lobate scarp and wrinkle ridge structures from the data set published in Loveless et al. (2024b). To be concise, we refer to these endmember structures as lobate scarp archetypes and 136 137 wrinkle ridge archetypes, however, we note that some wrinkle ridge endmember structures were 138 classified as lobate scarps in the LDA of Loveless et al. (2024a). Our modeling utilizes the fault-139 bend fold algorithm in the MOVE geologic modeling software from PE Limited (Petex). Fault-140 bend folding is a proven geometric forward-modeling technique that can be applied to fault 141 displacement-gradient folds (e.g., Suppe, 1983; Medwedeff and Suppe, 1997; Brandes and Tanner, 142 2014; Hughes et al., 2014; Connors et al., 2021). We collect and synthesize fault geometric 143 parameters for our 55 models to identify the structural characteristics of shortening landforms on 144 Mercury.

145 **2) Methods** 

## 146 **2.1) Landform selection**

We previously assessed the morphological variability of 100 randomly selected shortening
landforms on Mercury to distinguish lobate scarps and wrinkle ridges (Loveless et al., 2024a;
Figure 2). In particular, we conducted a Linear Discriminant Analysis (LDA) that maximizes the
difference between two predefined groups by creating a linear equation that classifies cases based

151 on their correlated parameters. An LDA used to distinguish two groups assigns to each case a 152 positive or negative value, or linear discriminant (LD) for its classification. For example, an LDA 153 of lobate scarps and wrinkle ridges shows a large degree of overlap in the LD (Fig. 2; Loveless et 154 al., 2024a), indicating that the morphology of these shortening landforms on Mercury does not support distinct groups. To further investigate if a structural difference between these categories 155 156 exists, we use the end members of the lobate scarps (n=30) and all of the wrinkle ridges (n=25;157 Figure 2) to model their underlying thrust systems. We use the terms lobate scarp archetypes and wrinkle ridge archetypes when referencing these lobate scarp and wrinkle ridge shortening 158 159 landforms that we model in this work.

160

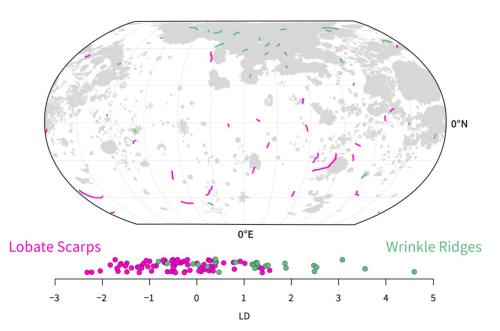




Figure 2: Global distribution of 55 shortening landforms modeled in this study shown in Robinson projection. Landforms traditionally identified as lobate scarps are shown in magenta, while those previously identified as wrinkle ridges are shown in green. For reference, the smooth-plains units (Denevi et al., 2013) are shaded in gray. The LDA analysis of the 100 shortening landforms assessed in Loveless et al. (2024a) is shown on the LD axis below.

# 167 **2.2) Modeling**

We construct models using the 2D Move-On-Fault module in the MOVE modeling software by PE Limited (Petex). Our models make use of the Fault-Bend Fold algorithm, which is a geologic restoration technique that directly relates folding in the hanging wall of the fault to the shape and displacement along the fault plane. Describing deformation as a fault-bend fold uses structural balancing, which is the integration of satisfying a set of conditions between the interpreted initial state and observed deformed state of the area or volume of interest (Dalhstrom,
1969). Such conditions include the maintenance of length of the interpreted geologic horizons preand post-deformation.

176 A fault-bend fold is a fault-related geometry, where folding of the hanging wall is caused 177 by distortions along the fault plane (Suppe, 1983). The relationship between the slip along the fault 178 plane and the folding of the above horizons is modeled through a series of trigonometric 179 relationships dependent on changes of the fault dip. The specific shape of the fault and the amount 180 of along-slip displacement govern the distorted shape of the overlying layers of rock. Whereas a 181 homoclinal fault experiencing simple shear accommodates all of the shortening through the 182 displacement along the fault, a fault-bend fold will drive different amounts of shortening 183 accommodated along the fault plane through a combination of slip and folding arising from 184 changes in the dip of the fault plane. Homoclinal portions of a fault in a fault-bend fold will 185 accommodate shortening with more slip, and as the fault changes dip, or ruptures the surface, 186 folding becomes more prevalent. The faults modeled in this study break the surface, so the fault-187 bend fold geometry simulates how the uplifted hanging wall folds over the footwall.

188 Such geometric configurations have been used for many years to characterize contractional tectonic architecture on Earth (e.g., Suppe and Namson, 1979; Suppe, 1983; Connors et al., 2021). 189 190 Fault-bend folds are present in seismic reflection profiles of contractional tectonics on Earth (e.g., 191 Shaw et al., 2005). Fault-bend fold architectures have also been used to describe or model the 192 structural geology of shortening landforms on Mercury (Byrne et al., 2018, Crane and Klimczak, 193 2019b; Crane, 2020a). This type of fault geometry is a good representation of surface-breaking 194 thrust faults for which displacements are large enough to permit the hanging wall to fold over the 195 footwall.

196 We model the fault structure under each of our selected shortening landforms along the 197 inferred direction of tectonic transport and at the point of highest structural relief along the 198 topographic profile. The direction of tectonic transport is assumed to be perpendicular to the long 199 axis of a landform, except where an impact crater is crosscut and shortened by the fault, indicating 200 the direction of displacement (Galluzzi et al., 2015). The selected topographic profile is then 201 imported into the MOVE software and 50 arbitrary, evenly spaced horizontal geologic horizons 202 are constructed underneath the topographic profile to track the modeled deformation. The 203 uppermost of these horizons is taken as the planetary surface. The elevation of this surface horizon is set equal to the measured elevation at the start of the forelimb. We vary the specific spacing ofthe horizons based on the length of the landform.

206 After the horizons are constructed, we draw a fault plane within the model setup. We 207 conduct the modeling while simultaneously assessing the photogeology of the shortening landform 208 to accurately inform the model with all of the available observations. Initially the fault is assumed 209 to be a homoclinal fault plane with a reverse sense of slip and a dip angle of  $30^{\circ}$ . Iterative model 210 previews are generated as the fault plane geometry, depth, and displacement are changed until the modeled surface horizon matches the observed topography. Fault parameters were adjusted based 211 212 on the results from the previous models by raising or lowering areas the fault in the respective 213 areas of the surface that needed alterations. The amount by which a fault was changed is relative 214 to the discrepancy between the modeled surface and the observed surface in the previous model. 215 Once the observed topography is matched, we calculate the shortening strain from folding for our 216 model to test against the observed shortening strain as an additional control point. More details on this control point are provided in Section 2.3. A model is deemed to be a successful match once 217 218 the modeled topography matches the observed topography within 10% of the maximum relief of 219 the structure and the shortening strain from folding of the model matches within 0.2% of the observed shortening strain across the structure (Loveless et al., 2024b). 220

If two or more surface breaks are present on image data, then we include more than one fault in the model. In this case, we model the primary fault first, which we determine using photogeological observations. The geometries and displacements of any other faults are subsequently added to replicate the desired deformation.

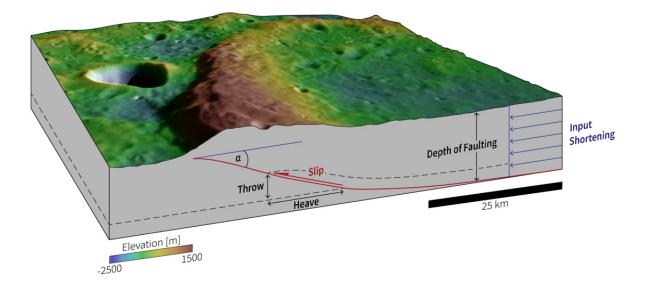


Figure 3: Block diagram of a shortening landform with stylized fault plane to highlight the fault geometric parameters extracted from each model. The dashed line in the subsurface represents an arbitrary marker horizon to depict deformation along the fault. The image in this figure is taken from the MESSENGER low-incident angle global mosaic (Denevi et al., 2017). Elevation data are from Bertone et al. (2023).

231 Once a model was complete, 13 modeled fault parameters were extracted (Figure 3), including near-surface fault dip, average dip, maximum dip, input shortening, average heave, 232 233 average throw, average slip, maximum slip, depth of faulting, fault height, and modeled strain from 234 folding. Near-Surface Fault Dip is defined as the dip of the fault in the uppermost 10% of the fault. 235 Average Dip ( $\alpha$  in Figure 3) is the average downward angle the fault makes with a horizontal plane, 236 and Maximum Dip is the maximum downward angle relative to a horizontal plane. All dips are 237 measured in degrees. Input Shortening, measured in kilometers, is the horizontal shortening 238 implemented in the Fault-Bend Fold algorithm to which the model displaces the deformed 239 horizons.

The slip accommodated along a fault in a fault-bend fold structure varies along the height of the fault (Suppe, 1983); therefore, we include additional measurements from our models. *Average Heave* and *Average Throw*, both measured in kilometers, are the average horizontal and vertical components of the displacement laterally along the fault. *Average Slip* is the average displacement laterally along the fault. *Maximum Slip* is the maximum amount of displacement that occurs along the fault. Other measurements include *Depth of Faulting*, measured in kilometers, as the depth extent measured vertically from the surface to the lowermost portion of the fault and *Fault Height*, measured in kilometers, which is the down-dip length of the modeled fault plane (red line in Fig. 3). From fault height, we calculate *Aspect Ratio*, which is the fault height divided by the mapped length of the fault taken from Loveless et al. (2024b). If more than one fault was needed for a model, the fault height of the largest of the faults is reported. *Number of Faults* is the number that was needed to model the observed deformation for each landform. Finally, the modeled strain from folding of the uppermost hanging-wall horizon produced by the model is calculated as:

$$\varepsilon_{\rm Fold} = \frac{L_{\rm H} - L_{\rm T}}{L_{\rm T}},$$

where  $L_H$  is the horizontal hanging wall horizon length and  $L_T$  is the total hanging wall horizon length.

*Thrust System Type* and *Fault Shape* are two qualitative metrics that describe the subsurface
structure of the shortening landforms. *Thrust System Type* refers to the number of faults (one, two,
or three) and their respective directions of tectonic movement, or direction of tectonic transport
from one another. *Fault Shape* describes whether the fault plane is listric (curved) or planar.

## 261 **2.3)** Controls of the models

As for cross-section restoration and balancing, a model can be deemed successful once it satisfies all control parameters. For geologic restoration of studies on Earth, such controlling parameters include interpretations of seismic sections and lithologic changes and repeated or missing sequences in borehole data (e.g., Egan et al., 1997; Pierdominici et al., 2011). Fault geometry, depth, and dip can be directly correlated to the seismic response of faults in the subsurface, and surface dips from *in situ* field measurements can all serve as controls.

268 For other terrestrial planets, subsurface data and *in situ* analyses are more difficult or 269 impossible to obtain. The current standard of fault modeling efforts in the past has been to match 270 the topography by forward modeling of an initially undeformed surface. This technique has been 271 applied to many bodies that host faulting such as Mercury (e.g., Watters et al., 2016; Crane, 2020b), the Moon (e.g., Williams et al., 2013; Byrne et al., 2015; Collins et al., 2023), and Mars (e.g., 272 273 Schultz and Watters, 2001; Herrero-Gil et al., 2019). Topography is a reasonable control for these 274 bodies because they lack substantial surface erosion. However, forward modeling can produce 275 more than one solution for the same topography (Egea-González et al., 2017), and that there is an 276 element of non-uniqueness to such modeling. Therefore, for our modeling efforts we use the matching the topography within  $\pm 10\%$  of the structure's vertical relief as the minimum criterion to be met for a model to be deemed acceptable. This is done by creating copies of the topographic profile at elevations  $\pm 10\%$  of the vertical relief and forward modeling the surface until it lies between those boundaries.

281 To maximize the likelihood of producing a unique solution for our models, we must use 282 additional control points aside from the observed topography. To better constrain our models, the 283 modeled strain from folding must be as close as possible to the observed shortening strain. The 284 observed shortening strain values are taken from Loveless et al. (2024b). These values were 285 calculated as the change in length (landform breadth minus the total cross-sectional length) divided 286 by the total cross-section length. In a fault-bend fold, shortening along the fault is accommodated by both the heave (the horizontal component of displacement) and by folding of the hanging wall. 287 288 The amount of strain accommodated by folding is a function of the shape of the fault.

289 At the surface, the amount of shortening accommodated by folding is governed by the depth of faulting, input shortening, and variations of the fault dip (See Section 3). A deeper 290 291 modeled fault requires less input shortening to match the actual topography as more material 292 displaced from depth to the surface, but more folding will be accommodated at the surface. An 293 increase in modeled depth of faulting increases the strain from folding. Alternatively, more 294 shallowly penetrating faults require greater shortening, but the modeled strain from folding will 295 decrease. Therefore, a unique solution for fault depth, input shortening, and fault dip is achieved 296 by matching the modeled strain from folding to the observed shortening strain values in addition 297 to matching the modeled topography with the observed topography.

298 We try to match the modeled strain from folding to the observed shortening strain values 299 exactly but find negligible changes in the overall fault geometry in a  $\pm 0.2\%$  range of the modeled 300 strain from folding. We summarize our strain-matching efforts with box-and-whisker plots, a non-301 parametric way to portray variance (Figure 4). The distribution of the sample size for our modeled 302 strain from folding and the distribution of the observed shortening strain from the same landforms 303 compiled from Loveless et al. (2024b) aligns well (Figure 4). We interpret this as an indication 304 that our models provide a good representation of the folding at the surface and the subsurface fault 305 architecture of the shortening landforms.

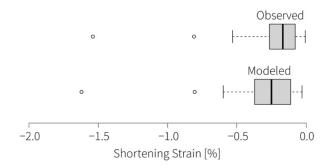




Figure 4: Box and whisker plot of the observed strain from folding compared with the modeled
strain from folding. Bold lines indicate the median, the left and right edges of the gray box are the
first and third quartiles, and maxima and minima are indicated by the vertical segments. Outliers
are shown as dots.

312 On Mercury, some shortening landforms crosscut craters. If a crater is assumed to be 313 initially circular, the overall shortening deformation of the cut crater can be used to constrain 314 geometric properties of the fault, such as fault dip and displacement vector (Galluzzi et al., 2015), which can be another control point for a structural model. Most of the shortening landforms 315 selected in our study do not crosscut craters, and if they do, the craters are either not adequately 316 317 deformed enough to extract any meaningful structural information or are located far from our 318 cross-section line and so do not contain the exact information needed for our model. Only in a 319 couple instances does this method work in our sample of shortening landforms as this method 320 works only on well-preserved craters. For 11 of the 55 landforms, deformed craters were present 321 near the cross-section. However, most of the faults assessed in this work that show cross-cutting 322 relationships with craters do not unequivocally show the direction of tectonic transport. Therefore, 323 this is a valid control point that is considered but is only used for a small subset of our sample size.

#### 324 3) Sensitivity study

We conducted a sensitivity study to test the efficacy of our workflow, the impact of control 325 326 points, and the resulting fault geometries. For that, we construct three models for the same 327 shortening landform (Figure 5). All models satisfy the topographic control point and match the 328 direction of tectonic transport from a nearby shortened crater but vary with fault geometric 329 parameters (Table 1). Out of the three, only one satisfies the second control point by matching the 330 modeled to the observed strain from folding. In Model 1, we construct a fault that matches the 331 observed topography and that penetrates to 11.4 km and dips an average of 9°, leading to a slip on 332 the fault of ~5700 m from an input shortening of 5500 m. In Model 2, we construct a fault that 333 matches the same topography but penetrates to a depth of 24.2 km and dips at an average 21°.

Model 2 requires an input shortening of 2400 m producing a slip along the fault of 2800 m. The fault for Model 3 also was constructed to match the input topography, but penetrates to 48.1 km, dips at an average of 40°, and requires 850 m of shortening to produce 1673 m of slip on the fault.

337 The shortening strain observed along the landform for all three models is -0.806%. The 338 modeled strain from folding is -0.622%, -0.801%, and -1.255% for Models 1 to 3, respectively (Table 1). The modeled strain from folding of Model 1 matches the observed folding strain with a 339 340 percent match of 77.2%. The modeled strain from folding of Model 2 most closely resembled the observed folding strain matching at 99.4% of the observed value. Model 3 has a percent match of 341 31.9% to the observed folding strain. Model 2 represents a successful model that both matches the 342 343 observed topography and accords with the observed folding strain. The result of this sensitivity 344 study highlights the dependence of the modeled strain from folding on the depth of faulting, dip of the fault, and input shortening. Therefore, by using both topography and the strain produced 345 346 from folding as control points, we produce well constrained solutions of our shortening landform models. 347

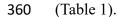
348

349 Table 1: <u>Comparison of parameters for the three subsurface models of the same shortening</u> 350 landform in Figure (4) Input shortening is a constraint of the model.

Parameters	Model 1	Model 2	Model 3
Observed Folding Strain [%]	-0.81	-0.81	-0.81
Modeled Strain from Folding [%]	-0.62	-0.80	-1.36
% of Match Modeled to Observed Folding Strain	77.2	99.4	31.9
Input shortening [km]	5.5	2.4	0.9
Depth of Faulting [km]	11.4	24.2	48.1
Average dip [°]	9	21	40
Maximum slip [km]	5.9	3.2	2.3

351

In a fault-bend fold, the strain accommodated by folding varies fault geometry (Figure 5, Table 1). Therefore, matching the observed and modeled folding strain plus the observed topography yields unique, doubly constrained solutions for the underlying fault geometry. Folding at the surface is directly related to the dip and depth of faulting. For the same landform, a fault penetrating to greater depths will have a greater dip than those penetrating to shallower depths. Slip in fault-bend folds decreases with steeper dips while greater amounts of deformation are accommodated by antiformal folding (Suppe, 1983). Therefore, our models produce less folding if the modeled fault penetrates to shallower depths, and the average slip along the fault increases



361

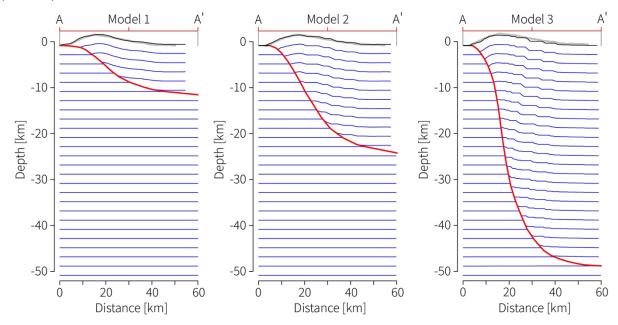


Figure 5: Three thrust fault models replicating the topography of the shortening landform depicted
in Figure (3). All models are shown with 2× vertical exaggeration. Red line is the modeled fault.
Blue lines are arbitrary horizons used to visualize subsurface deformation. Gray lines are observed
topography; black, the modeled topography.

367 Larger amounts of input shortening and thus slip along the fault are needed to uplift the hanging wall block to match the topography (Model 1, Figure 5). This increases the total 368 369 shortening strain of the surface, with consequently less strain accommodated by only the folding 370 (Model 1, Table 1). We interpret such fault geometry as overestimating the accommodated 371 shortening but producing faults that are too shallow with too gentle dips. Faults penetrating deeper 372 need lower amounts of input shortening and so accommodate more folding at the surface (Model 2, Figure 5). Model 2 is the best-fit solution in which the model matches the observed topography 373 374 and strain from folding, and so we take the modeled fault geometry as the best representation of 375 reality. The smallest amount of input shortening, largest fault dip and deepest extent of fault produce equally good topographic matches, but the modeled strain from folding exceeds the 376 observed strain (Model 3, Table 1). This model likely underestimates the accommodated 377 shortening while producing very deep faults that dip too steeply. 378

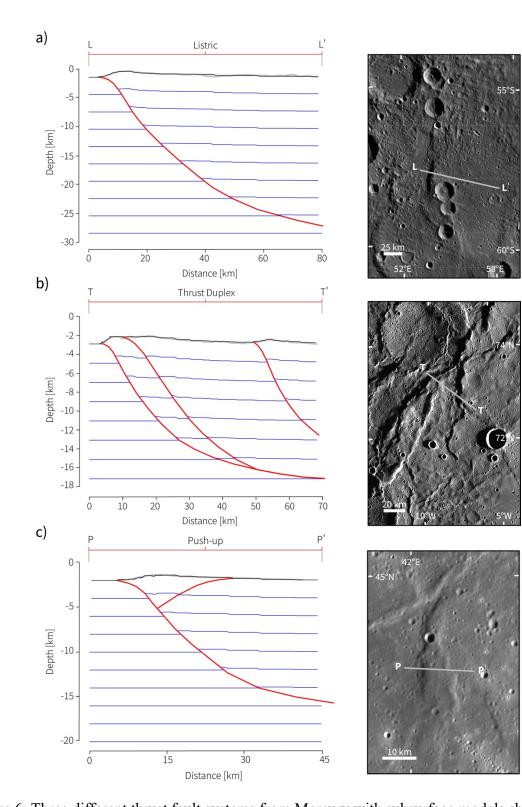




Figure 6: Three different thrust fault systems from Mercury with subsurface models shown onthe left and map view on the right panel. a) An example of a single, listric fault (1.8× vertical

exaggeration). b) An imbricate thrust (3.0× vertical exaggeration). c) A pop-up structure (1.8×
vertical exaggeration). Model line colors are the same as in Figure (5).

## 385 **4) Results**

We applied our workflow and matched the two or, where possible, three controls to model the thrust systems of 55 shortening landforms on Mercury. From these models, 13 values were compiled to study the variability of these thrust systems. Additionally, thrust system type and overall fault shape (i.e., listric or homoclinal) was specified for each landform. We summarize our observation in a catalogue containing 30 lobate scarp and 25 wrinkle ridge archetypes. The summary of observations and individual MOVE models are published in the online repository accompanying this paper (Loveless et al., 2024c).

## **393 4.1) Thrust System Types**

Among the 55 landforms, we modeled thrust systems that can be described as having one of three general geometries. The most prominent thrust system type we model are *single, listric faults* (Figure 6a), with 38 shortening landforms showing this geometry. In these thrust systems, the depth and curvature of the fault dictate how the hanging wall is folded. The large variety of modeled listric fault shapes span the entire range of modeled fault parameters, accommodating small and large strains and lithospheric penetration depths from <10 km to as deep as ~50 km.

400 The remaining 17 modeled thrust systems have multiple faults. Of those, we modeled seven 401 *imbricate thrusts* (Figure 6b). These are a series of sub-parallel thrusts for which tectonic transport 402 is occurring in the same direction and that may be rooted by a floor-thrust or décollement (Boyer 403 and Elliot, 1982). Such structures are known on Earth to consist of overlapping, stacked series of blocks of rock separated by subparallel thrust-faults (Hopgood, 1987). Imbricate thrusts were 404 405 modeled to occur underneath shortening landforms that displayed vergence in the same or nearly 406 the same direction and to be tectonically related by their geographic proximity to one another or 407 by their map patterns. In some instances, the vergence may change along the length of the 408 shortening landform resulting in possible changing thrust system geometries underneath the 409 shortening landform. This phenomenon occurs at the shortening landform shown on the right panel 410 of Figure 6b. Along the surface break towards the southwest, one of the shortening landforms 411 changes vergence and thus may transition from an imbricate thrust to a pop-up structure.

Indeed, *pop-up structures* comprise the third thrust system type we identified, of which we modeled 10 of them. Pop-up structures were interpreted to occur under those shortening landforms that have two or more sets of tectonic vergence in opposite directions (Figure 6c). These pop-up 415 structures host a central crustal block that has been uplifted due to two oppositely dipping thrust 416 faults that border its sides, where the bigger structure is the primary thrust and the smaller structure 417 the secondary or back thrust (Butler, 1987). Generally, pop-up structures on terrestrial planets are 418 found to vary in terms of the size relation of the primary thrust and secondary thrust. Most pop-up 419 structures we model on Mercury, however, show a primary thrust that greatly exceeded the size of 420 the back thrust in terms of fault depth and height, similar to the example in Figure 6c.

## 421 4.2) Comparison Between Shortening Landform Archetypes

We average all of the parameters generated by the modeled shortening landforms in this work (Table 2). Across all structures, the average near surface fault dip, average dip, and maximum dip are 21°, 22°, and 40°, respectively. The average input shortening for all shortening landforms is ~1.5 km. The mean values for average heave, average slip, maximum slip, and average throw are 1.2 km, 1.4 km, 1.6 km, and 0.6 km, respectively. The average depth of faulting across all shortening landforms is 21.9 km and the average fault height is 65.4 km. The sample of shortening landforms in this work produced a modeled strain from folding of -0.28%.

429 We compiled the parameters of our models to analyze their averages and variability for the 430 wrinkle ridge (n = 25) and lobate scarp archetypes (n = 30) for their comparison. First, we averaged each parameter for each archetype landform to identify what defines a typical lobate scarp and 431 432 wrinkle ridge on Mercury; the results are presented in Table (2). The representative thrust fault 433 architecture underlying a lobate scarp archetype is a single, listric thrust fault that shallows with 434 depth (e.g., Figure 5 Model 2; Figure 6a). These shortening landforms have an average dip of  $\sim 26^{\circ}$ 435 and fault to depths of  $\sim 27$  km. The faults accommodate an average of  $\sim 2$  km of slip and produce 436 an average of -0.4% of modeled shortening strain from folding in the hanging wall.

The typical trust system underlying a wrinkle ridge archetype requires more than one fault, either as imbricate thrusts (Figure 6b) or pop-structures (Figure 6c). The most representative wrinkle ridge archetype model is shown in Figure 6c. Such shortening landforms are underlain by faults with an average dip of ~19° that penetrate to depths of ~13 km. These structures accommodate an average slip of ~0.7 km and produce an average of -0.16% of modeled shortening strain from folding in the hanging wall.

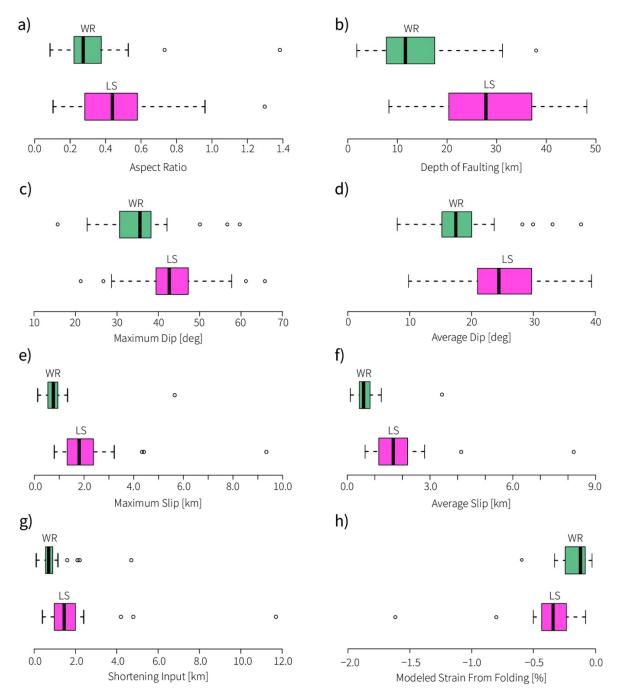
443 Second, we compute box-and-whisker plots for the aspect ratio, depth of faulting, the 444 maximum and average dip angles, the maximum and average slip, the input shortening, and the 445 shortening strain from folding (Figure 7) to document and compare the variability of the fault 446 geometries associated with wrinkle ridge and lobate scarp archetypes on Mercury. We find that 447 these parameters capture all aspects of modeled fault geometries. As with Figure (4), the bold lines 448 within the boxes indicate the median value for each distribution, whereas the upper and lower 449 bounds of the boxes are the first and third quartile values of each distribution. Minima and maxima 450 data are indicated by the bounds of the line segment. Statistical outliers are shown as hollow dots 451 along the axis.

- 452 Table 2: <u>Averaged values of modeled parameters for lobate scarp and wrinkle ridge archetypes.</u>
- 453 Medians and ranges of these modeled parameters are shown in Figure 7.

Modeled Parameter	All Shortening Landforms	Lobate Scarp Archetypes	Wrinkle Ridge Archetypes
Near Surface Fault Dip (°)	21	25	17
Average Dip (°)	22	26	19
Maximum Dip (°)	40	43	36
Input shortening (km)	1.5	2.0	1.0
Average Heave (km)	1.2	1.7	0.7
Average Slip (km)	1.4	2.0	0.7
Maximum Slip (km)	1.6	2.2	0.9
Average Throw (km)	0.6	0.8	0.3
Depth of Faulting (km)	21.9	27.4	13.3
Fault Height (km)	65.4	90.0	64.5
Modeled Strain from Folding (%)	-0.28%	-0.39%	-0.16
Number of Faults	1.36	1.12	1.7
Aspect Ratio	0.41	0.44	0.28

<sup>454</sup> 

455 The majority of aspect ratios for both wrinkle ridge and lobate scarp archetypes fall 456 between 0.1 and 0.6 (Figure 7a). The average aspect ratio among all shortening landforms is 0.4. 457 The range of aspect ratios for lobate scarp archetypes is from 0.1 to 1.3. Wrinkle ridge archetypes 458 have an aspect ratio range of 0.1 to 1.4. Both archetypes show large overlap, but generally lobate 459 scarp archetypes have higher aspect ratios as a result of their greater relief with respect to their 460 lengths than wrinkle ridge archetypes do. We also find that lobate scarp archetypes penetrate to 461 greater depths than their wrinkle ridge archetype counterparts (Figure 7b). Lobate scarp archetypes 462 host faults that penetrate to depths of 8.4 km to 48 km, whereas the range of wrinkle ridge 463 archetypes depth of faulting spans from 1.9 km to 38 km. These ranges of depths are nearly 464 identical as only 6 lobate scarp archetypes are modeled to fault at depths greater than 38 km and 465 only 7 wrinkle ridge archetypes are modeled to fault at depths less than 8.4 km.





467 Figure 7: Box-and-whisker plots for eight parameters of our model solutions, showing the
468 distributions of fault geometries of wrinkle ridge and lobate scarp archetypes on Mercury. These
469 plots show comparisons of: (a) aspect ratios; (b) depth of faulting; (c) maximum dip; (d) average
470 dip; (e) maximum slip; (f) average slip; (g) input shortening; (h) modeled strain from folding.
471
472 L obsta scarp archetypes host faults with a median maximum and a median average dip of

Lobate scarp archetypes host faults with a median maximum and a median average dip of 473 43° and 24° respectively (Figure 7c and d). Wrinkle ridge archetypes dip more shallowly than 474 lobate scarp archetypes with a median maximum dip of 36° and a median average dip of 17°. The range for both maximum and average dip values overlap for both wrinkle ridge and lobate scarp
archetypes. The maximum dip angle for lobate scarp archetypes ranges from 21° to 66° and
wrinkle ridge archetype maximum dip angles ranges from 16° to 60° (Figure 7c), almost covering
the same range of dip angles.

479 For both maximum and average slip values, wrinkle ridge archetypes overlap with the 480 lower extent of lobate scarp archetype values (Figure 7g and h). A similar trend is shown in the 481 ranges of input shortening values for wrinkle ridge and lobate scarp archetypes, where wrinkle 482 ridge archetypes overlap with the lower extent of lobate scarp archetype values. The modeled strain 483 from folding for wrinkle ridge and lobate scarp archetypes also demonstrates considerable overlap 484 (Figure 7h). More negative values of modeled strain from folding indicate a greater amount of folding. Wrinkle ridge archetypes show less modeled shortening strain from folding than lobate 485 486 scarp archetypes, but almost the entire range of wrinkle ridge archetype values falls within the 487 lower range of modeled strain from folding values for lobate scarp archetypes.

#### 488 4.3) The largest shortening landform on Mercury: Enterprise Rupes

489 Enterprise Rupes is widely regarded as one of the largest shortening landforms on 490 Mercury's surface (e.g., Ferrari et al., 2015; Watters et al., 2016; Byrne et al., 2018) so we include it in our analysis (Figure 8a). Its highest vertical relief exceeds 3 km, and it has a mapped fault 491 492 length of ~1000 km (Loveless et al., 2024b). Owing to its size, Enterprise Rupes was statistically 493 classified with the highest lobate scarp designation in Loveless et al. (2024a). Enterprise Rupes is 494 located in the southern hemisphere and crosscuts multiple impact craters including Rembrandt 495 Basin: a large, 715 km diameter impact basin. Its highest structural relief towards the southeastern 496 portion of its surface break. In this region, Enterprise Rupes is unaffected by large impacts or the 497 geology of the Rembrandt basin, which is host to other smaller impacts, extensional and 498 contractional tectonic features, thus providing an ideal cross-section to model the subsurface 499 structure solely as it relates to the underlying fault architecture.

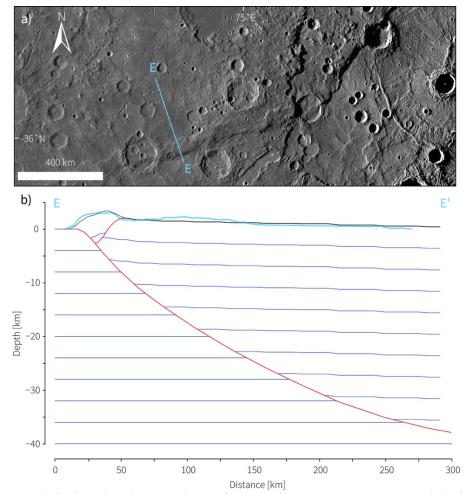


Figure 8: Top panel depicts the photogeology of Enterprise Rupes. Bottom panel depicts the model
constructed underneath the transect E to E' in the image. Color coding is the same as in Figure (5)
but observed topography corrected for anomalous topographic variations is shown in light blue.
Model and topography in 4× VE.

505

506 Northwestward along the surface break, there are notable topographic highs that are likely 507 unrelated to the deformation produced by the primary fault that formed Enterprise Rupes. To better 508 constrain the shortening strain of Enterprise Rupes, we subtract these topographic variations from 509 the observed topography (light blue line, Figure 8b). The displacement and strains generated by 510 our model can therefore be assumed to be a lower bound for the possible displacements and strains. 511 In this region, the morphology of Enterprise Rupes indicates two fault surface breaks and forelimbs 512 with opposing vergence. The primary direction of tectonic transport along Enterprise Rupes is 513 towards the southeast, as indicated by the pronounced forelimb along much of the structure and 514 the multiple impact craters that Enterprise Rupes crosscuts.

515 The vertical relief at this area has been measured to be 3.3 km (Loveless et al., 2024b). The 516 backlimb beyond the pop-up created by the oppositely verging thrust is also uplifted. To achieve 517 such relief, a model input of 9 km of shortening was applied to the main thrust. The role of the 518 secondary thrust only affects the peak at the tip of the shortening landform. The input shortening 519 for this thrust was 2.7 km. These input shortenings for the primary and secondary thrusts translated to a maximum slip value of 9.3 km and 2.7 km, respectively. The primary fault has an average dip 520 521 of 9° and a maximum dip of 17°. The secondary fault has an average dip of 11° and a maximum 522 dip of 21°. The lower average dip angles are because of the extensive listric architecture of the 523 fault geometry. We model Enterprise Rupes to fault to a depth of 34 km. The modeled strain from 524 folding for Enterprise Rupes is -0.13, which is less than the median value of -0.34 found among 525 lobate scarp archetypes (Figure 7h). However, the maximum slip, average slip, and slip 526 components (average heave and throw) for Enterprise Rupes are, unsurprisingly, the largest values 527 modeled in our data set.

#### 528 5) Discussion

### 529 5.1) Lobate Scarp and Wrinkle Ridge Archetype Thrust Systems

530 We modeled the subsurface structure of 55 shortening landforms on Mercury to learn about 531 the thrust systems that generated them. The results of our study show a large variation of fault 532 geometric parameters (Figure 7). This finding demonstrates that thrust systems on Mercury are 533 complex and host a large variation of thrust geometries, similar to what is observed in thrust 534 systems on Earth. Based on a linear discriminant analysis of the shapes of these landforms 535 (Loveless et al., 2024a), we selected those shortening landforms for our modeling that showed the 536 biggest differences to one another with the intention of analyzing the broadest variation of thrust 537 system morphologies that occur on Mercury's surface. We interpret the large variation of dip 538 angles, depth of faulting, and slip as indicative of highlighting the innate complexities of Mercury's 539 thrust systems.

The morphology of shortening landforms on Mercury supports wrinkle ridges and lobate scarps as endmember categories on a spectrum of shortening landforms (Loveless et al., 2024a). The results in this study provide additional support for these as archetypes as the average values for all shortening landforms consistently lie between average parameter values for the archetypes (Table 2). In addition, the distributions of fault parameters of wrinkle ridge and lobate scarp archetypes either overlap or form a continuum, as seen in the first and third quartile values of wrinkle ridge archetypes beginning or ending where those of lobate scarp archetypes end or begin(see position of boxes in Figure 7).

548 The most notable difference between archetype types is the *number* of faults, and the least 549 amount of overlap occurs in the *depth* of faulting. A typical lobate scarp archetype was modeled 550 using one listric thrust fault that penetrated to depths of ~27 km (e.g., Figure 6a) whereas a typical 551 wrinkle ridge archetype was modeled with 2 faults (Table 2) and penetrates only to depths of ~13 552 km (e.g., Figure 6c). The differences between wrinkle ridge and lobate scarp archetypes are likely 553 to arise differences in host lithology. Most of the wrinkle ridge archetypes in this study are situated 554 in the smooth plains units, whereas most of the lobate scarp archetypes are located in the intercrater 555 plains units (Figure 2). Regardless, with an average depth of faulting of 13 km, wrinkle ridge 556 archetypes penetrate deeper than estimates of up to 2 km for the depth of the volcanic 557 emplacements that make up the smooth plains units (Head et al., 2011; Ostrach et al., 2015; Du et 558 al., 2020). This geometry suggests that the mechanisms that produce lobate scarp and wrinkle ridge 559 archetypes are the same. However, geographically, the lithosphere underlying the smooth plains 560 units may have hosted very deeply penetrating thrust faults, the surface expression of which would 561 have been muted by the subsequent emplacement of relatively well-layered smooth plains. These newer mechanical layers were not present in the intercrater plains, and such faulting underneath 562 563 the smooth plains lava emplacements may have been reactivated upward, creating the shortening 564 landforms observed in these units without slip occurring at deeper depths. When a geologically 565 younger, thin unit of rock is placed on top of a faulted rock volume and is then mechanically faulted through, more complex deformation in the upper layer is caused by the basement-reactivated fault. 566

Both endmember types vary widely in subsurface geometry, with some wrinkle ridge archetypes being modeled with single faults and some lobate scarp members hosting multi-fault thrust systems. These results illustrate further that the "typical" archetype lobate scarp and wrinkle ridge structures show some differences, but that the spectrum of thrust architecture underlying both of these landform types shows substantial overlap. These findings echo those of Loveless et al. (2024a), further corroborating that shortening landforms on Mercury's surface exist on a spectrum between the traditional nomenclature of lobate scarps and wrinkle ridges.

574 5.2) Tectonic Architecture of Thrust Systems on Mercury

575 All shortening landforms in this study are underlain by listric faults (e.g., Figure 6). The 576 typical lobate scarp archetype structure contains only a single, listric fault. Shortening landforms 577 that are modeled with more than one fault may either be constructed with multiple listric faults, or 578 the secondary (and possibly tertiary) faults may have a more homoclinal geometry (e.g., the 579 secondary faults in Figure 6c and Figure 8). The listric geometry of the fault is what dictates the 580 shape of the overlying topography in a fault-bend fold. When comparing lobate scarps on Mercury 581 with tectonic deformational features on Earth, Byrne et al. (2018) had described lobate scarps "as upthrust volumes of rock that are likely the folded portions of hanging walls atop of thrust faults." 582 583 This analogy describes lobate scarps that have formed from surface breaking thrusts on Mercury 584 as fault-bend folds.

585 Previous studies using the COULOMB dislocation modeling found listric faults to be a 586 viable architecture underlying contractional tectonics on terrestrial planets (e.g., Watters and 587 Schultz, 2002; Peterson et al., 2020). However, these studies also show that listric faults and 588 homoclinal faults generate similar topography, suggesting non-unique solutions. Other studies 589 using the same modeling technique have argued that listric faults fail to accurately generate observed topography (e.g., Egea-González et al., 2012; Herrero-Gil et al., 2019). This modeling 590 591 technique does not consider folding. If the hanging wall is faulted over the footwall at the surface, 592 it will likely fold over the fault. By using a fault-bend-fold geometry, our models replicate this 593 folding. In a fault-bend-fold model, the listric shape of the underlying fault greatly affects the way 594 the surface folds after the input shortening is applied. The change in dip along a listric geometry 595 affects the displacement along the fault as governed by the same trigonometric relationships 596 described by a ramp-up structure in Suppe (1983).

A typical archetype wrinkle ridge structure requires two or more faults to accurately 597 598 replicate topographic observations (Figure 7c). Pop-up structures are more common than imbricate 599 thrusts for multi-fault thrust systems used to model wrinkle ridge archetypes. For wrinkle ridge 600 archetypes, we see that the folding of the hanging wall produced by the pop-up structure creates a 601 plateau flanked on either side by monoclines that are folded over their fault plains. This agrees 602 with previously proposed structural interpretations of wrinkle ridges (Byrne et al., 2018). Slope-603 asymmetry analysis of wrinkle ridges on Mars supports similar geometries (Okubo and Schultz, 604 2004). These Martian wrinkle ridges are the accumulation of a primary thrust and secondary back 605 and fore thrusts that branch off the primary thrust. We find some similar subsurface geometries for 606 shortening landforms with opposing thrust-fault vergence. However, the wrinkle ridge archetypes 607 on Mercury described here have greater relief than the Martian landforms analyzed in Okubo and

608 Schultz (2004). We also find simpler fault architectures to be able to replicate many of our wrinkle 609 ridge archetypes than some of the geometries suggested by Okubo and Schultz (2004). 610 Additionally, contractional tectonics on Earth that result in a hanging-wall folding over the thrust and footwall (e.g., Petterson et al., 1997; Last et al., 2012) are frequently used as analogous 611 612 structures for contractional tectonics on other terrestrial planets (e.g., Plescia and Golombek, 1986; 613 Watters, 1988; Crane and Klimczak, 2019b; Crane, 2020b). The results presented here then suggest 614 that fault-bend fold architectures should be further utilized when structurally assessing 615 contractional tectonics in Mercury's smooth plains.

616 Imbricate thrust structures are the least common fault geometry we model in our sample of 617 shortening landforms. Only two lobate scarp archetypes and five wrinkle ridge archetypes were modeled as imbricate thrusts. The small sample size of multi-fault lobate scarp archetypes is likely 618 619 a result of the sample selection process, as the LDA in Loveless et al. (2024a) classified the most 620 endmember lobate scarps by their larger sizes. The size of these structures may be indication that 621 the faults matured to the point that previous imbricate thrusts linked into a large singular fault 622 plane, indicative of how Cowie and Scholz (1992) suggest faults grow within the Earth's 623 lithosphere. Alternatively, more shortening landforms occupy the geologically younger smooth plains than the geologically older intercrater plains units (Byrne et al., 2014). The concentration 624 625 of shortening landforms in the smooth plains attests to the greater number of shortening landforms 626 we modeled in the smooth plains to host more than one fault in the underlying structure. However, 627 many shortening landforms on Mercury display multiple sub-parallel to parallel surface breaks 628 similar in photogeology to the imbricate thrusts modeled here (e.g., Crane and Klimczak, 2019b). 629 Expanding the sample size of this work may then increase the shortening landforms in the intercrater plains units. 630

# 631 5.3) Implications for Mercury Tectonics

Many studies use the vertical relief of a structure as equal to the throw of the underlying fault to infer the displacement along the fault plane (e.g., Watters et al., 2001; Byrne et al., 2014; Klimczak et al., 2018; Watters, 2021). Friction theory predicts optimal dip angles for thrust faults in a basaltic rock volume to be  $\sim$ 31° and thus displacements are typically inferred for angles of 30°±5°. Results of our analysis show that the average and maximum dip angles of thrust faults on Mercury are  $\sim$ 22° to  $\sim$ 40°, respectively (Table 2). This is a larger range of dip angles of thrust faults than used previously, including thrust faults with much shallower and steeper dips. Our results thus warrant considerations of a wider range of dip angles for any analysis inferring thrust fault displacements from measurements of structural relief. Using the traditional method of deriving shortening strain for planetary thrust faults (e.g., Byrne et al., 2014; Watters, 2021), an average dip value of ~22° would increase previous estimates of Mercury's global strain whereas an angle of 40° would reduce strain estimates (e.g., Byrne et al., 2014; Watters 2021). The larger range of dip angles found in this study suggests that previous assumptions of the range of dip angles for Mercury's population of thrust faults yielded a too narrow range of strain estimates.

Enterprise Rupes is a shortening landform that Galluzzi et al. (2015) assessed with crosscut 646 647 craters. They found a large range of dip angles for the faults underlying Enterprise Rupes, ranging from  $15^{\circ}\pm5^{\circ}$  to  $57^{\circ}\pm16^{\circ}$ , which agrees well with our range of modeled dips. Our results indicate 648 649 that Enterprise Rupes has an average dip angle of  $\sim 10^{\circ}$  and a maximum dip of  $21^{\circ}$  close to the surface, agreeing well with the lower estimates of two of the three crosscut craters near our 650 651 transect. However, the crater evaluated by Galluzzi et al. (2015) that is closest to our transect has 652 the steepest dip angles. This mismatch may be due to the degradational state of this crater or to the 653 natural complexity of the fault system in this area. Galluzzi et al. (2015) consider a single fault 654 when assessing the deformation of this crater, while multiple faults are required to match the map pattern and topography of Enterprise Rupes. If this crater was deformed by two opposing faults, 655 656 this may explain the mismatch between the two analyses.

A second shortening landform in our study also crosscuts a crater assessed by Galluzzi et al. (2015) (their Crater 05-C). We find a near-surface dip angle and average dip angle of 29° and 30°, respectively, which is relatively close to the dip angle range of  $20^{\circ} \pm 3^{\circ}$  reported in Galluzzi et al. (2015). The discrepancies of our results may be due to the fact that a crosscut crater only captures the local, near-surface dip of the fault. Our modeling efforts capture the broader structure and take into account the topography beyond the extent of the crater.

The mean of the average dips for our modeled lobate scarp archetypes averages at ~27° for all models. This value agrees with previous modeling results of individual or small sets of shortening landforms (e.g., Schultz and Watters, 2001; Egea-González et al., 2012; Egea-González et al., 2017). The mean of the maximum dips for lobate scarp archetypes is ~43°, with a few individual structures even showing maximum dips of ~60° (Figure 7c), which is rather atypical for thrust faults. However, our wrinkle ridge archetypes have an average dip of ~19°. This value is considerably less than the range of dip angles found in COULOMB dislocation modeling efforts 670 by Peterson et al. (2020). Multiple models constructed in Peterson et al. (2020) were shown to 671 produce similar topographies for the same shortening landform and listric fault geometries were 672 created by using a step curvature function from one fault tip to the other. In our study we find that 673 folding at the surface plays a substantial role in dictating the depth and dip angle of our faults. The 674 COULOMB modeling software cannot take into account distortion from folding and instead 675 assumes fully elastic deformation around the fault from a single faulting event, scaled up to the 676 shape of the landforms after many slip events, which becomes unrealistic for the large displacements associated with these shortening landforms. This limitation in COULOMB is likely 677 678 the reason for the discrepancy in dip angles for wrinkle ridge archetypes in the two approaches.

679 Our models indicate a wide range of depths of faulting for all shortening landforms. The average depth of faulting for all modeled shortening landforms is ~22 km and shortening landforms 680 681 inside the intercrater plains fault to an average depth of ~27 km. Intercrater plains likely are 682 composed of a brittle volume of basaltic crust that may act as a single mechanical unit. The greatest 683 penetration depths we find extend to ~48 km (Figure 7b), suggested that the faulted volume of 684 Mercury's lithosphere reaches depths perhaps as much as 50 km. Previous studies that have 685 investigated the depth extent of faulting for shortening landforms on Mercury provide similar values, such as 25-40 km for faults in the intercrater plains (e.g., Watters and Schultz 2002; Ritzer 686 687 et al., 2010; Egea-González et al., 2012).

688 Alternatively, the basaltic lava emplacements of the smooth plains units are only estimated 689 to be only a few hundred meters to up to  $\sim 2$  km thick and they sit on top of basement rock (Head 690 et al., 2011; Ostrach et al., 2015; Du et al., 2020). The modeled average depth of faulting of 13 km 691 for the wrinkle ridge archetypes in this study greatly exceeds these thickness estimates. This model 692 depth indicates that many of the modeled wrinkle ridge archetypes are not by any measure 693 constrained to within the smooth plains units. Previous work has also suggested that smooth plains 694 structures can fault to comparable depths to intercrater plains structures (e.g., Peterson et al., 2020). 695 In these geographic regions, Mercury's lithosphere is composed of volcanic deposits overlaying 696 mechanically weak layers of rock due to impacts. Therefore, there are likely multiple mechanical 697 interfaces of different deformed basaltic layers, and so the terms thin and thick-skinned tectonics 698 as described for Earth's tectonics by Pfiffner (2017) are likely an inaccurate way to structurally 699 describe Mercurian tectonics. However, we find that these faulting depths for wrinkle ridge 700 archetypes agree with the term "basement involved thin-skinned tectonics" attributed to Mercury's

701 tectonics by Crane and Klimczak (2019b). In this case, the deformation in the smooth plains units 702 are influenced by the faulting in the underlying basement rock such that deformation in the 703 basement produces a series of structural geometries and patterns in the smooth plains that are 704 characteristic of thin-skinned deformation. Many of our wrinkle ridge archetype models are 705 consistent with basement involved thin-skinned tectonics, where, for example, pop-up structures 706 that reside in the smooth plains units typically contain a primary fault that penetrates 10 km below 707 the surface but the secondary fault only penetrating no deeper than  $\sim 3$  km (Figure 6c). In a 2–3 km thick smooth plains units, then, these secondary faults may be the result of more complex 708 709 deformation occurring solely within these unit but that connect to, and were initiated by faulting 710 at depth, in the underlying basement rock. The mechanically distinct plains units may then partition 711 strain off of the primary, deeply rooted thrust, resulting in additional faults and folds that are only 712 confined to the smooth plains units. This is similar to the process described by Crane and Klimczak 713 (2019b) for contractional tectonics in Mercury's smooth plains units where thrusts rooted in the 714 underlying lithosphere causes deformation in the overlying, mechanically-weak layer.

Wrinkle ridges in the smooth plains units on Mercury have been compared with shortening 715 716 structures in the lunar maria, with those landforms on the Moon being ascribed to loading-induced 717 subsidence with contributions from global contraction (Schleicher et al., 2019). However, loading-718 induced subsidence is inconsistent with basement-involved thin-skinned thrust tectonics and a 719 formation of such structures on Mercury by global contraction alone is more plausible. In fact, 720 thrust faults underlying shortening landforms described as wrinkle ridges found in several mare 721 units in lunar mascon basins are found to be deep-seated (Byrne et al., 2016; Collins et al., 2023). 722 Their origin is ascribed to mascon tectonics (Byrne et al., 2015), and their continued growth and 723 surface expression in the surficial mare units did not require loading stresses from the mare units 724 whereas contributions of stresses from the lunar global contraction are plausible (Byrne et al., 2015). 725

We do not detect a systematic pattern of the distribution of shortening strains across Mercury, albeit wrinkle ridge archetypes tend to produce somewhat less strain than lobate scarp archetypes. However, the variance of shortening strain from wrinkle ridge archetypes and lobate scarp archetypes overlaps substantially (Figure 7f). These findings agree with previous studies that observed geologic trends in morphology and timing (e.g., Banks et al., 2015; Crane and Klimczak, 2019b; Peterson et al., 2019). If global contraction were the source of stresses driving faulting, there would be no systematic pattern of strain distribution expected, even if it overlapped with other processes. Other processes that have been invoked for Mercury to produce global fracture patterns like despinning (e.g., Melosh, 1977; Matsuyama and Nimmo, 2009) or reorientation (Matsuyama and Nimmo, 2009) would only influence the orientation of fracture patterns (Klimczak et al. 2023) when working in conjunction with global contraction. However, the shortening strain of the landforms likely would not have a global systematic pattern if global contraction is the primary source of stresses to cause faulting.

#### 739 6) Conclusions

740 We investigated the thrust fault geometries beneath 55 shortening landforms on Mercury. 741 We specifically selected wrinkle ridge and lobate scarp archetypes to highlight the differences in 742 thrust system geometries that are present within Mercury's lithosphere. We find that while Mercury hosts diverse thrust systems, including single, listric faults, imbricate thrusts, and pop-up 743 744 structures, the thrust fault geometries of wrinkle ridge and lobate scarp archetypes overlap or form 745 a continuum (Figure 7). This overlap and continuation in range of fault geometric parameters 746 confirm our previous results (Loveless et al., 2024a), where shortening landforms on Mercury form 747 a spectrum of landform shapes rather than discrete categories. The results of the work presented 748 here further illustrates the impracticality of traditional "lobate scarp" and "wrinkle ridge" 749 nomenclature to describe landforms that are much more similar than they are different.

We find a large range of fault geometric parameters for the thrust systems that underly Mercury's shortening landforms. The average fault dip of all the structures ranges from  $\sim 22^{\circ}$  and to  $\sim 40^{\circ}$ . We also find that the deepest fault penetrates Mercury's lithosphere to 48 km, whereas the average depth of faulting for all studied structures is 22 km. These parameters may serve to better constrain future studies estimating fault strain or analyzing lithospheric structure on Mercury.

755 Our modeling results inform an understanding of Mercury's tectonic character. The 756 shortening landforms that reside in Mercury's smooth plains units are likely caused by the 757 basement involved thin-skin tectonics mechanism suggested by Crane and Klimczak (2019b), with 758 thrusts penetrating well below the lavas that makeup the smooth plains units. As the faults 759 penetrate deep into the underlying basement rock and show no noticeable difference in strain 760 compared with faults in intercrater plains, the formation of these thrusts by loading-induced 761 subsidence can be ruled out and instead are likely to have been primarily driven by global 762 contraction.

# 763 7) Acknowledgements

- The research presented here was funded by NASA's SSW program under grant 20-SSW20-0153.
- 765 We make use of 14 MESSENGER products available on the PDS Geoscience Node in the MDIS
- archive specifically in node PDS3 and in the MLA archive in node PDS4. We thank PE Limited
- 767 (Petex) for their donation of academic licenses of the MOVE modeling software to the University
- of Georgia.

# 769 8) Data Availability

- 770 The supplementary material for this research is available on Mendeley Data at Loveless et al.
- 771 (2024c): <u>https://data.mendeley.com/datasets/k4yrmr5j6k/1</u>.

# 772 9) References

- Bally, A. W., Gordy, P.L., and Steward, GA., 1966. Structure, seismic data and orogenic evolution
  of the southern Canadian Rocky Mountains. Bull. Can. Petrol. Geol. 14, 337–381.
- 775

Banks, M.E., Xiao, Z., Watters, T.R., Strom, R.G., Braden, S.E., Chapman, C.R., Solomon, S.C.,
Klimczak, C., Byrne, P.K., 2015. Duration of activity on lobate-scarp thrust faults on Mercury.
Journal of Geophysical Research: Planets 120, 1751–1762. https://doi.org/10.1002/2015je004828

779

780 Bertone, S., Mazarico, E., Barker, M.K., Siegler, M.A., Martinez-Camacho, J.M., Hamill, C.D., Glantzberg, A.K., Chabot, N.L., 2023. Highly Resolved Topography and Illumination at Mercury's 781 MESSENGER Planet. 782 South Pole from MDIS NAC. Sci. J. 4, 21. 783 https://doi.org/10.3847/psj/acaddb

784

785 1982. Systems. Boyer, S. Е., and Elliot, D. Thrust AAPG Bulletin, 66. 786 https://doi.org/10.1306/03b5a77d-16d1-11d7-8645000102c1865d 787

- Brandes, C., Tanner, D.C., 2014. Fault-related folding: A review of kinematic models and their
  application. Earth-Science Reviews 138, 352–370. https://doi.org/10.1016/j.earscirev.2014.06.008
- Butler, R.W. H., 1987. Thrust sequences. Journal of the Geological Society 144, 619–634.
  https://doi.org/10.1144/gsjgs.144.4.0619
- 793
  794 Byrne, P. K., Klimczak, C., and LaFond, J. K., 2016. The East Kaibab monocline: A Terran lobate
  795 scarp? Lunar Planet. Sci. XLVII. Abstract 1022.
  - 796
  - Byrne, P.K., Klimczak, C., Şengör, A.M.C., Solomon, S.C., Watters, T.R., II, S.A.H., 2014.
    Mercury's global contraction much greater than earlier estimates. Nat Geosci 7, 301–307.
    <a href="https://doi.org/10.1038/ngeo2097">https://doi.org/10.1038/ngeo2097</a>
  - 800
  - 801 Byrne, P.K., Klimczak, C., McGovern, P.J., Mazarico, E., James, P.B., Neumann, G.A., Zuber,
  - 802 M.T., Solomon, S.C., 2015. Deep-seated thrust faults bound the Mare Crisium lunar mascon. Earth 802 and Planetary Science Letters 427, 182, 100, https://doi.org/10.1016/j.org/2015.06.022
  - and Planetary Science Letters 427, 183–190. https://doi.org/10.1016/j.epsl.2015.06.022

- 804
- Byrne, P.K., Klimczak, C., Şengör, A., 2018. The tectonic character of Mercury. IN: Solomon, S.C.
  (Ed.), Mercury. The View after MESSENGER. Pp. 249–286.
- 807
- Chapple, W.M., 1978. Mechanics of thin-skinned fold-and-thrust belts. GSA Bulletin 89, 1189–
  1198. https://doi.org/10.1130/0016-7606(1978)89<1189:motfb>2.0.co;2
- 810
- 811 Collins, M.S., Byrne, P.K., Klimczak, C., Mazarico, E., 2023. Thrust Faults Bound an Elevated
  812 Mantle Plug Beneath Several Lunar Basins. Journal of Geophysical Research: Planets 128.
- 813 https://doi.org/10.1029/2022je007682
- 814
- Connors, C.D., Hughes, A.N., Ball, S.M., 2021. Forward kinematic modeling of fault-bend
  folding. Journal of Structural Geology 143, 104252. https://doi.org/10.1016/j.jsg.2020.104252
- Cowie, P.A., Scholz, C.H., 1992. Displacement-length scaling relationship for faults: data
  synthesis and discussion. Journal of Structural Geology 14, 1149–1156.
  https://doi.org/10.1016/0191-8141(92)90066-6
- 821
- Crane, K.T., Klimczak, C., 2019a. A 3-D structural model of the Saddle Mountains, Yakima Fold
  Province, Washington, USA: Implications for Late Tertiary tectonic evolution of the Columbia
  River Flood Basalt Province. Tectonophysics 766, 1–13.
  https://doi.org/10.1016/j.tecto.2019.05.015
- 826
- 827 Crane, K.T., Klimczak, C., 2019b. Tectonic patterns of shortening landforms in Mercury's northern
  828 smooth plains. Icarus 317, 66–80. <u>https://doi.org/10.1016/j.icarus.2018.05.034</u>
- 829
  - Crane, K., 2020a. Structural interpretation of thrust fault-related landforms on Mercury using Earth
    analogue fault models. Geomorphology 369, 107366.
    https://doi.org/10.1016/j.geomorph.2020.107366
  - 833
  - Crane, K., 2020b. Approach and application of industry software to structural investigations in the
     subsurface of Mercury's thrust fault-related landforms. Journal of Structural Geology 141, 104218.
     <a href="https://doi.org/10.1016/j.jsg.2020.104218">https://doi.org/10.1016/j.jsg.2020.104218</a>
  - 837
  - Balanced cross sections. Canadian Journal of Earth Sciences 6, 743–
    757. <u>https://doi.org/10.1139/e69-069</u>
  - 840
  - 841 Denevi, B.W., Chabot, N.L., Murchie, S.L., Becker, K.J., Blewett, D.T., Domingue, D.L., Ernst,
  - 842 C.M., Hash, C.D., Hawkins, S.E., Keller, M.R., Laslo, N.R., Nair, H., Robinson, M.S., Seelos, F.P.,
  - 843 Stephens, G.K., Turner, F.S., Solomon, S.C., 2017. Calibration, Projection, and Final Image
  - 844 Products of MESSENGER's Mercury Dual Imaging System. Space Science Reviews 214, 2.
  - 845
  - 846 Denevi, B.W., Ernst, C.M., Meyer, H.M., Robinson, M.S., Murchie, S.L., Whitten, J.L., Head,
  - J.W., Watters, T.R., Solomon, S.C., Ostrach, L.R., Chapman, C.R., Byrne, P.K., Klimczak, C.,
  - 848 Peplowski, P.N., 2013. The distribution and origin of smooth plains on Mercury. Journal of
  - 649 Geophysical Research: Planets 118, 891–907. https://doi.org/10.1002/jgre.20075

- 850
- Bu, J., Wieczorek, M.A., Fa, W., 2020. Thickness of Lava Flows Within the Northern Smooth
  Plains on Mercury as Estimated by Partially Buried Craters. Geophysical Research Letters 47.
  https://doi.org/10.1029/2020gl090578
- 854
- Dzurisin, D., 1978. The tectonic and volcanic history of Mercury as inferred from studies of scarps,
  ridges, troughs, and other lineaments. J Geophys Res Solid Earth 83, 4883–4906.
  <u>https://doi.org/10.1029/jb083ib10p04883</u>
- 858
- Egan, S.S., Buddin, T.S., Kane, S., Williams, G.D., 1997. Three-dimensional modelling and
  visualisation in Structural Geology: New Techniques for the restoration and balancing of volumes.
  Electronic Geology 1, 67–82.
- 862
- Egea-González, I., Ruiz, J., Fernández, C., Williams, J.-P., Márquez, Á., Lara, L.M., 2012. Depth
  of faulting and ancient heat flows in the Kuiper region of Mercury from lobate scarp topography.
  Planetary and Space Science 60, 193–198. <u>https://doi.org/10.1016/j.pss.2011.08.003</u>
- 866
- Egea-Gonzalez, I., Jiménez-Díaz, A., Parro, L.M., López, V., Williams, J.-P., Ruiz, J., 2017. Thrust
  fault modeling and Late-Noachian lithospheric structure of the circum-Hellas region, Mars. Icarus
  288, 53–68. https://doi.org/10.1016/j.icarus.2017.01.028
- 870

Ferrari, S., Massironi, M., Marchi, S., Byrne, P.K., Klimczak, C., Martellato, E., Cremonese, G.,
2015. Age relationships of the Rembrandt basin and Enterprise Rupes, Mercury. Geological
Society, London, Special Publications 401, 159–172. https://doi.org/10.1144/sp401.20

- Galluzzi, V., Achille, G.D., Ferranti, L., Popa, C., Palumbo, P., 2015. Faulted craters as indicators
  for thrust motions on Mercury. Geological Society, London, Special Publications 401, 313–325.
  https://doi.org/10.1144/sp401.17
- 878
- Golombek, M.P., Anderson, F.S., Zuber, M.T., 2001. Martian wrinkle ridge topography: Evidence
  for subsurface faults from MOLA. Journal of Geophysical Research: Planets 106, 23811–23821.
  <a href="https://doi.org/10.1029/2000je001308">https://doi.org/10.1029/2000je001308</a>
- 882
- Head, J.W., Chapman, C.R., Strom, R.G., Fassett, C.I., Denevi, B.W., Blewett, D.T., Ernst, C.M.,
  Watters, T.R., Solomon, S.C., Murchie, S.L., Prockter, L.M., Chabot, N.L., Gillis-Davis, J.J.,
  Whitten, J.L., Goudge, T.A., Baker, D.M.H., Hurwitz, D.M., Ostrach, L.R., Xiao, Z., Merline, W.J.,
  Kerber, L., Dickson, J.L., Oberst, J., Byrne, P.K., Klimczak, C., Nittler, L.R., 2011. Flood
  volcanism in the northern high latitudes of Mercury revealed by MESSENGER. Science (New
  York, N.Y.) 333, 1853–6. https://doi.org/10.1126/science.1211997
- 889
- Herrero-Gil, A., Ruiz, J., Romeo, I., 2019. 3D modeling of planetary lobate scarps: The case of
  Ogygis Rupes, Mars. Earth and Planetary Science Letters 532, 116004.
  https://doi.org/10.1016/j.epsl.2019.116004
- 893

- Herrero-Gil, A., Ruiz, J., Romeo, I., 2020. Lithospheric Contraction on Mars: A 3D Model of the
  Amenthes Thrust Fault System. Journal of Geophysical Research: Planets 125.
  https://doi.org/10.1029/2019je006201
- 897
- Hopgood, A.M. (1987). Imbricate structure. In: Structural Geology and Tectonics. Encyclopedia
  of Earth Science. Springer, Berlin, Heidelberg. https://doi.org/10.1007/3-540-31080-0\_50
- Hughes, A.N., Benesh, N.P., Shaw, J.H., 2014. Factors that control the development of fault-bend
  versus fault-propagation folds: Insights from mechanical models based on the discrete element
  method (DEM). Journal of Structural Geology 68, 121–141.
  https://doi.org/10.1016/j.jsg.2014.09.009
- 905
- Jackson, J., McKenzie, D., 1983. The geometrical evolution of normal fault systems. Journal of
  Structural Geology 5, 471–482. <u>https://doi.org/10.1016/0191-8141(83)90053-6</u>
- 908
- 909 Klimczak, C., Crane, K.T., Byrne, P.K., 2023. Revealing multiple global tectonic patterns on
  910 Mercury. Lunar Planet Sci LIV. Abstract 1122.
- 911
- Last, G.V., Winsor, K., Unwin, S.D., 2012. A Summary of Information on the Behavior of the
  Yakima Fold Belt as a Structural Entity -- Topical Report. https://doi.org/10.2172/1053763
- 914
  915 Loveless, S.R., Klimczak, C., McCullough, L.R., Crane, K.T., Holland, S.M., Byrne, P.K., 2024a.
  916 A statistical evaluation of the morphological variability of shortening landforms on Mercury.
  917 Icarus 416, 116106. https://doi.org/10.1016/j.icarus.2024.116106
- 918
- Loveless, S., Klimczak, C., McCullough, L., Crane, K., Holland, S., Byrne, P., 2024b. Code and
  Data for 'A statistical evaluation of the morphological variability of shortening landforms on
  Mercury.'. Revised, Mendeley Data V2. https://doi.org/10.17632/8968vkgpds.2.
- 922
- Loveless, S., Klimczak, C., Crane, K., Byrne, P., 2024c. Models, topographic profiles, and data for
  'Geometric forward modeling of thrust systems underlying shortening landforms on Mercury.',
  Mendeley Data, V1, https://doi.org/10.17632/k4yrmr5j6k.1.
- 926

- Matsuyama, I., Nimmo, F., 2009. Gravity and tectonic patterns of Mercury: Effect of tidal
  deformation, spin-orbit resonance, nonzero eccentricity, despinning, and reorientation. Journal of
  Geophysical Research: Planets 114. https://doi.org/10.1029/2008je003252
- Matthews, V., Work, D.F., 1978. Laramide Folding Associated with Basement Block Faulting in
  the Western United States. Geological Society of America Memoirs 101–124.
  <u>https://doi.org/10.1130/mem151-p101</u>
- 935 McClay, K.R., 1978. Thrust and nappe tectonics. Tectonophysics 50, 79.
   936 <u>https://doi.org/10.1016/0040-1951(78)90200-7</u>
- 937
  938 McClay, K. R., and Price, N. J. (1981). (Eds.), *Thrust and Nappe Tectonics*, Spec. Publ. 9, 539
  - 939 pp., Geological Society of London, Oxford.

- 940
- 941 Melosh, H.J., 1977. Global tectonics of a despun planet. Icarus 31, 221–243.
  942 https://doi.org/10.1016/0019-1035(77)90035-5
- 943
  944 Melosh, H. J. and McKinnon, W. B., 1988. The tectonics of Mercury. In: Vilas, F., Chapman, C.
  945 R., Matthews, M. S. (Eds.), Mercury. pp. 374–400.
- 947
   Morley,
   C.K.,
   1988.
   Out-of-Sequence
   Thrusts.
   Tectonics
   7,
   539–561.

   948
   <a href="https://doi.org/10.1029/tc007i003p00539">https://doi.org/10.1029/tc007i003p00539</a>
- 949

- Mueller, K., Vidal, A., Robbins, S., Golombek, M., West, C., 2014. Fault and fold growth of the
  Amenthes uplift: Implications for Late Noachian crustal rheology and heat flow on Mars. Earth
  and Planetary Science Letters 408, 100–109. https://doi.org/10.1016/j.epsl.2014.09.047
- Nahm, A.L., Watters, T.R., Johnson, C.L., Banks, M.E., Bogert, C.H. van der, Weber, R.C.,
  Andrews-Hanna, J.C., 2023. Tectonics of the Moon. Reviews in Mineralogy and Geochemistry
  89, 691–727. https://doi.org/10.2138/rmg.2023.89.16
- 957
- Nimmo, F., Watters, T.R., 2004. Depth of faulting on Mercury: Implications for heat flux and
  crustal and effective elastic thickness. Geophysical Research Letters 31.
  https://doi.org/10.1029/2003gl018847
- Okubo, C.H., Schultz, R.A., 2004. Mechanical stratigraphy in the western equatorial region of
  Mars based on thrust fault-related fold topography and implications for near-surface volatile
  reservoirs. GSA Bulletin 116, 594–605. https://doi.org/10.1130/b25361.1
- 965

Ostrach, L.R., Robinson, M.S., Whitten, J.L., Fassett, C.I., Strom, R.G., Head, J.W., Solomon,
S.C., 2015. Extent, age, and resurfacing history of the northern smooth plains on Mercury from
MESSENGER observations. Icarus 250, 602–622. https://doi.org/10.1016/j.icarus.2014.11.010

- 969
- Pierdominici, S., Mariucci, M.T., Montone, P., 2011. A study to constrain the geometry of an active
  fault in southern Italy through borehole breakouts and downhole logs. Journal of Geodynamics 52,
- 972 279–289. https://doi.org/10.1016/j.jog.2011.02.006 973
- Peterson, G.A., Johnson, C.L., Byrne, P.K., Phillips, R.J., 2019. Distribution of Areal Strain on
  Mercury: Insights Into the Interaction of Volcanism and Global Contraction. Geophysical Research
  Letters 46, 608–615. https://doi.org/10.1029/2018gl080749
- 977
- Peterson, G.A., Johnson, C.L., Byrne, P.K., Phillips, R.J., 2020. Fault Structure and Origin of
  Compressional Tectonic Features Within the Smooth Plains on Mercury. Journal of Geophysical
  Research: Planets 125. https://doi.org/10.1029/2019je006183
- 981
- 982 Petterson, M.G., Neal, C.R., Mahoney, J.J., Kroenke, L.W., Saunders, A.D., Babbs, T.L., Duncan,
- 983 R.A., Tolia, D., McGrail, B., 1997. Structure and deformation of north and central Malaita,
- 984 Solomon Islands: tectonic implications for the Ontong Java Plateau-Solomon arc collision, and for

- 985 the fate of oceanic plateaus. Tectonophysics 283, 1–33. https://doi.org/10.1016/s0040-986 1951(97)00206-0
- 987

- 988 Pfiffner, O.A., 2017. Thick-Skinned and Thin-Skinned Tectonics: A Global Perspective.
  989 Geosciences 7, 71. https://doi.org/10.3390/geosciences7030071
- Plescia, J.B., Golombek, M.P., 1986. Origin of planetary wrinkle ridges based on the study of
  terrestrial analogs. GSA Bull. 97, 1289–1299. <u>https://doi.org/10.1130/0016-</u>
  <u>7606(1986)97<1289:oopwrb>2.0.co;2</u>
- 994
- Ritzer, J.A., Hauck, S.A., Barnouin, O.S., Solomon, S. C., Watters, T.R., 2010. Mechanical
  structure of Mercury's lithosphere from MESSENGER observations of lobate scarps. Lunar Planet
  Sci XLI. Abstract 2122.
- 899 Rothery, D.A., Massironi, M., 2010. Beagle Rupes Evidence for a basal decollement of regional
  1000 extent in Mercury's lithosphere. Icarus 209, 256–261. https://doi.org/10.1016/j.icarus.2009.12.009
  1001
- 1002 Schleicher, L.S., Watters, T.R., Martin, A.J., Banks, M.E., 2019. Wrinkle ridges on Mercury and 1003 outside mascons. within and of Icarus 331, 226-237. the Moon 1004 https://doi.org/10.1016/j.icarus.2019.04.013 1005
- Schultz, R.A., 2000. Localization of bedding plane slip and backthrust faults above blind thrust
  faults: Keys to wrinkle ridge structure. Journal of Geophysical Research: Planets 105, 12035–
  12052. https://doi.org/10.1029/1999je001212
- Schultz, R.A., Watters, T.R., 2001. Forward mechanical modeling of the Amenthes Rupes Thrust
  Fault on Mars. Geophys. Res. Lett. 28, 4659–4662. <u>https://doi.org/10.1029/2001gl013468</u>
- 1012

1009

- Shaw, J.H., Connors, C., Suppe, J. (Eds.), 2005. Seismic Interpretation of Contractional FaultRelated Folds, Studies in Geology. American Association of Petroleum Geologists.
  <u>https://doi.org/10.1306/st531003</u>
- 1016
- Smythe, DK., Dobinson, A., McQuillan, R., Brewer, J.A., Matthews, D.H., Blundell, D.J., and
  Kelk, B., 1982. Deep Structure of the Scottish Calendonides revealed by the MOIST reflection
  profile. Nature, Lond. 199, 338–340.
- 1020
- 1021 Solomon, S.C., 1977. The relationship between crustal tectonics and internal evolution in the moon 1022 Mercury. Physics of the Earth and Planetary Interiors 135-145. and 15. https://doi.org/10.1016/0031-9201(77)90026-7 1023
- 1024
- Solomon, S.C., 1978. On volcanism and thermal tectonics on one-plate planets. Geophys. Res.
  Lett. 5, 461–464. <u>https://doi.org/10.1029/g1005i006p00461</u>
- 1028 Strom, R.G., Trask, N.J., Guest, J.E., 1975. Tectonism and volcanism on Mercury. J. Geophys.
- 1029 Res. 80, 2478–2507. <u>https://doi.org/10.1029/jb080i017p02478</u>
- 1030

Strom, R.G., 1979. Mercury: A post-Mariner 10 assessment. Space Science Reviews 24, 3-70. 1031 https://doi.org/10.1007/bf00221842 1032 1033 1034 Suppe, J., 1983. Geometry and kinematics of fault-bend folding. American Journal of Science 283, 684-721. https://doi.org/10.2475/ajs.283.7.684 1035 1036 1037 Suppe, J., Namson, J., 1979. Fault-bend origin of front folds of the western Taiwan fold-and-thrust 1038 belt. Petroleum Geology of Taiwan 16, 1-18. 1039 1040 Toda, S., Stein, R.S., Richards-Dinger, K., Bozkurt, S.B., 2005. Forecasting the evolution of seismicity in southern California: Animations built on earthquake stress transfer. Journal of 1041 1042 Geophysical Research: Solid Earth 110. https://doi.org/10.1029/2004jb003415 1043 1044 Tosi, N., Grott, M., Plesa, A. -C., Breuer, D., 2013. Thermochemical evolution of Mercury's 1045 Journal Geophysical Research: Planets 2474-2487. interior. of 118. 1046 https://doi.org/10.1002/jgre.20168 1047 1048 Watters, T.R., 1988. Wrinkle ridge assemblages on the terrestrial planets. Journal of Geophysical 1049 Research: Solid Earth 93, 10236–10254. https://doi.org/10.1029/jb093ib09p10236 1050 1051 Watters, T.R., 2003. Lithospheric flexure and the origin of the dichotomy boundary on Mars. 1052 Geology 31, 271–274. https://doi.org/10.1130/0091-7613(2003)031<0271:lfatoo>2.0.co;2 1053 1054 Watters, T.R., 1993. Compressional tectonism on Mars. J Geophys Res 98, 17049. 1055 https://doi.org/10.1029/93je01138 1056 1057 Watters, T.R., 2021. A case for limited global contraction of Mercury. Communications Earth & Environment 2, 9. https://doi.org/10.1038/s43247-020-00076-5 1058 1059 1060 Watters, T.R., Cook, A.C., Robinson, M.S., 2001. Large-scale lobate scarps in the southern 1061 hemisphere of Mercury. Planetary Space Science 49, 1523-1530. and 1062 https://doi.org/10.1016/s0032-0633(01)00090-3 1063 1064 Watters, T.R., Montési, L.G.J., Oberst, J., Preusker, F., 2016. Fault-bound valley associated with 1065 the Rembrandt basin on Mercury. Geophysical Research Letters 43, 11,536-11,544. 1066 https://doi.org/10.1002/2016g1070205 1067 1068 Watters, T.R., Nimmo, F., 2010. The tectonics of Mercury. In: Watters, T.R., Schultz, R.A. (Eds.), Planetary Tectonics, pp. 15-80. https://doi.org/10.1017/cbo9780511691645.002. 1069 1070 Watters, T.R., Robinson, M.S., 1999. Lobate scarps and the Martian crustal dichotomy. Journal of 1071 Geophysical Research: Planets 104, 18981-18990. https://doi.org/10.1029/1998je001007 1072 1073 1074 Watters, T.R., Solomon, S.C., Robinson, M.S., Head, J.W., André, S.L., Hauck, S.A., Murchie, S.L., 2009. The tectonics of Mercury: The view after MESSENGER's first flyby. Earth and 1075 1076 Planetary Science Letters 285, 283–296. https://doi.org/10.1016/j.epsl.2009.01.025

- 1077
- Watters, T.R., Robinson, M.S., Bina, C.R., Spudis, P.D., 2004. Thrust faults and the global
  contraction of Mercury. Geophys Res Lett 31. <u>https://doi.org/10.1029/2003gl019171</u>
- 1080
  1081 Watters, T.R., Schultz, R.A., 2002. The fault geometry of planetary lobate scarps: Listric versus
  1082 planar. Lunar Planet. Sci. XXXIII. Abstract 1668.
- 1083
- Wickham, J., 1995. Fault displacement-gradient folds and the structure at Lost Hills, California
  (U.S.A.). Journal of Structural Geology 17, 1293–1302. <u>https://doi.org/10.1016/0191-</u>
  <u>8141(95)00029-d</u>
- 1087
- Williams, N.R., Watters, T.R., Pritchard, M.E., Banks, M.E., Bell, J.F., 2013. Fault dislocation
  modeled structure of lobate scarps from Lunar Reconnaissance Orbiter Camera digital terrain
  models. Journal of Geophysical Research: Planets 118, 224–233.
  https://doi.org/10.1002/jour.20051
- 1091 https://doi.org/10.1002/jgre.20051
- 1092